



FINAL PROJECT (RC14-1501)

REDESIGNING THE BUILDING'S STRUCTURE OF HOTEL NOVOTEL THE SAMATOR SURABAYA BY USING PRECAST CONCRETE

SOCA FAHREZA ISMA'I
NRP. 3112 100 025

Supervisor Lecturer I:
Data Iranata, ST., MT., PhD.

Supervisor Lecturer II:
Dr. Ir. Djoko Irawan, MS.

DEPARTEMENT OF CIVIL ENGINEERING
Faculty of Civil Engineering and Planning
Tenth of November Institute of Technology
Surabaya 2017



FINAL PROJECT (RC14-1501)

**REDESIGNING THE BUILDING'S STRUCTURE
OF HOTEL NOVOTEL THE SAMATOR
SURABAYA BY USING PRECAST CONCRETE**

SOCA FAHREZA ISMA'I
NRP. 3112 100 025

Supervisor Lecturer I:
Data Iranata, ST., MT., PhD.

Supervisor Lecturer II:
Dr. Ir. Djoko Irawan, MS.

DEPARTEMENT OF CIVIL ENGINEERING
Faculty of Civil Engineering and Planning
Tenth of November Institute of Technology
Surabaya 2017



TUGAS AKHIR (RC14-1501)

**PERENCANAAN ULANG STRUKTUR
BANGUNAN HOTEL NOVOTEL THE
SAMATOR SURABAYA MENGGUNAKAN
BETON PRACETAK**

SOCA FAHREZA ISMA'I
NRP. 3112 100 025

Dosen Pembimbing I:
Data Iranata, ST., MT., PhD.

Dosen Pembimbing II:
Dr. Ir. Djoko Irawan, MS.

JURUSAN TEKNIK SIPIL
Fakultas Teknik Sipil dan Perencanaan
Institut Teknologi Sepuluh Nopember Surabaya
Surabaya 2017

**REDESIGNING THE BUILDING'S STRUCTURE OF
HOTEL NOVOTEL THE SAMATOR SURABAYA BY
USING PRECAST CONCRETE**

FINAL PROJECT

Filed to Fulfill One of Conditions
To Get Bachelor Degree in Civil Engineering
at

Regular Undergraduate Programme of
Departement of Civil Engineering
Faculty of Civil Engineering and Planning
Tenth of November Institute of Technology Surabaya

By:

SOCA FAHREZA ISMA'I
NRP. 3112 100 025

Approved By Supervisor Lecturers of Final Project:

1. Data Irawata, ST, MT, PhD.
NIP. 198004302005011002

2. Dr. Ir. Djoko Irawan, MS. ...
NIP. 195902131987011001

SURABAYA
JULY, 2017



This page is intentionally left blank

REDESIGNING THE BUILDING's STRUCTURE OF HOTEL NOVOTEL THE SAMATOR SURABAYA BY USING PRECAST CONCRETE

Name : Soca Fahreza Isma'i
NRP : 3112 100 025
Department : S1 Teknik Sipil FTSP ITS
Supervisor I : Data Iranata, S.T., M.T., Ph.D.
Supervisor II : Dr. Ir. Djoko Irawan, MS.

ABSTRACT

Precast method nowadays has been used in many civil constructions. The precast concrete has advantages to be compared to cast in situ concrete. The advantages of using the precast concrete are firstly the process of concrete casting is not influenced by weather; secondly, it does not need a lot of formworks, efficiency of times, and better quality controls; thirdly, a new research stated that using precast concrete is eco friendly.

The purpose of this final project is to design of a structure plan of Hotel Novotel THE SAMATOR Surabaya's building with precast method. The objective of this project to design the detail of the concrete's reinforcement, the connection between precast element, the basement's structure and the foundation that support the building. Finally to draw the result of the modification of the building.

Hotel Novotel THE SAMATOR Surabaya's building has 25 floors and two storeis of basement. It was planned using precast method for the beams and the slabs, whereas the columns, stairs, and footing were planned using the cast in situ concrete. The regulation that were used for this planning are SNI 2847:2013 for the structural concrete planning, PPIUG 1983 and SNI 1727:2013 for the gravity loads, SNI 1726:2012 for the lateral (earthquake/seismic) loads. This building was planned using Dual System Special Moment Resisting Frame.

The results of the design modification of Hotel Novotel THE SAMATOR SURabaya's building were primary beams dimension of 40/65, secondary beams dimension of 30/45, and column's dimension using 80x80. The connection between precast element used wet joints and brackets.

Keywords: Hotel Novotel THE SAMATOR Surabaya, Planning Modification, Precast, Reinforced Concrete

PERENCANAAN ULANG STRUKTUR BANGUNAN HOTEL NOVOTEL THE SAMATOR SURABAYA DENGAN MENGGUNAKAN BETON PRACETAK

Nama : Soca Fahreza Isma'i
NRP : 3112 100 025
Jurusan : S1 Teknik Sipil FTSP-ITS
Dosen Pembimbing I : Data Iranata, S.T., M.T., Ph.D.
Dosen Pembimbing II : Dr. Ir. Djoko Irawan, MS.

ABSTRAK

Metode pracetak saat ini telah banyak digunakan dalam pembangunan konstruksi sipil. Hal ini terjadi karena beton pracetak memiliki beberapa kelebihan dibandingkan beton yang dicor di tempat (*cast in situ*). Kelebihannya antara lain yaitu proses pembuatannya yang tidak bergantung cuaca, tidak memerlukan banyak bekisting, waktu pengerjaan yang lebih singkat, kontrol kualitas beton lebih terjamin serta menurut penelitian terbaru beton pracetak juga ramah lingkungan

Tujuan dari Tugas Akhir ini adalah menghasilkan perencanaan struktur gedung Hotel Novotel THE SAMATOR Surabaya dengan metode pracetak. Merencanakan *detailed* penulangan dan sambungan pada elemen beton pracetak. Merencanakan pondasi yang menopang bangunan. Dan merancang gambar teknik dari hasil modifikasi gedung ini.

Gedung Hotel Novotel THE SAMATOR ini memiliki tinggi 25 lantai dan dua tingkat basement. Gedung ini dirancang ulang menggunakan metode beton pracetak pada bagian balok dan pelat. Standar yang digunakan dalam perencanaan ini adalah perencanaan struktural menggunakan tata cara perhitungan struktur beton untuk bangunan gedung (SNI 2847:2013), untuk menghitung pembebanan gravitasi menggunakan PPIUG 1983 dan tata cara perhitungan pembebanan untuk gedung (SNI 1727:2013), dan pembebanan

gempa dihitung menggunakan tata cara perencanaan ketahanan gempa (SNI 1726:2012). Perencanaan gedung ini menggunakan sistem rangka pemikul momen khusus (SRPMK).

Hasil dari modifikasi gedung Hotel Novotel THE SAMATOR Surabaya ini meliputi ukuran balok induk 40/65, ukuran balok anak 30/45, dan ukuran kolom 80x80 cm. Sambungan antar elemen pracetak menggunakan sambungan basah dan konsol pendek.

Kata Kunci: Hotel Novotel THE SAMATOR Surabaya, Modifikasi Perencanaan, Pracetak, Beton Bertulang

ACKNOWLEDGEMENTS

The author would like to thank these following parties for helping this final project's making process:

1. Allah SWT, The God Almighty.
2. Prophet Muhammad Sallalahualaihiwassalam, p.b.u.h.
3. Author's parents, Drs. Khabib Isma'i, and Yuliati
4. Data Iranata, ST, MT, PhD., and Dr. Ir. Djoko Irawan, MS. as supervisor lecturer
5. Data Iranata, ST, MT, PhD. as advisor lecturer
6. Friends and families of ITS Surabaya

The author realises that this book may have some inferiority. So, the critics and advices from any parties are welcome.

Surabaya, July 2017

Student

Soca Fahreza Isma'i

This page is intentionally left blank

LIST OF CONTENTS

COVER	i
LEGALIZATION FORM	iii
ABSTRACT	v
ABSTRAK	vii
ACKNOWLEDGEMENTS	ix
LIST OF CONTENTS.....	xi
LIST OF TABLES	xvii
LIST OF FIGURES.....	xix
CHAPTER I	1
INTRODUCTION.....	1
1.1 Background	1
1.2 Problems.....	2
1.3 Final Project's Goals	3
1.4 Limitation of Problems.....	3
1.5 Final Project's Benefits	4
CHAPTER II.....	5
LITERATURE REVIEW	5
2.1 General	5
2.2 Building's System Structure.....	5
2.3 Earthquake Resistance Construction	6
2.4 Precast Concrete System in Building	6
2.4.1 Element of Precast Concrete and Cast in Place Concrete	6
2.4.2 Connection Between Precast Concrete Elements	10

2.4.3	Lifting Points of Precast Concrete Element	14
2.4.4	Handling Phases of Precast Concrete Element....	17
2.5	Basement Structure.....	18
2.6	Steps of Implementation on Construction Site	19
CHAPTER III.....		25
METHODOLOGY		25
3.1	Flowchart of Methodology	25
3.2	Data Gathering and Study of Literature	26
3.3	Design Criteria	27
3.4	Preliminary Design.....	28
3.4.1	Designing of Slab Dimension.....	29
3.4.2	Designing of Beam Dimension	30
3.4.3	Designing of Pillar Dimension	31
3.4.4	Designing of Stair Dimension	32
3.4.5	Designing of Shear Wall Dimension	32
3.5	Load Calculation	32
3.5.1	Dead Load	33
3.5.2	Live Load	34
3.5.3	Seismic Load.....	35
3.5.4	Wind Load.....	38
3.5.5	Load Combination.....	39
3.6	Reinforcement of Secondary Structure.....	39
3.6.1	Reinforcement Due to Lifting Process	39
3.6.2	Reinforcement Before Monolith Condition.....	43
3.6.3	Reinforcement After Monolith Condition	48

3.7 Modelling and Analyzing of Structure	49
3.8 Reinforcement of Primary Structure.....	49
3.8.1 Reinforcement Due to Lifting Process	49
3.8.2 Reinforcement Before Monolith Condition.....	51
3.8.3 Reinforcement After Monolith Condition	58
3.9 Designing of Precast Concrete Elements Connection	59
3.10 Designing of Basement's Structure and Foundation	61
3.11 Technical Drawing	64
CHAPTER IV	65
CONTENTS	65
4.1 Preliminary Design.....	65
4.1.1 General	65
4.1.2 General Data.....	65
4.1.3 List of Loads.....	66
4.1.4 Preliminary Design of Precast Element.....	67
4.1.5 Preliminary Design of Basement's Structure	85
4.1.6 Preliminary Design of Pillar.....	92
4.1.7 Preliminary Design of Shear Wall.....	95
4.1.8 Preliminary Design of Basement Wall	96
4.1.9 Preliminary Design of Other Structures	96
4.2 Reinforcement of Secondary Structure.....	97
4.2.1 Preface	97
4.2.2 Reinforcement of Precast Floor Slab.....	98
4.2.3 Reinforcement of Precast Roof Slab	118
4.2.4 Reinforcement of Precast Secondary Beam	139

4.2.5	Reinforcement of Stair Structure.....	159
4.2.6	Reinforcement of Elevator’s Beam	174
4.2.7	Reinforcement of Ramp Structure.....	184
4.3	Modelling of Structures.....	198
4.3.1	Preface.....	198
4.3.2	General Data.....	198
4.3.3	Load Combinations	200
4.3.4	Analyzing Seismic Load.....	200
4.3.5	Dynamic Seismic Load	204
4.3.6	Design Control	205
4.4	Reinforcement of Primary Structure.....	216
4.4.1	Umum.....	216
4.4.2	Reinforcement of Precast Primary Beam	216
4.4.3	Reinforcement of Pillar	251
4.4.4	Reinforcement of Shear Wall	260
4.5	Designing The Connection	266
4.5.1	Preface.....	266
4.5.2	Concept of Connection’s Design	267
4.5.3	The Use of Overtopping Concrete.....	270
4.5.4	Designing of Connection Between Beam and Pillar	271
4.5.5	Designing of Connection Between Primary Beam and Secondary Beam.....	278
4.5.6	Designing of Connection Between Secondary Beam and Slab.....	283
4.6	Designing The Basement’s Structure	286

4.6.1	Reinforcement of Basement’s Wall.....	286
4.6.2	Reinforcement of Basement’s Slab	290
4.6.3	Reinforcement of Basement’s Secondary Beam.....	301
4.6.4	Reinforcement of Basement’s Primary Beam ...	312
4.7	Designing The Lower Structure	330
4.7.1	Designing The Foundation	330
4.7.2	Designing The Tie Beam.....	346
4.8	Construction Method.....	349
4.8.1	Construction Method of Precast Concrete Element	349
4.8.2	Construction Method of Basemenet Structure...	355
BAB V		357
CONCLUSION		357
5.1	Conclusion.....	357
5.2	Advice	358
REFERENCES		359
ENCLOSURES		361

This page is intentionally left blank

LIST OF TABLES

Table 1. 1 The Population in Surabaya.....	2
Table 3. 1 Seismic Design Category, S_s	28
Table 3. 2 Seismic Design Category, S_1	28
Table 3. 3 The Minimum Thickness of Structure Slab and/or Beam.....	31
Table 3. 4 Some of Dead Loads Values on Building Structure ..	33
Table 3. 5 Some of Minimum Distributed Live Loads Values...	34
Table 3. 6 The Factor of Live Load Elements	35
Table 4. 1 Recapitulation of Precast Primary beam and Precast Secondary Beam Dimension	69
Table 4. 2 Recapitulation of Precast Slab Dimension	84
Table 4. 3 Recapitulation of Basement Primary Beam and Basement Secondary Beam Dimension.....	86
Table 4. 4 Recapitulation of Basement Slab Dimension	92
Table 4. 5 Recapitulation of Elevator Beam Dimension	96
Table 4. 6 Recapitulation of Machine Room’s Slab Dimension	97
Table 4. 7 The Comparison of Concrete’s Age (Factor)	97
Table 4. 8 Recapitulation of Reinforcement Bars of Floor Slab	109
Table 4. 9 The Properties of Strand Cable.....	117
Table 4. 10 Recapitulation of Reinforcement Bars of Roof Slab.....	129
Table 4. 11 recapitulation of Reinforcement Bars of Precast Secondary Beam.....	153
Table 4. 12 Type of Elevator C300 Passenger Elevator Duplex	175
Table 4. 13 Site Coefficient, F_a	202
Table 4. 14 Site Coefficient, F_v	202
Table 4. 15 Seismic Design Category, Short Period S_{DS}	204
Table 4. 16 Seismic Design Category, Short Period S_{D1}	204
Table 4. 17 The Value of Factor, I_c	205
Table 4. 18 The Result of Manual Calculation of Gravity Load	206
Table 4. 19 The Result of Gravity Load	206
Table 4. 20 Modal Periods and Frequencies.....	208
Table 4. 21 Base Shear Due to Seismic Load.....	209

Table 4. 22 Mass Participating Ratio.....	210
Table 4. 23 Load Participating Ratio.....	211
Table 4. 24 Displacement from SAP 2000v14	213
Table 4. 25 Control of Drift due to E_x at X Direction.....	213
Table 4. 26 Control of Drift due to E_x at Y Direction.....	214
Table 4. 27 Control of Drift due to E_y at X Direction.....	214
Table 4. 28 Control of Drift due to E_y at Y Direction.....	215
Table 4. 29 Percentage of Shear Force Which is resisted by The Structure's System	215
Table 4. 30 Recapitulation of M_{pr} Value	237
Table 4. 31 Recapitulation of V_u Value.....	238
Table 4. 32 Recapitulation of Reinforcement Bars of Precast Primary Beam.....	248
Table 4. 33 Recapitulation of Forces of Pillar	252
Table 4. 34 Recapitulation of Pillar's Reinforcement	260
Table 4. 35 Recapitulation of Shear Wall's Forces	261
Table 4. 36 Recapitulation of Horizontal Soil Pressure	287
Table 4. 37 Recapitulation of Soil Pressure Force.....	288
Table 4. 38 Recapitulation of Moment Result.....	288
Table 4. 39 Recapitulation of Reinforcement Bars of Basement's Slab	300
Table 4. 40 Recapitulation of Reinforcement Bars of Basement's Secondary Beam	311
Table 4. 41 Recapitulation of M_{pr} Value	323
Table 4. 42 Recapitulation of V_u Value.....	324
Table 4. 43 Recapitulation of Reinforcement Bars of Basement's Primary Beam	329
Table 4. 44 Recapitulation of Single Pile Foundation's Bearing Capacity Calculation.....	335

LIST OF FIGURES

Figure 2. 1	The variety of precast concrete elements	6
Figure 2. 2	The variety of precast concrete slab elements.....	7
Figure 2. 3	The variety of precast concrete beam elements	8
Figure 2. 4	The variety of shear wall.....	9
Figure 2. 5	The connection between pillar and beam by cast in place concrete, one phase implementation	11
Figure 2. 6	The connection between pillar and beam by cast in place concrete, two phases implementation	11
Figure 2. 7	The connection between pillar that its place differs.	12
Figure 2. 8	The rigid connection between beam and pillar with continuous pillar by weld conection tool.....	13
Figure 2. 9	Pin-joint connection in pillar by bolt as connection tool	13
Figure 2. 10	Two lifting points of one edge panels of precast concrete	14
Figure 2. 11	Four lifting points of one edge panels of precast concrete	14
Figure 2. 12	Four lifting points of stripped flat panels of precast concrete	15
Figure 2. 13	Eight lifting points of stripped flat panels of precast concrete	15
Figure 2. 14	The use of spreader beam for lifting panels of precast concrete	15
Figure 2. 15	The configuration when lifting process of panels of precast concrete elements.....	16
Figure 2. 16	Moments force that occurs as a results of lifting of precast concrete beam element	16
Figure 2. 17	Soil's lateral force plus water lateral force which are retained by basement wall	18
Figure 2. 18	Stripping process of precast concrete element	19
Figure 2. 19	Lifting process of precast concrete element.....	19
Figure 2. 20	The configuration when transporting precast concrete element.....	20

Figure 2. 21 The example of configuration when yarding precast concrete element	20
Figure 2. 22 Illustration about basement structure implementation.....	22
Figure 2. 23 Illustration about upper structure implementation ..	23
Figure 3. 1 Flowchart of methodology.....	25
Figure 3. 2 Illustration of slab	29
Figure 3. 3 Seismic maximum that considered risk-targetted (MCE_R), S_s	36
Figure 3. 4 Seismic maximum that considered risk-targetted (MCE_R), S_1	36
Figure 3. 5 The example of design response spectrum chart.....	38
Figure 3. 6 The position when lifting process of slab element occurs	40
Figure 3. 7 The example of lifting bar distance and moment calculation for slab element	41
Figure 3. 8 The example of result of lifting bar distance for slab element.....	41
Figure 3. 9 The position when lifting process of precast secondary beam occurs.....	42
Figure 3. 10 The example of result of lifting bar distance for secondary beam element	43
Figure 3. 11 Condition of slab precast element before monolith condition	43
Figure 3. 12 Condition of secondary beam precast element before monolith condition	47
Figure 3. 13 Condition of slab precast element after monolith condition.....	48
Figure 3. 14 Condition of secondary beam precast element after monolith condition	49
Figure 3. 15 The position when lifting process of precast primary beam occurs	50
Figure 3. 16 The example of result of lifting bar distance for primary beam element	51

Figure 3. 17 Condition of primary beam precast element before monolith condition	51
Figure 3. 18 Design of shear for primary beam and pillar	55
Figure 3. 19 The example of transversal reinforcement in pillar	57
Figure 3. 20 Condition of primary beam precast element after monolith condition	58
Figure 3. 21 Short console on pillar	59
Figure 3. 22 The configuration of connection between precast primary beam and precast secondary beam.....	60
Figure 3. 23 The configuration of connection between precast secondary beam and precast slab.....	61
Figure 3. 24 Repartition of loads on top of pile foundation	64
Figure 4. 1 The blueprint of beam's design.....	67
Figure 4. 2 The precast slab type LA1 & LA2	70
Figure 4. 3 The example of precast T beam	71
Figure 4. 4 The example of precast inverted L beam	72
Figure 4. 5 The dimension of precast floor T beam	72
Figure 4. 6 The dimension of precast inverted floor L beam	73
Figure 4. 7 The dimension of precast floor T secondary beam ..	74
Figure 4. 8 The precast slab type AA1 & AA2	78
Figure 4. 9 The dimension of precast roof T beam	79
Figure 4. 10 The dimension of precast inverted roof L beam	79
Figure 4. 11 The dimension of precast roof T secondary beam .	80
Figure 4. 12 The precast slab type BBA.....	87
Figure 4. 13 The dimension of basement T beam	88
Figure 4. 14 The dimension of basement inverted L beam	88
Figure 4. 15 The dimension of basement T secondary beam	89
Figure 4. 16 The area of loads of one pillar.....	92
Figure 4. 17 The precast floor slab.....	99
Figure 4. 18 The floor slab's cross section (after monolith condition)	103
Figure 4. 19 The diagram of horizontal shear force	111
Figure 4. 20 Four lifting points of floor slab	113

Figure 4. 21 Slab’s longitudinal direction (direction b) when lifting process occurs.....	114
Figure 4. 22 Slab’s longitudinal direction (direction a) when lifting process occurs.....	115
Figure 4. 23 The precast slab type AA1	119
Figure 4. 24 The diagram of horizontal shear force	132
Figure 4. 25 Four lifting points of roof slab	134
Figure 4. 26 Slab’s longitudinal direction (direction b) when lifting process occurs.....	135
Figure 4. 27 Slab’s longitudinal direction (direction a) when lifting process occurs.....	136
Figure 4. 28 Trapezoid load of secondary beam	140
Figure 4. 29 Two lifting points of secondary beam and the moment obtained due to lifting process of secondary beam	156
Figure 4. 30 The structure of stair	161
Figure 4. 31 Load distribution of stair.....	162
Figure 4. 32 Stair’s free-body diagram.....	165
Figure 4. 33 Stair’s shear force diagram (D).....	165
Figure 4. 34 Stair’s normal force diagram (N)	166
Figure 4. 35 Stair’s moment force diagram (M).....	166
Figure 4. 36 Dimension of elevator	176
Figure 4. 37 The structure of ramp.....	185
Figure 4. 38 Load distribution of ramp	187
Figure 4. 39 Ramp’s free-body diagram.....	189
Figure 4. 40 Ramp’s shear force diagram (D).....	190
Figure 4. 41 Ramp’s normal force diagram (N)	190
Figure 4. 42 Ramp’s moment force diagram (M).....	191
Figure 4. 43 The structure’s model in SAP 2000v14	199
Figure 4. 44 The quake zone map, for S_s	201
Figure 4. 45 The quake zone map, for S_1	201
Figure 4. 46 The spectral respons graphic	203
Figure 4. 47 The example of drift.....	211
Figure 4. 48 The drift (Y direction).....	212
Figure 4. 49 The drift (X direction).....	212

Figure 4. 50	The location of precast primary beam on SAP 2000 v14.....	225
Figure 4. 51	The dummy T beam dimension of primary beam	233
Figure 4. 52	Two lifting points of primary beam and the moment obtained due to lifting process of primary beam.....	243
Figure 4. 53	The location of pillar in SAP2000 v14	252
Figure 4. 54	The interaction graphic between axial force and moment in pillar	253
Figure 4. 55	The connection between beams and pillar	255
Figure 4. 56	The interaction graphic between axial force and moment in pillar	256
Figure 4. 57	The location of shearwall.....	260
Figure 4. 58	The support's length in support area.....	267
Figure 4. 59	The mechanism of load transfer.....	267
Figure 4. 60	The example of deformation patterns	269
Figure 4. 61	The model of connection between precast elements.....	270
Figure 4. 62	The model of short console on pillar.....	272
Figure 4. 63	The connection between pillar and precast primary beam.....	281
Figure 4. 64	The connection between precast primary beam and precast secondary beam.....	283
Figure 4. 65	The connection between precast secondary beam and precast slab	284
Figure 4. 66	The diagram force at basement's wall	286
Figure 4. 67	The soil and water pressures of basement's wall .	287
Figure 4. 68	The location of basement's primary beam on SAP2000 v14.....	312
Figure 4. 69	The dummy T beam dimension of basemen's primary beam.....	320
Figure 4. 70	The Prestressed Concrete Spun Pile.....	330
Figure 4. 71	Dimension of pilecap	341
Figure 4. 72	Analyzing of pilecap's calculation.....	342
Figure 4. 73	The tie beam's dimension	346

Figure 4. 74 The interaction graph between axial force and moment in tie beam	347
Figure 4. 75 The dimension of trailer	350
Figure 4. 76 The proper position of storage of precast concrete element	351
Figure 4. 77 The capacity of tower crane	352
Figure 4. 78 The formwork of pillar.....	353
Figure 4. 79 The erection of precast concrete primary beam ...	354
Figure 4. 80 The erection of precast concrete secondary beam	354
Figure 4. 81 The erection of precast concrete slab	355
Figure 4. 82 The construction method of basement	356
Figure 4. 83 The section cutoff method.....	356

CHAPTER I

INTRODUCTION

1.1. Background

Recently, there are various of precast concrete structure system which have been developed by various of private company, government agency, or state-owned enterprises that support construction sector in Indonesia. Those structure systems have been tested and applied on construction sector in the form of building or bridge. Precast concrete structure system has some superiorities compared to cast in place concrete, including efficiency of working process, efficiency of energy, and environmentally friendly.

According to Ervianto (2006), compared to cast in place concrete, the precast concrete has better quality. This could happen because the manufacturing process of precast concrete is performed by machine, the conditions of precast concrete manufactory that is relatively constant, and more accurate supervision of precast concrete production process.

According to data from Dispendukcapil (2012), Surabaya has nearly 3.2 millions residents (Figure 1.1). The growth population in Surabaya is approximately 80000 residents per year. This makes Surabaya become one of the metropolitan city in Indonesia due to its population and its condition. Surabaya is also known due to its destination for tourist although it might be not as attractive as Bali Island. This makes sense since the local government promoted "SPARKLING SURABAYA" as city motto. Then the need to build hotel is considered to be important due to the tourist visit. The building process needs to be fast and environmental friendly so that the building with precast concrete structure is needed.

Based on the facts above, the author saw the superiority of precast concrete compared to cast in place

concrete. So the author would like to file a Final Project Proposal with the title as following “Redesigning The Building’s Structure of Hotel Novotel THE SAMATOR Surabaya By Using Precast Concrete”. Hotel Novotel THE SAMATOR Surabaya uses cast in place concrete for its construction process in reality. This building has 25 (twenty five) storeys.

Table 1.1. The Population in Surabaya
(source: Dispendukcapil, 2012)

Number	Year	Total;
1	2003	2485761
2	2004	2509833
3	2005	2528777
4	2006	2687456
5	2007	2829552
6	2008	2903382
7	2009	2938225
8	2010	2929528
9	2011	3024321
10	2012	3125376

1.2. Problems

The problems of this final project are divided into two as following: main problem and detail of problems

1. Main Problem

1. How to design the building of Hotel Novotel THE SAMATOR Surabaya using precast concrete?

2. Detail of Problems

1. How is the design of *preliminary design* of precast concrete element?

2. How is the building load calculation?

3. How is the building structure analysis?

4. How to design the precast concrete element dimension?

5. How to design the detail of precast component connection?
6. How to design the building foundation?
7. How to draw the technical drawing of calculation result and design of the building?

1.3. Final Project's Goals

The goals of this final project are the following:

1. To design the *preliminary design* of precast concrete element
2. To calculate the building load
3. To analyze the building structure
4. To design the precast concrete element dimension
5. To design the detail of precast component connection
6. To design the building foundation
7. To draw the technical drawing of calculation result and design of the building

1.4. Limitation of Problems

1. Not counting the project budget
2. Not counting the project schedule
3. Not designing the electrical and mechanical detailing of the building
4. Not designing the architectural detailing of the building building
5. Not designing the drainage detailing of the building
6. Not analyzing the social and economical aspect of project
7. Not using precast concrete on these elements: pillar, shear wall, and basement
8. Using precast concrete only on these elements: primary beam, secondary beam, and slab

1.5. Final Project's Benefits

The expected benefits of this final project are:

1. Understanding the designing process of multi-storey building structure using precast concrete
2. Adding knowledge for the author about multi-storey building structure by using precast concrete

CHAPTER II LITERATURE REVIEW

2.1. General

Precast concrete is an alternative that is used in construction process in addition to cast in place concrete. The precast concrete is made in factory (*fabrication*), then sent to construction site (*transportation*), then connected become a structure (*erection*). The superiority of precast concrete compared to cast in place concrete one of them is faster in working process on construction site, it is one thing that is the cause of the increasing number of the structures that use precast concrete especially building structure or bridge structure.

In reality on construction site, the project of building Hotel Novotel THE SAMATOR Surabaya uses cast in place concrete. But in this final project the building will be redesigned using precast concrete. In this chapter will discuss about the references that used for the design so that the building can receive and bear the planned load in accordance with requirement and applicable provision.

2.2. Building's System Structure

There are some structure systems that commonly used as the bearing of seismic force on building design. In this final project the building's system structure of Hotel Novotel THE SAMATOR Surabaya will use dual system structure system (see SNI, 2012 Table 9). Dual system structure is the combination of bearers moment frame system and shear wall that work together to restrain seismic force. Bearers moment frame system bears gravitational load and lateral load. While the shear wall only bears the lateral load.

2.3. Earthquake Resistance Construction

The minimum safety standard for building and house that fits into earthquake resistance building category shall meet the following conditions (PU, 2006).

1. as exposed to weak earthquake, the building does not experience damage at all
2. as exposed to medium earthquake, the building can experience damage on non-structural element, but should not experience damage on structural element
3. as exposed to very strong earthquake, the building should not collapse either partially or completely; the building should not experience damage that can not be repaired; the building can experience damage but the damage should be repaired quickly so the building's functions become normal again.

2.4. Precast Concrete System in Building

2.4.1. Element of Precast Concrete and Cast in Place Concrete

The precast concrete element in this final project include beam and slab, for pillar and shear wall use cast in place concrete. The precast concrete type that will be used for those two components is non-prestressed precast concrete. For the various of precast concrete element that commonly used see Figure 2.1

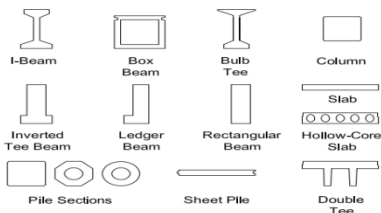


Figure 2.1. The variety of precast concrete elements
(source: PCI, 2004)

2.4.1.1. Slab

Slab is thin structure that made from concrete which its field is horizontal and the working load works perpendicular to it. The field slab's thickness is relatively very small compared to its length or its width. In building's structure commonly slab functionates as horizontal stiffener element which useful to support the stiffness of portal beam.

According to PCI (2004),there are various of precast concrete slab including *hollow-core slab*, *solid flat slab*, *double tees slab*, and *pretopped double tee slab* (Figure 2.2). In this final project will use *solidflat slab*.

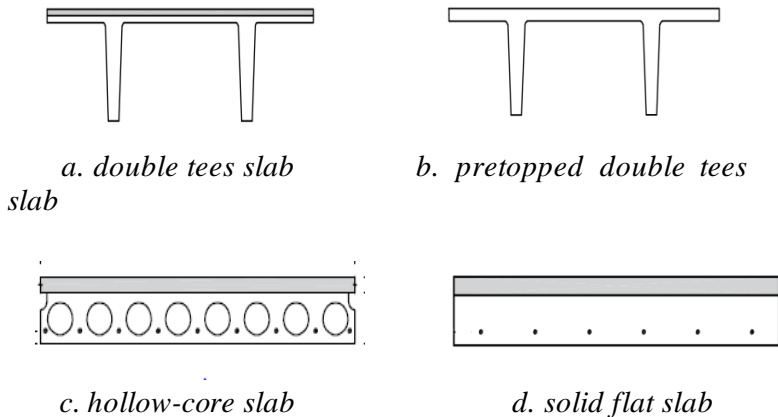


Figure 2.2. The variety of precast concrete slab elements
(source: PCI, 2004)

2.4.1.2. Beam

Beam is a component which bears its own weight and slab's load and distribute to the pillar. According to PCI (2004), precast concrete beam element that commonly used are including *inverted tee beam*, *ledger beam*, and *rectangular beam*(Figure2.3). In this final project will use *rectangular beam*.

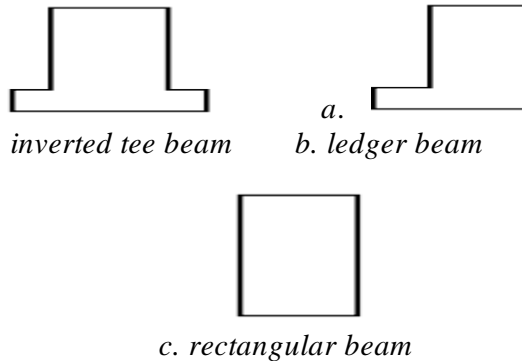
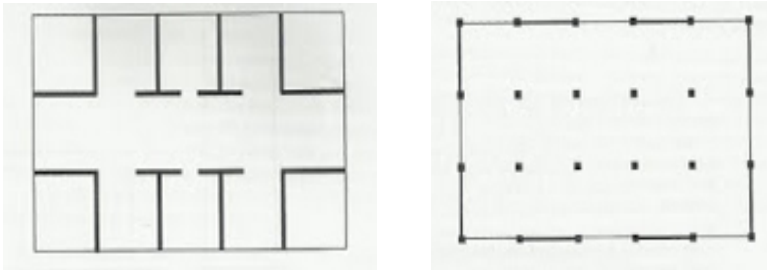


Figure 2.3. The variety of precast concrete beam elements
(source: PCI, 2004)

2.4.1.3. Shear Wall

According to SNI (2002) states that shear wall is structure component which used to increases structure's stiffness and bear the lateral forces. Based on its layout and its function, shear wall can be classified as the following (Figure 2.4)

1. bearing walls is shear wall which also supports most of gravity load. These walls also uses adjacent partition walls
2. frame walls is shear wall which also bears lateral load which the gravity load comes from reinforced concrete frame. These walls are built between pillars
3. core walls is shear wall which is located in central core zone in the building that usually filled by stairs or elevator shaft.



a. bearing walls

b. frame walls



c. core walls

Figure 2.4. The variety of shear wall
(source: Private Documentation)

2.4.1.4. Pillar

According to SNI (2002) which states that pillar is structure component which has high ratio to the smallest lateral dimension which exceed 3 that used especially to support compressive axial load. Pillar functionates as a load bearing which its come from primary beam and distribute to the foundation. In this final project will use cast in place concrete pillar.

2.4.2. Connection Between Precast Concrete Elements

According to Ervianto (2006) the precast concrete component connection can be solved in two ways: wet connection and dry connection.

2.4.2.1. Wet Connection

Wet connection can be divided into two types as the following

1. *In-situ Concrete Joint*

This type of connection can be applied to precast concrete component between pillar with pillar, pillar with beam, and slab with beam. The implementation method is doing casting to the components assembly. It is expected that the components assembly can merge. While for the reinforcement assembly can be solve by *overlapping*.

In the process of connecting of precast components it should be avoided the connection which has large number of components at one point. This can be solved by placing connection between the pillar on connection point between pillar and beam. The implementation process of *in-situ concrete joint* connection based on its phase implementation can be divided into two as the following

- one phase implementation

the meaning here is the process of connection implementation between beam and pillar which casted in once casting process. The process of steel connection can be solved using *overlapping*.

- two phases implementation

the two phases implementation is applied to merge precast concrete components which can be solved into two phases. The example of this condition is the merging process of beam and pillar, the first phase is the merging implementation between pillar and beam then proceed to casting process between pillar and pillar (Figure 2.5, Figure 2.6, and Figure 2.7).

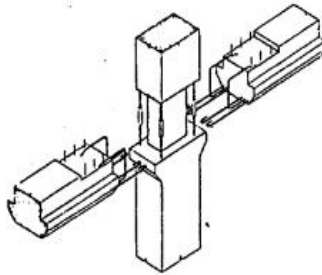


Figure 2.5. The connection between pillar and beam by cast in place concrete, one phase implementation. The steel bar connection is merged using weld. The unity of beam and pillar is accomplished by adding steel bar on the top of the end of beam

(source: Ervianto, 2006)

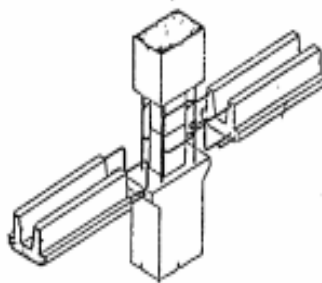


Figure 2.6. The connection between pillar and beam by cast in place concrete, two phases implementation. The first phase is the casting process of the connection between the bottom of pillar and beam which given socket for the placement of the top of the pillar. The second phase is the casting process of the connection of between pillars

(source: Ervianto, 2006)

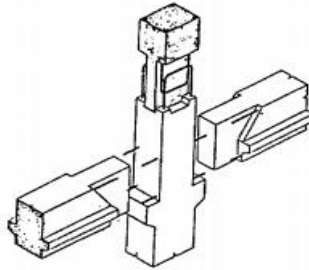


Figure 2.7. The connection between pillar that its place differs with the connection between pillars and beam
(source: Ervianto, 2006)

2. *Pre-Packed Aggregate*

This type of connection is placing aggregate in the part which will be connected and then injected by cement paste in that part using hydraulic pump so that the cement paste will fill the aggregate void.

2.4.2.2. **Dry Connection**

The dry connection can be divided into two types as the following

1. **Weld Connection**

This type of connection uses steel plate which attached into precast concrete that will be connected. Then these two plates are connected by weld. Through this steel plate the force will be forwarded to the relevant component. After the welding process then continued with closing the connected plate using concrete to protect the plate from corrosion (Figure 2.8).

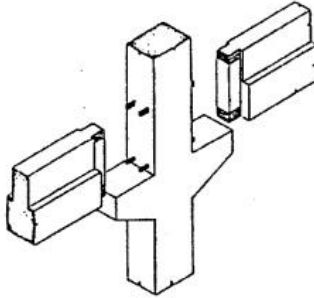


Figure 2.8. The rigid connection between beam and pillar with continuous pillar by weld connection tool
(source: Ervianto, 2006)

2. Bolt Connection

This type of connection also need the steel plate in both of precast concrete element which will be connected. These two components are connected by connection tool which in the form of high tensile strength bolt. Then the plate is casted using concrete in order to protect from the corrosion (Figure 2.9).

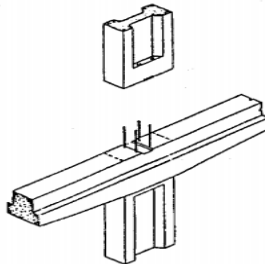


Figure 2.9. Pin-joint connection in pillar by bolt as connection tool
(source: Ervianto, 2006)

2.4.3. Lifting Points of Precast Concrete Element

According to PCI (2004), there are some types of lifting points of precast concrete panels as the following: *one edge* lifting points, *one edge* four lifting points, *stripped flat* four lifting points, and *stripped flat* eight lifting points (Figure 2.10, Figure 2.11, Figure 2.12, dan Figure 2.13). To ease the lifting implementation of precast concrete element, can use *spreader beam* so that the lifting load which received by precast concrete element can be spreaded (Figure 2.14, and Figure 2.15). For precast concrete beam element the calculation of the lifting moment has to be calculated (Figure 2.16).

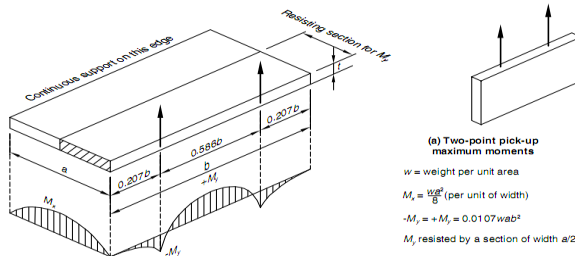


Figure 2.10. Two lifting points of *one edge* panels of precast concrete (source: PCI, 2004)

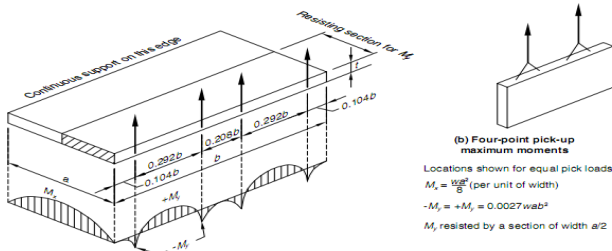


Figure 2.11. Four lifting points of *one edge* panels of precast concrete (source: PCI, 2004)

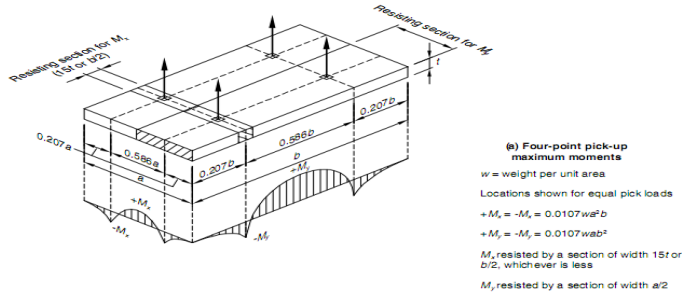


Figure 2.12. Four lifting points of *stripped flat panels* of precast concrete (source: PCI, 2004)

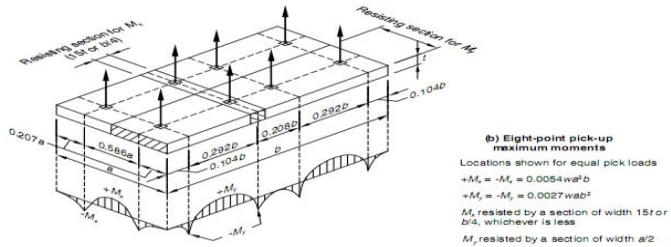


Figure 2.13. Eight lifting points of *stripped flat panels* of precast concrete (source: PCI, 2004)

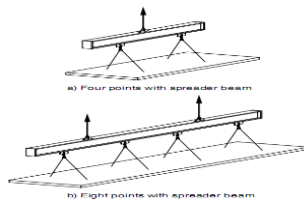


Figure 2.14. The use of spreader beam for lifting panels of precast concrete (source: PCI, 2004)

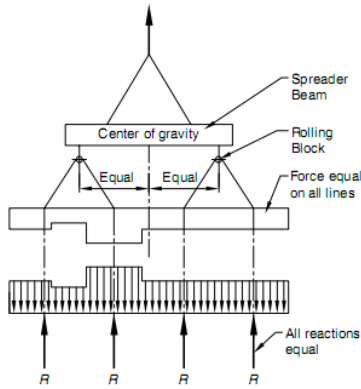


Figure 2.15. The configuration when lifting process of panels of precast concrete elements so that the lifting load which received by precast concrete element can be spreaded (source: PCI, 2004)

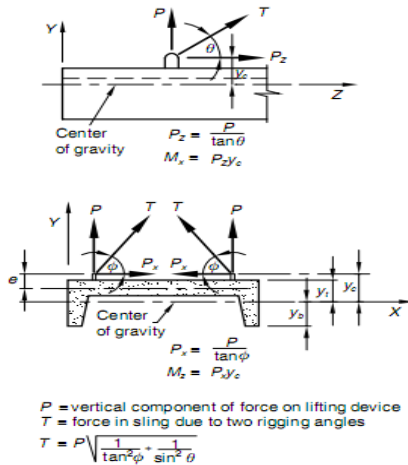


Figure 2.16. Moment force that occurs as a result of lifting of precast concrete beam element (source: PCI, 2004)

2.4.4. Handling Phases of Precast Concrete Element

According to PCI (2004) there are four handling phases of precast concrete as the following: *stripping*, *yarding and storage*, *transportation*, and *erection*.

1. *Stripping* (phase of lifting process from formwork)

The things that need to be considered when *stripping* process occur are the following

- a.the orientation of precast concrete element whether it is horizontally, vertically, or form an angle
- b.the attachment between concrete surface and formwork
- c.the number and the location of lifting
- d.the weight of precast concrete element and additional loads like carried formwork when lifting process of precast concrete element occurs

2. *Yarding and Storage* (phase of placement and storage)

The things that need to be considered when *yarding and storage* process occur are the following

- a.the orientation of precast concrete element whether it is horizontally, vertically, or form an angle
- b.the location of temporary lifting points of precast concrete element
- c.the support location due to the other precast concrete element that also stored
- d.the protection of precast concrete element from the weather like sunshine and rain

3. *Transportation* (phase of transference to construction site)

The things that need to be considered when *transportation* process occur are the following

- a.the orientation of precast concrete element whether it is horizontally, vertically, or form an angle
- b.the support location of precast concrete element whether it is vertically or horizontally

- c. the condition of transport vehicle, the condition of road that will be passed by the vehicle, and load limitation on the road
- d. dynamic considerations while transporting

4. Erection (phase of erecting)

The things that need to be considered when *erection* process occur are the following

- a. the orientation of precast concrete element whether it is horizontally, vertically, or form an angle
- b. the location and the number of lifting points
- c. the location and the number of support points
- d. the temporary loads like employees, equipments during construction process, and the weight of *overlapping* concrete.

2.5. Basement Structure

For designing of basement structure, it consists of designing of basement pillar, designing of basement primary beam and secondary beam, designing of basement slab, and designing of basement wall (turap). The basement structure's element will use cast in place concrete (without precast concrete). For the basement wall will functionate as a soil bearing wall which it bear the soil's lateral force behind the wall plus water lateral force (Figure 2.17). For the steps of designing basement structure will be same as steps of designing other precast concrete element.

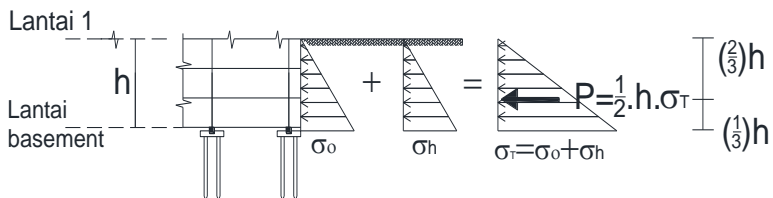


Figure 2.17. Soil's lateral force plus water lateral force which are retained by basement wall
(source: Private Documentation)

2.6. Steps of Implimentation on Construction Site

For steps of implimentation on construction site see the description below (note that the basement structure uses cast in place concrete while the upper structure uses precast concrete except for pillar and shear wall, this chapter will be explained more detailed in the next chapter)

- a. producing the precast concrete element
- b. stripping the precast concrete element (Figure 2.18)

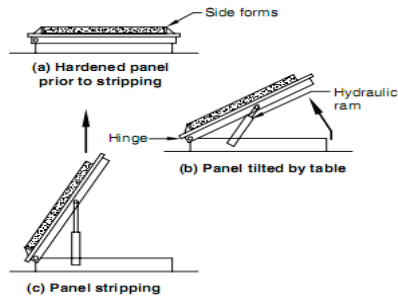


Figure 2.18. Stripping process of precast concrete element
(source: PCI, 2004)

- c. transporting the precast concrete element (Figure 2.20), note that before transporting begin should be considered about lifting process on factory (Figure 2.19)

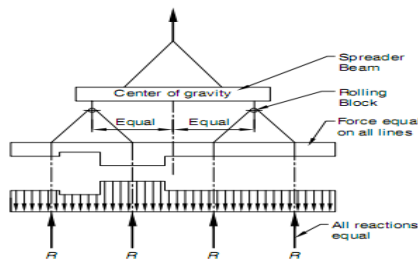


Figure 2.19. Lifting process of precast concrete element
(source: PCI, 2004)

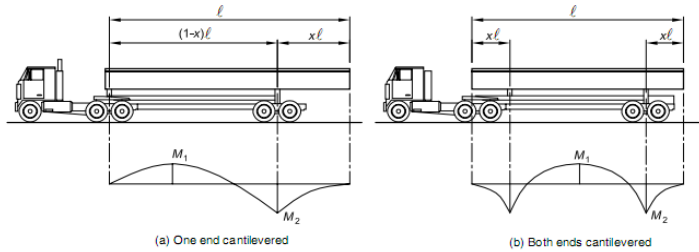


Figure 2.20. The configuration when transporting precast concrete element
(source: PCI, 2004)

- d. yarding the precast concrete element on construction site (Figure 2.21)

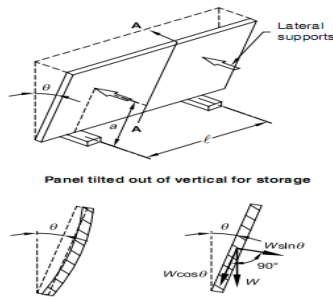


Figure 2.21. The example of configuration when yarding precast concrete element
(source: PCI, 2004)

- e. before lifting process of precast concrete element, should be considered that the construction site already has the equipments for construction working such as excavator, tower crane, etc
- f. the construction site shall be trim by bulldozer, excavator, or another equipment

- g. the excavation process shall be done according to basement and foundation depth (approx. 4 meters) (note that to bear the lateral soil force due to excavation, shall use temporary bearer such as plaster (turap), etc.
- h. the installation process of foundation shall be done first, then install the sloof and poer bar and cast using cast in place concrete to form poer and and sloof (note that adding the formwork firstly before casting process)
- i. the casting process of basement pillar shall be done after poer and sloof formed, then the basement pillar is casted using cast in place concrete (note that adding the formwork firstly before casting process, for basement pillar's formwork should be supported by sideway cantilever)
- j. the casting process of basement wall shall be done after basement pillar formed, then the basement wall is casted using cast in place concrete (note that adding the formwork firstly before casting process, for basement wall's formwork should be supported by sideway cantilever)
- k. the casting process of basement primary beam can be done after basement pillar formed, then the basement primary beam is casted using cast in place concrete (note that adding the formwork firstly before casting process, for basement primary beam's formwork should be supported by scaffolding)
- l. the casting process of basement slab can be done after basement primary beam formed, then the basement primary beam is casted using cast in place concrete (note that adding the formwork firstly before casting process, for basement primary beam's formwork should be supported by scaffolding) (see Figure 2.22)

for illustration about basement structure implementation)

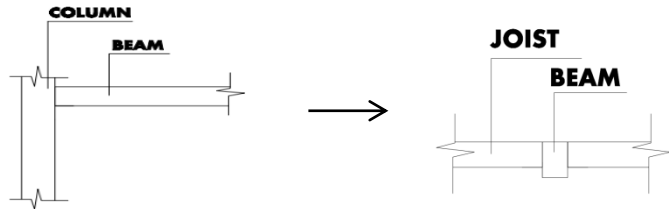


Figure 2.22. Illustration about basement structure implementation
(source: Private Documentation)

- m. the shear wall's structure shall be installed continuously after basement's structure completed and it is built per step storey
- n. for upper structure the steps of implementation are not much different from basement structure, firstly cast the pillar, then lift the precast primary beam and connect it to pillar, then lift the precast secondary beam and connect it to primary beam, then last lift the precast slab (Figure 2.18) and connect it to primary beam and secondary beam (note that using scaffolding to temporary bear the load produced by precast element's load)

- o. do and repeat the step m until the building's structure finished (see Figure 2.23 for illustration about upper structure implementation)

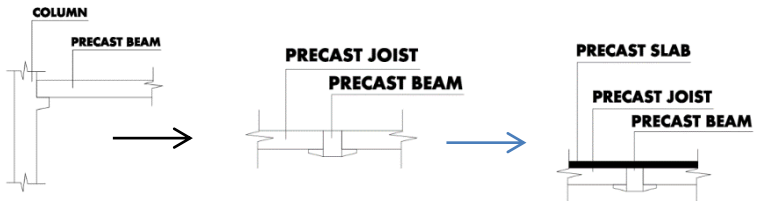


Figure 2.23. Illustration about upper structure implementation
(source: Private Documentation)

This page is intentionally left blank

CHAPTER III METHODOLOGY

3.1. Flowchart of Methodology

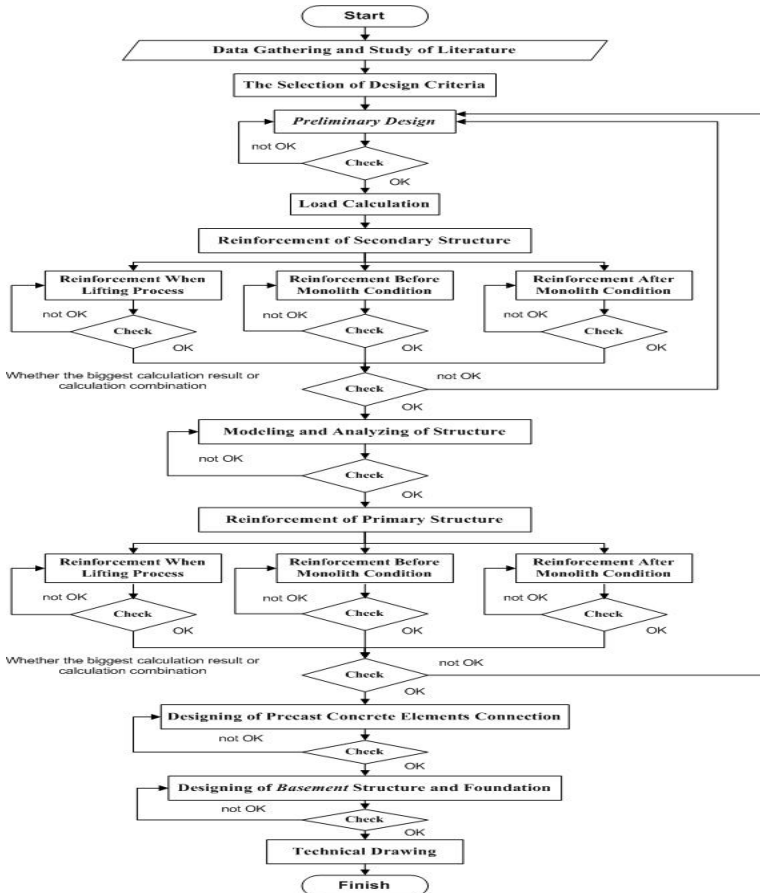


Figure 3.1. Flowchart of methodology
(source: Private Documentation)

3.2. Data Gathering and Study of Literature

As the following will be presented the data of the designing both of original data of designing or modified data of designing.

1. The original data of designing

- building's name : Hotel Novotel THE SAMATOR Surabaya
- location : Kedungbaruk Road no. 28 Surabaya
- building's function : hotel
- number of storey : 25 stories and 2 stories of basement
- main structure : cast in place concrete
- material's quality : cast in place concrete with compressive strength f'_c 30 MPa and bar with tensile strength f_y 390 MPa

2. The modified data of designing

- building's name : Hotel Novotel THE SAMATOR Surabaya
- location : Kedungbaruk Road no. 28 Surabaya
- building's function : hotel
- number of storey : 10 storeis and 1 storey of basement
- main structure : precast concrete, except for basement structure, pillar, and shear wall
- material's quality : precast concrete with compressive strength f'_c 30 MPa and bar with tensile strength f_y 390 MPa

For study of literature will use some literatures as the following

- Badan Standarisasi Nasional. 2013. Tata Cara Perhitungan Struktur Beton Untuk Bangunan Gedung (SNI 2847:2013)
- Badan Standarisasi Nasional. 2002. Tata Cara Perhitungan Struktur Beton Untuk Bangunan Gedung (SNI 2847:2002)
- Badan Standarisasi Nasional. 2013. Tata Cara Perancangan Beton Pracetak dan Beton Prategang Untuk Bangunan Gedung (SNI 7833:2012)
- Badan Standarisasi Nasional. 2012. Tata Cara Perencanaan Ketahanan Gempa Untuk Struktur Bangunan Gedung dan Non Gedung (SNI 1726:2012)
- Badan Standarisasi Nasional. 2013. Beban Minimum Untuk Perancangan Bangunan Gedung dan Struktur Lain (SNI 1727:2013)
- Departemen Pekerjaan Umum. 1983. Peraturan Pembebanan Indonesia Untuk Gedung (PPIUG 1983)
- Departemen Pekerjaan Umum dan Tenaga Listrik. 1971. Peraturan Beton Bertulang Indonesia (PBBI 1971)
- PCI Design Handbook : Precast and Prestressed Concrete 7th Edition (PCI 2004)

3.3. The Selection of Design Criteria

For the selection of design criteria will follow the rules in SNI 1726:2012. Some of the selection's aspects include as the following: strength, service ability, and structure system. Furthermore it also should be considered about site class, risk category, seismic design category, combination of connector system, etc. For seismic design category can be seen on Table 3.1. for seismic design category based on acceleration respond parameter at short period, S_s , and Table 3.2 for seismic design category based on

acceleration respond parameter at one second period, S_1 .

Table 3.1. Seismic Design Category Based On Acceleration Respond Parameter at Short Period, S_s
(source: SNI, 2012)

S_{DS} Value	Risk category	
	I or II or III	IV
$S_{DS} < 0,167$	A	A
$0,167 \leq S_{DS} < 0,33$	B	C
$0,33 \leq S_{DS} < 0,50$	C	D
$0,50 < S_{DS}$	D	D

Table 3.2. Seismic Design Category Based On Acceleration Respond Parameter at One Second Period, S_1
(source: SNI, 2012)

S_{DI} Value	Risk category	
	I or II or III	IV
$S_{DI} < 0,167$	A	A
$0,067 \leq S_{DI} < 0,133$	B	C
$0,133 \leq S_{DI} < 0,20$	C	D
$0,20 < S_{DI}$	D	D

To determine whichever the structure belongs to risk category I, II, III, or IV can be seen in SNI (2012) Table 1.

3.4. Preliminary Design

In this chapter, *preliminary design* will determine initial design for structure's elements resisting frame. Then the result of the initial design will be used for next calculation.

3.4.1. Designing of Slab Dimension

The steps for designing of slab dimension are the following

1. determining whichever it is one way slab or two ways slab. The step is by dividing L_y by L_x (Figure 3.2). If the calculation's result produces the value which greater or same as two, then the slab can be determined as one way slab. But if the calculation's result produces the value which less than two, then the slab can be determined as two ways slab

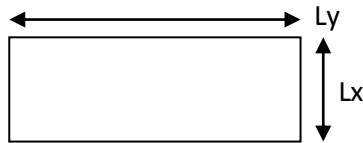


Figure 3.2. Illustration of slab
(source: Private Documentation)

2. determining the minimum thickness of slab, if the slab is one way slab (non prestressed) then the slab's thickness must follows the conditions in SNI (2013) Table 9.5(a). If the slab is two ways slab (non prestressed) then the slab's thickness must follow the conditions in SNI (2013) Table 9.5(c)

3. checking the slab's thickness based on the conditions in SNI 2847:2013.

a. according to SNI (2013) paragraph 9.5.3.2 states that for slab without interior beam which reaches between two supports and have the ratio of long span to short span which less than 2, the minimum thickness shall meet the conditions shown in SNI (2013) Table 9.5(c) and must not less than the following:

- for slab without panel drop (with thickening) = 125 mm
- for slab with panel drop (without thickening) = 100 mm

b. for α_{fm} which has same value or less than 0,2, shall follow condition in SNI (2013) paragraph 9.5.3.2

c. for α_{fm} which has greater value than 0,2 but not more than 2,0, the minimum thickness of slab must not less than

$$h = \frac{\ell_n (0,8 + \frac{f_y}{1400})}{36 + 5\beta (\alpha_{fm} - 0,2)} \text{ (source: SNI, 2013)}$$

and must not less than 125 mm

d. for α_{fm} which has greater value than 2,0, the minimum thickness of slab must not less than

$$h = \frac{\ell_n (0,8 + \frac{f_y}{1400})}{36 + 9\beta} \text{ (source: SNI, 2013)}$$

and must not less than 90 mm

in which α_{fm} is an average value of α_f for all beam which at the edge of a panel.

3.4.2. Designing of Beam Dimension

According to SNI (2013) Table 9.5(a) states that the minimum thickness of non prestressed beam or one way slab if the deflection not calculated shall meet the conditions shown below

Table 3.3. The Minimum Thickness of Structure Slab and/or Beam
(source: SNI, 2013)

Minimum thickness, h				
Structure's component	Simple supported	One end continuously	Both ends continuously	Cantilever
	The structure's component which does not support or not connected by partition or other construction which may be damaged by large deflection			
One way massive slab	$\ell/20$	$\ell/24$	$\ell/28$	$\ell/10$
Beam or one way rib slab	$\ell/16$	$\ell/18.5$	$\ell/21$	$\ell/8$

NOTE:
The length of span is in mm.
The values above shall be used directly by structure's component with normal concrete and bar's quality of 420 MPa. For other condition, the value above shall be modified as the following:
(a) For lightweight concrete structure with density (equilibrium density), w_c , between 1440 and 1840 kg/m³, the value shall be multiplied by $(1,65-0,0003w_c)$ but must not less than 1,09.
(b) For `besides 420 MPa, the value shall be multiplied by $(0,4 + f_y/700)$

3.4.3. Designing of Pillar Dimension

According to SNI (2013) paragraph 9.3.2.2 (a), the value of strength reduction factor, ϕ , for compressive controlled section for reinforced structure component is 0,65. For determining the pillar dimension can use equation below as the following

$$A = \frac{W}{\phi_x f'c} \text{ (source: SNI, 2013)}$$

in which A is the area of pillar (mm^2), $f'c$ is compressive strength of concrete (MPa), and W is axial load which received by pillar (N).

3.4.4. Designing of Stair Dimension

For designing of stair it is assumed that the stair's support which used is simple support roller-pins and using cast in place concrete. For designing of stair dimension should meet the following criteria

- $64 \leq 2t + i \leq 65$
- for the conditions of stair's slope is $20^\circ \leq \alpha \leq 40^\circ$

in which t is steps stamping height (in cm), i is steps stamping width (in cm), and α is stair's slope. For designing of landing dimension (*bordes*), it is suggested that the landing width must not less than 120 cm.

3.4.5. Designing of Shear Wall Dimension

For designing of shear wall dimension shall meet the conditions shown in SNI (2013) paragraph 14.5.3.1 and paragraph 14.5.3.2 which state that the thickness of support wall (or shear wall) must not less than 1/25 of height or the length of supported span, whichever is shorter, or less than 100 mm.

3.5. Load Calculation

For load calculation, there are several loads including dead load, live load, earthquake load, and wind load. The conditions for load designing shall meet the conditions shown in PPIUG (1983) and SNI 1727:2013.

3.5.1. Dead Load

According to PPIUG (1983) paragraph 2.1.(1) states that the self load from construction materials are important and some of building's components that have to be considered in order to determine the dead load of the building shall meet the conditions shown on Table 2.1 PPIUG (1983). As the following will be presented Table 3.4 which shows some of the values of dead loads on the building. For the value of reduction factor of dead load on the building's structure which is 0.9 can be neglected (PPIUG, 1983).

Table 3.4. Some of Dead Loads Values on Building Structure
(source: PPIUG, 1983)

Dead load	The value of load
Materials	
Natural stone	2600 kg/m ³
Smashed stone	1450 kg/m ³
Concrete	2200 kg/m ³
Reinforced concrete	2400 kg/m ³
Gravel	1650 kg/m ³
Sand (water saturated)	1800 kg/m ³
Building's Components	
Mortar (mixture), per cm of thickness (from cement)	21 kg/m ²
Wall built from red brick (1/2 brick)	250 kg/m ²
Ceiling and wall (including its flanks, without ceiling hanger or bracing), consist of asbestos cement and glass with 3-4 mm thickness	11 kg/m ² (asbestos cement) + 10 kg/m ² (glass)
Ceiling hanger	7 kg/m ²
Floor covering made from portland cement tile, teraso, and concrete, without mortar, per cm	24 kg/m ²

3.5.2. Live Load

According to SNI (2013) paragraph 4.7.1 states that except for other minimum prevalent distributed live load, L_o , shown in SNI (2013) Table 4-1 can be reduced based on conditions shown in paragraph 4.7.2 until paragraph 4.7.6 SNI 1727:2013. Follow the limitation and exception from paragraph 4.7.3 until paragraph 4.7.6 SNI 1727:2013, the structure's components which have $K_{LL}A_T$ value are 400 ft^2 area ($37,16 \text{ m}^2$) or more allowed to be designed with reduced live load based on equation below.

$$L = L_o \left(0,25 + \frac{4,57}{\sqrt{K_{LL}A_T}} \right) \text{ (source: SNI, 2013)}$$

in which L is reduced planning live load per m^2 from area which supported by structure's component (in kN/m^2), L_o is non-reduced planning live load per m^2 from area which supported by structure's component (in kN/m^2), K_{LL} is live load element, and A_T is tributary area in m^2 . For some of L_o values and K_{LL} values can be seen on Table 3.5 dan Table 3.6.

Table 3.5. Some of Minimum Distributed Live Loads Values, L_o
(source: SNI, 2013)

For House or other functions	The value of distributed load
Stair and exit way	4,79 kN/m^2
House for living (one family and two families) for all room except stair and balcony	1,92 kN/m^2
Flat roof, and/or arch roof	0,96 kN/m^2
Balcony and deck	4,79 kN/m^2
Garage/Parking lot	1,92 kN/m^2
Public room and balcony	4,79 kN/m^2

Table 3.6. The Factor of Live Load Elements, K_{LL}
(source: SNI, 2013)

Element	K_{LL} Value
Interior pillars	4
Exterior pillars without cantilever slab	4
Periphery pillars with cantilever slab	3
Corner pillars with cantilever slab	2
Periphery pillars without cantilever slab	2
Interior beams	2
All of structure's components which not mentioned above	1

3.5.3. Earthquake Load (Seismic Load)

Surabaya is zone which has site class SE (soft soil) (see SNI 2012, Table 3). For the calculation of earthquake load will use dynamic analysis using structure fundamental tremble simplify design response spectrum chart based on SNI 1726:2012. The steps for plotting design response spectrum chart (for example of chart see Figure 3.5) are the following

- a. determining site class

- site class is based on SNI (2012) paragraph 6.1.2 which divided into SA, SB, SC, SD, SE, or SF

- b. determining the coefficients of site and the parameters of acceleration spectral response quake maximum that considered risk-targetted (MCE_R)

- determining the value F_a (vibration amplification factor related to acceleration in short period vibration) and the value of F_v (vibration amplification factor related to acceleration in one second period

vibration), the value of F_a and F_v can be seen on SNI (2012) Table 4 dan Table 5

- determining the value of S_s and S_1 (Figure 3.3 and Figure 3.4), for simplifying the calculation, the site class can be assumed as SB site class

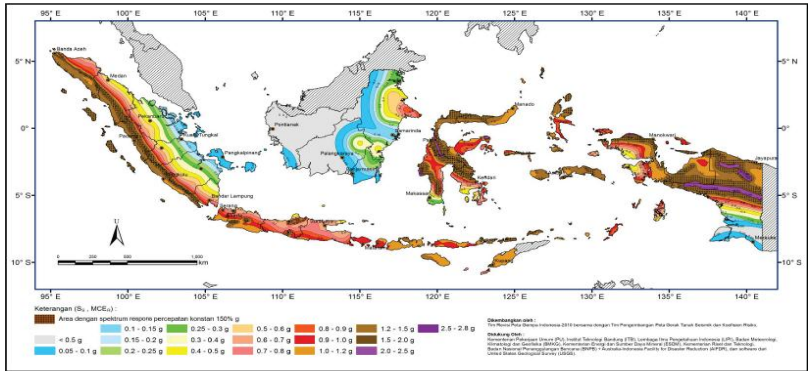


Figure 3.3. S_s , Seismic maximum that considered risk-targetted (MCE_R), SB site class (source: SNI, 2012)

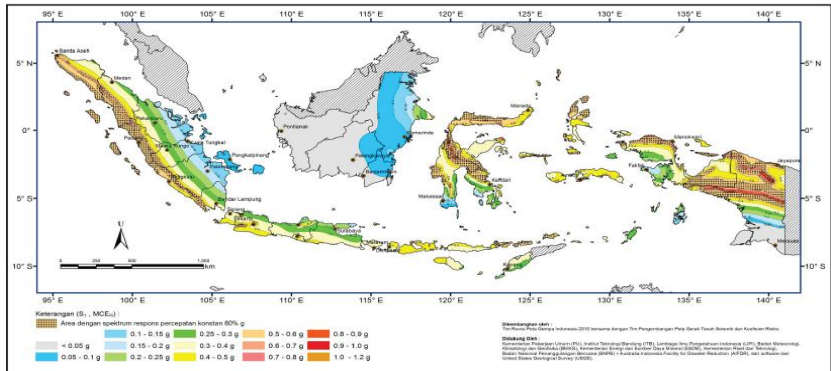


Figure 3.4. S_1 , Seismic maximum that considered risk-targetted (MCE_R), SB site class (source: SNI, 2012)

- calculating the value of S_{MS} (acceleration response spectrum parameter in short period) and S_{M1} (acceleration response spectrum parameter in one second period) by equations as the following

$$S_{MS} = F_a \times S_S \text{ (source: SNI, 2012)}$$

$$S_{M1} = F_v \times S_1 \text{ (source: SNI, 2012)}$$

c. determining the design spectral acceleration parameter

- for S_{DS} value (design spectral acceleration parameter for short period) can be calculated using equation below as following

$$S_{DS} = 2/3 \times S_{MS} \text{ (source: SNI, 2012)}$$

- for S_{D1} value (design spectral acceleration parameter for one second period) can be calculated using equation below as following

$$S_{D1} = 2/3 \times S_{M1} \text{ (source: SNI, 2012)}$$

d. determining design response spectrum

- see SNI (2012) paragraph 6.4 for more detail information about design response spectrum. Equation below shows the way to calculate S_a (design acceleration response spectrum) for the period bigger than T_s , for other S_a value for smaller period than T_0 or period between T_0 and T_s , see SNI (2012) paragraph 6.4

$$S_a = \frac{S_{D1}}{T} \text{ (source: SNI, 2012)}$$

in which T is structure fundamental vibration period, for T value can be calculated using SNI (2012) paragraph 7.8.2.1.

For calculating *base shear*, V , using equation below while calculating distribution of earthquake vertical force using equation 30 until 31 on SNI (2012)

$$V = C_s \times W \text{ (source: SNI, 2012)}$$

in which C_s value is calculated using equation 22 until 25 on SNI (2012), W is building effective seismic weight

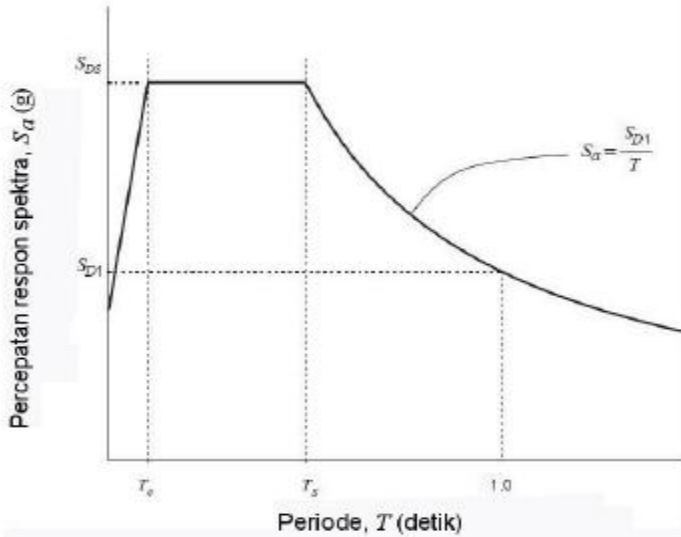


Figure 3.5. The example of design response spectrum chart (source: SNI, 2012)

3.5.4. Wind Load

Surabaya is the area located near the coast. PPIUG (1983) chapter 4 explains about wind load which in PPIUG (1983) paragraph 4.2(2) states that inflatable pressure at sea and seaside until 5 km away from coast shall be taken minimum of 40 kg/m^2 , except that determined in PPIUG (1983) verse (3) and (4) paragraph 4.2.

3.5.5. Load Combinations

In SNI (2013) paragraph 9.2.1 explains about load combination as the following

- $U = 1,4 D$
- $U = 1,2 D + 1,6 L + 0,5 (R \text{ or } L_r)$
- $U = 1,2 D + 1,6 (L_r \text{ or } R) + (1,0 L \text{ or } 0,5 W)$
- $U = 1,2 D + 1,0 W + 1,0 L + 0,5 (L_r \text{ or } R)$
- $U = 1,2 D + 1,0 L \pm 1,0 E$
- $U = 0,9 D + 1,0 W$
- $U = 0,9 D + 1,0 E$

in which D is dead load, L is live load, W is wind load, E is earthquake load (seismic load), L_r is roof load, R is rain load, and U is *ultimate* load.

3.6. Reinforcement of Secondary Structure

For reinforcement of secondary structure, it consists of reinforcement when lifting process, reinforcement before monolith condition, and reinforcement after monolith condition. The secondary structures are slab, secondary beam, and stair.

3.6.1. Reinforcement Due to Lifting Process

The lifting process is important process for precast concrete element. In this chapter the secondary structures which are lifted consists of slab and secondary beam. The reinforcement is needed due to load which retained by precast element reinforcement when lifting process occurred.

3.6.1.1. Slab Element

When lifting process of slab element occurs, it should be considered about permit tension. The permit tension when lifting process of condition when *stripping* process, when *rotating* process, and when *storage* process use the assumption of 3 days concrete age. While the permit tension

when lifting process of condition when *erection* and *turning* process use the assumption of 28 days concrete age. For calculating f'_{ci} and f'_r , use equations below

$$f'_{ci} = \text{coefficient} \times f'_c \text{ (source: PBBI, 1971)}$$

$$f'_r = 0,7 \times \sqrt{f'_{ci}} \text{ (source: PBBI, 1971)}$$

For coefficient value can be seen in PBBI (1971) Table 4.1.4 For designing the reinforcement bar of slab element when lifting process shall be explained generally as the following, for more detail calculation shall be explained on another chapter

a. checking the permit tension when *stripping* process

$$f_t \leq f'_r \text{ (source: PBBI, 1971)}$$

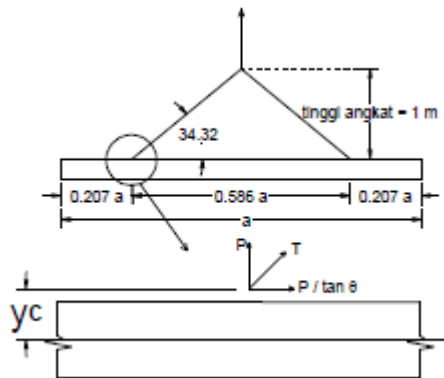


Figure 3.6. The position when lifting process of slab element occurs
(source: Private Documentation)

b. checking the permit tension when *turning* process

$$f_a \leq f'_r \text{ (source: PBBI, 1971)}$$

$$f_b \leq f'_r \text{ (source: PBBI, 1971)}$$

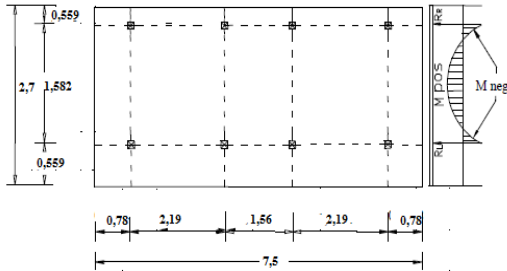


Figure 3.7. The example of lifting bar distance and moment calculation for slab element (source: Private Documentation)

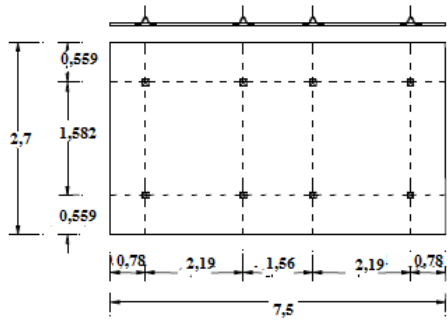


Figure 3.8. The example of result of lifting bar distance for slab element (source: Private Documentation)

c. calculating the strain cable

$$P \leq F_{ijin} \text{ (source: PBBI, 1971)}$$

d. calculating the reinforcement bar and shear connector

$$A_{vmin} \leq \frac{5x b_w}{3x f_y} \text{ (source: SNI, 2013)}$$

3.6.1.2. Secondary Beam Element

Secondary beam element needs to be installed the lifting reinforcement bar so that it shall bear the force and the moment which are produced when lifting process occurs. The steps to design the reinforcement bar generally shall be explained as following, for more detail calculation shall be explain on another chapter

a. calculating moment force when lifting process occurs

$$+M = \frac{WL^2}{8} \left(1 - 4x + \frac{4yc}{L \tan \theta} \right) \text{ (source: PCI, 2004)}$$

$$-M = \frac{WX^2L^2}{2} \text{ (source: PCI, 2010)}$$

b. calculating X (Figure 3.9 and Figure 3.10)

$$X = \frac{1 + \frac{4yc}{L \tan \theta}}{2 \left(1 + \sqrt{1 + \frac{Yt}{Yb} \left(1 + \frac{4yc}{L \tan \theta} \right)} \right)} \text{ (source: PCI, 2004)}$$

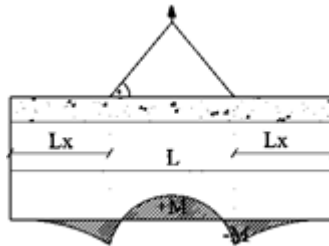


Figure 3.9. The position when lifting process of precast secondary beam occurs (source: Private Documentation)

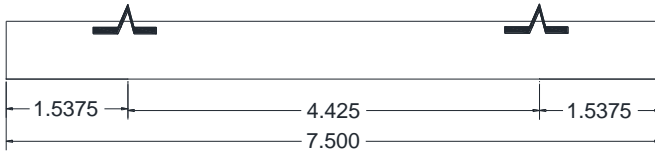


Figure 3.10. The example of result of lifting bar distance for secondary beam element (source: Private Documentation)

c. calculating the reinforcement bar for lifting process

$$\phi_{\text{lifting bar}} \geq \sqrt{\frac{P_u}{\sigma_{\text{permit}} \times \pi}} \quad (\text{source: PBBI, 1971})$$

3.6.2. Reinforcement Before Monolith Condition

The before monolith condition occurs when the *overtopping* concrete is not drying yet and it becomes load to precast concrete element (Figure 3.11 and Figure 3.12). The reinforced elements which will be explained on this chapter are slab, secondary beam, and stair.

3.6.2.1. Slab Element



Figure 3.11. Condition of slab precast element before monolith condition (source: Private Documentation)

The reinforcement of slab includes designing and calculating process of flexural bar of slab, shrinkage bar of slab, divider bar of slab, the length of hook development, and deflection control and crack of slab. For designing and calculating process of flexural bar of slab shall be explained as the following

a. determining the data for designing slab (f'_c , f_y , m , b , d_x , M_u)

- the design criteria for flexural is $\phi Mn \geq Mu$, the value of ϕ shall meet the condition shown in SNI (2013) paragraph 9.3, for clear cover see SNI (2013) paragraph 7.7.1
- for slab's thickness shall meet the condition shown in SNI (2013) Table 9.5(a) and SNI (2013) Table 9.5(c), and SNI (2013) paragraph 9.5.3.3
- the value of M_u shall be calculated based on load calculation result

b. calculating ρ_b and bar ratio ρ_{min}

- for calculating ρ_b using equation

$$\rho_b = \frac{0,85\beta_1 f'_c}{f_y} \left(\frac{600}{600 + f_y} \right) \text{ (source: SNI, 2013) in which}$$

ρ_b is the ratio of A_s to bd which produces balance strain (see SNI, 2013 Enclosure B), β_1 is factor which relates the height of equivalent square compressive stress block with the height of neutral axis (the value of β_1 shall meet the condition in SNI, 2013 paragraph 10.2.7.3)

- for calculating the bar ratio ρ_{min} , its value must not be greater than 0,025 (SNI, 2013 paragraph 21.5.2.1), it must not be greater than 0,75 ρ_b (SNI, 2013 paragraph B.10.3.3), and it must not less than $0,25\sqrt{f'_c}/f_y$. The value of ρ_{min} is taken, whichever the biggest calculation result, as the decisive value

c. calculating the required bar ratio, ρ_{need}

- calculating the value of m using equation below

$$m = \frac{f_y}{0,85 \times f'_c} \text{ (source: SNI, 2013)}$$

- calculating the value of R_n using equation below

$$R_n = \frac{M_u}{\phi \times b \times d^2} \text{ (source: SNI, 2013)}$$

in which the value of ϕ is taken as big as 0.75 (see SNI, 2013 paragraph 9.3.2.2 and SNI, 2013 Figure S9.3.2)

- calculating the value of ρ_{need} using equation below

$$\rho_{perlu} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) \text{ (source: SNI, 2013)}$$

d. calculating the required bar area, A_s ,

and the number of bar, n

- calculating A_s and n using equations below (n is the number of bar)

$$A_s = \rho_{perlu} \times b \times d \text{ (source: SNI, 2013)}$$

$$n = \frac{A_s}{A_{tulangan}} \text{ (source: SNI, 2013)}$$

e. calculating the space between bars, s

- in SNI (2013) paragraph 7.6.5 states that in wall and slab except from concrete secondary beam construction, the main flexural bars shall have spacing not more than thrice of wall's or slab's thickness, or not more than 450 mm

For designing of shrinkage bar shall meet the conditions in SNI (2013) paragraph 7.12.2.1 which states that the area of shrinkage bar shall provide at least having the ratio of bar area to concrete section gross area as the following, but not less than 0,0014

- slab which using spiral bar or welded wire bar with quality 420 MPa should uses minimum ratio value of 0,0018

and the shrinkage bar and temperature bar shall be assembled with spacing not more than five times of slab's thickness, or not more than 450 mm (*see SNI, 2013 paragraph 7.12.2.2*). For divider bar shall use equation below

$$A_s = \frac{0,18 \times b \times h}{100} \text{ (source: SNI, 2013)}$$

in which A_s is the area of bar (note: the spacing between the bar is calculated too)

For the length of hook development shall follow the condition in SNI (2013) paragraph 12.5.1. For checking of deflection shall follow the condition in SNI (2013) paragraph 9.5.3.1 and Table 9.5(b) while for checking of crack of slab shall use the condition in SNI (2013) paragraph 10.6.4 which states that the spacing of nearest bar to tensile surface, s , must not be greater than the value which calculated using equation below

$$s = 380 \left(\frac{280}{f_s} \right) - 2,5c_c \text{ (source: SNI, 2013)}$$

in which the value of s must not be greater than $300 \times (280/f_s)$, and the value of c_c is the shortest distance from the surface of bar or prestressed steel to tensile surface. If there is only one reinforcement bar or the nearest wire to furthest surface, then the value of s shall use the furthest tensile surface width. The stress of bar, f_s , may be taken as $2/3 f_y$.

3.6.2.2. Secondary Beam Element

The reinforcement of secondary beam includes the designing and calculating of flexural bar of secondary beam, the transversal bar of secondary beam, the development of bar, the discontinuation of bar, and checking for torsion. For designing and calculating process of reinforcement bar of secondary beam shall be explained on the next chapter. For designing and calculating process of reinforcement bar of lift beam should be same as secondary beam and/or primary beam.

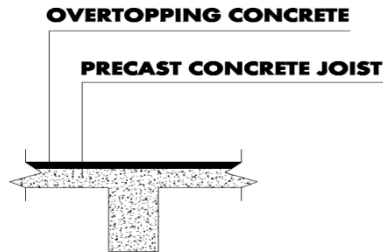


Figure 3.12. Condition of secondary beam precast element before monolith condition
(source: Private Documentation)

3.6.2.3. Stair Element

For reinforcement of stair should be calculated working load in stair first. Then it can be obtained the value of reaction and moment that worked in stair by assuming the support as pins-roller support. For reinforcement of stair, reinforcement of landing plate (*pelat bordes*), reinforcement of *bordes* beam, the calculation processes for all of them are same as steps and calculation of beam and slab. The stair element does not have after/before monolith condition because it is made from *in-situ concrete*.

3.6.3. Reinforcement After Monolith Condition

The after monolith condition occurs when the *overtopping* concrete has dried completely and it bears load together with precast concrete element (Figure 3.13 and Figure 3.14). The reinforced elements which will be explained on this chapter are slab and secondary beam.

3.6.3.1. Slab Element

The designing process of reinforcement of slab element after monolith condition occurs shall be same as previous chapter which already described earlier. Only there are some differences in calculation process which shall be explained later.

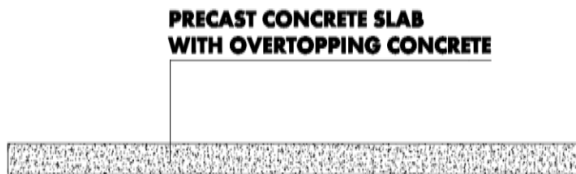


Figure 3.13. Condition of slab precast element after monolith condition
(source: Private Documentation)

3.6.3.2. Secondary Beam Element

The reinforcement of secondary beam includes the designing and calculating of flexural bar of secondary beam, the transversal bar of secondary beam, the development of bar, the discontinuation of bar, and checking for torsion. For designing and calculating process of reinforcement bar of secondary beam shall be explained on the next chapter. The designing process of reinforcement of secondary beam element after monolith condition occurs shall be same as designing process of reinforcement of secondary beam element before monolith condition occurs. Only there are some differences in calculation process which shall be

explained later.

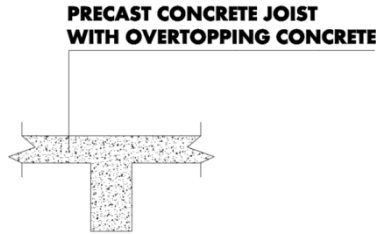


Figure 3.14. Condition of secondary beam precast element after monolith condition
(source: Private Documentation)

3.7. Modeling and Analyzing of Structure

For modeling and analyzing of structure will use SAP 2000[®] programme. Structure will be made like model based on preliminary design and loads. Then it will proceed to running process in order to know the result of structure analysis.

3.8. Reinforcement of Primary Structure

For reinforcement of primary structure, it consists of reinforcement when lifting process, reinforcement before monolith condition, and reinforcement after monolith condition. The primary structures are primary beam, pillar, and shear wall.

3.8.1. Reinforcement Due to Lifting Process

The lifting process is important process for precast concrete element. In this chapter the primary structures which are lifted consists of primary beam only. The reinforcement is needed due to load which retained by precast element reinforcement when lifting process occurred.

3.8.1.1. Primary Beam Element

Primary beam element needs to be installed the lifting reinforcement bar so that it shall bear the force and the moment which are produced when lifting process occurs. The steps to design the reinforcement bar generally shall be explained as following, for more detail calculation shall be explain on another chapter

a. calculating moment force when lifting process occurs

$$+M = \frac{WL^2}{8} \left(1 - 4x + \frac{4yc}{L \tan \theta} \right) \text{ (source: PCI, 2004)}$$

$$-M = \frac{WX^2L^2}{2} \text{ (source: PCI, 2004)}$$

b. calculating X (see Figure 3.15 and Figure 3.16)

$$X = \frac{1 + \frac{4yc}{L \tan \theta}}{2 \left(1 + \sqrt{1 + \frac{Yt}{Yb} \left(1 + \frac{4yc}{L \tan \theta} \right)} \right)} \text{ (source: PCI, 2004)}$$

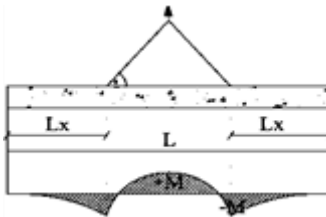


Figure 3.15. The position when lifting process of precast primary beam occurs
(source: Private Documentation)

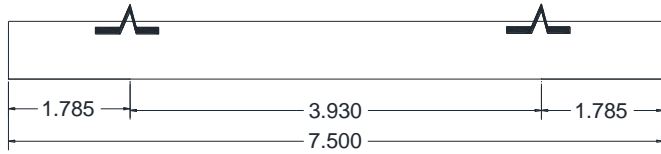


Figure 3.16. The example of result of lifting bar distance for primary beam element (source: Private Documentation)

c. calculating the reinforcement bar for lifting process

$$\phi_{\text{lifting bar}} \geq \sqrt{\frac{P_u}{\sigma_{\text{permit}} \times \pi}} \quad (\text{source: PBBI, 1971})$$

3.8.2. Reinforcement Before Monolith Condition

The before monolith condition occurs when the *overtopping* concrete is not drying yet and it becomes load to precast concrete element (Figure 3.17). The reinforced elements which will be explained on this chapter are primary beam, pillar, and shear wall.

3.8.2.1. Primary Beam Element

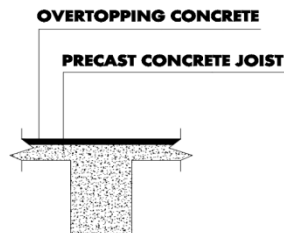


Figure 3.17. Condition of primary beam precast element before monolith condition (source: Private Documentation)

The reinforcement of primary beam includes the designing and calculating of flexural bar of primary beam, the transversal bar of primary beam, the development of bar, the discontinuation of bar, and checking for torsion. For designing and calculating process of flexural bar of primary beam shall be explained as the following

a. determining the data for designing primary beam (f'_c , f_y , m , b , d_x , M_u)

- the design criteria for flexural is $\phi Mn \geq Mu$, the value of ϕ shall meet the condition shown in SNI (2013) paragraph 9.3, for clear cover see SNI (2013) paragraph 7.7.1
- the value of M_u shall be calculated based on load calculation result

b. calculating ρ_b and bar ratio ρ_{min}

- for calculating ρ_b using equation below

$$\rho_b = \frac{0,85\beta_1 f'_c}{f_y} \left(\frac{600}{600 + f_y} \right) \text{ (source: SNI, 2013)}$$

in which ρ_b is the ratio of A_s to bd which produces balance strain (see SNI, 2013 Enclosure B), β_1 is factor which relates the height of equivalent square compressive stress block with the height of neutral axis (the value of β_1 shall meet the condition in SNI, 2013 paragraph 10.2.7.3)

- for calculating the bar ratio ρ_{min} , its value must not be greater than 0,025 (SNI, 2013 paragraph 21.5.2.1), it must not be greater than 0,75 ρ_b (SNI, 2013 paragraph B.10.3.3), and it must not less than $0.25\sqrt{f'_c}/f_y$. The value of ρ_{min} is taken, whichever the biggest calculation result, as the decisive value

c. calculating the required bar ratio, ρ_{need}

- calculating the value of m using equation below

$$m = \frac{f_y}{0,85 \times f'_c} \text{ (source: SNI, 2013)}$$

- calculating the value of R_n using equation below

$$R_n = \frac{M_u}{\phi \times b \times x \times d^2} \text{ (source: SNI, 2013)}$$

in which the value of ϕ is taken as big as 0,75 (see SNI, 2013 paragraph 9.3.2.2 and SNI, 2013 Figure S9.3.2)

- calculating the value of ρ_{need} using equation below

$$\rho_{perlu} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) \text{ (source: SNI, 2013)}$$

d. calculating the required bar area, A_s , and the number of bar, n

- calculating A_s and n using equations below

$$A_s = \rho_{perlu} \times b \times x \times d \text{ (source: SNI, 2013)}$$

$$n = \frac{A_s}{A_{tulangan}} \text{ (source: SNI, 2013)}$$

e. calculating the clear spacing between bars, s

- calculating s using equation below

$$s = \frac{b - n \times \phi - 2d' - 2\phi s}{n - 1} \text{ (source: SNI, 2013)}$$

in which ϕ is the diameter of bar

For designing the transversal bar of primary beam shall follow the condition in SNI (2013) paragraph 11 and should consider the things as the following

a. calculating V_c and V_s

- calculating V_c using equation below

$$V_c = 0,17 \lambda \sqrt{f'_c} \text{ bw d (source: SNI, 2013)}$$

- calculating V_s using equation below

$$V_s \leq 0,66 \sqrt{f'_c} \text{ bw d (source: SNI, 2013)}$$

b. calculating V_n and checking V_n

- calculating V_n using equation below

$$V_n = V_c + V_s \text{ (source: SNI, 2013)}$$

- checking V_n using equation below
 $\phi V_n \geq V_u$ (source: SNI, 2013)

c. calculating the minimum requirement of transversal bar based on the condition in SNI (2013) paragraph 11.4.6. The spacing between transversal bar shall be calculated using equation below

$$s = \frac{A_v \times f_y \times d}{V_s} \text{ (source: SNI, 2013)}$$

and it must not less than $d/4$, $16D$, and 150 mm (*see SNI, 2013 paragraph 21.5.3.2*). For the development of bar shall follow the condition in SNI (2013) paragraph 12.2 until 12.3 and 12.5.

For the discontinuation of bar shall follow the condition in SNI (2013) paragraph 12.12.3 which states that at least a third of total tensile bar which is assembled for negative moment on the support shall has attached/hook length which passing inflection point less than d , $12d_b$, or $\ell_n/16$, whichever is greater value. For checking torsion uses the condition in SNI (2013) paragraph 11.5.1(a). When checking torsion does not meet the condition in the paragraph, then torsion bar shall be assembled. But when checking torsion does meet the condition in the paragraph, then torsion influence can be neglected.

For reinforcement in primary beam on edge shall consider about using *reinforced concrete bearing* if needed (PCI, 2004).

3.8.2.2. Pillar Element

For reinforcement of pillar shall consider the conditions below

a. for calculating the minimum flexural strength of [pillar, it shall meet the condition in SNI (2013) paragraph 21.6.2.1, paragraph 21.6.2.2, and paragraph 21.6.2.3 (for the figure of design of shear for primary beam and pillar see Figure 3.18)

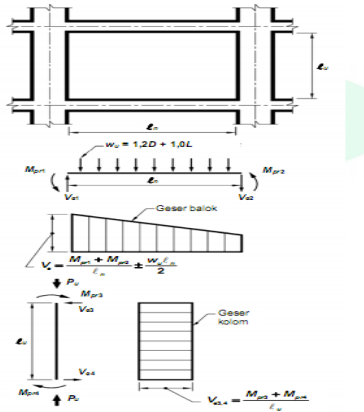


Figure 3.18. Design of shear for primary beam and pillar
(source: SNI, 2013)

NOTE for Figure 3.18:

- the direction of shear force V_e depends on gravity load relative size and shear which produced by edge moments
- edge moments (probable moment), M_{pr} , value based on tensile stress of steel bar as big $1,25f_y$ is assigned yield strength (both of edge moments shall be review in both ways, clockwise or counterclockwise)
- edge moment (probable moment), M_{pr} , value for pillar must not be greater than moments which produced by primary beams M_{pr} value which frame into pillar-beam *joint*, V_e must not less than the value which required by structure analysis

b. for calculating longitudinal bar shall follow the condition in SNI (2013) paragraph 21.6.3. In SNI (2013) paragraph 21.6.3.1 states that the area of longitudinal bar, A_{st} , must not less than $0,01A_g$ or greater than $0,06A_g$. In SNI (2013) paragraph 21.6.3.3 states that the connection throughput allowed only in a half of center length of structure's

component, shall be designed as tensile connection throughout, and shall be surrounded in transversal bar which fulfil the conditions in SNI (2013) paragraph 21.6.4.2 and paragraph 21.6.4.3

c. for the length of spiral bar's development and spiral wire in tensile condition (see verse b above) shall follow the conditions in SNI (2013) paragraph 12.2.2 and paragraph 12.2.3 (see equation below)

$$\ell_d = \frac{f_y}{1,1\lambda\sqrt{f_c}} \frac{\Psi_t\Psi_e\Psi_s}{\left(\frac{c_b + K_{tr}}{d_b}\right)} (d_b) \text{ (source: SNI, 2013)}$$

in which the segment resistant $(c_b + K_{tr})/d_b$ must not greater than 2,5 and the value of K_{tr} is

$$K_{tr} = \frac{40A_{tr}}{sn} \text{ (source: SNI, 2013)}$$

in which n is the number of bars or wires which connected or distributed along furcation area. It is allowed to take $K_{tr} = 0$ as the simplification of design although transversal bar be found
 d. for calculating the need of pillar transversal bar should follow the condition in SNI (2013) paragraph 21.6.4 (Figure 3.19)



Figure 3.19. The example of transversal reinforcement in pillar (source: SNI, 2013)

3.8.2.3. Reinforcement of Shear Wall

For reinforcement of shear wall, it is assumed that it only bear shear force load. For reinforcement of shear wall shall consider the things as the following (*note that the pillar and shear wall element do not have after/before monolith condition because it is made from in-situ concrete*)

a. checking V_n

- according to SNI 2847:2013 paragraph 11.9.3 states that V_n in horizontal section for shear in wall section must not greater than $0,83\sqrt{f'_c}hd$, where h is wall's thickness, and d defined as in paragraph 11.9.4 SNI 2847:2013

b. checking bar layer

- according to SNI 2847:2013 page 197 paragraph 21.9.2.2 states that at least two layers of bar shall be used in a wall if V_u is greater than $0,17A_{cv}\lambda\sqrt{f'_c}$

c. calculating shear reinforcement

- for shear reinforcement shall follow the condition in SNI 2847:2013 paragraph 11.9.9, previously for calculating shear strength shall consider the condition in SNI 2847:2013 paragraph 21.9.4.

3.8.3. Reinforcement After Monolith Condition

The after monolith condition occurs when the *overtopping* concrete has dried completely and it bears load together with precast concrete element (Figure 3.20). The reinforced elements which will be explained on this chapter are only primary beam.

3.8.3.1. Primary Beam Element

The designing process of reinforcement of primary beam element after monolith condition occurs shall be same as designing process of reinforcement of secondary beam element before monolith condition occurs. Only there are some differences in calculation process which shall be explained later.

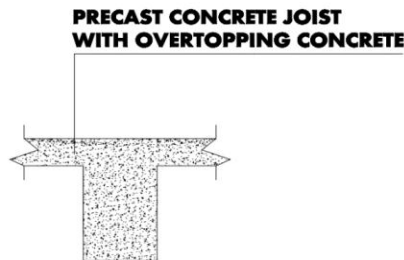


Figure 3.20. Condition of primary beam precast element after monolith condition
(source: Private Documentation)

3.9. Designing of Precast Concrete Elements Connection

For designing of precast concrete elements connection it consists of the connection between precast concrete primary beam and pillar, the connection between precast concrete primary beam and precast concrete secondary beam, and the connection between precast concrete primary beam and precast concrete slab.

a. The connection between precast concrete primary beam and pillar

For the connection between precast concrete primary beam and pillar will use wet connection which the precast concrete primary beam will be supported by the short console on pillar (see Figure 3.21).

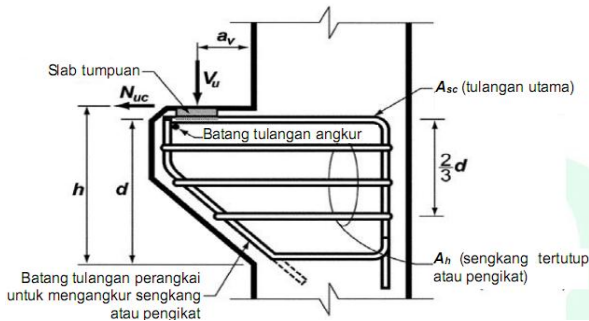


Figure 3.21. Short console on pillar
(source: SNI, 2013)

For the calculation of short console on pillar shall follow the condition in SNI (2013) paragraph 11.8. The length of development of primary beam's bar shall be considered because it will be used as hook. For the length of development of primary beam's bar shall follow the conditions in SNI (2013) paragraph 12.3 and paragraph 12.5. For the connection between precast concrete primary beam

and pillar shall follow the condition in SNI (2013) paragraph 21.8.

b. The connection between precast concrete primary beam and precast concrete secondary beam

For the connection between precast concrete primary beam and precast concrete secondary beam will use wet connection which the secondary beam is supported by short console on primary beam (see Figure 3.22).

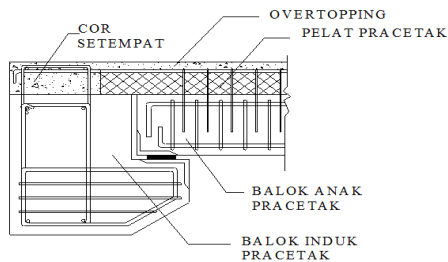


Figure 3.22. The configuration of connection between precast primary beam and precast secondary beam (source: Private Documentation)

For the calculation of short console on primary beam shall follow the condition in SNI (2013) paragraph 11.8. For the length of development of secondary beam's bar shall be considered because it will be used as hook. For the length of development of secondary beam's bar shall follow the condition in SNI (2013) paragraph 12.3 and paragraph 12.5.

c. The connection between precast concrete primary beam and precast concrete slab

For the connection between precast concrete primary beam and precast concrete slab will use slab's studs and *overtopping* which is made of concrete (Figure 3.23). The thickness of *overtopping* is usually between 50-100 mm.

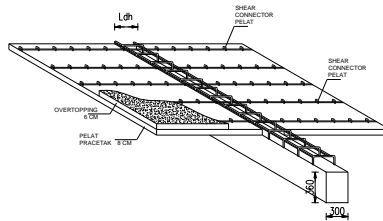


Figure 3.23. The configuration of connection between precast secondary beam and precast slab (source: Private Documentation)

For the calculation of slab's stud shall follow the condition in SNI (2013) paragraph 17.5 and 17.6. For the length of development of secondary beam's bar shall be considered because it will be used as hook. For the length of development of secondary beam's bar shall follow the condition in SNI (2013) paragraph 12.3 and paragraph 12.5 and consider the value of A_{vmin} (see SNI, 2013 paragraph 11.4.6.3). For the development of precast slab's bar shall follow the conditions in SNI (2013) paragraph 12.2 until 12.3 and 12.5. And the requirement of steel bar for bearing friction shear force is calculated using equation below

$$A_{vf} = \frac{Vn}{f_y \cdot \mu} \geq A_{vf} \min \text{ (source: SNI, 2013).}$$

3.9. Designing of Basement's Structure and Foundation

For basement structure the designing process of its elements should be same as slab, secondary beam, primary beam, pillar, and shear wall which have been described in previous chapters. For more detail calculation and designing shall be explained on another chapter (basement structure's elements use in-situ concrete). For foundation's design shall use pile foundation made of precast concrete.

Some of equations which will be used for designing of pile foundation are the following

a. calculating the bearing capacity of pile foundation

- the bearing capacity of pile foundation is calculated using equations below which are introduced by Luciano Decourt (1982) as the following

$$Q_L = Q_S + Q_P$$

(source: Wahyudi, 1999)

$$Q_P = q_P \bullet A_P = (N_P \bullet K) \bullet A_P$$

(source: Wahyudi, 1999)

$$Q_S = q_S \bullet A_S = \left(\frac{N_S}{3} + 1 \right) \bullet A_S$$

(source: Wahyudi, 1999)

in which Q_L is maximum bearing capacity of soil on foundation, Q_P is ultimate resistance in foundation base, Q_S is ultimate resistance due to soil lateral force, N_P is average value of SPT, between 4B above until 4B below pile foundation base (B = diameter of foundation) = $\sum_{i=1}^n Ni/n$, K is characteristic coefficient of soil for silt sand soil as big as 35 t/m², for clay sand soil as big as 30 t/m², for sand clay soil as big as 22 t/m², for silt clay soil as big as 15 t/m², A_P is section area of foundation base, q_P is stress in foundation edge, q_S is stress due to lateral attachment in t/m², N_S is average value of N along the foundation which attached with limitation of $3 \leq N \leq 50$, A_S is perimeter x attached foundation's length (surface area of foundation)

b. calculating the bearing capacity of piles foundation group

- the bearing capacity of piles foundation group is calculated using equation below as following

$$Q_L (\text{group}) = Q_L (1 \text{ pile}) \times n \times C_e$$

(source: Wahyudi, 1999)

in which n is the number of piles in a group. The value of C_e is calculated using equation below which introduced by

Converse-Labarreas following

$$C_e = 1 - \frac{\arctan\left(\frac{\emptyset}{S}\right)}{90^\circ} \cdot \left(2 - \frac{1}{m} - \frac{1}{n}\right)$$

(source: Wahyudi, 1999)

in which \emptyset is the diameter of pile, S is the distance of axis to axis between piles in a group, m is the number of row of piles in a group, n is the number of pillar of piles in a group

c. loads repartition on piles in a group

- if on the piles foundation in group which are connected by *poer* work the vertical loads (V), horizontal loads (H), and moment (M), then the value of equivalent vertical load (P_V) which works in a pile is

$$P_V = \frac{V}{n} \pm \frac{M \cdot x}{\sum x^2} \text{ (source: Wahyudi, 1999)}$$

in which P_V is the value of equivalent vertical load which works in a pile, n is the sum of piles in a group, e is the distance between resultant intersection on *pilecap* base and neutral axis from piles group, x is the distance between a pile and the neutral axis of piles group, the value of x is positive if its direction same as e direction and the value of x is negative if its direction opposite to e , and M is the sum of moment (Figure 3.24).

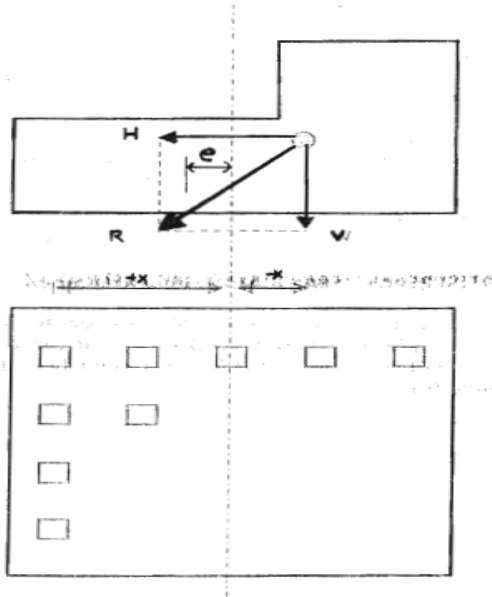


Figure 3.24. Repartition of loads on top of pile foundation group
(source: Wahyudi, 1999)

Beside the calculations above, the calculation of shear in *pilecap* (shear *ponds*), the calculation of *poer*'s bar, and the calculation of sloof beam all of them shall be calculated based on SNI 2847:2013.

3.11. Technical Drawing

For technical drawing, this final project will use AutoCAD 2014[®] programme.

CHAPTER IV CONTENTS

4.1. Preliminary Design

4.1.1. General

Preliminary design of the structure elements in this chapter consists of preliminary design of primary beam, secondary beam, slab, pillar, and shear wall. Note that the structure elements which are precast concrete elements consists of primary beam, secondary beam, and slab. While the structure elements which are cast in place concrete elements consists of pillar, basement structure, and shear wall.

4.1.2. General Data

Before designing the *preliminary design* of structure elements, it should be considered about general data of the building and the list of the load which shall be retained by the building's structure. The general data consists of the modified data of the building which is shown below

- project's name : Hotel Novotel THE SAMATOR Surabaya
- building's function : Hotel
- project's location : Kedungbaruk Road no. 28 Surabaya
- number of storey : 10 storeis and 1 storey of basement
- storey's height including basement) : 4 meters (for all storey
- building's height : 40 meters (from ground surface)
- building's area : 50 x 25 m² (1250 m²)
- building's location : approx. < 5 km (from coast)

- f'_c (28 days) : 30 MPa
- f_y : 390 MPa

4.1.3. List of Loads

The list of loads below are based on PPIUG (1983) and SNI 1727:2013. Exceptionally for earthquake load will follow the conditions which stated in SNI 1726:2012. The earthquake load will be explained later on another chapter. For loads in this final project, the gravity acceleration is assumed as 10 m/s^2 .

1. Static Load

- Dead Load
 - reinforced concrete : 2400 kg/m^3
 - floor covering made from portland cement tile, teraso, and concrete, without mortar, per cm thickness (tegel) : 24 kg/m^2
 - brick wall (1/2 brick) : 250 kg/m^2
 - ceiling (plafond) : 11 kg/m^2
 - plumbing and ducting : 25 kg/m^2
 - mortar (mixture), per cm of thickness (from cement) : 21 kg/m^2
- Live Load
 - house for living (one family and two families) for all room except stair and balcony : $1,92 \text{ kN/m}^2$
 - Flat roof, and/or arch roof : $0,96 \text{ kN/m}^2$
 - Stair and exit way : $4,79 \text{ kN/m}^2$

2. Wind Load

- wind load (approx. < 5 km away from coastal line) : 40 kg/m^2

4.1.4. Preliminary Design of Precast Element

4.1.4.1. Preliminary Design of Precast Primary Beam

In this final project, the rectangular shape will be used for precast primary beam's shape and precast secondary beam's shape. For preliminary design of precast primary beam could consider the conditions which are stated on SNI 2847:2013.

$$h_{\min} = 1/16 \times L_b \text{ (source : SNI, 2013)}$$

in which L_b is the gross span of primary beam (axis to axis)

If f_y value is not same as 420 Mpa, the h_{\min} value must be multiplied by $(0,4 + f_y/700)$ (SNI, 2013). For primary beam width, b , it should be taken as $2/3$ of h_{\min} value.

$$b_{\min} = 2/3 \times h_{\min}$$

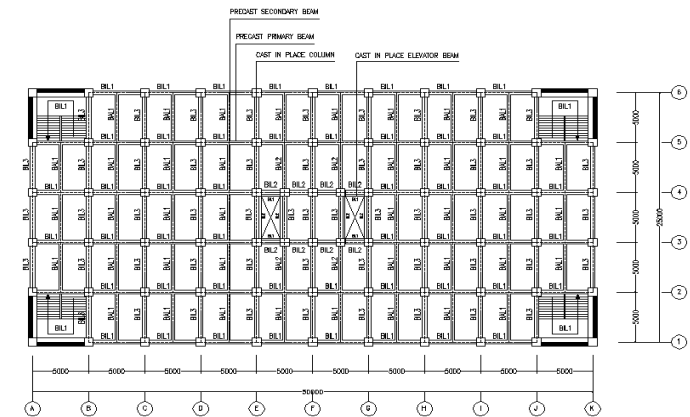


Figure 4.1. The blueprint of beam's design
(source: Private Documentation)

From figure 4.1, it can be determined about the value of L_b which is 5 meter.

$$h_{\min} = 1/16 \times 5 \times (0,4 + 400/700) \text{ m} = 0,303 \text{ m} \approx 65 \text{ cm}$$

$$b_{\min} = 2/3 \times h_{\min} = 2/3 \times 0,303 \text{ m} = 0,202 \text{ m} \approx 40 \text{ cm}$$

The preliminary design of precast primary beam is taken as $h = 65$ cm and $b = 40$ cm. So, the preliminary design of primary beam has met the condition in SNI 2847:2013 (note: the length of transverse primary beam is same as the longitudinal primary beam and the calculation of the dimension does not include *overtopping*).

4.1.4.2. Preliminary Design of Precast Secondary Beam

In this final project, the rectangular shape will be used for precast secondary beam's shape. For *preliminary design* of secondary beam should consider the conditions which are stated in SNI 2847:2013.

$$h_{\min} = 1/21 \times L_b \text{ (source : SNI, 2013)}$$

in which L_b is the gross span of secondary beam (axis to axis)

If f_y value is as not same as 420 Mpa, the h_{\min} value must be multiplied by $(0,4 + f_y/700)$ (SNI, 2013). For secondary beam width, b , it should be taken as $2/3$ of h_{\min} value.

$$b_{\min} = 2/3 \times h_{\min}$$

From figure 4.1, it can be determined about the value of L_b which is 5 meter.

$$h_{\min} = 1/21 \times 5 \times (0,4 + 400/700) \text{ m} = 0,231 \text{ m} \approx 45 \text{ cm}$$

$$b_{\min} = 2/3 \times h_{\min} = 2/3 \times 0,231 \text{ m} = 0,154 \text{ m} \approx 30 \text{ cm}$$

The *preliminary design* of precast secondary beam is taken as $h = 45$ cm and $b = 30$ cm. So, the preliminary design of secondary beam has fulfill the condition in SNI 2847:2013 (note: there is only transverse secondary beam and the calculation of the dimension does not include *overtopping* concrete).

For the recapitulation of precast primary beam and precast secondary beam dimension can be seen on Table 4.1.

Table 4.1. Recapitulation of Precast Primary Beam and Precast Secondary Beam Dimension (Before Monolith Condition)

Code	L_b (m)	h_{min} (cm)	b_{min} (cm)	b_{use} (cm)	h_{use} (cm)	d (mm)	Dimension
Primary Beam (for G floor – 9 th floor)							
BIL1	5	30,3	20,2	40	65	50	40/65
BIL2	2.5	15,2	10,2	40	65	50	40/65
BIL3	5	30,3	20,2	40	65	50	40/65
Secondary Beam (for G floor – 9 th floor)							
BAL1	5	23,1	15,5	30	45	40	30/45
BAL2	5	23,1	15,5	30	45	40	30/45
Primary Beam (for roof)							
BIA1	5	30,3	20,2	40	65	50	40/65
BIA2	2.5	15,2	10,2	40	65	50	40/65
BIA3	5	30,3	20,2	40	65	50	40/65
Secondary Beam (for roof)							
BAA1	5	23,1	15,5	30	45	40	30/45
BAA2	5	23,1	15,5	30	45	40	30/45

4.1.4.3. Preliminary Design of Precast Slab

Preliminary Design of Precast Slab

For *preliminary design* of precast slab will follow the conditions in SNI 2847:2013. The steps of *preliminary design* of precast slab generally will be explained below

1. generating the general data
2. checking β value of slab
3. calculating effective width, b_e
4. calculating α_f and α_{fm} value
5. calculating h_{min}

Generating The General Data

The general data for *preliminary design* of precast slab will be shown below

- precast slab type : LA1 (500 x 250) (Figure 4.2)

- f'_c : 30 MPa
- f_y : 390 MPa
- slab thickness : estimated 15 cm (with *overtopping* concrete)

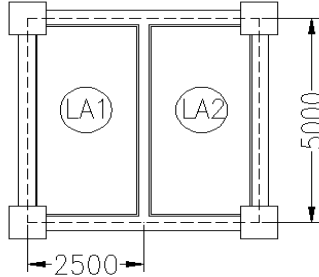


Figure 4.2. The precast slab type LA1 & LA2
(source: Private Documentation)

- $L_n = 500 - (40/2 + 40/2) = 460$ cm
- $S_n = 250 - (40/2 + 30/2) = 215$ cm

Checking β Value of Precast Slab

The β value of precast slab is obtained by dividing the value of L_n by S_n . If β value is greater than 2, then it is one way slab. But if β value is less than 2, then it is two ways slab.

$$\beta = L_n/S_n = 460 \text{ cm}/215 \text{ cm} = 2,139 > 2 \text{ (one way slab)}$$

Calculating Effective Flens Width, b_e

The effective flens width, b_e , shall follow the conditions stated in SNI 2847:2013 which will be explained below (note, use $h_f = 15$ cm).

- for precast interior primary beam/secondary beam (with precast slab)

The shape is T beam (Figure 4.3) which will follow the conditions in SNI 2847:2013.

$$\left. \begin{array}{l} b_e \leq b_w + 2(8h_f) \\ b_e \leq b_w + 2(L_n/2) \end{array} \right\} \text{choose whichever the least value of } b_e$$

(source: SNI, 2013 paragraph 8.12.2)

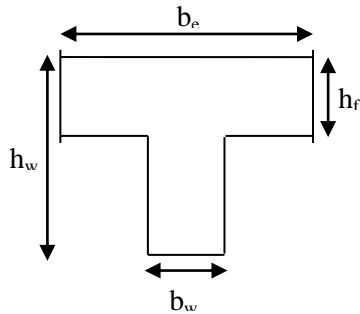


Figure 4.3. The example of precast T beam
(source: Private Documentation)

- for precast exterior primary beam (with precast slab)

The shape is inverted L beam (Figure 4.4) which will follow the conditions in SNI 2847:2013.

$$\left. \begin{array}{l} b_e \leq b_w + (L/12) \\ b_e \leq b_w + (6h_f) \\ b_e \leq b_w + (L_n/2) \end{array} \right\} \text{choose whichever the least value of } b_e$$

(source: SNI, 2013 paragraph 8.12.3)

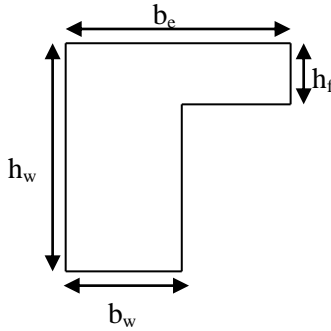


Figure 4.4. The example of precast inverted L beam
(source: Private Documentation)

1. for precast primary beam (assumed in monolith condition)
 - 1.1. precast interior primary beam 40/65, L (axis to axis) = 500 cm (Figure 4.5)

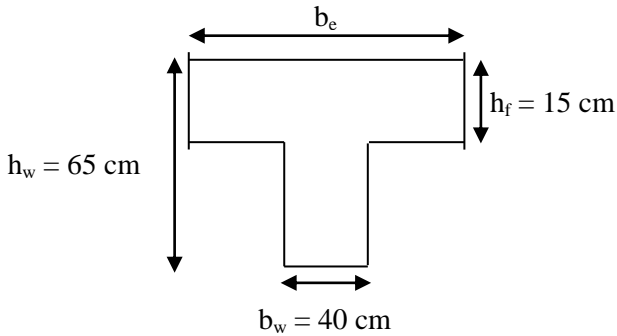


Figure 4.5. The dimension of precast floor T beam
(source: Private Documentation)

$$b_e \leq 40 + 2(8 \times 15) = 280 \text{ cm}$$

$$b_e \leq 40 + 2(460/2) = 500 \text{ cm}$$

use b_e value 280 cm

- 1.2. precast exterior primary beam 40/65, L (axis to axis)

axis) = 500 cm (Figure 4.6)

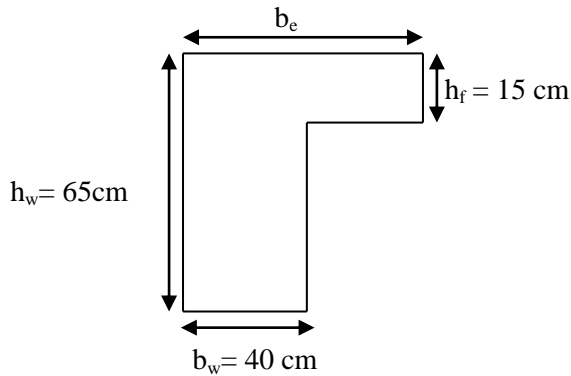


Figure 4.6. The dimension of precast inverted floor L beam
(source: Private Documentation)

$$b_e \leq 40 + (500/12) = 81,667 \text{ cm}$$

$$b_e \leq 40 + (6 \times 15) = 130 \text{ cm}$$

$$b_e \leq 40 + (460/2) = 270 \text{ cm}$$

use b_e value 81.667 cm

2. for precast secondary beam (assumed in monolith condition)

2.1. precast interior secondary beam 30/45, L (axis to axis) = 500 cm (Figure 4.7)

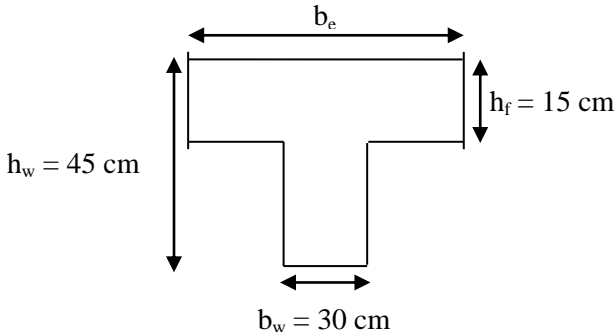


Figure 4.7. The dimension of precast floor T secondary beam
(source: Private Documentation)

$$b_e \leq 30 + 2(8 \times 15) = 270 \text{ cm}$$

$$b_e \leq 30 + 2(460/2) = 490 \text{ cm}$$

use b_e value 270 cm

Calculating α_f and α_{fm} Value

The α_f value is obtained by using equation below

$$\alpha_f = \frac{E_{beam}}{E_{slab}} \times \frac{I_{beam}}{I_{slab}}$$

in which E_{beam} and E_{slab} is the value of elasticity modulus which taken as $4700\sqrt{f'_c}$. While the value of α_{fm} is obtained from mean value of α_f .

The value of I_{beam} and I_{slab} is obtained by using equations below

$$I_{beam} = 1/12 \times b_w \times h_w^3 \times k$$

$$I_{slab} = 1/12 \times L \times h_f^3$$

in which the shape of beam is T beam so it needs to be multiplied by k . L is the value of span of beam.

$$k = \frac{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right) \left[4 - 6 \left(\frac{hf}{hw}\right) + 4 \left(\frac{hf}{hw}\right)^2 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)^3 \right]}{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)}$$

1. α_f value for precast primary beam (assumed in monolith condition)

1.1. precast interior primary beam 40/65, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{280}{40} - 1\right) \left(\frac{15}{65}\right) \left[4 - 6 \left(\frac{15}{65}\right) + 4 \left(\frac{15}{65}\right)^2 + \left(\frac{280}{40} - 1\right) \left(\frac{15}{65}\right)^3 \right]}{1 + \left(\frac{280}{40} - 1\right) \left(\frac{15}{65}\right)}$$

$$k = 2,902$$

$$I_{\text{beam}} = 1/12 \times 40 \times 65^3 \times 2,902 \text{ cm}^4 = 2656666,67 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 15^3 \text{ cm}^4 = 140625 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{2656666,67 \text{ cm}^4}{140625 \text{ cm}^4} = 18,89$$

1.2. precast eksterior primary beam 40/65, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{81.667}{40} - 1\right) \left(\frac{15}{65}\right) \left[4 - 6 \left(\frac{15}{65}\right) + 4 \left(\frac{15}{65}\right)^2 + \left(\frac{81.667}{40} - 1\right) \left(\frac{15}{65}\right)^3 \right]}{1 + \left(\frac{81.667}{40} - 1\right) \left(\frac{15}{65}\right)}$$

$$k = 2,84$$

$$I_{\text{beam}} = 1/12 \times 40 \times 65^3 \times 2,84 \text{ cm}^4 = 2600885,417 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 15^3 \text{ cm}^4 = 140625 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{2600885,417 \text{ cm}^4}{140625 \text{ cm}^4} = 18,49$$

2. α_f value for precast secondary beam (assumed in monolith condition)

2.1. precast interior secondary beam 30/45, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{270}{30} - 1\right) \left(\frac{15}{45}\right) \left[4 - 6 \left(\frac{15}{45}\right) + 4 \left(\frac{15}{45}\right)^2 + \left(\frac{270}{30} - 1\right) \left(\frac{15}{45}\right)^3 \right]}{1 + \left(\frac{270}{30} - 1\right) \left(\frac{15}{45}\right)}$$

$$k = 2,741$$

$$I_{\text{beam}} = 1/12 \times 30 \times 45^3 \times 2,741 \text{ cm}^4 = 624375 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 15^3 \text{ cm}^4 = 140625 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{624375 \text{ cm}^4}{140625 \text{ cm}^4} = 4,44$$

$$\alpha_{fm} = \frac{18,89 + 18,49 + 4,44}{3} = 13,942 > 2$$

Calculating h_{\min}

For α_{fm} which has greater value than 2,0, the minimum thickness of slab must not less than

$$h = \frac{\ell_n \left(0,8 + \frac{f_y}{1400}\right)}{36 + 9\beta}$$

and must not less than 90 mm

$$h = \frac{460 \left(0,8 + \frac{400}{1400}\right)}{36 + 9 \times 2,139} \times \left(0,4 + \frac{400}{700}\right) = 8,780 \text{ cm} \approx 9 \text{ cm}$$

The previous h value of precast slab is 15 cm, which fulfill the condition in SNI 2847:2013 about minimum thickness of slab. So, the h value of slab which will be used is 15 cm for G floor – 9th floor, it consists of 10 cm of slab precast concrete and 5 cm of *overtopping* concrete.

Preliminary Design of Precast Slab (for roof)

For *preliminary design* of precast slab will follow the conditions in SNI 2847:2013. The steps of *preliminary design* of precast slab generally will be explained below

1. generating the general data
2. checking β value of slab
3. calculating effective width, b_e
4. calculating α_f and α_{fm} value
5. calculating h_{min}

Generating The General Data

The general data for *preliminary design* of precast slab will be shown below

- precast slab type : AA1 (500 x 250) (Figure 4.8)
- f'_c : 30 Mpa
- f_y : 390 Mpa
- slab thickness : estimated 14 cm (with *overtopping* concrete)

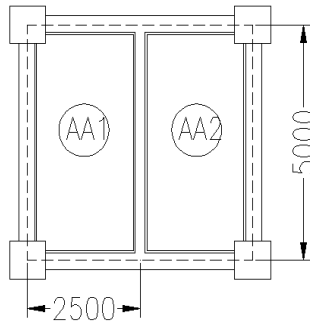


Figure 4.8. The precast slab type AA1 & AA2
(source: Private Documentation)

- $L_n = 500 - (40/2 + 40/2) = 460 \text{ cm}$
- $S_n = 250 - (40/2 + 30/2) = 215 \text{ cm}$

Checking β Value of Precast Slab

The β value of precast slab is obtained by dividing the value of L_n by S_n . If β value is greater than 2, then it is one way slab. But if β value is less than 2, then it is two ways slab.

$$\beta = L_n/S_n = 460 \text{ cm}/215 \text{ cm} = 2,139 > 2 \text{ (one way slab)}$$

Calculating Effective Flens Width, b_e

1. for precast primary beam (assumed in monolith condition)

1.1. precast interior primary beam 40/65, L (axis to axis) = 500 cm (Figure 4.9)

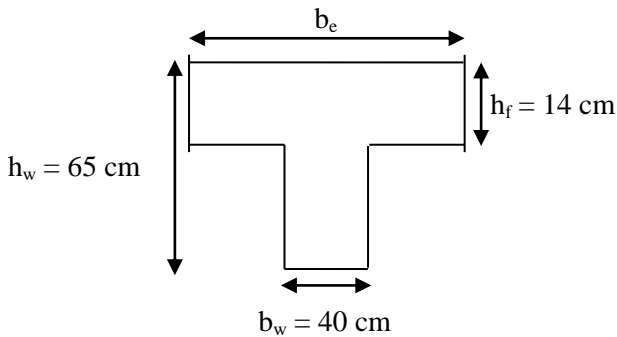


Figure 4.9. The dimension of precast roof T beam
(source: Private Documentation)

$$b_e \leq 40 + 2(8 \times 14) = 264 \text{ cm}$$

$$b_e \leq 40 + 2(460/2) = 500 \text{ cm}$$

use b_e value 248 cm

1.2. precast ekterior primary beam 40/65, L (axis to axis) = 500 cm (Figure 4.10)

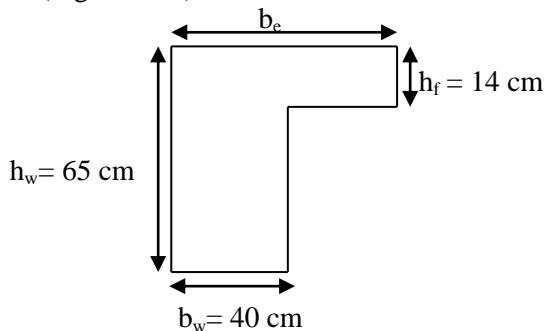


Figure 4.10. The dimension of precast inverted roof L beam
(source: Private Documentation)

$$b_e \leq 40 + (500/12) = 81,667 \text{ cm}$$

$$b_e \leq 40 + (6 \times 14) = 124 \text{ cm}$$

$$b_e \leq 40 + (460/2) = 270 \text{ cm}$$

use b_e value 81.667 cm

2. for precast secondary beam (assumed in monolith condition)

2.1. precast interior secondary beam 30/45, L (axis to axis) = 500 cm (Figure 4.11)

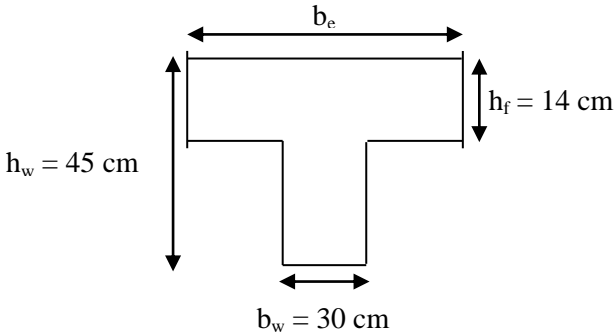


Figure 4.11. The dimension of precast roof T secondary beam (source: Private Documentation)

$$b_e \leq 30 + 2(8 \times 14) = 254 \text{ cm}$$

$$b_e \leq 30 + 2(460/2) = 490 \text{ cm}$$

use b_e value 238 cm

Calculating α_f and α_{fm} Value

The α_f value is obtained by using equation below

$$\alpha_f = \frac{E_{beam}}{E_{slab}} \times \frac{I_{beam}}{I_{slab}}$$

in which E_{beam} and E_{slab} is the value of elasticity modulus which taken as $4700\sqrt{f'_c}$. While the value of α_{fm} is obtained from mean value of α_f .

The value of I_{beam} and I_{slab} is obtained by using

equations below

$$I_{\text{beam}} = 1/12 \times b_w \times h_w^3 \times k$$

$$I_{\text{slab}} = 1/12 \times L \times h_f^3$$

in which the shape of beam is T beam so it needs to be multiplied by k. L is the value of span of beam.

$$k = \frac{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right) \left[4 - 6 \left(\frac{hf}{hw}\right) + 4 \left(\frac{hf}{hw}\right)^2 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)^3 \right]}{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)}$$

1. α_f value for precast primary beam (assumed in monolith condition)

1.1. precast interior primary beam 40/65, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{248}{40} - 1\right) \left(\frac{14}{65}\right) \left[4 - 6 \left(\frac{14}{65}\right) + 4 \left(\frac{14}{65}\right)^2 + \left(\frac{248}{40} - 1\right) \left(\frac{14}{65}\right)^3 \right]}{1 + \left(\frac{248}{40} - 1\right) \left(\frac{14}{65}\right)}$$

$$k = 2,949$$

$$I_{\text{beam}} = 1/12 \times 40 \times 65^3 \times 2,949 \text{ cm}^4 = 2699754,667 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 14^3 \text{ cm}^4 = 114333,333 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{2699754,667 \text{ cm}^4}{114333,333 \text{ cm}^4} = 23,613$$

1.2. precast eksterior primary beam 40/65, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{81.667}{40} - 1\right) \left(\frac{14}{65}\right) \left[4 - 6 \left(\frac{14}{65}\right) + 4 \left(\frac{14}{65}\right)^2 + \left(\frac{81.667}{40} - 1\right) \left(\frac{14}{65}\right)^3 \right]}{1 + \left(\frac{81.667}{40} - 1\right) \left(\frac{14}{65}\right)}$$

$$k = 2,903$$

$$I_{\text{beam}} = 1/12 \times 40 \times 65^3 \times 2,903 \text{ cm}^4 = 2658061,111 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 14^3 \text{ cm}^4 = 114333,333 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{2658061,111 \text{ cm}^4}{114333,333 \text{ cm}^4} = 23,24$$

2. α_f value for precast secondary beam (assumed in monolith condition)

2.1. precast interior secondary beam 30/45, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{238}{30} - 1\right) \left(\frac{14}{45}\right) \left[4 - 6 \left(\frac{14}{45}\right) + 4 \left(\frac{14}{45}\right)^2 + \left(\frac{238}{30} - 1\right) \left(\frac{14}{45}\right)^3 \right]}{1 + \left(\frac{238}{30} - 1\right) \left(\frac{14}{45}\right)}$$

$$k = 2,745$$

$$I_{\text{beam}} = 1/12 \times 30 \times 45^3 \times 2,745 \text{ cm}^4 = 625421,33 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 14^3 \text{ cm}^4 = 114333,333 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{625421,33 \text{ cm}^4}{114333,333 \text{ cm}^4} = 5,47$$

$$\alpha_{\text{fm}} = \frac{23,613 + 23,24 + 5,47}{3} = 17,44 > 2$$

Calculating h_{\min}

For α_{jm} which has greater value than 2.0, the minimum thickness of slab must not less than

$$h = \frac{\ell_n \left(0,8 + \frac{f_y}{1400}\right)}{36 + 9\beta}$$

and must not less than 90 mm

$$h = \frac{460 \left(0,8 + \frac{400}{1400}\right)}{36 + 9 \times 2,139} \times \left(0,4 + \frac{400}{700}\right) = 8,7802 \text{ cm} \approx 9 \text{ cm}$$

The previous h value of precast slab is 14 cm, which fulfill the condition in SNI 2847:2013 about minimum thickness of slab. So, the h value of slab which will be used is 13 cm for roof, it consists of 9 cm of slab precast concrete and 5 cm of *overtopping* concrete. For the recapitulation of precast slab dimension of precast element can be seen on Table 4.2.

Table 4.2. Recapitulation of Precast Slab Dimension
(monolit)

Code/Type	P	L	Ln	Sn	β	h_{\min}	h_{use}
	(cm)	(cm)	(cm)	(cm)		(cm)	(cm)
Slab (for G floor – 9 th floor)							
LA1/one way slab	500	250	460	215	2,139	9	15
LA2/one way slab	500	250	460	215	2,139	9	15
LB1/one way slab	500	250	460	215	2,139	9	15
LB2/one way slab	500	250	460	215	2,139	9	15
LB3/one way slab	500	250	460	215	2,139	9	15
LB4/one way slab	500	250	460	215	2,139	9	15
LC1/one way slab	500	250	460	215	2,139	9	15
Slab (for roof)							
AA1/one way slab	500	250	460	215	2,139	9	14
AA2/one way slab	500	250	460	215	2,139	9	14
AB1/one way slab	500	250	460	215	2,139	9	14
AB2/one way slab	500	250	460	215	2,139	9	14
AB3/one way slab	500	250	460	215	2,139	9	14
AB4/one way slab	500	250	460	215	2,139	9	14
AC1/one way slab	500	250	460	215	2,139	9	14

4.1.5. Preliminary Design of Basement's Structure

4.1.5.1. Preliminary Design of Basement Primary Beam

In this final project, the rectangular shape will be used for basement primary beam's shape and basement secondary beam's shape. For preliminary design of basement primary beam should consider the conditions which are stated in SNI 2847:2013.

$$h_{\min} = 1/16 \times L_b \text{ (source : SNI, 2013)}$$

in which L_b is the gross span of beam

If f_y value is not same as 420 Mpa, the h_{\min} value must be multiplied by $(0,4 + f_y/700)$ (SNI, 2013). For primary beam width, b , it should be taken as $2/3$ of h_{\min} value.

$$h_{\min} = 1/16 \times 5 \times (0,4 + 400/700) \text{ m} = 0,303 \text{ m} \approx 80 \text{ cm}$$

$$b_{\min} = 2/3 \times h_{\min} = 2/3 \times 0,303 \text{ m} = 0,202 \text{ m} \approx 65 \text{ cm}$$

The preliminary design of basement primary beam is taken as $h = 80 \text{ cm}$ and $b = 65 \text{ cm}$. So, the preliminary design of basement primary beam has met the condition in SNI 2847:2013 (note: the length of basement transverse primary beam is same as the basement longitudinal primary beam).

4.1.5.2. Preliminary Design of Basement Secondary Beam

In this final project, the rectangular shape will be used for basement secondary beam's shape. For preliminary design of basement secondary beam should consider the conditions which are stated in SNI 2847:2013.

$$h_{\min} = 1/21 \times L_b \text{ (source : SNI, 2013)}$$

in which L_b is the gross span of secondary beam

If f_y value is as not same as 420 Mpa, the h_{\min} value must be multiplied by $(0,4 + f_y/700)$ (SNI, 2013). For secondary beam width, b , it should be taken as $2/3$ of h_{\min} value.

$$b_{\min} = 2/3 \times h_{\min}$$

$$h_{\min} = 1/21 \times 5 \times (0,4 + 400/700) \text{ m} = 0,231 \text{ m} \approx 70 \text{ cm}$$

$$b_{\min} = 2/3 \times h_{\min} = 2/3 \times 0,231 \text{ m} = 0,154 \text{ m} \approx 50 \text{ cm}$$

The preliminary design of basement secondary beam

is taken as $h=70$ cm and $b=50$ cm. So, the preliminary design of basementsecondary beam has fulfill the condition in SNI 2847:2013 (note: there is only basementtransverse secondary beam). For the recapitulation of basementprimary beam and basementsecondary beam dimension can be seen on Table 4.3.

Table 4.3. Recapitulation of Basement Primary Beam and Basement Secondary Beam Dimension

Code	L_b (m)	h_{min} (cm)	b_{min} (cm)	b_{use} (cm)	h_{use} (cm)	d (mm)	Dimension
Primary Beam (for LG/Basement floor)							
BIB1	5	30,3	20,2	65	80	50	65/80
BIB2	2,5	15,2	10,2	65	80	50	65/80
BIB3	5	30,3	20,2	65	80	50	65/80
BIB4	2,5	15,2	10,2	40	80	50	40/80
BIB5	5	30,3	20,2	40	80	50	40/80
Secondary Beam (for LG/Basement floor)							
BAB1	5	23,1	15,5	50	70	50	50/70
BAB2	5	23,1	15,5	50	70	50	50/70

4.1.5.3. Preliminary Design of Basement Slab

For preliminary design of basement slab will follow the conditions in SNI 2847:2013. The steps of preliminary design of basement slab generally will be explained below

1. generating the general data
2. checking β value of slab
3. calculating effective width, b_e
4. calculating α_f and α_{fm} value
5. calculating h_{min}

Generating The General Data

The general data for preliminary design of basementslab will be shown below

- basement slab type : A (500 x 250)

- f'_c : 30 MPa
- f_y : 390 MPa
- slab thickness : estimated 20 cm

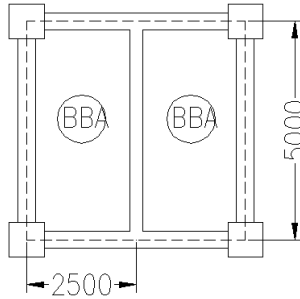


Figure 4.12. The precast slab type BBA
(source: Private Documentation)

- $L_n = 500 - (65/2 + 65/2) = 435$ cm
- $S_n = 250 - (50/2 + 65/2) = 192,5$ cm

Checking β Value of Precast Slab

The β value of basement slab is obtained by dividing the value of L_n by S_n . If β value is greater than 2, then it is one way slab. But if β value is less than 2, then it is two ways slab.

$$\beta = L_n/S_n = 435 \text{ cm}/192,5 \text{ cm} = 2,25 > 2 \text{ (one way slab)}$$

Calculating Effective Flens Width, b_e

1. for basement primary beam

1.1. basement interior primary beam 65/80, L (axis toaxis) = 500 cm (Figure 4.13)

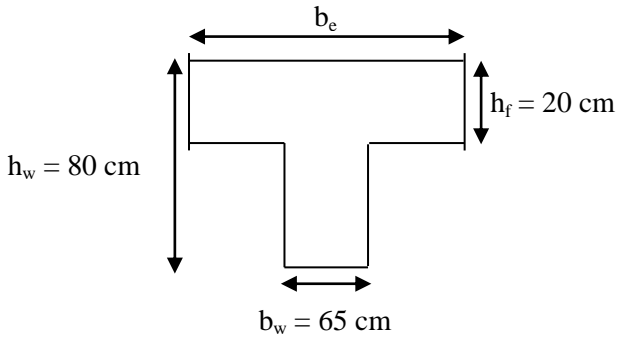


Figure 4.13. The dimension of basement T beam
(source: Private Documentation)

$$b_e \leq 65 + 2(8 \times 20) = 385 \text{ cm}$$

$$b_e \leq 65 + 2(435/2) = 500 \text{ cm}$$

use b_e value 385 cm

1.2. basement eksterior primary beam 65/80, L (axis to axis) = 500 cm (Figure 4.14)

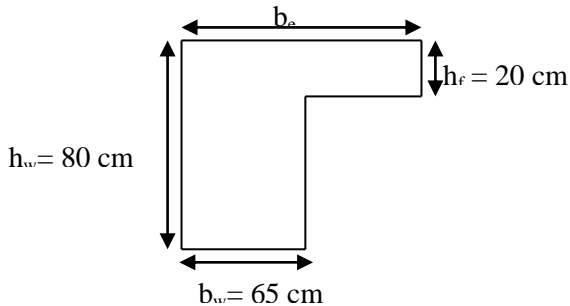


Figure 4.14. The dimension of basement inverted L beam
(source: Private Documentation)

$$b_e \leq 65 + (500/12) = 106,667 \text{ cm}$$

$$b_e \leq 65 + (6 \times 20) = 185 \text{ cm}$$

$$b_e \leq 65 + (435/2) = 282,5 \text{ cm}$$

use b_e value 106,667 cm

2. for basement secondary beam

2.1. basement interior secondary beam 50/70, L (axis to axis) = 500 cm (Figure 4.15)

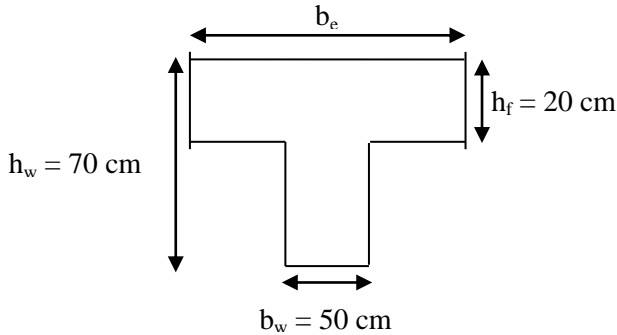


Figure 4.15. The dimension of basement T secondary beam (source: Private Documentation)

$$b_e \leq 50 + 2(8 \times 20) = 370 \text{ cm}$$

$$b_e \leq 50 + 2(435/2) = 485 \text{ cm}$$

use b_e value 370 cm

Calculating α_f and α_{fm} Value

The α_f value is obtained by using equation below

$$\alpha_f = \frac{E_{beam}}{E_{slab}} \times \frac{I_{beam}}{I_{slab}}$$

in which E_{beam} and E_{slab} is the value of elasticity modulus which taken as $4700\sqrt{f'_c}$. While the value of α_{fm} is obtained from mean value of α_f .

The value of I_{beam} and I_{slab} is obtained by using equations below

$$I_{beam} = 1/12 \times b_w \times h_w^3 \times k$$

$$I_{slab} = 1/12 \times L \times h_f^3$$

in which the shape of beam is T beam so it needs to be multiplied by k. L is the value of span of beam.

$$k = \frac{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right) \left[4 - 6 \left(\frac{hf}{hw}\right) + 4 \left(\frac{hf}{hw}\right)^2 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)^3 \right]}{1 + \left(\frac{be}{bw} - 1\right) \left(\frac{hf}{hw}\right)}$$

1. α_f value for basement primary beam

1.1. basement interior primary beam 65/80, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{385}{65} - 1\right) \left(\frac{20}{80}\right) \left[4 - 6 \left(\frac{20}{80}\right) + 4 \left(\frac{20}{80}\right)^2 + \left(\frac{385}{65} - 1\right) \left(\frac{20}{80}\right)^3 \right]}{1 + \left(\frac{385}{65} - 1\right) \left(\frac{20}{80}\right)}$$

$$k = 2,827$$

$$I_{\text{beam}} = 1/12 \times 65 \times 80^3 \times 2,827 \text{ cm}^4 = 7840000 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 20^3 \text{ cm}^4 = 333333,33 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{7840000 \text{ cm}^4}{333333,33 \text{ cm}^4} = 23,52$$

1.2. basement exterior primary beam 65/80, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{106,667}{65} - 1\right) \left(\frac{20}{80}\right) \left[4 - 6 \left(\frac{20}{80}\right) + 4 \left(\frac{20}{80}\right)^2 + \left(\frac{106,667}{65} - 1\right) \left(\frac{20}{80}\right)^3 \right]}{1 + \left(\frac{106,667}{65} - 1\right) \left(\frac{20}{80}\right)}$$

$$k = 2,760$$

$$I_{\text{beam}} = 1/12 \times 65 \times 80^3 \times 2,760 \text{ cm}^4 = 7654444,444 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 20^3 \text{ cm}^4 = 333333,33 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{7654444,444 \text{ cm}^4}{333333,33 \text{ cm}^4} = 22,963$$

2. α_f value for basement secondary beam

2.1. basement interior secondary beam 50/70, L (axis to axis) = 500 cm

$$k = \frac{1 + \left(\frac{370}{50} - 1\right) \left(\frac{20}{70}\right) \left[4 - 6 \left(\frac{20}{70}\right) + 4 \left(\frac{20}{70}\right)^2 + \left(\frac{370}{50} - 1\right) \left(\frac{20}{70}\right)^3 \right]}{1 + \left(\frac{370}{50} - 1\right) \left(\frac{20}{70}\right)}$$

$$k = 2,762$$

$$I_{\text{beam}} = 1/12 \times 50 \times 70^3 \times 2,762 \text{ cm}^4 = 3946666,7 \text{ cm}^4$$

$$I_{\text{slab}} = 1/12 \times 500 \times 20^3 \text{ cm}^4 = 333333,33 \text{ cm}^4$$

$$E_{\text{beam}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$E_{\text{slab}} = 4700\sqrt{30} \text{ MPa} = 25742,96 \text{ MPa}$$

$$\alpha_f = \frac{25742,96 \text{ MPa}}{25742,96 \text{ MPa}} \times \frac{3946666,7 \text{ cm}^4}{333333,33 \text{ cm}^4} = 11,84$$

$$\alpha_{fm} = \frac{23,52 + 22,963 + 11,84}{3} = 19,4411 > 2$$

Calculating h_{min}

For α_{fm} which has greater value than 2.0, the minimum thickness of slab must not less than

$$h = \frac{\ell_n \left(0,8 + \frac{f_y}{1400}\right)}{36 + 9\beta}$$

and must not less than 90 mm

$$h = \frac{460 \left(0,8 + \frac{400}{1400}\right)}{36 + 9 \times 2,25} \times \left(0,4 + \frac{400}{700}\right) = 8,14 \text{ cm} \approx 9 \text{ cm}$$

The previous h value of basement slab is 20 cm, which fulfill

the condition in SNI 2847:2013 about minimum thickness of slab. So, the h value of slab which will be used is 20 cm for basement. For the recapitulation of basement slab dimension can be seen on Table 4.4.

Table 4.4. Recapitulation of Basement Slab Dimension

Code/Type	P	L	Ln	Sn	β	h_{\min}	h_{use}
	(cm)	(cm)	(cm)	(cm)		(cm)	(cm)
Slab (for LG/Basement floor)							
BBA/one way slab	500	250	435	192,5	2,25	9	20
BBB/one way slab	500	250	445	192,5	2,31	9	20
BBC/one way slab	500	250	435	192,5	2,25	9	20
BBD/one way slab	500	250	435	200,2	2,22	9	20
BBE/one way slab	500	250	435	197,5	2,25	9	20

4.1.6. Preliminary Design of Pillar

Pillar has to bear the axial load and maximum moment from the axial load which is located on nearest span from the pillar. It is assumed that the area which its loads and moment retained by one pillar as 500 cm x 500 cm area (note b pillar's early dimension is 900 mm x 900 mm). The pillar itself, which will be used for preliminary design calculation, is pillar C3 (Figure 4.16) because it is assumed to bear the maximum loads and moment.

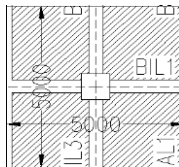


Figure 4.16. The area of loads of one pillar
(source: Private Documentation)

The list of axial loads which retained by pillar C3 (pillar C3 is located on LG floor/basement) are shown below

1. dead load (1st floor – 9th floor)

slab	: 5x5x0,15x2400x9 kg	= 81000 kg
primary beam		
transversal	: 0,4x0,8x5x2400x9 kg	=34560 kg
longitudinal	: 0,4x0,8x5x2400x9 kg	=34560 kg
secondary beam		
transversal	:2x0,3x0,6x5x2400x9 kg	= 38880 kg
pillar	: 0,9x0,9x4x2400x9 kg	=69984 kg
brick	: 5x5x250x9 kg	= 56250 kg
ceiling (plafond)	: 5x5x11x9 kg	= 2475 kg
hanger	: 5x5x7x9 kg	= 1575 kg
plumbing and ducting	: 5x5x25x9 kg	= 5625 kg
sanitary	: 5x5x20x9 kg	= 4500 kg
mortar mixture (spesi 2cm)	: 5x5x2x21x9 kg	= 9450 kg
tile (1 cm)	: 5x5x24x9 kg	= 5400 kg
DL (total)	:	= 344259 kg

2. live load (1st floor – 9th floor)

floor	: 5x5x1,92 kN/m ² x9 kg	= 48000 kg
LL (total)	:	= 48000 kg

3. dead load (G floor)

slab	: 5x5x0,15x2400x1 kg	= 9000 kg
primary beam		
transversal	: 0,4x0,8x5x2400x1 kg	= 3840 kg
longitudinal	: 0,6x0,8x5x2400x1 kg	= 3840 kg
secondary beam		
transversal	: 2x0,3x0,6x5x2400x1 kg	= 4320 kg
pillar	: 0,9x0,9x4x2400x1 kg	= 7776 kg
brick	: 5x5x250x1 kg	= 6250 kg

plumbing and		
ducting	: 5x5x25x1 kg	= 625 kg
sanitary	: 5x5x20x1 kg	= 500 kg
mortar mixture	: 5x5x2x21x1 kg	= 1050 kg
(spesi 2cm)		
tile (1 cm)	: 5x5x24x1 kg	= 600 kg
DL (total)	:	= 37201 kg

4. live load (G floor)

floor	: 5x5x1,92 kN/m ² x1 kg	= 4800 kg
LL (total)	:	= 4800 kg

5. dead load (roof)

slab	: 5x5x0,14x2400x1 kg	= 8400 kg
primary beam		
transversal	: 0,4x0,8x5x2400x1 kg	= 3840 kg
longitudinal	: 0,4x0,8x5x2400x1 kg	= 3840 kg
secondary beam		
transversal	: 2x0,3x0,6x5x2400x1 kg	= 4320 kg
ceiling	: 5x5x11x1 kg	= 275 kg
(plafond)		
hanger	: 5x5x7x1 kg	= 175 kg
plumbing and		
ducting	: 5x5x25x1 kg	= 625 kg
asphalt (1 cm)	: 5x5x14x1 kg	= 350 kg
mortar mixture	: 5x5x2x21x1 kg	= 1050 kg
(spesi 2cm)		
DL (total)	:	= 22875 kg

6. live load (roof)

roof	: 5x5x0,96 kN/m ² x1 kg	= 2400 kg
rain	: 5x5x20 kg/m ² x1 kg	= 500 kg
LL (total)	:	= 2900 kg

$$\begin{aligned} \text{DL (total)} &= 404335 \text{ kg} \\ \text{LL (total)} &= 50900 \text{ kg} \end{aligned}$$

According to SNI (2013), the LL total does not need to be multiplied by reduction factor. The load combination is taken as 1,2DL + 1,6LL.

$$\begin{aligned} W &= 1,2\text{DL}+1,6\text{LL} \\ &= 1,2 \times 404335 \text{ kg} + 1,6 \times 50900 \text{ kg} \\ &= 566642 \text{ kg} \end{aligned}$$

$$A = \frac{W}{\phi \times f'_c}$$

$$W = 566642 \text{ kg}$$

$$f'_c = 30 \text{ MPa} = 300 \text{ kg/cm}^2$$

$$\phi = 0,65 \text{ (SNI, 2013 paragraph 9.3.2.2)}$$

$$A = \frac{566642}{0,65 \times 300} = 2905,856 \text{ cm}^2, \text{ if } A = b^2 \text{ then } b = 53,9 \text{ cm}$$

$$b \approx 80 \text{ cm} \longrightarrow b = 80 \text{ cm for all pillar}$$

note that the dimension of pillar is typical (for all pillar's dimension) but the reinforcement bar will be different.

4.1.7. Preliminary Design of Shear Wall

For designing of shear wall dimension shall meet the conditions shown in SNI (2013) paragraph 14.5.3.1 and paragraph 14.5.3.2 which state that the thickness of support wall (or *shear wall*) must not less than 1/25 of height or the length of supported span, whichever is shorter, or less than 100 mm.

$$\begin{aligned} t = \text{thickness of shear wall} &= 30 \text{ cm} \\ \text{span of shear wall} &= 500 \text{ cm} \\ \text{height of shear wall} &= 400 \text{ cm} \\ t \geq h/25 &= 400/25 = 16 \text{ cm} \\ t \geq l/25 &= 500/25 = 20 \text{ cm} \end{aligned}$$

So, the thickness of shear wall is taken as 40 cm.

4.1.8. Preliminary Design of Basement Wall

For designing of basement wall dimension shall meet the conditions shown in SNI (2013) paragraph 14.5.3.1 and paragraph 14.5.3.2 which state that the thickness of support wall (or basementwall) must not less than 1/25 of height or the length of supported span, whichever is shorter, or less than 100 mm.

t = thickness of basementwall		= 30 cm
span of basementwall		= 500 cm
height of basementwall		= 400 cm
$t \geq h/25$	= 400/25	= 16 cm
$t \geq l/25$	= 500/25	= 20 cm

So, the thickness of basementwall is taken as 30 cm.

4.1.9. Preliminary Design of Other Structures

For designing of other structure dimension shall meet the conditions shown in SNI 2847:2013. The other structure are elevator beam and machine room's beam and slab (see Table 4.5 and Table 4.6) and bottom structures.

Table 4.5. Recapitulation of Elevator Beam Dimension
(Cast In Place Concrete)

Code	L_b (m)	b_{use} (cm)	h_{use} (cm)	d (mm)	Dimension
Beam (Elevator Beam)					
BL1	1.7	20	65	30	20/65
BL2	4.2	20	65	30	20/65
BL3	1.7	20	65	30	20/65
BPS	1.7	20	65	30	20/65

Table 4.6. Recapitulation of Machine Room's Slab Dimension
(Cast In Place Concrete)

Code/Type	P	L	Ln	Sn	β	h_{\min}	h_{use}
	(cm)	(cm)	(cm)	(cm)		(cm)	(cm)
Slab (Machine Room's Slab)							
M/one way slab	500	250	420	170	2,47	9	15

For bottom structures:

- Sloof/*tie beam* → width: 80 cm, height: 110 cm
- poer → length = width: 300 cm, thickness: 150 cm
- pile/foundation → diameter: 60 cm (approximately)

4.2. Reinforcement of Secondary Structure

4.2.1. Preface

Reinforcement of secondary structure consists of reinforcement of slab, reinforcement of secondary beam, reinforcement of stair, reinforcement of elevator beam, and reinforcement of ramp. Beside the reinforcement of secondary structure, in this chapter will be explained about calculation of lifting point of precast elements such as slab and secondary beam. Note that the concrete's age is important for the calculation (see Table 4.7).

Table 4.7. The Comparison of Concrete's Age (Factor)
(source: PBBI, 1971)

Concrete's age (days)	3	7	14	21	28	90	365
Ordinary Portland cement	0,40	0,65	0,88	0,95	1,00	1,20	1,35

4.2.2. Reinforcement of Precast Floor Slab

4.2.2.1. General

The early design of precast slab LA1 consists of 10 cm of precast slab and 5 cm of *overtopping* concrete. The calculation and designing process of slab's reinforcement are divided into two conditions below

a. before monolith condition

this condition occurs when overtopping concrete does not become monolith yet with precast slab element and it does not bear the load (condition a and condition b)

b. after monolith condition

this condition occurs when overtopping concrete becomes monolith with precast slab element and it bears the load together with precast slab element (condition c).

Note that the assumption of slab designing is based on both condition above. When before monolith condition occurs, the slab is assumed to have two simple supports (roller-pins) and when after monolith condition happens, the slab is assumed to have elastic fixed support. The reinforcement itself is also divided into two conditions above and will be chosen whichever the greater result of reinforcement calculation or the combination of both calculation. The calculation will use the conditions based on SNI 2847:2013.

4.2.2.2. General Data

The general data for reinforcement of slab will be shown below

slab's thickness (overall)	= 15 cm
slab type	= floor, type LA1, etc.
dimension	= 500x250x10 cm ³
diameter of bar (D)	= 13 mm
L _y (clear span)	= 4600mm
L _x (clear span)	= 2150mm
L _y /L _x	= 2,139
b (L _y actual)	= 4680 mm
a (L _x actual)	= 2230 mm

$$f'_c(28 \text{ days}) = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

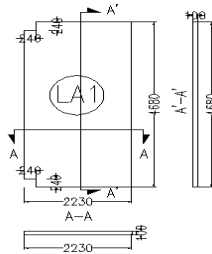


Figure 4.17. The precast floor slab
(source: Private Documentation)

4.2.2.3. Load Calculation **Before Monolith Condition**

In this condition itself will be divided into two conditions below

1. condition a

when the *overtopping* concrete is not installed yet and the load consists of working load (construction process' load) and precast slab element's load

2. condition b

when the *overtopping* concrete is already installed (not yet in monolith condition) and the load consists of *overtopping* concrete's load, precast slab element's load and construction process' load

Then the most critical condition between two conditions above will be used for load calculation. Note that the *overtopping* concrete's thickness needs to be added as 2 cm for anticipating the stacks when casting process of the *overtopping* concrete occurs (only for load calculation purpose).

1. dead load		
slab	: $0,10 \times 2400 \text{ kg/m}^2$	= 240 kg/m^2
<i>overtopping</i> concrete	: $(0,05+0,02) \times 2400 \text{ kg/m}^2$	= 168 kg/m^2
DL (total)	:	= 408 kg/m^2
<hr/>		
2. live load		
construction load	: 200 kg/m^2	= 200 kg/m^2
LL (total)	:	= 200 kg/m^2

After Monolith Condition

In this condition itself will be divided only into one condition below

1. condition c

when the *overtopping* concrete is installed then bear loads together with slab precast element and the load consists of precast slab element's load and loads such as plumbing, ducting, etc.

1. dead load		
slab (overall)	: $0,15 \times 2400 \text{ kg/m}^2$	= 360 kg/m^2
plafond	: 11 kg/m^2	= 11 kg/m^2
hanger	: 7 kg/m^2	= 7 kg/m^2
plumbing and ducting	: 25 kg/m^2	= 25 kg/m^2
sanitary	: 20 kg/m^2	= 20 kg/m^2
mortar mixture (2 cm)	: $2 \times 21 \text{ kg/m}^2$	= 42 kg/m^2
tile (2 cm)	: $2 \times 24 \text{ kg/m}^2$	= 48 kg/m^2
DL (total)	:	= 513 kg/m^2
<hr/>		
2. live load		
live load	: $1,92 \text{ kN/m}^2$	= 192 kg/m^2
LL (total)	:	= 192 kg/m^2

4.2.2.4. Load Combination of Slab

The combination of load for slab is based on SNI 2847:2013 paragraph 9.2.1. The combination itself is divided into three conditions (see previous pages). The load combination will use the ultimate load, Q_u , as $1.2DL + 1.6LL$.

load combination of slab

condition a

(precast's age = 14 days)

$$Q_u = 1,2 \times 240 + 1,6 \times 200 = 608 \text{ kg/m}^2$$

condition b

(precast's age = 14 days, *overtopping's* age = 0 day)

$$Q_u = 1,2 \times 408 + 1,6 \times 200 = 809,6 \text{ kg/m}^2$$

condition c

(precast's age > 30 days, *overtopping's* age > 30 days)

$$Q_u = 1,2 \times 513 + 1,6 \times 192 = 922,8 \text{ kg/m}^2$$

4.2.2.5. Moment Calculation of Slab

The moment calculation of slab before monolith condition (condition a and condition b) will use moment equation $M_u = 1/8 \times q \times L^2$. The moment calculation of slab after monolith condition (condition c) will use the equations in PBBI 1971 Table 13.3.2. For condition a and condition b, the slab's support will be assumed as simple support (roller-pins). For condition c, the slab is assumed as condition II in PBBI (1971) Table 13.3.2 which it fixed (elastic condition) at its all four sides. The moment calculation itself will be divided into three condition (condition a, condition b, and condition c). The equation for moment calculation for condition a and condition b will be shown below

$$M_{lx} = 1/8 \times q \times L_x^2 \text{ (for transversal direction of slab)}$$

$$M_{ly} = 1/8 \times q \times L_y^2 \text{ (for longitudinal direction of slab)}$$

in which q is the distributed load and L is the clear span of slab ($L_y = 460 \text{ cm}$, $L_x = 215 \text{ cm}$).

The equation for moment calculation for condition c is based on PBBI (1971). According to PBBI (1971), the X values are determined by L_y/L_x value which as 2,139. The X values are $X1 = 62$, $X2 = 34$, $X3 = 62$, $X4 = 34$. The equation of moment values are show below

$$Mlx (+) = 0,001 \times qx \times Lx^2 \times X1$$

$$Mly (+) = 0,001 \times qx \times Lx^2 \times X2$$

$$Mtx (-) = 0,001 \times qx \times Lx^2 \times X3$$

$$Mty (-) = 0,001 \times qx \times Lx^2 \times X4$$

moment calculation of slab

condition a ($q = 608 \text{ kg/m}^2$, $L_x = 215 \text{ cm}$, $L_y = 460 \text{ cm}$)

$$Mlx (+) = 351,31 \text{ kgm}$$

$$Mly (+) = 1608,16 \text{ kgm}$$

condition b ($q = 809,6 \text{ kg/m}^2$, $L_x = 215 \text{ cm}$, $L_y = 460 \text{ cm}$)

$$Mlx (+) = 467,797 \text{ kgm}$$

$$Mly (+) = 2141,392 \text{ kgm}$$

condition c ($q = 922,8 \text{ kg/m}^2$, $L_x = 215 \text{ cm}$)

$$Mlx (+) = 264,469 \text{ kgm}$$

$$Mly (+) = 145,032 \text{ kgm}$$

$$Mtx (-) = 264,469 \text{ kgm}$$

$$Mty (-) = 145,032 \text{ kgm}$$

The Mu values are taken as

condition a

$$Mu = 1608,16 \text{ kgm (+)}$$

condition b

$$Mu = 2141,392 \text{ kgm (+)}$$

condition c

$$Mu = 264,469 \text{ kgm (+)}$$

and then the Mu values are divided into two conditions which it will be taken as the greatest result between condition a and condition b for before monolith condition, then Mu value in

condition c is considered as M_u value for after monolith condition. (note : “+” is compression, and “-“ is tension)

before monolith condition

$$M_u = 2141,392 \text{ kgm (+)}$$

after monolith condition

$$M_u = 264,469 \text{ kgm (+)}$$

4.2.2.6. Calculation of Reinforcement Bar

The calculation of reinforcement bar will be divided into two conditions (before monolith condition and after monolith condition, Figure 4.18). The general data for calculation of reinforcement bar of slab is shown below

slab's dimension (actual)	= 4680 mm × 2230 mm
slab's thickness (precast)	= 100 mm
<i>overlapping's</i> thickness	= 50 mm
clear cover	= 30 mm
bar's diameter (D)	= 13 mm
f'_c (28 days)	= 30 MPa
f_y	= 390 MPa
$\beta_1 = L_y/L_x$	= 2,139 (one way slab)

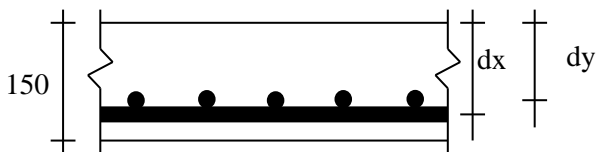


Figure 4.18. The floor slab's cross section
(after monolith condition)
(source: Private Documentation)

before monolith condition

$$dx = 100 - 30 - (13/2) = 63,5 \text{ mm}$$

$$dy = 100 - 30 - 13 - (13/2) = 50,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 14 days = 26,4 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'c-28)}{7} \geq 0,65$$

$$\beta_1 = 0,85$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 2,30 \text{ mm}$$

$$c = a / \beta_1 = 2,71 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,052 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 17,37$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

after monolith condition

$$dx = 150 - 30 - (13/2) = 113,5 \text{ mm}$$

$$dy = 150 - 30 - 13 - (13/2) = 100,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. ($f'c$ in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'c-28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30-28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,12 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

If the slab is determined as one way slab, then the main reinforcement bar of slab is transversal reinforcement bar only and the longitudinal reinforcement bar will functionate as temperature and shrinkage bearer. Both of them will use spiral bar D13 (diameter = 13 mm, $A_s = 132,7857 \text{ mm}^2$).

Reinforcement Bar Before Monolith Condition

The general data for reinforcement bar of slab before monolith condition will be shown below

slab's thickness	= 100 mm, $f'_c = 26,4$ MPa (14 days)
clear cover	= 30 mm
bar's diameter	= 13 mm, $A_s = \pi/4 \times d^2 = 132,78$ mm ²
b	= 1000 mm
d	= 63,5 mm
ϕ	= 0,9
M_u	= 2141,392 kNm = 21413920 Nmm

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 23793244 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 5,90 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0179$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0179 > 0,0020$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0179$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 1137,97 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 1137,97 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 8,57$$

$$\text{use } n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1327,857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1327,857 \text{ mm}^2 > 1137,97 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$$

So, the transversal bar will use D13-100.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 127 \text{ mm}^2 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 127 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 0,95$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,93 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,93 \text{ mm}^2 > 127 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{dh} = 8x d_b = 8x13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24x f_y / d_b x (f'_c)^{0,5} = 37 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 150 \text{ mm}$.Reinforcement Bar After Monolith Condition

The general data for reinforcement bar of slab after monolith condition will be shown below

slab's thickness = 150 mm, $f'_c = 30 \text{ MPa}$ (> 30 days)

clear cover = 30 mm

bar's diameter = 13 mm, $A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$

b = 1000 mm

d = 113,5 mm

$\phi = 0,9$

$M_u = 264,469 \text{ kgm} = 2644698,7 \text{ Nmm}$

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 2938554 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,228 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,000587$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,000587 < 0,002$$

$$\text{use } \rho = \rho_{\text{min}} = 0,002$$

$$A_{s_{\text{need}}} = \rho x b x d = 227 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 227 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 1,709$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n x A_{s_{\text{bar}}} = 663,928 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 227 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D13-200.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 227 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 227 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 1,71$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,92857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 227 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm} / 5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{\text{dh}} = 8 \times d_b = 8 \times 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 39,5 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 150 \text{ mm}$.

Reinforcement Bar Due to Lifting Process' Moment

The general data for reinforcement bar of slab due to lifting process' moment will be shown below

slab's thickness = 100 mm, $f'_c = 26,4 \text{ MPa}$ (14 days)

clear cover = 30 mm

bar's diameter = 13 mm, $A_s = \pi/4 \times d^2 = 132,78 \text{ mm}^2$

b = 1000 mm

d = 63,5 mm

$\phi = 0,9$

$M_u = 177,1002 \text{ kgm} = 1771002 \text{ Nmm}$ (see 4.2.2.8.2)

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 1967780 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,488 \text{ N} / \text{mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,001265$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,001265 < 0,002$$

$$\text{use } \rho = \rho_{\text{min}} = 0,002$$

$$A_{S_{\text{need}}} = \rho x b x d = 127 \text{ mm}^2$$

$$n = A_{S_{\text{need}}}/A_{S_{\text{bar}}} = 127 \text{ mm}^2/132,7857 \text{ mm}^2 = 0,956$$

$$\text{use } n = 4 \rightarrow A_{S_{\text{use}}} = 4 x A_{S_{\text{bar}}} = 531,1429 \text{ mm}^2$$

$$A_{S_{\text{use}}} > A_{S_{\text{need}}} = 531,1429 \text{ mm}^2 > 127 \text{ mm}^2 \text{ (OK)}$$

$$s = b/4 = 1000 \text{ mm}/4 = 250 \text{ mm}$$

So, the transversal bar will use D13-250.

Shrinkage Bar/Longitudinal Bar

$$A_{S_{\text{need}}} = 0,002 x b x d = 127 \text{ mm}^2$$

$$n = A_{S_{\text{need}}}/A_{S_{\text{bar}}} = 127 \text{ mm}^2/132,7857 \text{ mm}^2 = 0,956$$

$$\text{use } n = 4 \rightarrow A_{S_{\text{use}}} = n x A_{S_{\text{bar}}} = 531,1428571 \text{ mm}^2$$

$$A_{S_{\text{use}}} > A_{S_{\text{need}}} = 531,1428571 \text{ mm}^2 > 127 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/4 = 250 \text{ mm}$$

So, the longitudinal bar will use D13-250.

Development Bar's Length

$$\ell_{\text{dh}} = 8 x d_b = 8 x 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 x f_y / d_b x (f'_c)^{0,5} = 37 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 150 \text{ mm}$

For the recapitulation of reinforcement bar will be shown in Table 4.8.

Table 4.8. Recapitulation of Reinforcement Bars of Floor Slab

Type	Dimension (cm)	Before Monolith Condition										Stud Notation	
		Flexural Bar					Longitudinal Bar						
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)	s (mm)	Notation	As use (mm ²)	s (mm)		Notation
LA1	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LA2	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LB1	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LB2	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LB3	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LB4	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300
LC1	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	663,93	200	D13-200	D13-300

After Monolith Condition										
Type	Dimension	Flexural Bar			Longitudinal Bar			Stud Notation		
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)		S (mm)	Notation
LA1	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LA2	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LB1	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LB2	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LB3	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LB4	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
LC1	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300

Due to Lifting Process' Moment										
Type	Dimension	Flexural Bar			Longitudinal Bar			Stud Notasi		
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)		S (mm)	Notation
LA1	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LA2	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LB1	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LB2	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LB3	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LB4	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
LC1	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300

Use reinforcement bar before monolith condition (flexural bar D13-100 and longitudinal bar D13-200 with shear connector D13-300).

4.2.2.7. Shear Connector Reinforcement of Slab

In the designing process of element which it consists of precast element and *overtopping* concrete (or cast in place concrete), the need of shear connector is really important. Because the shear connector functions to bind the precast element and *overtopping* concrete (or cast in place concrete). Besides, the shear connector (stud) also has function to distribute the inner forces which retained by elements into horizontal shear force on the elements' surface intersection.

The horizontal shear force, which occurs on composite element, can be divided into two conditions below (Figure 4.19)

Condition 1 : the compressive force which is produced by composite element is less than the compressive force produced by cast in place concrete element ($C < C_c$, $V_{nh} = C$, $C = T$)

Condition 2 : the compressive force which is produced by composite element is greater than the compressive force produced by cast in place concrete element ($C > C_c$, $V_{nh} = C$, $C < T$)

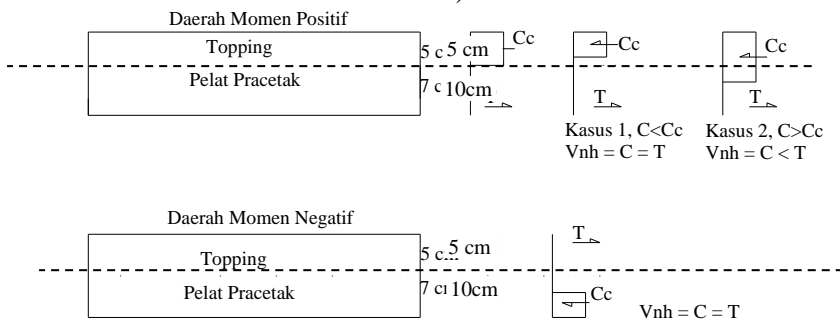


Figure 4.19. The diagram of horizontal shear force
(source: Private Documentation)

For floor slab (LA1, etc.) (500 cm x 250 cm)

$$C_c = 0,85 \times f'_c \times A_{\text{topping}}; f'_c = 30 \text{ MPa } (> 30 \text{ days})$$

A_{topping} is assumed as $b \times d$ in which $b = 1000 \text{ mm}$ and d is the thickness of *overtopping* concrete

$$C_c = 0,85 \times 30 \times 1000 \times 50 \text{ mm} = 1275000 \text{ N} = 1275 \text{ kN}$$

use shear connector D 13 mm

$$A_{s_{\text{stud}}} = 132,78 \text{ mm}^2 \rightarrow A_s$$

Use condition $\rightarrow (V_{nh} = C, C = T)$

$$T = A_s \times f_{y_{\text{stud}}} = 132,78 \times 390 \text{ N} = 51786 \text{ N} = 51,786 \text{ kN}$$

$$T = V_{nh} = C = 51,786 \text{ kN}$$

$$0,55 A_c = 0,55 \times b_v \times d \text{ (SNI, 2013 paragraph 17.5.3.1)}$$

A_c is assumed as $b_v \times d$ in which $b_v = 1000 \text{ mm}$ and d is the thickness of composite element (with *overtopping* concrete)

$$0,55 A_c = 0,55 \times 1000 \times 15 \text{ N} = 82500 \text{ N} = 82,5 \text{ kN}$$

$$V_{nh} < 0,55 A_c = 51,786 \text{ kN} < 82,5 \text{ kN} \text{ (OK)}$$

(see SNI, 2013 paragraph 17.5.3.1)

$$\phi V_s = \phi(n)(A_{se} f_{ut}) \text{ (PCI, 2004)}$$

$$0,65 \times 82,5 \text{ kN} = 0,65 \times n \times 132,78 \text{ mm}^2 \times 390 \text{ N/mm}^2$$

$$53625 \text{ N} = 33659,73 \text{ N} \times n$$

$$n = 1,59 \approx 3$$

$$s = 1000 \text{ mm}/3 = 333,33 \text{ mm} \approx 300 \text{ mm}$$

Use shear connector D13-300.

4.2.2.8. Reinforcement Bar Due to Lifting Process of Slab

When lifting process occurs, the need of reinforcement bar due to lifting process, is necessary. Because when lifting process occurs, it will produce moment force. So, the moment force must be calculated and then the reinforcement bar designed so it can bear the moment force

due to lifting process. In this chapter will use four lifting points of slab (Figure 4.20).

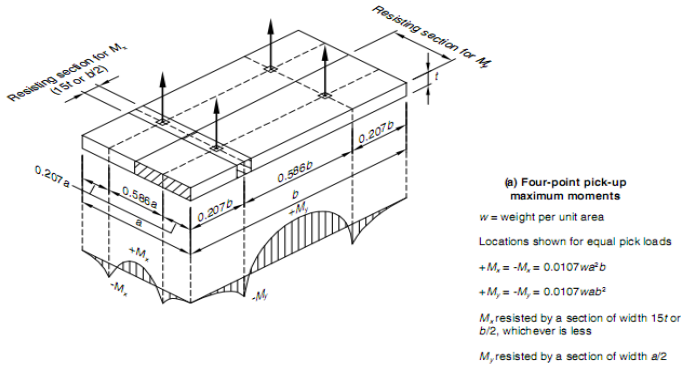


Figure 4.20. Four lifting points of floor slab
 (source: PCI, 2004)

The general data for calculating lifting bar will be shown below

f'_c (14 days)	= 26,4 MPa
f_y	= 240 MPa = 2400 kg/cm ²
slab's type	= floor, (type LA1, etc.)
dimension	= 500 x 250 mm ²
n (number of points)	= 4
a (slab's width)	= 2230mm
b (slab's length)	= 4680mm
k (shock coefficient)	= 1,2
t (slab's thickness)	= 10 cm
(before monolith condition)	
w ($=t \times 2400$ kg/m ²)	= 240 kg/m ²
$k \times DL$ (= slab's weight + shear connector (1% slab's weight))	= 3035,74 kg
Qu ($=1,4 DL \times k$)	= 4250,036 kg
P ($=Qu/n$)	= 1062,509 kg

Designing The Lifting Bar

The designing process of lifting bar will use equation below

$$\phi_{\text{tulangamangkat}} \geq \sqrt{\frac{n \times P}{\pi \times \sigma}}$$

in which n is the number of lifting points and σ is $f_y/1,5 = 1600 \text{ kg/cm}^2$ ($SF = 1,5$, $f_y = 240 \text{ MPa}$).

So, the value of ϕ (diameter of lifting bar) is

$$\phi = \sqrt{\frac{4 \times 1062,509 \text{ kg}}{\frac{22}{7} \times 1600 \text{ kg/cm}^2}} = 0,919 \text{ cm}$$

use lifting bar $\phi = 10 \text{ mm}$ instead ($A_s = 78,5714 \text{ mm}^2$).

Moment Calculation Due to Lifting Process

The moment calculation will be divided into two calculations based on slab's direction (direction a and direction b). Direction a is slab's transversal direction and direction b is slab's longitudinal direction (Figure 4.21 and Figure 4.22).

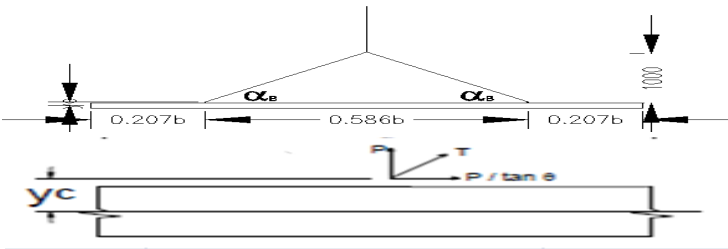


Figure 4.21. Slab's longitudinal direction (direction b) when lifting process occurs
(source: Private Documentation)

direction b

b	$= 468 \text{ cm}$
n (number of point)	$= 2$
$0,207 b$	$= 0,97 \text{ m}$
$0,586 b$	$= 2,74 \text{ m}$
rope's height	$= 1000 \text{ mm}$
α_b°	$= \tan^{-1} ((\text{rope's height}/(0,586 b/2))$ $= 36,12^\circ$
T_b	$= P \times \sin \alpha_b^\circ = 626,43 \text{ kg}$
y_c	$= 0,5 t + 1'' = 0,0754 \text{ m}$
M_b	$= 0,0107 \times w \times a^2 \times b = 59,765 \text{ kgm}$
$M_{b'}$	$= P \times y_c / \tan \alpha_b^\circ = 109,755 \text{ kgm}$
(moment due to lifting process)	
M_b (total)	$= 169,52 \text{ kgm}$
M_b is retained by area of $15t$ or $b/4$ (choose the least value between)	
$15t$	$= 150 \text{ cm}$
$b/4$	$= 234 \text{ cm}$
use $15t = 150 \text{ cm}$	
Z_b	$= 1/6 \times 15t \times t^2 = 2500 \text{ cm}^3$

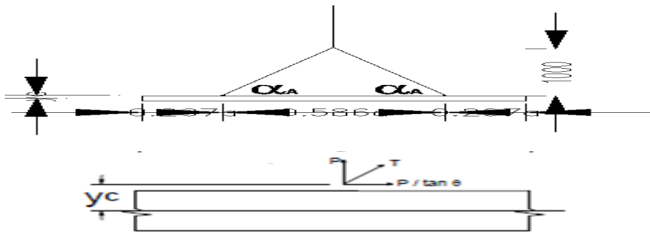


Figure 4.22. Slab's transversal direction (direction a) when lifting process occurs
(source: Private Documentation)

direction a

a	= 223 cm
n (number of point)	= 2
0,207 a	= 0,47 m
0,586 a	= 1,29 m
rope's height	= 1000mm
α_a°	= $\tan^{-1} ((\text{rope's height}/(0,586 a/2))$ = $57,17^{\circ}$
T_a	= $P \times \sin \alpha_a^{\circ} = 892,88 \text{ kg}$
y_c	= $0,5 t + 1'' = 0,0754 \text{ m}$
M_a	= $0,0107 \times w \times a \times b^2 = 125,427 \text{ kgm}$
$M_{a'}$	= $P \times y_c / \tan \alpha_a^{\circ} = 51,673 \text{ kgm}$
(moment due to lifting process)	
M_a (total)	= 177,100 kgm
M_a is retained by area of $a/2$	
$a/2$	= 111,5 cm
Z_a	= $1/6 \times a/2 \times t^2 = 1858,33 \text{ cm}^3$

Checking The Crack Factor

The lifting bar will use $\phi = 10 \text{ mm}$ plain bar.

Checking the f_{cr} value (assumed the concrete's age is 14 days)

$$f_{cr} = 0,62 \lambda \sqrt{f'c} / \text{SF} \text{ (SNI, 2013 paragraph 9.5.2.3)}$$

$$(\lambda = 1, \text{ SNI, 2013 paragraph 8.6.1})$$

(safety factor = 2)

f_{cr}	= 1,593 MPa
f_b	= $M_b \text{ (total)} / Z_b = 0,56 \text{ MPa}$
f_a	= $M_a \text{ (total)} / Z_a = 0,618 \text{ MPa}$
$f_b < f_{cr}$	= $0,56 \text{ MPa} < 1,593 \text{ MPa}$ (OK)
$f_a < f_{cr}$	= $0,618 \text{ MPa} < 1,593 \text{ MPa}$ (OK)

Checking The Strand Cable

The strand cable for lifting process will use seven-wire strand 5/16 inch diameter with $f_{pu} = 250 \text{ ksi}$ (see PCI, 2004 Design Aid Table 11.2.3).

f_{pu}	= 250 ksi
A	= 0,058 in ²
$f_{pu} \times A$	= 14,5 kips = 64499,2132 N
SF	= 2
Af_{pu}/SF	= 3224,96kg
T_b	= 626,43 kg
T_a	= 892,88kg
$T_b < Af_{pu}/SF$	= 626,43 kg < 3224,96 kg (OK)
$T_a < Af_{pu}/SF$	= 892,88 kg < 3224,96 kg (OK)

Table 4.9. The Properties of Strand Cable
(source: PCI, 2004)

Seven –Wire Strand, $f_{pu} = 250$ ksi						
Nominal Diameter, in	1/4	5/16	3/8	7/16	1/2	3/5
Area, square in.	0,036	0,058	0,080	0,108	0,144	0,216
Weight, plf	0,12	0,20	0,27	0,37	0,49	0,74
$0,7f_{pu}A_{ps}$, kips	6,3	10,2	14,0	18,9	25,2	37,8
$0,7f_{pu}A_{ps}$, kips	7,2	11,6	16,0	21,6	28,8	43,2
f_{pu}, A_{ps} , kips	9,0	14,5	20,0	27,0	36,0	54,0

4.2.2.9. Checking The Deflection of Slab

The deflection of slab is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4/EI)$$

$$\delta_{\max} = L_n/480 \text{ (in cm) (SNI 2847:2013 paragraph 9.5.3.1)}$$

in which q_u is taken as $922,8 \text{ kg/m}^2 \times 1 \text{ m}$ (see previous paragraph), I is the moment of inertia of slab ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'c)^{0,5}$, $f'c$ in 14 days

Deflection (Longitudinal, $L_n = 460 \text{ cm}$, $b = L_n$, $h = 15 \text{ cm}$)

$$\delta_b = (5/384) \times (q_u \times L^4/EI) = 0,172 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,958 \text{ cm}$$

$$\delta_b < \delta_{\max} \text{ (OK)}$$

Deflection (Transversal, $S_n = 215 \text{ cm}$, $b = S_n$, $h = 15 \text{ cm}$)

$$\delta_a = (5/384) \times (q_u \times L^4/EI) = 0,0175 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,447 \text{ cm}$$

$$\delta_a < \delta_{\max} \text{ (OK)}$$

4.2.3. Reinforcement of Precast Roof Slab

4.2.3.1. General

The early design of precast slab AA1 consists of 9 cm of precast slab and 5 cm of *overtopping* concrete. The calculation and designing process of slab's reinforcement are divided into two conditions below

a. before monolith condition

this condition occurs when overtopping concrete does not become monolith yet with precast slab element and it does not bear the load (condition a and condition b)

b. after monolith condition

this condition occurs when overtopping concrete becomes monolith with precast slab element and it bears the load together with precast slab element (condition c).

Note that the assumption of slab designing is based on both condition above. When before monolith condition occurs, the slab is assumed to have two simple supports (roller-pins) and when after monolith condition happens, the slab is assumed to have elastic fixed support. The reinforcement itself is also divided into two conditions above and will be chosen whichever the greater result of reinforcement calculation or

the combination of both calculation. The calculation will use the conditions based on SNI 2847:2013.

4.2.3.2. General Data

The general data for reinforcement of slab will be shown below

slab's thickness (overall)	= 14 cm
slab type	= roof, (type AA1, etc.)
dimension	= $500 \times 250 \times 9 \text{ cm}^3$
diameter of bar (D)	= 13 mm
L_y (clear span)	= 4600mm
L_x (clear span)	= 2150mm
L_y/L_x	= 2,139
b (L_y actual)	= 4680 mm
a (L_x actual)	= 2230 mm
f'_c (28 days)	= 30 MPa
f_y	= 390 MPa

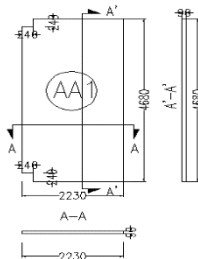


Figure 4.23. The precast slab type AA1
(source: Private Documentation)

4.2.3.3. Load Calculation Before Monolith Condition

In this condition itself will be divided into two conditions below

1. condition a

when the *overtopping* concrete is not installed yet and the load consists of working load (construction process' load) and precast slab element's load

2. condition b

when the *overtopping* concrete is already installed (not yet in monolith condition) and the load consists of *overtopping* concrete's load, precast slab element's load and construction process' load

Then the most critical condition between two conditions above will be used for load calculation. Note that the *overtopping* concrete's thickness needs to be added as 2 cm for anticipating the stacks when casting process of the *overtopping* concrete occurs (only for load calculation purpose).

1. dead load

$$\text{slab} : 0,09 \times 2400 \text{ kg/m}^2 = 216 \text{ kg/m}^2$$

$$\text{overtopping concrete} : (0,05 + 0,02) \times 2400 \text{ kg/m}^2 = 168 \text{ kg/m}^2$$

$$\text{DL (total)} : = 384 \text{ kg/m}^2$$

2. live load

$$\text{construction load} : 200 \text{ kg/m}^2 = 200 \text{ kg/m}^2$$

$$\text{LL (total)} : = 200 \text{ kg/m}^2$$

After Monolith Condition

In this condition itself will be divided only into one condition below

1. condition c

when the *overtopping* concrete is installed then bear loads together with slab precast element and the load consists of precast slab element's load and loads such as plumbing, ducting, etc.

1. dead load		
slab (overall)	: $0,14 \times 2400 \text{ kg/m}^2$	= 336 kg/m^2
plafond	: 11 kg/m^2	= 11 kg/m^2
hanger	: 7 kg/m^2	= 7 kg/m^2
plumbing and ducting	: 25 kg/m^2	= 25 kg/m^2
asphalt (1 cm)	: 14 kg/m^2	= 14 kg/m^2
mortar mixture (2 cm)	: $2 \times 21 \text{ kg/m}^2$	= 42 kg/m^2
DL (total)	:	= 435 kg/m^2
2. live load		
live load	: $0,96 \text{ kN/m}^2$	= 96 kg/m^2
rain	: 20 kg/m^2	= 20 kg/m^2
LL (total)	:	= 116 kg/m^2

4.2.3.4. Load Combination of Slab

The combination of load for slab is based on SNI 2847:2013 paragraph 9.2.1. The combination itself is divided into three conditions (see previous pages). The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of slab

condition a

(precast's age = 14 days)

$$Q_u = 1,2 \times 216 + 1,6 \times 200 = 579,2 \text{ kg/m}^2$$

condition b

(precast's age = 14 days, *overtopping's* age = 0 day)

$$Q_u = 1,2 \times 384 + 1,6 \times 200 = 700,8 \text{ kg/m}^2$$

condition c

(precast's age > 30 days, *overtopping's* age > 30 days)

$$Q_u = 1,2 \times 435 + 1,6 \times 116 = 707,6 \text{ kg/m}^2$$

4.2.3.5. Moment Calculation of Slab

The moment calculation of slab before monolith condition (condition a and condition b) will use moment equation $M_u = 1/8 \times q \times L^2$. The moment calculation of slab after monolith condition (condition c) will use the equations in PBBI 1971 Table 13.3.2. For condition a and condition b, the slab's support will be assumed as simple support (roller-pins). For condition c, the slab is assumed as condition II in PBBI (1971) Table 13.3.2 which it fixed (elastic condition) at its all four sides. The moment calculation itself will be divided into three condition (condition a, condition b, and condition c). The equation for moment calculation for condition a and condition b will be shown below

$$M_{lx} = 1/8 \times q \times L_x^2 \text{ (for transversal direction of slab)}$$

$$M_{ly} = 1/8 \times q \times L_y^2 \text{ (for longitudinal direction of slab)}$$

in which q is the distributed load and L is the clear span of slab ($L_y = 460$ cm, $L_x = 215$ cm).

The equation for moment calculation for condition c is based on PBBI (1971). According to PBBI (1971), the X values are determined by L_y/L_x value which as 2,139. The X values are $X1 = 62$, $X2 = 34$, $X3 = 62$, $X4 = 34$. The equation of moment values are show below

$$M_{lx} (+) = 0,001 \times q \times L_x^2 \times X1$$

$$M_{ly} (+) = 0,001 \times q \times L_x^2 \times X2$$

$$M_{tx} (-) = 0,001 \times q \times L_x^2 \times X3$$

$$M_{ty} (-) = 0,001 \times q \times L_x^2 \times X4$$

moment calculation of slab

condition a ($q = 579,2$ kg/m², $L_x = 215$ cm, $L_y = 460$ cm)

$$M_{lx} (+) = 334,669 \text{ kgm}$$

$$M_{ly} (+) = 1531,98 \text{ kgm}$$

condition b ($q = 700,8$ kg/m², $L_x = 215$ cm, $L_y = 460$ cm)

$$M_{lx} (+) = 404,93 \text{ kgm}$$

$$M_{ly} (+) = 1853,62 \text{ kgm}$$

condition c ($q = 707,6 \text{ kg/m}^2$, $L_x = 215 \text{ cm}$)	
Mlx (+)	= 202,79 kgm
Mly (+)	= 111,21 kgm
Mtx (-)	= 202,79 kgm
Mty (-)	= 111,21 kgm

The Mu values are taken as

condition a

$$\text{Mu} = 1531,98 \text{ kgm (+)}$$

condition b

$$\text{Mu} = 1853,62 \text{ kgm (+)}$$

condition c

$$\text{Mu} = 202,79 \text{ kgm (+)}$$

and then the Mu values are divided into two conditions which it will be taken as the greatest result between condition a and condition b for before monolith condition, then Mu value in condition c is considered as Mu value for after monolith condition.

before monolith condition

$$\text{Mu} = 1853,62 \text{ kgm (+)}$$

after monolith condition

$$\text{Mu} = 202,79 \text{ kgm (+)}$$

4.2.3.6. Calculation of Reinforcement Bar

The calculation of reinforcement bar will be divided into two conditions (before monolith condition and after monolith condition). The general data for calculation of reinforcement bar of slab is shown below

slab's dimension (actual)	= 4680 mm × 2230 mm
slab's thickness (precast)	= 90 mm
<i>overtopping's</i> thickness	= 50 mm
clear cover	= 30 mm
bar's diameter (D)	= 13 mm
f'_c (28 days)	= 30 MPa

$$f_y = 390 \text{ MPa}$$

$$\beta_1 = L_y/L_x = 2,139 \text{ (one way slab)}$$

before monolith condition

$$dx = 90 - 30 - (13/2) = 53,5 \text{ mm}$$

$$dy = 90 - 30 - 13 - (13/2) = 40,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. ($f'c$ in 14 days = 26,4 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'c x b) = 2,30 \text{ mm}$$

$$c = a / \beta_1 = 2,71 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,041 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'c) = 17,37$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

after monolith condition

$$dx = 140 - 30 - (13/2) = 103,5 \text{ mm}$$

$$dy = 140 - 30 - 13 - (13/2) = 90,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. ($f'c$ in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'c x b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,047 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'c) = 15,29$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

If the slab is determined as one way slab, then the main reinforcement bar of slab is transversal reinforcement bar only and the longitudinal reinforcement bar will functionate as temperature and shrinkage bearer. Both of them will use spiral bar D13 (diameter = 13 mm, $A_s = 132,7857 \text{ mm}^2$).

Reinforcement Bar Before Monolith Condition

The general data for reinforcement bar of slab before monolith condition will be shown below

slab's thickness	= 90 mm, $f'_c = 26,4 \text{ MPa}$ (14 days)
clear cover	= 30 mm
bar's diameter	= 13 mm, $A_s = \pi/4xd^2 = 132,78 \text{ mm}^2$
b	= 1000 mm
d	= 53,5 mm
ϕ	= 0,9
M_u	= 1853,62 kgm = 18536160 Nmm

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 20595733 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 7,19 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,023$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,023 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,023$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 1234,72 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 1234,72 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 9,29$$

$$\text{use } n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1327,857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1327,857 \text{ mm}^2 > 1234,72 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$$

So, the transversal bar will use D13-100.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 107 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 107 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 0,81$$

use $n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,93 \text{ mm}^2$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,93 \text{ mm}^2 > 107 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{\text{dh}} = 8 \times d_b = 8 \times 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 37 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 150 \text{ mm}$.

Reinforcement Bar After Monolith Condition

The general data for reinforcement bar of slab after monolith condition will be shown below

slab's thickness = 140 mm, $f'_c = 30 \text{ MPa}$ (> 30 days)

clear cover = 30 mm

bar's diameter = 13 mm, $A_s = \pi/4 \times d^2 = 132,78 \text{ mm}^2$

b = 1000 mm

d = 103,5 mm

$\phi = 0,9$

$M_u = 202,79 \text{ kgm} = 2027946,2 \text{ Nmm}$ (see 4.2.3.8.2)

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 2253274 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,21 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00055$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,00055 < 0,002$$

use $\rho = \rho_{\min} = 0,002$

$$A_{s_{\text{need}}} = \rho \times b \times d = 207 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 207 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 1,559$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,928 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 207 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D13-200.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 207 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 207 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 1,559$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,92857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 207 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{\text{dh}} = 8 \times d_b = 8 \times 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 39,43 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 150 \text{ mm}$.

Reinforcement Bar Due to Lifting Process' Moment

The general data for reinforcement bar of slab due to lifting process' moment will be shown below

$$\text{slab's thickness} = 90 \text{ mm}, f'_c = 26,4 \text{ MPa (14 days)}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\text{bar's diameter} = 13 \text{ mm}, A_s = \pi/4 \times d^2 = 132,78 \text{ mm}^2$$

$$b = 1000 \text{ mm}$$

$$d = 53,5 \text{ mm}$$

$$\phi = 0,9$$

$$M_u = 156,3062 \text{ kgm} = 1563062 \text{ Nmm (see paragraph 4.2.3.8)}$$

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 1736736 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,606 \text{ N / mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,001577$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,001577 < 0,002$$

$$\text{use } \rho = \rho_{\text{min}} = 0,002$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 107 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 107 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 0,81$$

$$\text{use } n = 4 \rightarrow A_{s_{\text{use}}} = 4 \times A_{s_{\text{bar}}} = 531,1429 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 531,1429 \text{ mm}^2 > 107 \text{ mm}^2 \text{ (OK)}$$

$$s = b/4 = 1000 \text{ mm}/4 = 250 \text{ mm}$$

So, the transversal bar will use D13-250.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 107 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 107 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 0,81$$

$$\text{use } n = 4 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 531,1429 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 531,1429 \text{ mm}^2 > 107 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/4 = 250 \text{ mm}$$

So, the longitudinal bar will use D13-250.

Development Bar's Length

$$\ell_{\text{dh}} = 8 \times d_b = 8 \times 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f_c)^{0,5} = 37 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 150 \text{ mm}$.

For the recapitulation of reinforcement bar will be shown in Table 4.10.

Table 4.10. Recapitulation of Reinforcement Bars of Roof Slab

Type	Dimension (cm)	Before Monolith Condition										Stud Notation
		Flexural Bar					Longitudinal Bar					
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)	s (mm)	Notation	Notation		
AA1	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AA2	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AB1	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AB2	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AB3	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AB4	448 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		
AC1	468 x 223	1109,528	1327,857	100	10	D13-100	663,93	200	D13-200	D13-300		

After Monolith Condition										
Type	Dimension	Flexural Bar				Longitudinal Bar				Stud Notation
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)	S (mm)	Notation	
AA1	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AA2	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AB1	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AB2	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AB3	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AB4	448 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300
AC1	468 x 223	227	663,93	200	5	D13-200	663,93	200	D13-200	D13-300

Due to Lifting Process' Moment										
Type	Dimension	Flexural Bar				Longitudinal Bar				Stud Notasi
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)	S (mm)	Notation	
AA1	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AA2	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AB1	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AB2	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AB3	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AB4	448 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300
AC1	468 x 223	127	531,14	250	4	D13-250	531,14	250	D13-250	D13-300

Use reinforcement bar before monolith condition (flexural bar D13-100 and longitudinal bar D13-200 with shear connector D13-300).

4.2.3.7. Shear Connector Reinforcement of Slab

In the designing process of element which it consists of precast element and *overtopping* concrete (or cast in place concrete), the need of shear connector is really important. Because the shear connector functions to bind the precast element and *overtopping* concrete (or cast in place concrete). Besides, the shear connector (stud) also has function to distribute the inner forces which retained by elements into horizontal shear force on the elements' surface intersection.

The horizontal shear force, which occurs on composite element, can be divided into two conditions below (Figure 4.24)

Condition 1 : the compressive force which is produced by composite element is less than the compressive force produced by cast in place concrete element ($C < C_c$, $V_{nh} = C$, $C = T$)

Condition 2 : the compressive force which is produced by composite element is greater than the compressive force produced by cast in place concrete element ($C > C_c$, $V_{nh} = C$, $C < T$)

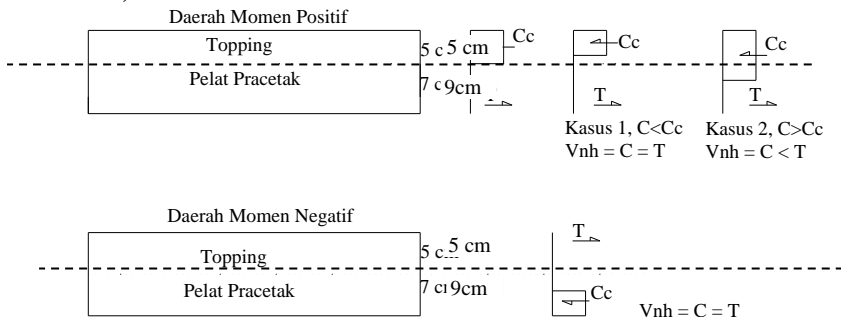


Figure 4.24. The diagram of horizontal shear force (source: Private Documentation)

For roof slab (type AA1, etc.) (500 cm x 250 cm)

$$C_c = 0,85 \times f'_c \times A_{\text{topping}}; f'_c = 30 \text{ MPa (> 30 days)}$$

A_{topping} is assumed as $b \times d$ in which $b = 1000 \text{ mm}$ and d is the thickness of *overtopping* concrete

$$C_c = 0,85 \times 30 \times 1000 \times 50 \text{ mm} = 1275000 \text{ N} = 1275 \text{ kN}$$

use shear connector D 13 mm

$$A_{s_{\text{stud}}} = 132,78 \text{ mm}^2 \rightarrow A_s$$

Use condition $\rightarrow (V_{nh} = C, C = T)$

$$T = A_s \times f_y \text{ stud} = 132,78 \times 390 \text{ N} = 51786 \text{ N} = 51,786 \text{ kN}$$

$$T = V_{nh} = C = 51,786 \text{ kN}$$

$0,55 A_c = 0,55 \times b_v \times d$ (SNI, 2013 paragraph 17.5.3.1)

A_c is assumed as $b_v \times d$ in which $b_v = 1000 \text{ mm}$ and d is the thickness of composite element (with *overtopping* concrete)

$$0,55 A_c = 0,55 \times 1000 \times 14 \text{ N} = 77000 \text{ N} = 77 \text{ kN}$$

$$V_{nh} < 0,55 A_c = 51,786 \text{ kN} < 77 \text{ kN (OK)}$$

(see SNI, 2013 paragraph 17.5.3.1)

$$\phi V_s = \phi(n)(A_{se} f_{ut}) \text{ (PCI, 2004)}$$

$$0,65 \times 77 \text{ kN} = 0,65 \times n \times 132,78 \text{ mm}^2 \times 390 \text{ N/mm}^2$$

$$50050 \text{ N} = 33659,73 \text{ N} \times n$$

$$n = 1,48 \approx 3$$

$$s = 1000 \text{ mm}/3 = 333,33 \text{ mm} \approx 300 \text{ mm}$$

Use shear connector D13-300.

4.2.3.8. Reinforcement Bar Due to Lifting Process of Slab

When lifting process occurs, the need of reinforcement bar due to lifting process, is necessary. Because when lifting process occurs, it will produce moment force. So, the moment force must be calculated and then the reinforcement bar designed so it can bear the moment force due to lifting process. In this chapter will use four lifting points of slab (Figure 4.25).

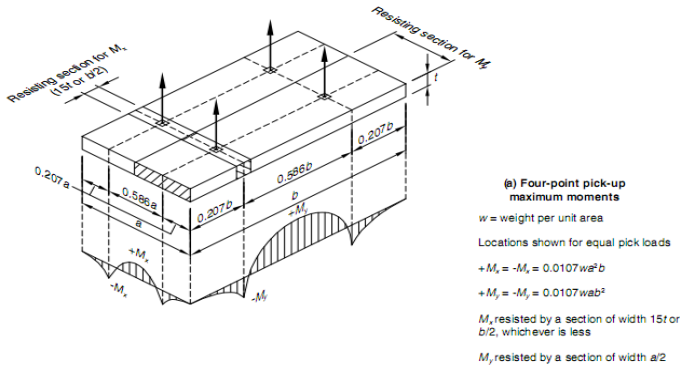


Figure 4.25. Four lifting points of roof slab
 (source: PCI, 2004)

The general data for calculating lifting bar will be shown below

f'_c (14 days)	= 26,4 MPa
f_y	= 240 MPa = 2400 kg/cm ²
slab's type	= roof, (type AA1, etc.)
dimension	= 500 x 250 mm ²
n (number of points)	= 4
a (slab's width)	= 2230mm
b (slab's length)	= 4680mm
k (shock coefficient)	= 1,2
t (slab's thickness)	= 9 cm
before monolith condition)	
w (=t x 2400 kg/m ²)	= 216 kg/m ²
k x DL (= slab's weight +	= 2732,16 kg
shear connector (1% slab's weight)	
Qu (=1.4 DL x k)	= 3825,032 kg
P (=Qu/n)	= 956,26 kg

Designing The Lifting Bar

The designing process of lifting bar will use equation below

$$\phi_{\text{tulangamangkat}} \geq \sqrt{\frac{n \times P}{\pi \times \sigma}}$$

in which n is the number of liting points and σ is $f_y/1,5 = 1600 \text{ kg/cm}^2$ ($SF = 1,5$, $f_y = 240 \text{ MPa}$).

So, the value of ϕ (diameter of lifting bar) is

$$\phi = \sqrt{\frac{4 \times 956,26 \text{ kg}}{\frac{22}{7} \times 1600 \text{ kg/cm}^2}} = 0,87 \text{ cm}$$

use lifting bar $\phi = 10 \text{ mm}$ instead ($A_s = 78,5714 \text{ mm}^2$).

Moment Calculation Due to Lifting Process

The moment calculatin will be divided into two calculations based on slab's direction (direction a and direction b). Direction a is slab's transversal direction and direction b is slab's longitudinal direction (Figure 4.26 and Figure 4.27).

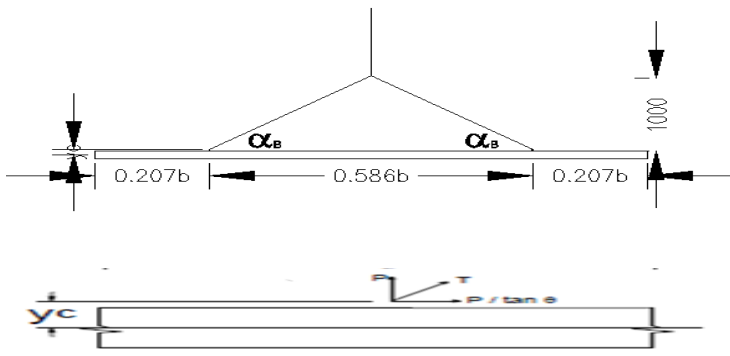


Figure 4.26. Slab's longitudinal direction (direction b) when lifting process occurs
(source: Private Documentation)

direction b

b	$= 468 \text{ cm}$
n (number of point)	$= 2$
$0,207 b$	$= 0,97 \text{ m}$
$0,586 b$	$= 2,74 \text{ m}$
rope's height	$= 1000 \text{ mm}$
α_b°	$= \tan^{-1} ((\text{rope's height}/(0,586 b/2))$ $= 36,12^\circ$
T_b	$= P \times \sin \alpha_b^\circ = 563,78 \text{ kg}$
y_c	$= 0,5 t + 1'' = 0,0704 \text{ m}$
M_b	$= 0,0107 \times w \times a^2 \times b = 53,789 \text{ kgm}$
$M_{b'}$	$= P \times y_c / \tan \alpha_b^\circ = 92,23 \text{ kgm}$
(moment force due to lifting process)	
M_b (total)	$= 146,018 \text{ kgm}$
M_b is retained by area of $15t$ or $b/4$ (choose the least value between)	
$15t$	$= 135 \text{ cm}$
$b/4$	$= 234 \text{ cm}$
use $15t = 135 \text{ cm}$	
Z_b	$= 1/6 \times 15t \times t^2 = 1822,5 \text{ cm}^3$



Figure 4.27. Slab's transversal direction (direction a) when lifting process occurs
(source: Private Documentation)

direction a

a	= 223 cm
n (number of point)	= 2
0,207 a	= 0,47 m
0,586 a	= 1,29 m
rope's height	= 1000mm
α_a°	= \tan^{-1} ((rope's height/(0,586 a/2)) = 57,17 $^{\circ}$
T _a	= P x sin α_a° = 803,6 kg
y _c	= 0,5 t + 1'' = 0,0704 m
M _a	= 0,0107 x w x a x b ² = 112,88 kgm
M _{a'}	= P x y _c /tan α_a° = 43,42 kgm
(moment force due to lifting process)	
M _a (total)	= 156,306 kgm
M _a is retained by area of a/2	
a/2	= 111,5 cm
Z _a	= 1/6 x a/2 x t ² = 1505,25 cm ³

Checking The Crack Factor

The lifting bar will use $\phi = 10$ mm plain bar.

Checking the f_{cr} value (assumed the concrete's age is 14 days)

$$f_{cr} = 0,62 \lambda \sqrt{f'c} / SF \text{ (SNI, 2013 paragraph 9.5.2.3)}$$

$$(\lambda = 1, \text{ SNI, 2013 paragraph 8.6.1})$$

(safety factor = 2)

f _{cr}	= 1,593 MPa
f _b	= M _b (total)/Z _b = 0,801 MPa
f _a	= M _a (total)/Z _a = 1,038 MPa
f _b < f _{cr}	= 0,801 MPa < 1,593 MPa (OK)
f _a < f _{cr}	= 1,038 MPa < 1,593 MPa (OK)

Checking The Strand Cable

The strand cable for lifting process will use seven-wire strand 5/16 inch diameter with $f_{pu} = 250$ ksi (see PCI, 2004 Design Aid Table 11.2.3).

$$\begin{aligned}
 f_{pu} &= 250 \text{ ksi} \\
 A &= 0,058 \text{ in}^2 \\
 f_{pu} \times A &= 14,5 \text{ kips} = 64499,2132 \text{ N} \\
 SF &= 2 \\
 Af_{pu}/SF &= 3224,96\text{kg} \\
 T_b &= 563,78\text{kg} \\
 T_a &= 803,60\text{kg} \\
 T_b < Af_{pu}/SF &= 563,78\text{kg} < 3224,96 \text{ kg (OK)} \\
 T_a < Af_{pu}/SF &= 803,60\text{kg} < 3224,96 \text{ kg (OK)}
 \end{aligned}$$

4.2.3.9. Checking The Deflection of Slab

The deflection of slab is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4/EI)$$

$$\delta_{\max} = L_n/480 \text{ (in cm) (SNI 2847:2013 paragraph 9.5.3.1)}$$

in which q_u is taken as $861,2 \text{ kg/m}^2 \times 1 \text{ m}$ (see previous paragraph), I is the moment of inertia of slab ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'c)^{0,5}$, $f'c$ in 14 days

Deflection (Longitudinal, $L_n = 460 \text{ cm}$, $b = L_n$, $h = 15 \text{ cm}$)

$$\delta_b = (5/384) \times (q_u \times L^4/EI) = 0,197 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,958 \text{ cm}$$

$$\delta_b < \delta_{\max} \text{ (OK)}$$

Deflection (Transversal, $S_n = 215 \text{ cm}$, $b = S_n$, $h = 15 \text{ cm}$)

$$\delta_a = (5/384) \times (q_u \times L^4/EI) = 0,02 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,447 \text{ cm}$$

$$\delta_a < \delta_{\max} \text{ (OK)}$$

4.2.3.10. Checking The Shrinkage of Slab

The shrinkage of slab is calculated using equation below (see SNI, 2013 paragraph 10.6.4)

$$s = 380 \times 280 / f_s - 2,5 C_c \leq 380 \times 280 / f_s$$

in which $f_s = 2/3 f_y = 266,67$ MPa,

$C_c = \text{clear cover} + 1/2 \times D = 36,5$ mm

$$s = 398,99 - 91,25 = 307,74 \text{ N/mm} \leq 398,99 \text{ N/mm (OK)}$$

4.2.4. Reinforcement of Precast Secondary Beam

4.2.4.1. General Data

The general data for reinforcement of secondary beam will be shown below

b (width)	= 30 cm
h (height, before monolith)	= 45 cm
h (height, after monolith)	= 45 cm + hf (floor) = 60 cm
L (axis to axis)	= 5000 mm
L (actual)	= 4600 mm
bar's diameter (D/deform)	= 22 mm
bar's diameter/stirrup (ϕ /plain)	= 10 mm
f'_c (28 days)	= 30 MPa
f'_c (14 days)	= $0,88 \times 30$ MPa = 26,4 MPa
f_y	= 390 MPa

4.2.4.2. Load Calculation

The load calculation of precast secondary beam will be assumed as trapezoid shape (Figure 4.28). The loads consist of dead load and live load. The load $q_{\text{equivalent}}$ (q_{eq}) will be obtained by this calculation below

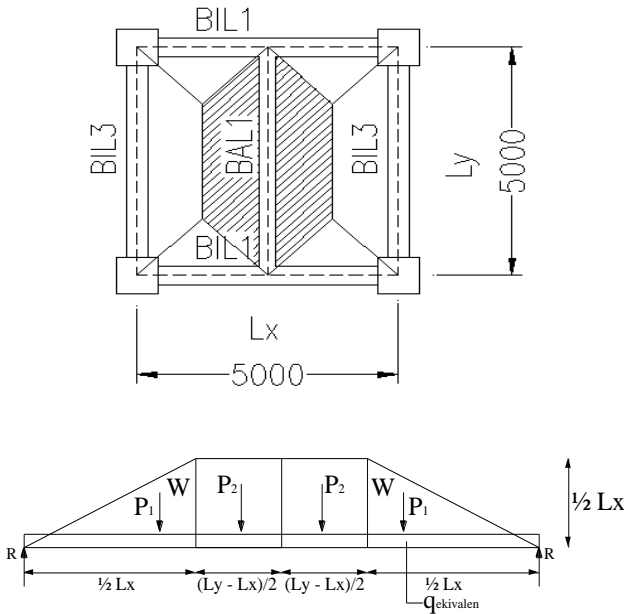


Figure 4.28. Trapezoid load of secondary beam
(source: Private Documentation)

trapezoid load

$$W = 1/2 \times q \times L_x \rightarrow \text{distributed load}$$

$$P1 = 1/2 \times L_x \times 1/2 \times L_x \times q/2 \rightarrow \text{area of } P1 (\text{triangular})$$

$$P2 = (L_y - L_x)/2 \times 1/2 \times L_x \times q \rightarrow \text{area of } P2 (\text{rectangular})$$

$$P1 = 1/8 \times q \times L_x^2$$

$$P2 = 1/4 \times q \times L_x (L_y - L_x)$$

$$\sum V = 0 \rightarrow 2R = 2 \times (P1 + P2) \rightarrow R = P1 + P2$$

Mmax (at middle span)

$$M_{\max} = (R \times 1/2 \times L_y) - (P1 \times (1/2 \times L_y - 1/3 \times L_x)) - (P2 \times (1/4 \times (L_y - L_x)))$$

$$M_{\max} = (R \times 1/2 \times L_y) - (P1 \times 1/2 \times L_y) + (P1 \times 1/3 \times L_x) - (P2 \times 1/4 \times L_y) + (P2 \times 1/4 \times L_x)$$

$$\begin{aligned}
M_{\max} &= (P1 \times 1/2 \times L_y) + (P2 \times 1/2 \times L_y) - (P1 \times 1/2 \times L_y) \\
&+ (P1 \times 1/3 \times L_x) - (P2 \times 1/4 \times L_y) + (P2 \times 1/4 \times L_x) \\
M_{\max} &= (P2 \times 1/4 \times L_y) + (P1 \times 1/3 \times L_x) + (P2 \times 1/4 \times L_x) \\
M_{\max} &= (q \times 1/16 \times L_x \times L_y^2) - (q \times 1/16 \times L_x^2 \times L_y) + (q \times \\
&1/24 \times L_x^3) + (q \times 1/16 \times L_x^2 \times L_y) - (q \times 1/16 \times L_x^3) \\
M_{\max} &= (q \times 1/16 \times L_x \times L_y^2) - (q \times 1/48 \times L_x^3) \\
M_{\max} &= q \times 1/8 \times L_y^2 \times (L_x \times 1/2 - L_x^3/L_y^2 \times 1/6)
\end{aligned}$$

$$M_{eq} = 1/8 \times q_{eq} \times L_y^2$$

$$M_{\max} = M_{eq}$$

$$q \times 1/8 \times L_y^2 \times (L_x \times 1/2 - L_x^3/L_y^2 \times 1/6) = 1/8 \times q_{eq} \times L_y^2$$

$$8 \times q \times 1/8 \times L_y^2 \times (L_x \times 1/2 - L_x^3/L_y^2 \times 1/6) = q_{eq} \times L_y^2$$

$$q \times L_y^2 \times (L_x \times 1/2 - L_x^3/L_y^2 \times 1/6) = q_{eq} \times L_y^2$$

$$q_{eq} = q \times (L_x \times 1/2 - L_x^3/L_y^2 \times 1/6)$$

$$q_{eq} = q \times L_x \times 1/2 \times ((1 - L_x^2/L_y^2) \times 1/3))$$

Before Monolith Condition

In this condition itself will be divided into two conditions below

1. condition a

when the *overtopping* concrete is not installed yet and the load consists of working load (construction process' load), precast slab element's load, and precast secondary beam element's load

2. condition b

when the *overtopping* concrete is already installed (not yet in monolith condition) and the load consists of *overtopping* concrete's load, precast slab element's load, precast secondary beam element's load, and construction process' load

Then the most critical condition between two conditions above will be used for load calculation.

1. dead load

secondary beam BAL1 : $0,3 \times 0,45 \times 2400 \text{ kg/m} = 324 \text{ kg/m}$

q of slab LA1

$$\text{(condition a)} : 608 \text{ kg/m}^2 = 608 \text{ kg/m}^2$$

q of slab LA1

$$\text{(condition b)} : 809,6 \text{ kg/m}^2 = 809,6 \text{ kg/m}^2$$

by using $L_y = 500 \text{ cm} - (40 \text{ cm}/2 + 40 \text{ cm}/2) = 460 \text{ cm}$ and $L_x = 250 \text{ cm} - (40 \text{ cm}/2 + 30 \text{ cm}/2) = 215 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

(two trapezoid loads)

$$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y))^2)$$

$$q \text{ (condition a)} = 608 \text{ kg/m}^2$$

$$q_{eq} = 1212,01 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$q \text{ (condition b)} = 809,6 \text{ kg/m}^2$$

$$q_{eq} = 1613,89 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$\text{DL (condition a)} = 1212,01 \text{ kg/m} + 324 \text{ kg/m}$$

$$= 1536,01 \text{ kg/m}$$

$$\text{DL (k, shock coefficient} = 1,2) = 1,2 \times 1536,01 \text{ kg/m}$$

$$= 1843,21 \text{ kg/m}$$

$$\text{DL (condition b)} = 1613,89 \text{ kg/m} + 324 \text{ kg/m}$$

$$= 1937,89 \text{ kg/m}$$

$$\text{DL (k, shock coefficient} = 1,2) = 1,2 \times 1937,89 \text{ kg/m}$$

$$= 2325,47 \text{ kg/m}$$

$$\text{DL (total, condition a)} : = 1843,21 \text{ kg/m}$$

$$\text{DL (total, condition b)} : = 2325,47 \text{ kg/m}$$

2. live load

$$\text{construction load:} = 200 \text{ kg/m}^2$$

$$q_{eq} = 398,688 \text{ kg/m} \rightarrow \text{due to live load}$$

$$\text{LL (total, condition a and b):} = 398,688 \text{ kg/m}$$

After Monolith Condition

In this condition itself will be divided only into one condition below

1. condition c

when the *overtopping* concrete is already installed (already in monolith condition) and the load consists

of overtopping concrete's load, precast slab element's load, precast secondary beam element's load, and live loads

1. dead load

secondary beam BAL1 : $0,3 \times 0,60 \times 2400 \text{ kg/m} = 432 \text{ kg/m}$

q of slab LA1

(condition c) : $922,8 \text{ kg/m}^2 = 922,8 \text{ kg/m}^2$

by using $L_y = 500 \text{ cm} - (40 \text{ cm}/2 + 40 \text{ cm}/2) = 460 \text{ cm}$
and $L_x = 250 \text{ cm} - (40 \text{ cm}/2 + 30 \text{ cm}/2) = 215 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y))^2)$

q (condition c) = $922,8 \text{ kg/m}^2$

$q_{eq} = 1839,55 \text{ kg/m} \rightarrow$ due to slab's load

DL (condition c) = $1839,55 \text{ kg/m} + 432 \text{ kg/m}$

= $2271,55 \text{ kg/m}$

DL (k, shock coefficient = 1,2) = $1,2 \times 2271,55 \text{ kg/m}$

= $2725,86 \text{ kg/m}$

DL (total, condition c) : = $2725,86 \text{ kg/m}$

2. live load

live load: $1,92 \text{ kN/m}^2 = 192 \text{ kg/m}^2$

$q_{eq} = 382,741 \text{ kg/m} \rightarrow$ due to live load

LL (total, condition c) : = $382,741 \text{ kg/m}$

4.2.4.3. Load Combination of Secondary Beam

The combination of load for secondary beam is based on SNI 2847:2013 paragraph 9.2.1. The combination itself is divided into three conditions (see previous pages). The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of secondary beam

condition a

(precast's age = 14 days)

$$Q_u = 1,2 \times 1843,21 + 1,6 \times 398,688 = 2849,76 \text{ kg/m}$$

condition b

(precast's age = 14 days, *overtopping's* age = 0 day)

$$Q_u = 1,2 \times 2325,47 + 1,6 \times 398,688 = 3729,06 \text{ kg/m}$$

condition c

(precast's age > 30 days, *overtopping's* age > 30 days)

$$Q_u = 1,2 \times 2725,86 + 1,6 \times 382,741 = 3883,41 \text{ kg/m}$$

4.2.4.4. Moment Calculation of Secondary Beam

The moment calculation of secondary beam before monolith condition (condition a and condition b) will use moment equation $M_u = 1/8 \times q \times L^2$. The moment calculation of secondary beam after monolith condition (condition c) will use the equations in SNI 2847:2013. For condition a and condition b, the secondary beam's support will be assumed as simple support (roller-pins). For condition c, the secondary beam's support will be assumed as fixed support. The moment calculation itself will be divided into three condition (condition a, condition b, and condition c). The equation for moment calculation for condition a and condition b will be shown below

$M_l = 1/8 \times q \times L^2$, in which L is the length of axis to axis of secondary beam

The equation for moment calculation for condition c is based on SNI (2013). According to SNI (2013), the equation of moment values for secondary beam (elastic fixed) are shown below

$$M_l (+) = 1/16 \times q \times L^2 \rightarrow \text{at field area}$$

$$M_t (-) = 1/10 \times q \times L^2 \rightarrow \text{at support area}$$

moment calculation of secondary beam

condition a ($q = 2849,76 \text{ kg/m}$, $L = 5 \text{ m}$)

$$M_l (+) = 8905,495 \text{ kgm}$$

condition b ($q = 3729,06 \text{ kg/m}$, $L = 5 \text{ m}$)

$Ml (+) = 11653,299 \text{ kgm}$
 condition c ($q = 3883,41 \text{ kg/m}$, $L = 5 \text{ m}$)
 $Ml (+) = 6067,832 \text{ kgm}$
 $Mt(-) = 9708,532 \text{ kgm}$

The Mu values are taken as
condition a

$Mu = 8905,495 \text{ kgm (+)}$

condition b

$Mu = 11653,299 \text{ kgm (+)}$

condition c

$Mul = 6067,832 \text{ kgm (+)}$

$Mut = 9708,532 \text{ kgm (-)}$

and then the Mu values are divided into two conditions which it will be taken as the greatest result between condition a and condition b for before monolith condition, then Mu value in condition c is considered as Mu value for after monolith condition.

before monolith condition

$Mul = 11653,299 \text{ kgm (+)}$

after monolith condition

$Mul = 6067,832 \text{ kgm (+)}$

$Mut = 9708,532 \text{ kgm (-)}$

4.2.4.5. Shear Force Calculation of Secondary Beam

The shear force calculation of secondary beam will use shear force equation $Vu = 1/2 \times q \times L$.

shear force calculation of secondary beam

condition a ($q = 2849,76 \text{ kg/m}$, $L = 5 \text{ m}$)

$Vu = 7124,396 \text{ kg}$

condition b ($q = 3729,06 \text{ kg/m}$, $L = 5 \text{ m}$)

$Vu = 9322,639 \text{ kg}$

condition c ($q = 3883,41 \text{ kg/m}$, $L = 5 \text{ m}$)

$Vu = 9708,532 \text{ kg}$

The V_u values are taken as
condition a

$$V_u = 7124,396 \text{ kg}$$

condition b

$$V_u = 9322,639 \text{ kg}$$

condition c

$$V_u = 9708,532 \text{ kg}$$

and then the V_u values are divided into two conditions which it will be taken as the greatest result between condition a and condition b for before monolith condition, then V_u value in condition c is considered as V_u value for after monolith condition.

before monolith condition $\rightarrow V_u = 9322,639 \text{ kg}$

after monolith condition $\rightarrow V_u = 9708,532 \text{ kg}$

4.2.4.6. Calculation of Reinforcement Bar

The calculation of reinforcement bar will be divided into two conditions (before monolith condition and after monolith condition). The general data for calculation of reinforcement bar of secondary beam is shown below

before monolith condition

secondary beam's dimension (precast) = $300\text{mm} \times 450\text{mm}$

after monolith condition

secondary beam's dimension (overall) = $300\text{mm} \times 600\text{mm}$

clear cover = 40 mm

bar's diameter (D) = 22 mm

bar's diameter/stirrup(ϕ /plain) = 10 mm

f'_c (28 days) = 30 Mpa

f'_c (14 days) = $0,88 \cdot 30 \text{ Mpa} = 26,4 \text{ MPa}$

f_y = 390 MPa

$d^?$ = clear cover + stirrup + $D/2 = 61 \text{ mm}$

before monolith condition

$$d = 450 - 40 - 10 - (22/2) = 389 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 14 days = 26,4 MPa, see Table 4.7)

$$\beta_1 = 0,85$$

$$A_s = \pi/4 x d^2 = 380,286 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 22,03 \text{ mm}$$

$$c = a / \beta_1 = 25,92 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,0420 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 17,38$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0032 \text{ (SNI, 2002 paragraph 12.5.1)}$$

after monolith condition

$$d = 600 - 40 - 10 - (22/2) = 539 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28 days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,286 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 19,38 \text{ mm}$$

$$c = a / \beta_1 = 23,19 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,0667 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Reinforcement Bar Before Monolith Condition

The general data for reinforcement bar of secondary beam before monolith condition will be shown below

secondary beam's dimension = 300x 450 mm²

f'_c = 26,4 MPa (14 days)

clear cover = 40 mm

bar's diameter = 22 mm, $A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$

$$\begin{aligned}
 b &= 300 \text{ mm} \\
 d &= 389 \text{ mm} \\
 d' &= 61 \text{ mm} \\
 \phi &= 0,9 \\
 M_{ul} &= 11653,299 \text{ kgm} = 116532995 \text{ Nmm}
 \end{aligned}$$

Flexural Bar

due to M_{ul}

$$Rn = \frac{Mn}{b \times d^2} = 2,852 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times Rn}{fy}} \right) = 0,00765$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,00765 > 0,0032$$

$$\text{use } \rho = \rho_{\text{need}} = 0,00765$$

$$As_{\text{need}} = \rho \times b \times d = 893,05 \text{ mm}^2$$

$$n = As_{\text{need}} / As_{\text{bar}} = 893,05 \text{ mm}^2 / 380,28 \text{ mm}^2 = 2,34$$

$$\text{use } n = 3 \rightarrow As_{\text{use}} = n \times As_{\text{bar}} = 1140,857 \text{ mm}^2$$

$$As_{\text{use}} > As_{\text{need}} = 1140,857 \text{ mm}^2 > 893,05 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 67 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$Vu = 9322,64 \text{ kg} = 93226,4 \text{ N}$$

$$Vs_{\text{min}} = Vu / \phi = 124302 \text{ N}$$

$$As_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$Av = 2 \times As_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{Av \times f_y \times d}{Vs} = 118,02 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 194,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

use $s = 100 \text{ mm}$

Use the space of stirrup bar, $s = 100 \text{ mm}$, ($\phi 10$ -100)

Development Bar's Length

$$\ell_{dh} = 8x d_b = 8x 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24x f_y / d_b x (f'_c)^{0,5} = 21,86 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 100 \text{ mm}$.

Reinforcement Bar After Monolith Condition

The general data for reinforcement bar of secondary beam after monolith condition will be shown below

secondary beam's dimension = $300x 600 \text{ mm}^2$

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 40 mm

bar's diameter = 22 mm , $A_s = \pi/4x d^2 = 380,28 \text{ mm}^2$

$b = 300 \text{ mm}$

$d = 539 \text{ mm}$

$d' = 61 \text{ mm}$

$\phi = 0,9$

$M_{ul} = 6067,832 \text{ kgm} = 60678328 \text{ Nmm}$

$M_{ut} = 9708,532 \text{ kgm} = 97085325 \text{ Nmm}$

Flexural Bar

due to M_{ul}

$$R_n = \frac{M_n}{b \times d^2} = 0,773 \text{ N} / \text{mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,002$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,002 < 0,0035$$

use $\rho = \rho_{\min} = 0,0035$

$$A_{s_{\text{need}}} = \rho x b x d = 565,95 \text{ mm}^2$$

$$n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 565,95 \text{ mm}^2/380,28 \text{ mm}^2 = 1,48$$

use $n = 3$ (3D22) $\rightarrow A_{s_{\text{use}}} = n x A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 565,95 \text{ mm}^2 \text{ (OK)}$$

$s = b - 2x\text{clear cover} - 2\phi - n x D/(n - 1) = 67 \text{ mm} > 25 \text{ mm}$
(OK), use 3D22 reinforcement bar

Flexural Bar

due to M_{ut}

$$R_n = \frac{M_n}{b \times d^2} = 1,237 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0032$$

$\rho_{\text{need}} < \rho_{\min} = 0,0032 < 0,0035$

use $\rho = \rho_{\min} = 0,0035$

$$A_{s_{\text{need}}} = \rho x b x d = 565,95 \text{ mm}^2$$

$$n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 565,95 \text{ mm}^2/380,28 \text{ mm}^2 = 1,48$$

use $n = 3 \rightarrow A_{s_{\text{use}}} = n x A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 565,95 \text{ mm}^2 \text{ (OK)}$$

$s = b - 2x\text{clear cover} - 2\phi - n x D/(n - 1) = 67 \text{ mm} > 25 \text{ mm}$
(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 9708,53 \text{ kg} = 97085,3 \text{ N}$$

$$V_s \text{ min} = V_u/\phi = 124302 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 163,53 \text{ mm}$$

$s_{maks} \leq d/2 = 269,5 \text{ mm}$ (SNI, 2013 paragraph 21.3.4.3)

Use the space of stirrup bar, $s = 150 \text{ mm}$, ($\phi 10$ -150)

Development Bar's Length

$$\ell_{dh} = 8x d_b = 8x 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24x f_y / d_b x (f'_c)^{0,5} = 23,3 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 100 \text{ mm}$.

Reinforcement Bar Due to Lifting Process' Moment

The general data for reinforcement bar of secondary beam due to lifting process's moment will be shown below
secondary beam's dimension = $300x 450 \text{ mm}^2$

$f'_c = 26,4 \text{ MPa}$ (14 days)

clear cover = 40 mm

bar's diameter = 22 mm , $A_s = \pi/4x d^2 = 380,28 \text{ mm}^2$

$b = 300 \text{ mm}$

$d = 389 \text{ mm}$

$d' = 61 \text{ mm}$

$\phi = 0,9$

$M_{ul} = 173,97 \text{ kgm} = 1739753,718 \text{ Nmm}$

$M_{ut} = 533,81 \text{ kgm} = 5338170,511 \text{ Nmm}$

(see paragraph 4.2.4.7)

Flexural Bar

due to M_{ul}

$$R_n = \frac{M_n}{b \times d^2} = 0,042 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,000109$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,000109 < 0,0032$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0032$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 373,44 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 373,44 \text{ mm}^2 / 380,28 \text{ mm}^2 = 0,98$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 373,44 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 67 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Flexural Bar

due to M_{ut}

$$R_n = \frac{M_n}{b \times d^2} = 0,13 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00033$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,00033 < 0,0032$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0032$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 373,44 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 373,44 \text{ mm}^2 / 380,28 \text{ mm}^2 = 0,98$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 373,44 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 67 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 1251,936 \text{ kg} = 12519,36 \text{ N}$$

$$V_{s \text{ min}} = V_u / \phi = 16692,48 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 878,87 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 269,5 \text{ mm (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 200 \text{ mm}$, ($\phi 10$ -200)

Development Bar's Length

$$\ell_{\text{dh}} = 8d_b = 8 \times 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 21,86 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 100 \text{ mm}$.

For the recapitulation of reinforcement bar will be shown in Table 4.11.

Table 4.11. Recapitulation of Reinforcement Bars of Precast Secondary Beam

Type	Length (mm)	Before Monolith Condition									
		Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar			
		As use (mm ²)	N	Code	As use (mm ²)	N	Code	S (mm)		S (mm)	Code
BAL1	4600	1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
		1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
BAL2	4400	1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
		1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
BAA1	4600	1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
		1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
BAA2	4400	1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100
		1146,94	3	3D22	1146,94	3	3D22	100		100	Φ10-100

After Monolith Condition									
Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar	
		As use (mm ²)	N	Code	As use (mm ²)	N	Code	s (mm)	Code
BAL1	4600	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-150
BAL2	4400	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-150
BAA1	4600	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200
BAA2	4400	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200

Due to Lifting Process' Moment									
Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar	
		As use (mm ²)	N	Code	As use (mm ²)	N	Code	s (mm)	Code
BAL1	4600	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200
BAL2	4400	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200
BAA1	4600	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200
BAA2	4400	1140,86	3	3D22	1140,86	3	3D22	100	Φ10-200

4.2.4.7. Reinforcement Bar Due to Lifting Process of Secondary Beam

When lifting process occurs, the need of reinforcement bar due to lifting process, is necessary. Because when lifting process occurs, it will produce moment force. So, the moment force must be calculated and then the reinforcement bar designed so it can bear the moment force due to lifting process. In this chapter will use two lifting points of secondary beam (Figure 4.29).

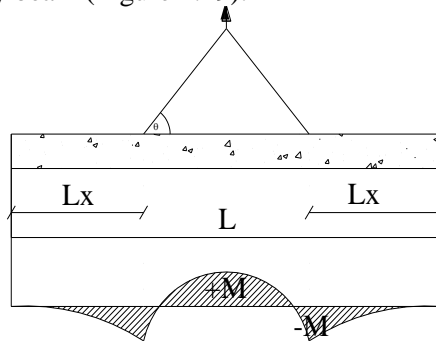


Figure 4.29. Two lifting points of secondary beam and the moment obtained due to lifting process of secondary beam
(source: Private Documentation)

The general data for calculating lifting bar will be shown below

f'_c (14 days)	= 26,4 MPa
f_y	= 240 MPa = 2400 kg/cm ²
secondary beam's type	= BAL1 (b = 300 x h = 450)
L (length)	= 4600 mm
n (number of points)	= 2
k (shock coefficient)	= 1,2
W = 300x450x4600x2400	= DL = 1490,4 kg
Wt = 300x450x2400	= 324 kg/m

$$\begin{aligned} Q_u (=1,4 DL \times k) &= 2503,87 \text{ kg} \\ P (=Q_u/n) = T_u &= 1251,93 \text{ kg} \end{aligned}$$

Designing The Lifting Bar

The designing process of lifting bar will use equation below

$$\phi_{\text{tulangamangkat}} \geq \sqrt{\frac{n \times P}{\pi \times \sigma}}$$

in which n is the number of liting points and σ is $f_y/1,5 = 1600 \text{ kg/cm}^2$ (SF = 1,5, $f_y = 240 \text{ MPa}$).

So, the value of ϕ (diameter of lifting bar) is

$$\phi = \sqrt{\frac{2 \times 1251,93 \text{ kg}}{\frac{22}{7} \times 1600 \text{ kg/cm}^2}} = 0,706 \text{ cm}$$

use lifting bar $\phi = 10 \text{ mm}$ instead ($A_s = 78,5714 \text{ mm}^2$).

Moment Calculation Due to Lifting Process

The moment calculation due to lifting process of beam will use these equations below

$$+M = \frac{WtL^2}{8} \left(1 - 4x + \frac{4yc}{L \tan \theta} \right) \rightarrow \text{moment at field area}$$

$$-M = \frac{WtX^2L^2}{2} \rightarrow \text{moment at support area}$$

$$X = \frac{1 + \frac{4yc}{L \tan \theta}}{2 \left(1 + \sqrt{1 + \frac{yt}{yb} \left(1 + \frac{4yc}{L \tan \theta} \right)} \right)}$$

$$y_t = y_b = \frac{1}{2} \times h = 22,5 \text{ cm}$$

$$y_c = y_t + 1'' = 25,04 \text{ cm}$$

$$\text{rope's height} = 1500 \text{ mm}$$

$$\theta^\circ = \tan^{-1} \left(\frac{\text{rope's height}}{L - 2LX} \right) = 55,99^\circ$$

$$\tan \theta^\circ = 1,483$$

$$X = 0,276 \text{ m} \rightarrow 0,28 \text{ m}$$

$$\begin{aligned}
LX &= 1,273 \text{ m} \rightarrow 1.288 \text{ m} \\
L - 2LX &= 2,052 \text{ m} \rightarrow 2.024 \text{ m} \\
T \text{ (cable force)} &= P \times \sin \theta^{\circ} = 1037,83 \text{ kg} \\
+M &= 173,97 \text{ kgm} \\
-M &= 322,49 \text{ kgm} \\
M' \text{ (negative moment)} &= P \times y_c / \tan \theta^{\circ} = 211,318 \text{ kgm} \\
\text{(moment force due to lifting process)} & \\
-M \text{ (total)} &= 533,81 \text{ kgm} \\
Z &= 1/6 \times b \times h^2 = 10125 \text{ cm}^3
\end{aligned}$$

Checking The Crack Factor

The lifting bar will use $\phi = 10$ mm plain bar.

Checking the f_{cr} value (assumed the concrete's age is 14 days)

$$\begin{aligned}
f_{cr} &= 0.62 \lambda \sqrt{f'c} / SF \text{ (SNI, 2013 paragraph 9.5.2.3)} \\
(\lambda &= 1, \text{ SNI, 2013 paragraph 8.6.1)} \\
\text{(safety factor} &= 2)
\end{aligned}$$

$$\begin{aligned}
f_{cr} &= 1,593 \text{ MPa} \\
f \text{ (due to field moment)} &= +M(\text{total})/Z = 0,172 \text{ MPa} \\
f \text{ (due to support moment)} &= -M(\text{total})/Z = 0,527 \text{ MPa} \\
f < f_{cr} &= 0,172 \text{ MPa} < 1,593 \text{ MPa (OK)} \\
f < f_{cr} &= 0,527 \text{ MPa} < 1,593 \text{ MPa (OK)}
\end{aligned}$$

Checking The Strand Cable

The strand cable for lifting process will use seven-wire strand 5/16 inch diameter with $f_{pu} = 250$ ksi (see PCI, 2004 Design Aid Table 11.2.3).

$$\begin{aligned}
f_{pu} &= 250 \text{ ksi} \\
A &= 0,058 \text{ in}^2 \\
f_{pu} \times A &= 14,5 \text{ kips} = 64499,2132 \text{ N} \\
SF &= 2 \\
A \times f_{pu}/SF &= 3224,96 \text{ kg} \\
T &= 1037,83 \text{ kg} \\
T < A f_{pu}/SF &= 1037,83 \text{ kg} < 3224,96 \text{ kg (OK)}
\end{aligned}$$

4.2.4.8. Checking The Deflection of Secondary Beam

The deflection of secondary beam is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4/EI)$$

$$\delta_{\max} = L_n/480 \text{ (in cm) (SNI 2847:2013 paragraph 9.5.3.1)}$$

in which q_u is taken as 3883,41 kg/m (see previous paragraph), I is the moment of inertia of secondary beam ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'_c)^{0,5}$, f'_c in 14 days

Deflection ($L_n = 460$ cm, $b = 30$ cm, $h = 45$ cm)

$$\delta = (5/384) \times (q_u \times L^4/EI) = 0,4115 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,958 \text{ cm}$$

$$\delta < \delta_{\max} \text{ (OK)}$$

4.2.5. Reinforcement of Stair Structure

4.2.5.1. General Data

The general data for reinforcement of staircase structure will be shown below (cast in place concrete, assuming the support is roller-pins, Figure 4.30).

f'_c	= 30 MPa
f_y	= 390 MPa
height	= 4000 mm
bordes' length	= 5000 mm
bordes' width	= 1400 mm
stair's width	= 5000 mm
stair's slab thickness (t_p)	= 200 mm
bordes' slab thickness	= 200 mm
step's height (t)	= 170 mm
step's width (i)	= 300 mm
step's total (n_i)	= height/ t
	= 4000 mm/170 mm
	= 23,5 = 24 steps
step's total (n_t)	= $n_i - 1 = 23$ steps
steps to bordes	= 12 steps
bordes to steps	= 12 steps

$$\begin{aligned}
 \text{bordes's elevation} &= n_t/2 \times t \\
 &= 24/2 \times 170 \text{ mm} \\
 &= 2040 = 2000 \text{ mm} \\
 \text{stair's slab length} &= n_t/2 \times i \\
 &= 24/2 \times 300 \text{ mm} \\
 &= 3600 \text{ mm} \\
 \text{slope } (\alpha^0) &= 29,05^0 \\
 \rightarrow \tan^{-1} \alpha^0 &= \text{bordes's elevation/stair's slab length} \\
 \rightarrow \tan^{-1} \alpha^0 &= 2000 \text{ mm}/3600 \text{ mm} \\
 \rightarrow \alpha^0 &= 29,05^0 \\
 \text{step's slab thickness } (t_r) &= i/2 \times \sin \alpha^0 \\
 &= 72,83 \text{ mm} \\
 \text{slab's thickness overall } (t_{\text{total}}) &= t_p + t_r = 272,83 \text{ mm}
 \end{aligned}$$

checking conditions:

steps

$$600 \text{ mm} \leq (2t + i) \leq 650 \text{ mm}$$

$$600 \text{ mm} \leq (2 \times 170 + 300) \leq 650 \text{ mm}$$

$$600 \text{ mm} \leq 640 \text{ mm} \leq 650 \text{ mm (OK)}$$

slope

$$25^0 \leq \alpha^0 \leq 40^0$$

$$25^0 \leq 29,05^0 \leq 40^0 \text{ (OK)}$$

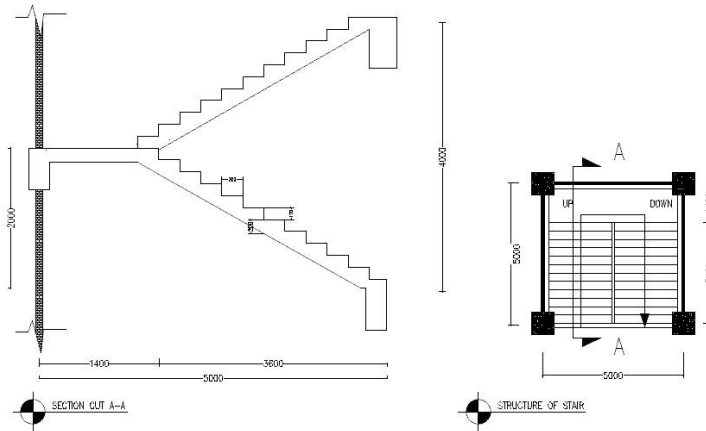


Figure 4.30. The structure of stair
(source: Private Documentation)

4.2.5.2. Load Calculation

Staircase's Load

1. dead load

$$\text{stair's slab} : t_{\text{total}} / \cos \alpha^0 \times 2400 \times 1 \text{ kg/m} = 749,1 \text{ kg/m}$$

mortar (mixture) 2 cm

$$\text{vertical step} : 2 \times 21 \text{ kg/m} = 42 \text{ kg/m}$$

$$\text{horizontal step} : 2 \times 21 \text{ kg/m} = 42 \text{ kg/m}$$

ceramic 1 cm

$$\text{vertical step} : 1 \times 24 \text{ kg/m} = 24 \text{ kg/m}$$

$$\text{horizontal step} : 1 \times 24 \text{ kg/m} = 24 \text{ kg/m}$$

$$\text{stair's handle} : 50 \text{ kg/m} = 50 \text{ kg/m}$$

$$\text{DL (total)} : = 931,1 \text{ kg/m}$$

2. live load

$$\text{live load} : 1 \times 4,79 \text{ kN/m} = 479 \text{ kg/m}$$

$$\text{LL (total)} : = 479 \text{ kg/m}$$

load combination

$$Q_u = 1,2\text{DL} + 1,6\text{LL}.$$

$$Q_u = 1,2 \times 931,1 + 1,6 \times 479 = 1883,72 \text{ kg/m} = q_2$$

Bordes's Load

1. dead load

$$\text{bordes's slab} : 0,2 \times 1 \times 2400 \text{ kg/m} = 480 \text{ kg/m}$$

$$\text{mortar (mixture) 2 cm} : 2 \times 21 \text{ kg/m} = 42 \text{ kg/m}$$

$$\text{ceramic 1 cm} : 1 \times 24 \text{ kg/m} = 24 \text{ kg/m}$$

$$\text{DL (total)} : = 546 \text{ kg/m}$$

2. live load

$$\text{live load} : 1 \times 4,79 \text{ kN/m} = 479 \text{ kg/m}$$

$$\text{LL (total)} : = 479 \text{ kg/m}$$

load combination

$$Q_u = 1,2\text{DL} + 1,6\text{LL.}$$

$$Q_u = 1,2 \times 546 + 1,6 \times 479 = 1421,6 \text{ kg/m} = q_1$$

4.2.5.3. Moment Calculation

The moment calculation of staircase structure will be shown below (assuming the support is roller-pins, Figure 4.31)

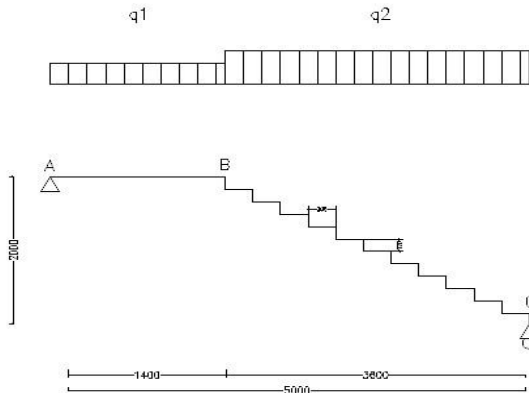


Figure 4.31. Load distribution of stair
(source: Private Documentation)

$$\begin{aligned}\sum M_A &= 0 \\ (V_C \times 5) - (q_2 \times 3,6 \times (3,6/2 + 1,4)) - (q_1 \times 1,4 \times (1,4/2)) &= 0 \\ V_C &= 4619,163 \text{ kg}\end{aligned}$$

$$\begin{aligned}\sum M_C &= 0 \\ (V_A \times 5) - (q_1 \times 1,4 \times (1,4/2 + 3,6)) - (q_2 \times 3,6 \times (3,6/2)) &= 0 \\ V_A &= 4153,154 \text{ kg}\end{aligned}$$

$$\sum H = 0$$

$$\begin{aligned}\sum V &= 0 \\ V_A + V_C &= (q_1 \times 1,4 \text{ m}) + (q_2 \times 3,6 \text{ m}) \\ 8772,317 \text{ kg} &= 8772,317 \text{ kg}\end{aligned}$$

Bordes A-B (1,4 m)

- a. moment force (M)

$$\begin{aligned}X &= V_A/q_1 \\ &= 4153,154 \text{ kg}/(1421,6 \text{ kg/m}) \\ &= 2,9 \text{ m (not meet condition} \rightarrow X_{\text{maz}} = 1,4 \text{ m)}\end{aligned}$$

$$M_A = 0 \text{ kgm}$$

$$\begin{aligned}M_{B \text{ left}} &= V_A \times X - \frac{1}{2} \times q_1 \times X^2 \rightarrow (X = 1,4 \text{ m}) \\ &= 4421,248 \text{ kgm}\end{aligned}$$

- b. shear force (D)

point A

$$D_{A \text{ left}} = 0 \text{ kg}$$

$$D_{A \text{ right}} = V_A = 4153,154 \text{ kg}$$

point B

$$\begin{aligned}D_{B \text{ left}} &= V_A - Q_1 \\ &= 4153,154 \text{ kg} - 1990,24 \text{ kg} \\ &= 2162,914 \text{ kg}\end{aligned}$$

- c. normal force (N)

point A

$$N_A = 0 \text{ kg}$$

point B

$$N_B = 0 \text{ kg}$$

Stair B-C (3,6 m)

a. moment force (M)

$$\begin{aligned} X &= V_C/q_2 \\ &= 4619,163 \text{ kg}/(1883,72 \text{ kg/m}) \\ &= 2,45 \text{ m (from right side)} \end{aligned}$$

$$\begin{aligned} M_{\max} &= V_C \times X - \frac{1}{2} \times q_2 \times X^2 \rightarrow (X = 2,45 \text{ m}) \\ &= 5662,87 \text{ kgm} \end{aligned}$$

$$M_C = 0 \text{ kgm}$$

$$\begin{aligned} M_{B \text{ right}} &= V_C \times X - \frac{1}{2} \times q_2 \times X^2 \rightarrow (X = 3,6 \text{ m}) \\ &= 4421,248 \text{ kgm} \end{aligned}$$

b. shear force (D)

point C

$$D_{C \text{ right}} = 0 \text{ kg}$$

$$\begin{aligned} D_{C \text{ left}} &= V_C \cos \alpha^0 - (q_2 \times \cos \alpha^0 \times X) \rightarrow X = 0 \text{ m} \\ &= 4037,875 \text{ kg} \end{aligned}$$

point B

$$\begin{aligned} D_{B \text{ right}} &= V_C \cos \alpha^0 - (q_2 \times \cos \alpha^0 \times X) \rightarrow X = 3,6 \text{ m} \\ &= -1890,73 \text{ kg} \end{aligned}$$

c. normal force (N)

point C

$$\begin{aligned} N_C &= -V_C \sin \alpha^0 + (q_2 \times \sin \alpha^0 \times X) \rightarrow X = 0 \text{ m} \\ &= -2243,26 \text{ kg} \end{aligned}$$

point B

$$\begin{aligned} N_B &= -V_C \sin \alpha^0 + (q_2 \times \sin \alpha^0 \times X) \rightarrow X = 3,6 \text{ m} \\ &= 1050,404 \text{ kg} \end{aligned}$$

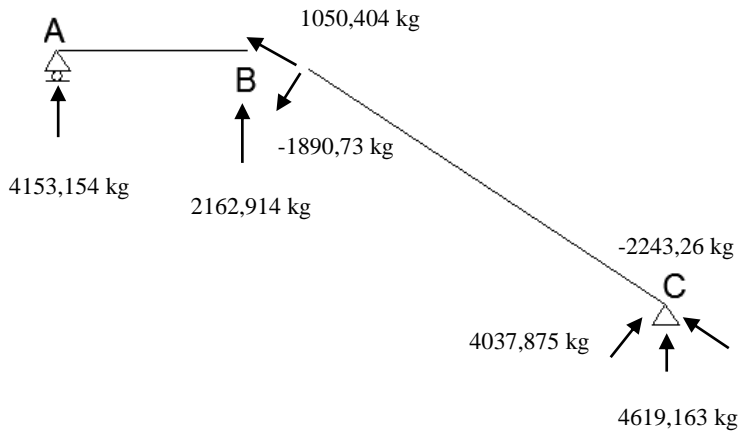


Figure 4.32. Stair's free-body diagram
(source: Private Documentation)

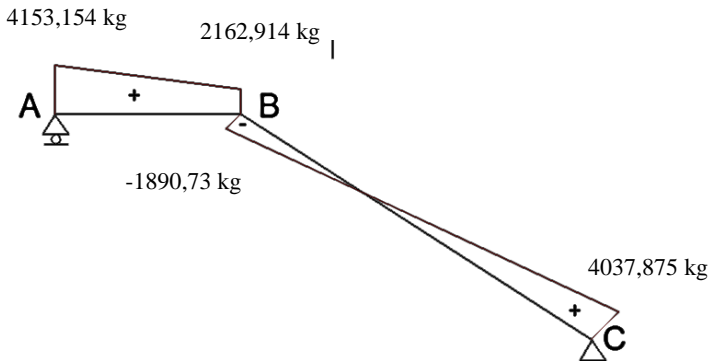


Figure 4.33. Stair's shear force diagram (D)
(source: Private Documentation)

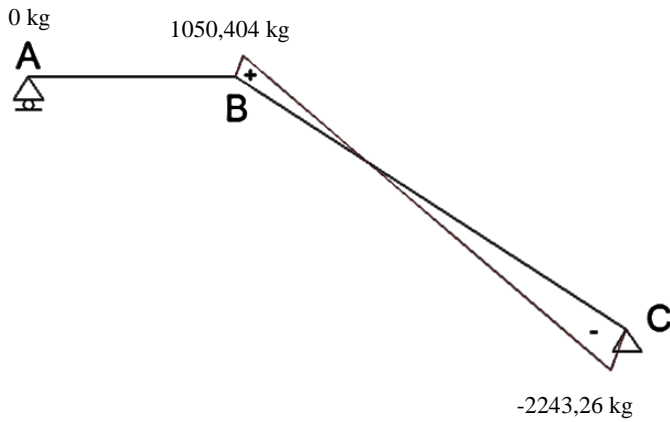


Figure 4.34. Stair's normal force diagram (N)
(source: Private Documentation)

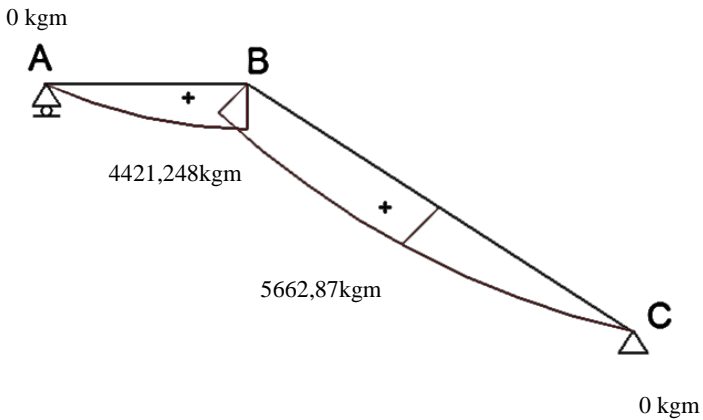


Figure 4.35. Stair's moment force diagram (M)
(source: Private Documentation)

4.2.5.4. Reinforcement of Stair's Slab

General Data

The general data for calculation of reinforcement bar of stair's slab is shown below

stair's slab thickness	= 200 mm
clear cover	= 30 mm
bar's diameter (D)	= 13 mm
f'_c	= 30 MPa
f_y	= 390 MPa
$d = 200 - 30 - 13 - (13/2)$	= 150,5 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,18 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

Reinforcement Bar of Stair's Slab

The general data for reinforcement bar of stair's slab will be shown below

stair's slab thickness	= 200 mm, $f'_c = 30 \text{ MPa}$ (28 days)
clear cover	= 30 mm
bar's diameter	= 13 mm, $A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$
b	= 1000 mm
d	= 150,5 mm
ϕ	= 0,9
M_u	= 5662,867 kgm = 56628672,48 Nmm

Main Bar/Longitudinal Bar

$$M_n = M_u / \phi = 62920747 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 2,77 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0075$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0075 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0075$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 1137,7 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 1137,7 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 8,56$$

$$\text{use } n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1327,857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1327,857 \text{ mm}^2 > 1137,7 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$$

So, the longitudinal bar will use D13-100.

Shrinkage Bar/Transversal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 301 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 301 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 2,26$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,93 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,93 \text{ mm}^2 > 301 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D13-200.

4.2.5.5. Reinforcement of Bordes's SlabGeneral Data

The general data for calculation of reinforcement bar of bordes's slab is shown below

$$\text{bordes's slab thickness} = 200 \text{ mm}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\text{bar's diameter (D)} = 13 \text{ mm}$$

$$f'_c = 30 \text{ Mpa}$$

$$f_y = 390 \text{ MPa}$$

$$d = 200 - 30 - 13 - (13/2) = 150,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\varepsilon_t = (d/c - 1) x 0,003 = 0,18 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

Reinforcement Bar of Bordes's Slab

The general data for reinforcement bar of bordes's slab will be shown below

bordes's slab thickness = 200 mm, $f'_c = 30$ MPa (28 days)

clear cover = 30 mm

bar's diameter = 13 mm, $A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$

b = 1000 mm

d = 150,5 mm

$\phi = 0,9$

$M_u = 4421,248 \text{ kgm} = 44212481,16 \text{ Nmm}$

Main Bar/Longitudinal Bar

$$M_n = M_u / \phi = 49124979 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 2,168 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0058$$

$$\rho_{\text{need}} > \rho_{\min} = 0,0058 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0058$$

$$A_{s_{\text{need}}} = \rho x b x d = 875,93 \text{ mm}^2$$

$n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 875,93 \text{ mm}^2/132,7857 \text{ mm}^2 = 6,59$
 use $n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1327,857 \text{ mm}^2$
 $A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1327,857 \text{ mm}^2 > 875,93 \text{ mm}^2$ (OK)
 $s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$
 So, the longitudinal bar will use D13-100.

Shrinkage Bar/Transversal Bar

$A_{s_{\text{need}}} = 0,002 \times b \times d = 301 \text{ mm}^2$
 $n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 301 \text{ mm}^2/132,7857 \text{ mm}^2 = 2,26$
 use $n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,93 \text{ mm}^2$
 $A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,93 \text{ mm}^2 > 301 \text{ mm}^2$ (OK)
 $s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$
 So, the transversal bar will use D13-200.

4.2.5.6. Reinforcement of Bordes's Beam

General Data

The general data for calculation of reinforcement bar of bordes's beam is shown below

bordes's beam dimension	= 300mm × 600mm
clear cover	= 40 mm
bar's diameter (D)	= 22 mm
bar's diameter/stirrup(ϕ /plain)	= 10 mm
f'_c	= 30 MPa
f_y	= 390 MPa
$d' = \text{clear cover} + \text{stirrup} + D/2$	= 61 mm
$d = 600 - 40 - 10 - (22/2)$	= 539 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$$

$$a = A_s \times f_y / (0,85 \times f'_c \times b) = 19,38 \text{ mm}$$

$$c = a/\beta_1 = 23,19 \text{ mm}$$

$$\varepsilon_t = (d/c - 1) \times 0,003 = 0,06 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 \times f'_c) = 15,29$$

$$\rho_{\min} = 1/4 \times (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Load Calculation of Bordes's Beam

The load calculation for bordes's beam will be shown below

1. dead load

bordes's beam	: 0,3x0,6x2400 kg/m	= 432 kg/m
brick wall	: 5x250 kg/m	= 1250 kg/m
1,4 DL	: 1,4(432 + 1250) kg/m	= 2354,8 kg/m

bordes's slab	: 1421,6 kg/m = 1421,6 kg/m
DL (total)	: = 3776,4 kg/m

Load Combination of Bordes's Beam

The combination of load for bordes's beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, as 1,2DL + 1,6LL.

load combination of bordes's beam

$$Q_u = 1,2 \times 3776,4 + 1,6 \times 0 = 4531,68 \text{ kg/m}$$

Moment Calculation of Bordes's Beam

According to SNI (2013), the equation of moment values for bordes's beam are shown below

$$M_l (+) = 1/16 \times q \times L^2 \rightarrow \text{at field area}$$

$$M_t (-) = 1/10 \times q \times L^2 \rightarrow \text{at support area}$$

moment calculation of bordes's beam

$$(q = 4531,68 \text{ kg/m, } L = 5 \text{ m})$$

$$M_l (+) = 7080,75 \text{ kgm}$$

$$M_t (-) = 11329,2 \text{ kgm}$$

The Mu values are taken as

$$M_{ul} = 7080,75 \text{ kgm (+)}$$

$$M_{ut} = 11329,2 \text{ kgm (-)}$$

Shear Force Calculation of Bordes's Beam

The shear force calculation of bordes's beam will use shear force equation $V_u = 1/2 \times q \times L$.

shear force calculation of bordes's beam

($q = 4531,68 \text{ kg/m}$, $L = 5 \text{ m}$)

$V_u = 11329,2 \text{ kg}$

Reinforcement Bar of Bordes's Beam

The general data for reinforcement bar of bordes's beam will be shown below

bordes's beam's dimension = $300 \times 600 \text{ mm}^2$

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 40 mm

bar's diameter = 22 mm , $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$

$b = 300 \text{ mm}$

$d = 539 \text{ mm}$

$d' = 61 \text{ mm}$

$\phi = 0,9$

$M_{ul} = 7080,75 \text{ kgm} = 70807500 \text{ Nmm}$

$M_{ut} = 11329,2 \text{ kgm} = 113292000 \text{ Nmm}$

Flexural Bar

due to M_{ul}

$$R_n = \frac{M_n}{b \times d^2} = 1,083 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0022$$

$\rho_{\text{need}} < \rho_{\text{min}} = 0,0022 < 0,0035$

use $\rho = \rho_{\text{min}} = 0,0035$

$A_{s_{\text{need}}} = \rho \times b \times d = 565,95 \text{ mm}^2$

$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 565,95 \text{ mm}^2 / 380,28 \text{ mm}^2 = 1,48$

use $n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$

$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 565,95 \text{ mm}^2$ (OK)

$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 66,67 \text{ mm} > 25 \text{ mm}$
(OK), use 3D22 reinforcement bar

Flexural Bar

due to M_{ut}

$$R_n = \frac{M_n}{b \times d^2} = 1,733 \text{ N} / \text{mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00356$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,00356 > 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,00356$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 576,20 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 576,20 \text{ mm}^2 / 380,28 \text{ mm}^2 = 1,51$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 576,20 \text{ mm}^2 \text{ (OK)}$$

$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 66,67 \text{ mm} > 25 \text{ mm}$
(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 11329,2 \text{ kg} = 113292 \text{ N}$$

$$V_s \text{ min} = V_u / \phi = 151056 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 218,68 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 269,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 150 \text{ mm}$, (ϕ 10-150)

Development Bar's Length

$$\ell_{dh} = 8x d_b = 8x 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24x f_y / d_b x (f'_c)^{0,5} = 23,3 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 100 \text{ mm}$.

4.2.6. Reinforcement of Elevator's Beam**4.2.6.1. General Data**

The general data for reinforcement of elevator's beam structure will be shown below (cast in place concrete, assuming the support is roller-pins)

Elevator's type:

Asia Schneider (Thailand) Co., Ltd

C300 Passenger Elevator Duplex (see Table 4.12)

capacity	= 680 kg
velocity	= 60 m/min
dimension (see Figure 4.36)	
OP	= 800 mm
CW	= 1400 mm
CD	= 1200 mm
HW	= 3850 mm
HD	= 1800 mm

machine room's reaction load

R3 = 4900 kg

R4 = 3100 kg

elevator beam's dimension

separator beam = 250 mm x 650 mm

support elevator beam = 250 mm x 650 mm

Table 4.12. Type of Elevator C300 Passenger Elevator Duplex
(source: Asia Schneider Thailand, Co., Ltd)

Speed (m/min)	Capacity		Entrance Center Opening E (mm)	Car Size		Dimension				Machine Room			
	Person	Load (kg)		Inside CW*CD	Outside SW*SD	In Hoistway		Pit Reaction		R3	R4		
						A&A'	RD	S	S				
60	6	450	800	1400x850	1450x1015	200	320	150	3600	2300			
	7	550	800	1400x1000	1450x1165	200	320	150	4000	2600			
	8	630	800	1400x1100	1450x1265	200	320	150	4200	2800			
	9	680	800	1400x1200	1450x1365	200	320	150	4900	3100			
	10	750	800	1400x1300	1450x1465	200	320	150	5300	3300			
	10	800	800	1400x1350	1450x1515	200	320	150	5600	3500			
	12	900	900	1600x1300	1650x1465	225	320	150	6100	3800			
	13	1000	900	1600x1400	1650x1565	225	320	150	6700	4100			
		Hoistway Size		Machine Room Size		Pit Reaction							
		Simplex		Duplex		Simplex		Duplex		Simplex		Duplex	
		HW	HD	HW	HD	MW	MD	MW	MD	R1	R2		
		1850	1450	3850	1450	2350	4350	3450	2350	5300	5000	4400	
		1850	1600	3850	1600	2350	3600	3600	2350	6200	6200	5100	
	1850	1700	3850	1700	2350	3700	3700	2350	6700	6700	5500		
	1850	1800	3850	1800	2350	3800	3800	2350	7200	7200	5800		
	1850	1900	3850	1900	2350	3900	3900	2350	7000	7000	6300		
	1850	1950	3850	1950	2350	3950	3950	2350	8300	8300	6700		
	2100	1900	4350	1900	2600	3900	4850	2600	9200	7400			
	2100	2000	4350	2000	2600	4000	4850	2600	10100	8100			

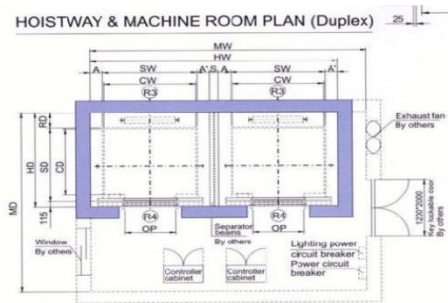


Figure 4.36. Dimension of elevator
(source: Asia Schneider Thailand, Co., Ltd)

4.2.6.2. Load Calculation

The load, P , is determined by the factor, Ψ , in which Ψ is the shock coefficient. So, the P will be calculated by this equation below

$$P = \sum R \times \Psi$$

hence

$$\Psi = (1 + k_1 k_2 v) \geq 1,15$$

in which

k_1 is the coefficient which its value depends on stiffenes of *keran induk*, use $k_1 = 0,6$

k_2 is the coefficient which its value depends on machine's behavior, use $k_2 = 1,3$

v is the velocity of elevator which is 60 m/min or 1 m/s

then,

$$\Psi = (1 + 0,6 \times 1,3 \times 1) = 1,78 \geq 1,15$$

$$P = \sum R \times \Psi = (R3 + R4) \times 1,78 = 14240 \text{ kg}$$

4.2.6.3. Reinforcement of Separator Beam

General Data

The general data for calculation of reinforcement bar of separator beam is shown below

b	= 200 mm
h	= 650 mm
clear cover	= 30 mm
bar's diameter (D)	= 22 mm
bar's diameter/stirrup(ϕ /plain)	= 10 mm
f'_c	= 30 MPa
f_y	= 390 MPa
d'	= clear cover + stirrup + D/2 = 51 mm
d	= 650 - 30 - 10 - (22/2) = 599 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 29,08 \text{ mm}$$

$$c = a / \beta_1 = 34,79 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,048 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Load Calculation of Separator Beam

The load calculation for separator beam is shown below

1. dead load

$$\text{beam : } 0,20 x 0,65 x 2400 \text{ kg/m} = 312 \text{ kg/m}$$

$$\text{slab's weight : } 15 \text{ cm} x 2400 \text{ kg/m}^2 = 360 \text{ kg/m}^2$$

$$\text{mortar mixture (1 cm) : } 1 x 21 \text{ kg/m}^2 = 21 \text{ kg/m}^2$$

$$\text{ceramic (1 cm) : } 1 x 24 \text{ kg/m}^2 = 24 \text{ kg/m}^2$$

$$\text{q of elevator's slab : } = 405 \text{ kg/m}^2$$

by using $L_y = 223$ cm and $L_x = 170$ cm, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$$q_{eq} = 2 \times q \times \frac{1}{2} \times L_x \times ((1 - \frac{1}{3} \times (L_x/L_y)^2)$$

$$q = 405 \text{ kg/m}^2$$

$$q_{eq} = 555,126 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$DL = 555,126 \text{ kg/m} + 312 \text{ kg/m} = 867,126 \text{ kg/m}$$

$$DL \text{ (total)} := 867,126 \text{ kg/m}$$

2. live load

$$\text{live load} := 192 \text{ kg/m}^2$$

$$q_{eq} = 263,1709 \text{ kg/m}$$

$$LL \text{ (total)} := 263,1709 \text{ kg/m}$$

Load Combination of Separator Beam

The combination of load for separator beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of separator beam

$$Q_u = 1,2 \times 867,126 + 1,6 \times 263,1709 = 1461,225 \text{ kg/m}$$

Moment Calculation of Separator Beam

According to SNI (2013), the equation of moment values for separator beam are shown below

$$M_u = \frac{1}{8} \times q \times L^2 + \frac{1}{4} \times P \times L$$

moment calculation of separator beam

$$(q = 1461,225 \text{ kg/m}, P = 14240 \text{ kg}, L = 1,7 \text{ m})$$

$$M_u = 6580,012 \text{ kgm}$$

The Mu values are taken as
 $M_u = 6580,012 \text{ kgm}$

Shear Force Calculation of Separator Beam

The shear force calculation of separator beam will use shear force equation $V_u = 1/2 \times q \times L + 1/2 \times P$
 shear force calculation of separator beam
 ($q = 1461,225 \text{ kg/m}$, $P = 14240 \text{ kg}$, $L = 1,7 \text{ m}$)
 $V_u = 8749,712 \text{ kg}$

Reinforcement Bar of Separator Beam

The general data for reinforcement bar of separator beam will be shown below

separator beam dimension = $200 \times 650 \text{ mm}^2$

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 30 mm

bar's diameter = 22 mm , $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$

$b = 200 \text{ mm}$

$d = 599 \text{ mm}$

$d' = 51 \text{ mm}$

$\phi = 0,9$

$M_u = 6580,012 \text{ kgm} = 65800119 \text{ Nmm}$

Flexural Bar

due to M_u

$$R_n = \frac{M_n}{b \times d^2} = 1,018 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0026$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0026 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 500,65 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 500,65 \text{ mm}^2 / 380,28 \text{ mm}^2 = 1,31$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 500,65 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 51,1 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240$ MPa, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 8749,712 \text{ kg} = 87497,12 \text{ N}$$

$$V_s \text{ min} = V_u / \phi = 116662,83 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 193,6 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 299,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 150$ mm, (ϕ 10-150)

Development Bar's Length

$$\ell_{\text{dh}} = 8 \times d_b = 8 \times 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 23,3 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 180$ mm with hook $4d_b = 88$ mm ≈ 100 mm.

4.2.6.4. Reinforcement of Elevator Beam

General Data

The general data for calculation of reinforcement bar of elevator beam is shown below

$$b = 200 \text{ mm}$$

$$h = 650 \text{ mm}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\begin{aligned}
 \text{bar's diameter (D)} &= 22 \text{ mm} \\
 \text{bar's diameter/stirrup}(\phi/\text{plain}) &= 10 \text{ mm} \\
 f'_c &= 30 \text{ Mpa} \\
 f_y &= 390 \text{ MPa} \\
 d' &= \text{clear cover} + \text{stirrup} + D/2 = 51 \text{ mm} \\
 d &= 650 - 30 - 10 - (22/2) = 599 \text{ mm}
 \end{aligned}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 29,08 \text{ mm}$$

$$c = a / \beta_1 = 34,78 \text{ mm}$$

$$\varepsilon_t = (d/c - 1) x 0,003 = 0,048 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Load Calculation of Elevator Beam

The load calculation for elevator beam is shown below

1. dead load

beam : 0,20x0,65x2400 kg/m	= 312 kg/m
slab's weight : 15 cm x 2400 kg/m ²	= 360 kg/m ²
mortar mixture (1 cm) : 1 x 21 kg/m ²	= 21 kg/m ²
ceramic (1 cm) : 1 x 24 kg/m ²	= 24 kg/m ²
ducting + plumbing : 25 kg/m ²	= 25 kg/m ²
q of elevator's slab :	= 430 kg/m ²

by using $L_y = 420$ cm and $L_x = 170$ cm, it is obtained the value of q_{eq} due to slab's load

(trapezoids load)

$$q_{eq} = q x 1/2 x L_x x ((1 - 1/3 x (L_x/L_y)^2)$$

$$q = 430 \text{ kg/m}^2$$

$q_{eq} = 294,69 \text{ kg/m} \rightarrow$ due to slab's load

$$DL = 294,69 \text{ kg/m} + 312 \text{ kg/m} = 606,69 \text{ kg/m}$$

$$DL \text{ (total)} := 606,69 \text{ kg/m}$$

2. live load

live load: = $400 \text{ kg/m}^2 \rightarrow$ (see PPIUG, 1983 for machine's room load)

$$q_{eq} = 274,136 \text{ kg/m}$$

$$LL \text{ (total)} := 274,136 \text{ kg/m}$$

Load Combination of Elevator Beam

The combination of load for elevator beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of separator beam

$$Q_u = 1,2 \times 606,69 + 1,6 \times 274,136 = 1166,654 \text{ kg/m}$$

Moment Calculation of Elevator Beam

According to SNI (2013), the equation of moment values for elevator beam are shown below

$$M_u = 1/8 \times q \times L^2 + 1/4 \times P \times L$$

moment calculation of separator beam

$$(q = 1166,654 \text{ kg/m}, P = 14240 \text{ kg}, L = 4,2 \text{ m})$$

$$M_u = 17524,47 \text{ kgm}$$

The M_u values are taken as

$$M_u = 17524,47 \text{ kgm}$$

Shear Force Calculation of Elevator Beam

The shear force calculation of elevator beam will use shear force equation $V_u = 1/2 \times q \times L + 1/2 \times P$
 shear force calculation of separator beam
 ($q = 1166,654 \text{ kg/m}$, $P = 14240 \text{ kg}$, $L = 4,2 \text{ m}$)
 $V_u = 9569,974 \text{ kg}$

Reinforcement Bar of Elevator Beam

The general data for reinforcement bar of elevator beam will be shown below

elevator beam dimension = $200 \times 650 \text{ mm}^2$

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 30 mm

bar's diameter = 22 mm , $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$

$b = 200 \text{ mm}$

$d = 599 \text{ mm}$

$d' = 51 \text{ mm}$

$\phi = 0,9$

$M_u = 17524,47 \text{ kgm} = 175244722 \text{ Nmm}$

Flexural Bar

due to M_u

$$R_n = \frac{M_n}{b \times d^2} = 2,173 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0073$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0073 > 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0073$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 884,75 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 884,75 \text{ mm}^2 / 380,28 \text{ mm}^2 = 2,32$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 884,75 \text{ mm}^2 \text{ (OK)}$$

$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 36,1 \text{ mm} > 25 \text{ mm}$
(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 9569,974 \text{ kg} = 95699,74 \text{ N}$$

$$V_s \text{ min} = V_u / \phi = 127599,65 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 177,04 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 299,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 150 \text{ mm}$, ($\phi 10$ -150)

Development Bar's Length

$$\ell_{dh} = 8 \times d_b = 8 \times 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 23,3 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 100 \text{ mm}$.

4.2.7. Reinforcement of Ramp Structure

4.2.7.1. General Data

The general data for reinforcement of ramp structure will be shown below (cast in place concrete, assuming the support is roller-pins, Figure 4.37).

f'_c	= 30 MPa
f_y	= 390 MPa
height	= 4000 mm
bordes's length	= 5000 mm

bordes's width	= 2000 mm
ramp's width	= 5000 mm
ramp's length (horizontal)	= 6000 mm
ramp's slab thickness (t_p)	= 300 mm
bordes's slab thickness	= 300 mm
bordes's elevation	= 4000 mm
ramp's slab length	= $(4^2 + 6^2)^{1/2}$ m
	= 7,2 m = 7200 mm
slope (α^0)	= $33,69^0$
$\rightarrow \tan^{-1} \alpha^0 = \text{bordes's elevation/ramp's length (horizontal)}$	
$\rightarrow \tan^{-1} \alpha^0 = 4000 \text{ mm}/6000 \text{ mm}$	
$\rightarrow \alpha^0 = 33,69^0$	

checking conditions of slope:

$$25^0 \leq \alpha^0 \leq 40^0$$

$$25^0 \leq 33,69^0 \leq 40^0 \text{ (OK)}$$

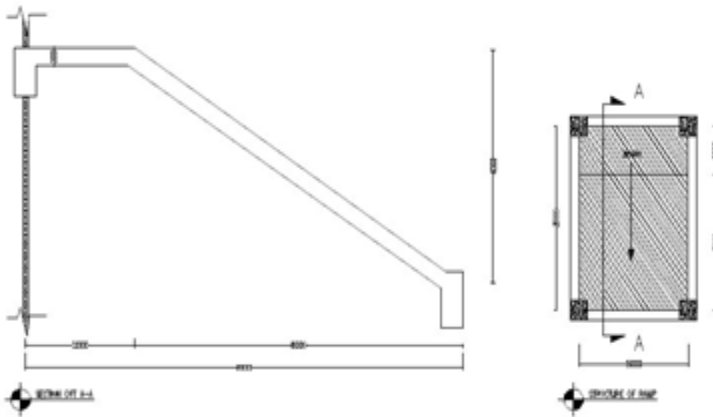


Figure 4.37. The structure of ramp
(source: Private Documentation)

4.2.7.2. Load Calculation

Ramp's Load

1. dead load		
ramp's slab	: $t_p / \cos \alpha^0 \times 2400 \times 1 \text{ kg/m}$	= 865,3 kg/m
mortar (mixture) 2 cm	: $2 \times 21 \text{ kg/m}$	= 42 kg/m
DL (total) :		= 907,3 kg/m

2. live load		
live load	: $1 \times 800 \text{ kg/m}$	= 800 kg/m
LL (total) :		= 800 kg/m

load combination

$$Q_u = 1,2DL + 1,6LL.$$

$$Q_u = 1,2 \times 907,3 + 1,6 \times 800 = 2368,76 \text{ kg/m} = q_2$$

Bordes's Load

1. dead load		
bordes's slab	: $0,3 \times 1 \times 2400 \text{ kg/m}$	= 720 kg/m
mortar (mixture) 2 cm	: $2 \times 21 \text{ kg/m}$	= 42 kg/m
DL (total) :		= 762 kg/m

2. live load		
live load	: $1 \times 800 \text{ kg/m}$	= 800 kg/m
LL (total) :		= 800 kg/m

load combination

$$Q_u = 1,2DL + 1,6LL.$$

$$Q_u = 1,2 \times 762 + 1,6 \times 800 = 2194,4 \text{ kg/m} = q_1$$

4.2.7.3. Moment Calculation

The moment calculation of ramp's structure will be shown below (assuming the support is roller-pins, Figure 4.38).

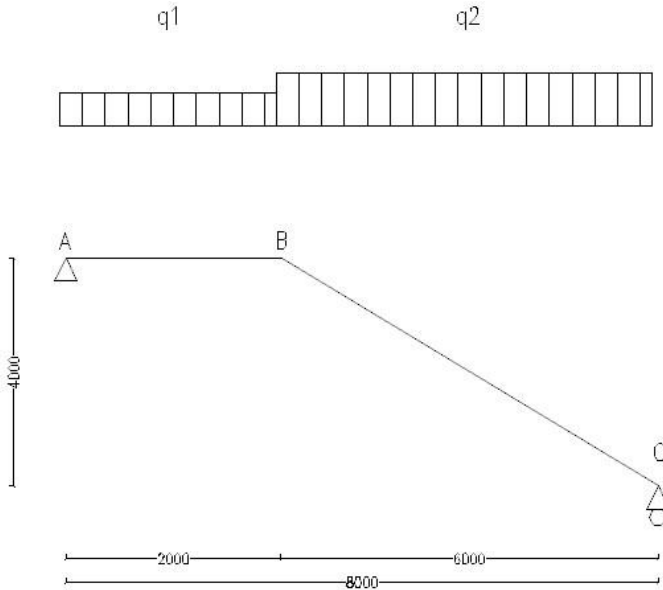


Figure 4.38. Load distribution of ramp
(source: Private Documentation)

$$\sum M_A = 0$$

$$(V_C \times 8) - (q_2 \times 6 \times (6/2 + 2)) - (q_1 \times 2 \times (2/2)) = 0$$

$$V_C = 9432,21 \text{ kg}$$

$$\sum M_C = 0$$

$$(V_A \times 8) - (q_1 \times 2 \times (2/2 + 6)) - (q_2 \times 6 \times (6/2)) = 0$$

$$V_A = 9170,36 \text{ kg}$$

$$\sum H = 0$$

$$\sum V = 0$$

$$V_A + V_C = (q_1 \times 2 \text{ m}) + (q_2 \times 6 \text{ m})$$

$$18602,57 \text{ kg} = 18602,57 \text{ kg}$$

Bordes A-B (2 m)

- a. moment force (M)

$$\begin{aligned} X &= V_A/q_1 \\ &= 9170,36 \text{ kg}/(1421,6 \text{ kg/m}) \\ &= 4,17 \text{ m (not meet condition } \rightarrow X_{\max} = 2 \text{ m)} \end{aligned}$$

$$M_A = 0 \text{ kgm}$$

$$\begin{aligned} M_{B \text{ left}} &= V_A \times X - \frac{1}{2} \times q_1 \times X^2 \rightarrow (X = 2 \text{ m}) \\ &= 13951,93 \text{ kgm} \end{aligned}$$

- b. shear force (D)

point A

$$D_{A \text{ left}} = 0 \text{ kg}$$

$$D_{A \text{ right}} = V_A = 9170,36 \text{ kg}$$

point B

$$\begin{aligned} D_{B \text{ left}} &= V_A - Q_1 \\ &= 9170,36 \text{ kg} - 4388,8 \text{ kg} \\ &= 4781,566 \text{ kg} \end{aligned}$$

- c. normal force (N)

point A

$$N_A = 0 \text{ kg}$$

point B

$$N_B = 0 \text{ kg}$$

Ramp B-C (6 m)

- a. moment force (M)

$$\begin{aligned} X &= V_C/q_2 \\ &= 9432,21 \text{ kg}/(2368,76 \text{ kg/m}) \\ &= 3,98 \text{ m (from right side)} \end{aligned}$$

$$\begin{aligned} M_{\max} &= V_C \times X - \frac{1}{2} \times q_2 \times X^2 \rightarrow (X = 3,98 \text{ m}) \\ &= 18777,54 \text{ kgm} \end{aligned}$$

$$M_C = 0 \text{ kgm}$$

$$\begin{aligned} M_{B \text{ right}} &= V_C \times X - \frac{1}{2} \times q_2 \times X^2 \rightarrow (X = 6 \text{ m}) \\ &= 13951,93 \text{ kgm} \end{aligned}$$

- b. shear force (D)

point C

$$D_{C \text{ right}} = 0 \text{ kg}$$

$$D_{\text{Cleft}} = V_{CX} \cos \alpha^0 - (q_2 X \cos \alpha^0 X) \rightarrow X = 0 \text{ m} \\ = 7848,073 \text{ kg}$$

point B

$$D_{\text{Bright}} = V_{CX} \cos \alpha^0 - (q_2 X \cos \alpha^0 X) \rightarrow X = 6 \text{ m} \\ = -3978,5 \text{ kg}$$

c. normal force (N)

point C

$$N_C = -V_{CX} \sin \alpha^0 + (q_2 X \sin \alpha^0 X) \rightarrow X = 0 \text{ m} \\ = -5232,05 \text{ kg}$$

point B

$$N_B = -V_{CX} \sin \alpha^0 + (q_2 X \sin \alpha^0 X) \rightarrow X = 6 \text{ m} \\ = 2652,336 \text{ kg}$$

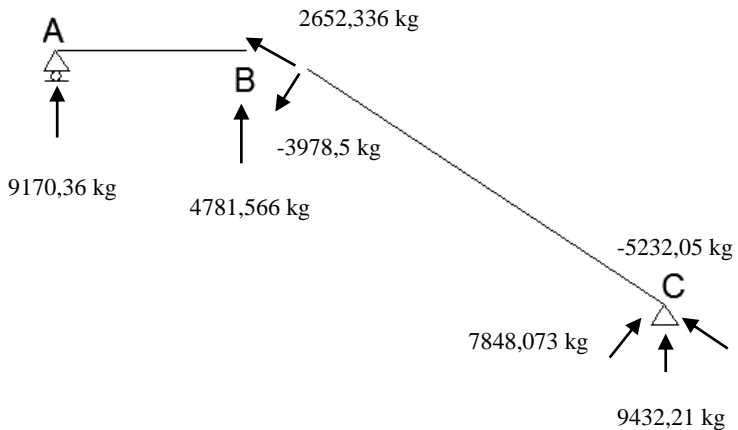


Figure 4.39. Ramp's free-body diagram
(source: Private Documentation)

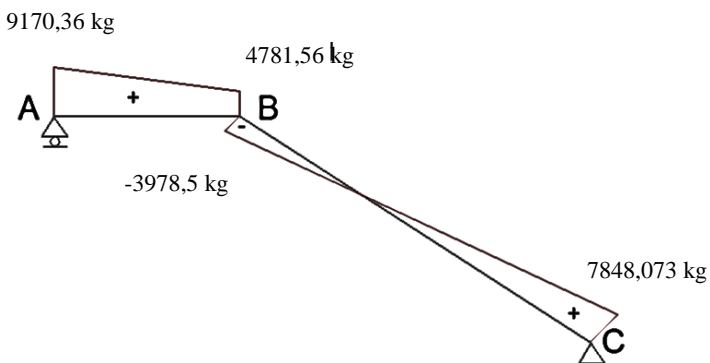


Figure 4.40. Ramp's shear force diagram (D)
(source: Private Documentation)

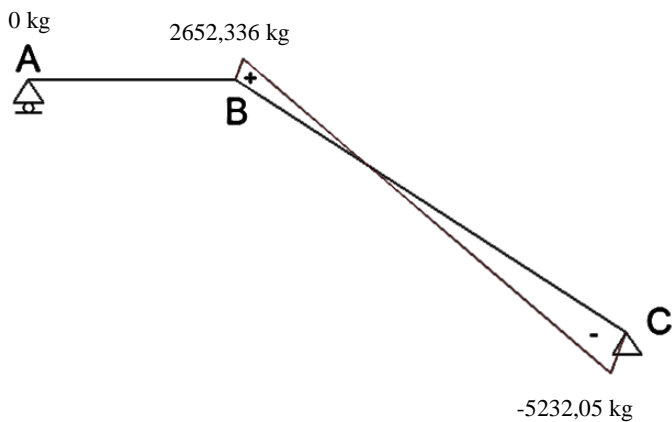


Figure 4.41. Ramp's normal force diagram (N)
(source: Private Documentation)

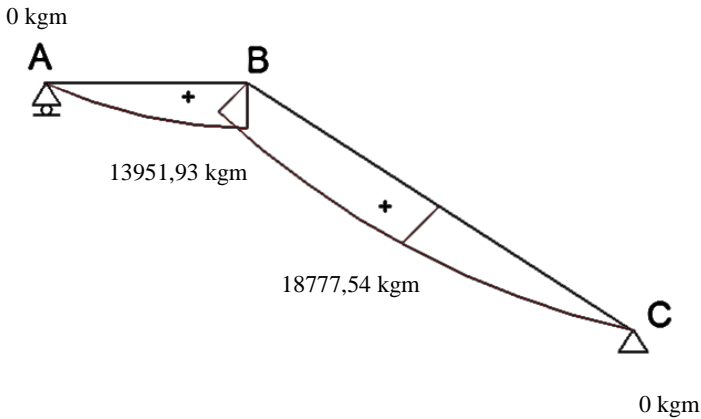


Figure 4.42. Ramp's moment force diagram (M)
(source: Private Documentation)

4.2.7.4. Reinforcement of Ramp's Slab

General Data

The general data for calculation of reinforcement bar of ramp's slab is shown below

ramp's slab thickness	= 300 mm
clear cover	= 30 mm
bar's diameter (D)	= 19 mm
f'_c	= 30 MPa
f_y	= 390 MPa
$d = 300 - 30 - 19 - (19/2)$	= 241,5 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 283,64 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 4,33 \text{ mm}$$

$$c = a/\beta_1 = 5,19 \text{ mm}$$

$$\epsilon_t = (d/c - 1) \times 0,003 = 0,13 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 \times f'_c) = 15,29$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1).}$$

Reinforcement Bar of Ramp's Slab

The general data for reinforcement bar of ramp's slab will be shown below

$$\text{ramp's slab thickness} = 300 \text{ mm, } f'_c = 30 \text{ MPa (28 days)}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\text{bar's diameter} = 19 \text{ mm, } A_s = \pi/4 \times d^2 = 283,64 \text{ mm}^2$$

$$b = 1000 \text{ mm}$$

$$d = 241,5 \text{ mm}$$

$$\phi = 0,9$$

$$M_u = 18777,54 \text{ kgm} = 187775406 \text{ Nmm}$$

Main Bar/Longitudinal Bar

$$M_n = M_u / \phi = 208639340 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 3,57 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0099$$

$$\rho_{\text{need}} > \rho_{\min} = 0,0099 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0099$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 2397,16 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 2397,16 \text{ mm}^2 / 283,64 \text{ mm}^2 = 8,45$$

$$\text{use } n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 2836,4 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 2836,4 \text{ mm}^2 > 2397,16 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$$

So, the longitudinal bar will use D19-100.

Shrinkage Bar/Transversal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 483 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 483 \text{ mm}^2 / 283,64 \text{ mm}^2 = 1,74$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1418,21 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1418,21 \text{ mm}^2 > 483 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm} / 5 = 200 \text{ mm}$$

So, the transversal bar will use D19-200.

4.2.7.5. Reinforcement of Bordes's Slab**General Data**

The general data for calculation of reinforcement bar of bordes's slab is shown below

$$\text{bordess's slab thickness} = 300 \text{ mm}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\text{bar's diameter (D)} = 19 \text{ mm}$$

$$f'_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$d = 300 - 30 - 19 - (19/2) = 241,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi / 4 \times d^2 = 283,64 \text{ mm}^2$$

$$a = A_s \times f_y / (0,85 \times f'_c \times b) = 4,33 \text{ mm}$$

$$c = a / \beta_1 = 5,19 \text{ mm}$$

$$\epsilon_t = (d/c - 1) \times 0,003 = 0,13 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 \times f'_c) = 15,29$$

$$\rho_{\text{min}} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1).}$$

Reinforcement Bar of Bordes's Slab

The general data for reinforcement bar of bordes's slab will be shown below

bordes's slab thickness	= 300 mm, $f'_c = 30$ MPa (28 days)
clear cover	= 30 mm
bar's diameter	= 19 mm, $A_s = \pi/4xd^2 = 283,64$ mm ²
b	= 1000 mm
d	= 241,5 mm
ϕ	= 0,9
M_u	= 13951,93 kNm = 139519319,8 Nmm

Main Bar/Longitudinal Bar

$$M_n = M_u / \phi = 155021466,4 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 2,65 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0072$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0072 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0072$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 1742,015 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 1742,015 \text{ mm}^2 / 283,6 \text{ mm}^2 = 6,14$$

$$\text{use } n = 10 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 2836,4 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 2836,4 \text{ mm}^2 > 1742,015 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/10 = 100 \text{ mm}$$

So, the longitudinal bar will use D19-100.

Shrinkage Bar/Transversal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 483 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 483 \text{ mm}^2 / 283,64 \text{ mm}^2 = 1,74$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1418,21 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1418,21 \text{ mm}^2 > 483 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D19-200.

4.2.7.6. Reinforcement of Bordes's Beam

General Data

The general data for calculation of reinforcement bar of bordes's beam is shown below

bordes's beam dimension	= 400 mm × 800 mm
clear cover	= 40 mm
bar's diameter (D)	= 22 mm
bar's diameter/stirrup(ϕ /plain)	= 10 mm
f'_c	= 30 MPa
f_y	= 390 MPa
$d' = \text{clear cover} + \text{stirrup} + D/2$	= 61 mm
$d = 800 - 40 - 10 - (22/2)$	= 739 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 14,54 \text{ mm}$$

$$c = a / \beta_1 = 17,39 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,124 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Load Calculation of Bordes's Beam

The load calculation for bordes's beam will be shown below

1. dead load

bordes's beam	: 0,4x0,8x2400 kg/m	= 768 kg/m
brick wall	: 5x250 kg/m	= 1250 kg/m
1,4 DL	: 1,4(768 + 1250) kg/m	= 2825,2 kg/m
bordes's slab	: 2194,4 kg/m	= 2194,4 kg/m
DL (total)	: = 5019,6 kg/m	

Load Combination of Bordes's Beam

The combination of load for bordes's beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of bordes's beam

$$Q_u = 1,2 \times 5019,6 + 1,6 \times 0 = 6023,52 \text{ kg/m.}$$

Moment Calculation of Bordes's Beam

According to SNI (2013), the equation of moment values for bordes's beam are shown below

$$M_l (+) = 1/16 \times q \times L^2 \rightarrow \text{at field area}$$

$$M_t (-) = 1/10 \times q \times L^2 \rightarrow \text{at support area}$$

moment calculation of bordes's beam

$$(q = 6023,52 \text{ kg/m, } L = 5 \text{ m})$$

$$M_l (+) = 9411,75 \text{ kgm}$$

$$M_t (-) = 15058,8 \text{ kgm}$$

The M_u values are taken as

$$M_{ul} = 9411,75 \text{ kgm (+)}$$

$$M_{ut} = 15058,8 \text{ kgm (-)}$$

Shear Force Calculation of Bordes's Beam

The shear force calculation of bordes's beam will use shear force equation $V_u = 1/2 \times q \times L$.

shear force calculation of bordes's beam

$$(q = 6023,52 \text{ kg/m, } L = 5 \text{ m})$$

$$V_u = 15058,8 \text{ kg}$$

Reinforcement Bar of Bordes's Beam

The general data for reinforcement bar of bordes's beam will be shown below

$$\text{bordes's beam's dimension} = 400 \times 800 \text{ mm}^2$$

$$f'_c = 30 \text{ MPa (28 days)}$$

$$\text{clear cover} = 40 \text{ mm}$$

$$\text{bar's diameter} = 22 \text{ mm, } A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$$

$$\begin{aligned}
 b &= 400 \text{ mm} \\
 d &= 739 \text{ mm} \\
 d' &= 61 \text{ mm} \\
 \phi &= 0,9 \\
 M_{ul} &= 9411,75 \text{ kgm} = 94117500 \text{ Nmm} \\
 M_{ut} &= 15058,8 \text{ kgm} = 150588000 \text{ Nmm}
 \end{aligned}$$

Flexural Bar

due to M_{ul}

$$Rn = \frac{Mn}{b \times d^2} = 0,57 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times Rn}{fy}} \right) = 0,0012$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0012 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$As_{\text{need}} = \rho \times b \times d = 1034,6 \text{ mm}^2$$

$$n = As_{\text{need}} / As_{\text{bar}} = 1034,6 \text{ mm}^2 / 380,28 \text{ mm}^2 = 2,72$$

$$\text{use } n = 3 \rightarrow As_{\text{use}} = n \times As_{\text{bar}} = 1140,86 \text{ mm}^2$$

$$As_{\text{use}} > As_{\text{need}} = 1140,86 \text{ mm}^2 > 1034,6 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 100 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Flexural Bar

due to M_{ut}

$$Rn = \frac{Mn}{b \times d^2} = 0,92 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times Rn}{fy}} \right) = 0,0018$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0018 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$As_{\text{need}} = \rho \times b \times d = 1034,6 \text{ mm}^2$$

$$n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 1034,6 \text{ mm}^2/380,28 \text{ mm}^2 = 2,72$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,86 \text{ mm}^2 > 1034,6 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D/(n - 1) = 100 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Stirrup Bar

Use stirrup bar ϕ 10 mm, $f_y = 240$ MPa, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 15058,8 \text{ kg} = 150588 \text{ N}$$

$$V_s \text{ min} = V_u/\phi = 200784 \text{ N}$$

$$A_s = 22/7 \times 10 \times 10/4 \text{ mm}^2 = 78,57 \text{ mm}^2$$

$$A_v = 2 \times A_s = 157,14 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 225,56 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 369,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 100$ mm, (ϕ 10-100).

4.3. Modelling of Structure

4.3.1. Preface

The modelling of structure is based on SNI 2847:2013 and the calculation of its seismic load is based on SNI 1726:2012. The programme which is used for modelling structure is SAP 2000 v14[®].

4.3.2. General Data

The general data for modelling structure of HOTEL NOVOTEL THE SAMATOR SURABAYA will be shown below

f'_c	= 30 Mpa
f_y	= 390 MPa
height	= approx. 44 meters

height:	
per storey	= 4 meters, 10 storeys
basement	= 4 meters, 1 storey
dimension:	
primary beam	= 40/80
secondary beam	= 30/60
pillar (rectangular)	= 80/80
earthquake zone	= Surabaya, low seismic load zone

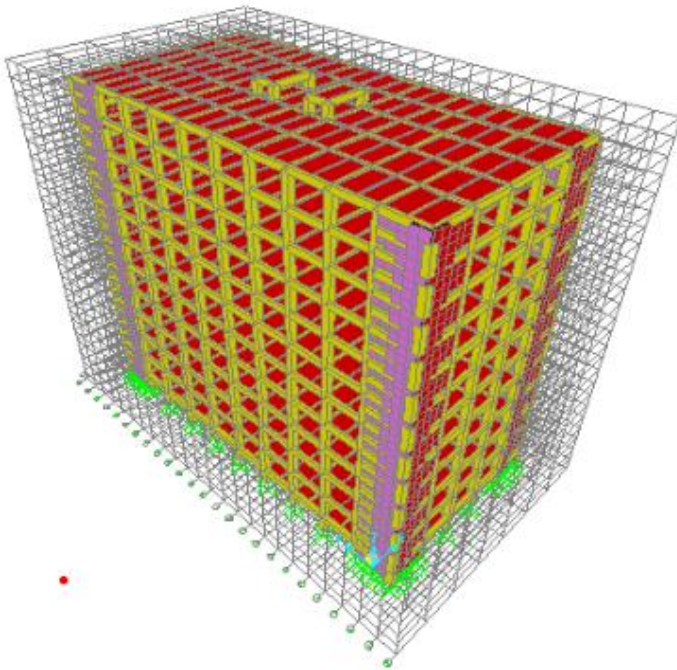


Figure 4.43. The structure's model in SAP 2000v14[®]
(source: Private Documentation)

4.3.3. Load Combinations

The load combinations for modelling structure will use combinations in SNI 1727:2013 paragraph 9.2.1 explains about load combination as the following

- $U = 1,4 D$
- $U = 1,2 D + 1,6 L$
- $U = 1,2 D + 1,0 L + 1,0 E_x$
- $U = 1,2 D + 1,0 L + 1,0 E_y$
- $U = 1 D + 1 L$
- $U = 0,9 D + 1,0 E_x$
- $U = 0,9 D + 1,0 E_y$

in which D is dead load, L is live load, E is seismic load, and U is ultimate load.

4.3.4. Analyzing Seismic Load

4.3.4.1. Spectrum Respons (MCE_R)

The quake zone map will be shown in Figure 4.44 and Figure 4.45. From the quake zone map, then it can be determined the value of S_s (respons spectral parameter, short periode, $T = 0,2$ sec.) and S_1 (respons spectral parameter, periode, $T = 1$ sec.). From Figure 4.46 and Figure 4.47, the value of S_s for Surabaya City is 0,7 g, and the value of S_1 for Surabaya City is 0,25 g.

Hence, the value of standard penetration which is based on SNI 1726:2012 paragraph 5.4.2 will be shown below

$$N = \frac{\sum_{i=1}^n d_i}{\sum_{i=1}^n \frac{d_i}{N_i}} = \frac{2 \times 10}{\left(\frac{2}{1} + \frac{2}{1} + \frac{2}{1} + \frac{2}{1} + \frac{2}{32} + \frac{2}{35} + \frac{2}{53} + \frac{2}{60} + \frac{2}{52} + \frac{2}{54}\right)}$$

$N = 2,419 < 15 \rightarrow$ Site Class SE (SNI, 2012 paragraph 5.3)

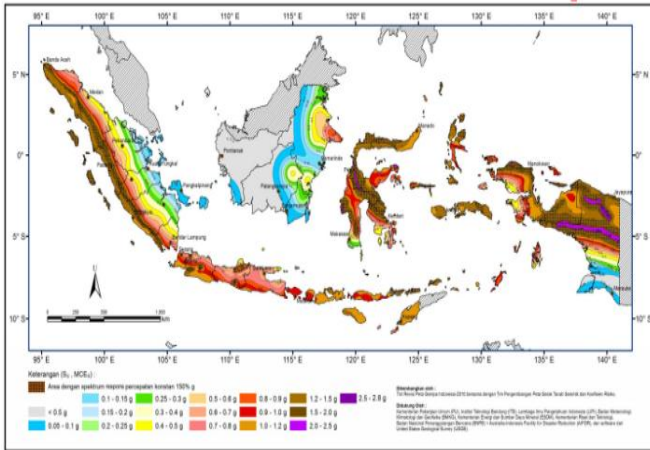


Figure 4.44. The quake zone map, for S_S (source: SNI, 2012)

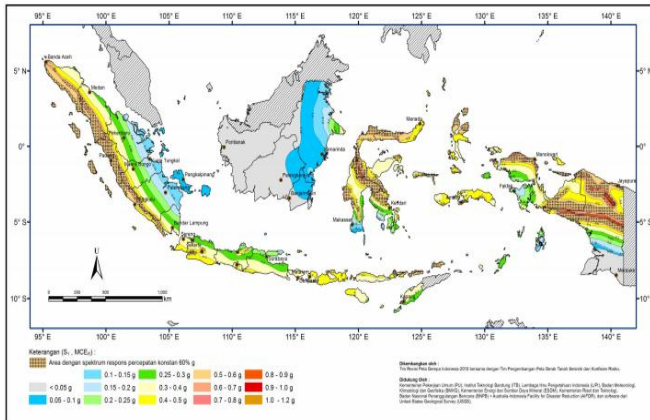


Figure 4.45. The quake zone map, for S₁ (source: SNI, 2012)

For the value of F_a (site coefficient, $T = 0,2$ sec.), and F_v (site coefficient, $T = 1$ sec.), it can be determined by looking at SNI 1726:2012 Table 4 and Table 5 (see Table 4.13 and Table 4.14).

Table 4.13. Site Coefficient, F_a
(source: SNI, 2012)

Site Class	S_s Parameter				
	$S_s \leq 0,25$	$S_s = 0,5$	$S_s = 0,75$	$S_s = 1$	$S_s \geq 1,25$
SA	0,8	0,8	0,8	0,8	0,8
SB	1	1	1	1	1
SC	1,2	1,2	1,1	1	1
SD	1,6	1,4	1,2	1,1	1
SE	2,5	1,7	1,2	0,9	0,9
SF	SS^b				

Table 4.14. Site Coefficient, F_v
(source: SNI, 2012)

Site Class	S_1 Parameter				
	$S_1 \leq 0,1$	$S_1 = 0,2$	$S_1 = 0,3$	$S_1 = 0,4$	$S_1 \geq 0,5$
SA	0,8	0,8	0,8	0,8	0,8
SB	1	1	1	1	1
SC	1,7	1,6	1,5	1,4	1,3
SD	2,4	2	1,8	1,6	1,5
SE	3,5	3,2	2,8	2,4	2,4
SF	SS^b				

then,

$$S_S = 0,7 \text{ g}$$

$$S_I = 0,25 \text{ g}$$

$$F_a = 1,3 \quad (\text{by linear interpolation})$$

$$F_v = 3 \quad (\text{by linear interpolation})$$

$$S_{MS} = F_a \times S_S \quad (\text{SNI, 2012 paragraph 6.2})$$

$$= 0,91$$

$$S_{M1} = F_v \times S_I \quad (\text{SNI, 2012 paragraph 6.2})$$

$$= 0,75$$

4.3.4.2. Spectral Respons Parameter

The spectral respons graphic will be shown in Figure

4.46.

$$S_{DS} = 2/3 \times S_{MS} \quad (\text{SNI, 2012 paragraph 6.3})$$

$$= 0,61$$

$$S_{D1} = 2/3 \times S_{M1} \quad (\text{SNI, 2012 paragraph 6.3})$$

$$= 0,5$$

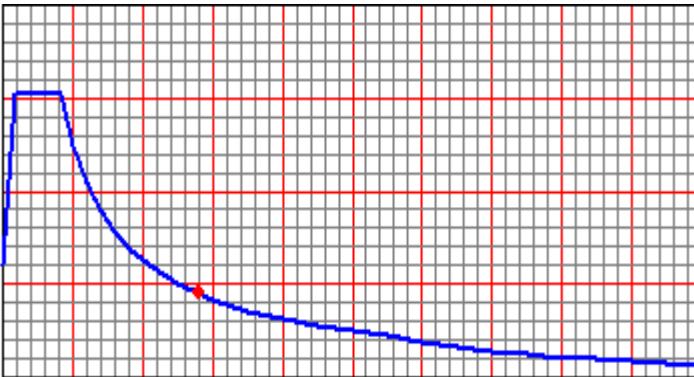


Figure 4.46. The spectral respons graphic
(source: Private Documentation)

For the seismic design category, it is based on the value of S_{DS} and S_{D1} (see Table 4.15 and Table 4.16).

Table 4.15. Seismic Design Category, Short Periode
(source: SNI, 2012)

S_{DS} Value	Risk Category	
	I, or, II, or, III	IV
$S_{DS} < 0,167$	A	A
$0,167 < S_{DS} < 0,33$	B	C
$0,33 < S_{DS} < 0,50$	C	D
$0,50 \leq S_{DS}$	D	D

Table 4.16. Seismic Design Category, Short Periode
(source: SNI, 2012)

S_{D1} Value	Risk Category	
	I, or, II, or, III	IV
$S_{D1} < 0,067$	A	A
$0,067 < S_{D1} < 0,133$	B	C
$0,133 < S_{D1} < 0,20$	C	D
$0,20 \leq S_{D1}$	D	D

From the table above, it can be determined that the seismic design category for this building (risk category I) is category D. According to SNI 1726:2012 Table 9, the design criteria which will be used is dual system with special moment resisting frame.

4.3.5. Dynamic Seismic Load

4.3.5.1. Direction of Seismic Load

The direction of seismic load has to be modelled into two directions although when earthquake occurs, it never occurs in two directions. So, the seismic at X direction is modelled into 100% effectiveness when earthquake occurs, and 30% at Y direction. Hence, the seismic at Y direction is modelled into 100% effectiveness when earthquake occurs, and 30% at X direction.

4.3.5.2. Seismic Reduction Factor (R)

According to SNI 1726:2012 Table 9, the value of seismic reduction factors are

Deflection Factor Multiplier, $C_d = 5,5$

System Factor Value, $\Omega = 2,5$

Respons Modification Coefficient, $R = 7$

4.3.5.3. Main Factor of Building (I)

According to SNI 1726:2012 Table 2, the value of this factor, I_e , is 1,0 (note that the risk category is I, see SNI 1726:2012 Table 1).

Table 4.17. The Value of Factor, I_e
(source: SNI, 2012)

Risk Category	Factor, I_e
I or II	1,0
III	1,25
IV	1,5

4.3.6. Design Control

4.3.6.1. Gravity Load Control

The gravity load from SAP 2000 v14[®] (see Table 4.19) will be compared with manual calculation. The manual calculation will be shown in Table 4.18. Note that the combination which will be used for this chapter is 1,0 DL + 1,0 LL.

Table 4.18. The Result of Manual Calculation of Gravity Load

Storey(s)	Load (N)
LG/Basement	49233040
G	32637040
1	32637040
2	32637040
3	32637040
4	32637040
5	32637040
6	32637040
7	32637040
8	32637040
9	32637040
Roof	26672800
Total	402276240

Table 4.19. The Result of Gravity Load (from SAP 2000 v14[®])

Output Case	Case Type	Global FZ
Text	Text	N
1,4 DL	Combination	492487275
1,2 DL + 1,6 LL	Combination	475633895
1,2 DL + 1,0 LL + 1,0 E _x	Combination	455570660
1,2 DL + 1,0 LL + 1,0 E _y	Combination	455570672
1,0 DL + 1,0 LL	Combination	385215341
0,9 DL + 1,0 E _x	Combination	316598971
0,9 DL + 1,0 E _y	Combination	316598956

From the tables above,

- Load (from manual calculation) = 402274240N
- Load (from SAP 2000 v14[®]) = 385215341N
- The comparison:

$$= (402274240N - 385215341 N)/385215341 N \times 100\%$$

$$= 4,29\%$$

The difference between the calculations is less than 10%. So, the SAP 2000 v14[®] result is reliable.

4.3.6.2. Fundamental Natural Period (T)

The value of fundamental natural periode, T, is obtained by multiplying T_a by C_u . The value of T_a itself is obtained by equation in SNI 1726:2012, paragraph 7.8.2.1. Note that the value of C_u depends on S_{D1} (see SNI, 2012 Table 14).

$$T_a = C_t \times h_n^x \text{ (SNI, 2012 paragraph 7.8.2.1)}$$

$$T = T_a \times C_u$$

Which,

$$C_t = 0,0466 \text{ (SNI, 2012 Table 15)}$$

$$x = 0,9 \text{ (SNI, 2012 Table 15)}$$

$$C_u = 1,4 \text{ (SNI, 2012 Table 14)}$$

$$h_n = 44 \text{ meters}$$

then,

$$T_{ax} = 0,0466 \times 44^{0,9} = 1,40 \text{ sec.}$$

$$T_{ay} = 0,0466 \times 44^{0,9} = 1,40 \text{ sec.}$$

$$T = 1,40 \text{ sec.} \times 1,4 = 1,96 \text{ sec.}$$

The result, T, will be compared with SAP 2000 v14[®] result (see Table 4.20).

Table 4.20. Modal Periods and Frequencies
(from SAP 2000 v14[®])

Output Case	Step Type	Step Num	Period	Frequency	Circ Freq	Eigenvalue
Text	Text	Unitless	Sec	Cyc/sec	rad/sec	rad ² /sec ²
MODAL	Mode	1	1,187	0,842	5,295	28,046
MODAL	Mode	2	1,127	0,887	5,576	31,093
MODAL	Mode	3	0,840	1,190	7,477	55,909
MODAL	Mode	4	0,351	2,845	17,877	319,59
MODAL	Mode	5	0,328	3,049	19,162	367,18
MODAL	Mode	6	0,222	4,508	28,325	802,30
MODAL	Mode	7	0,202	4,933	30,999	960,91
MODAL	Mode	8	0,177	5,634	35,400	1253,2
MODAL	Mode	9	0,158	6,299	39,580	1566,6
MODAL	Mode	10	0,154	6,481	40,724	1658,5
MODAL	Mode	11	0,149	6,672	41,924	1757,6
MODAL	Mode	12	0,143	6,986	43,895	1926,7

From Table 4.20, the maximum period is 1,187 sec., which is less than $T = 1,96$ sec.

- $T \leq T$
- 1,187 sec. \leq 1,96 sec. (OK)

4.3.6.3. Seismic Respon Coefficient (C_s)

The value of seismic respon coefficient, C_s , is obtained by using equation in SNI 1726:2012, paragraph 7.8.1.1.

$$\begin{aligned} C_s &= S_{DS}/(R/I_e) \text{ (SNI, 2012 paragraph 7.8.1.1)} \\ &= 0,61/(7/1) \\ &= 0,087 \end{aligned}$$

Hence, the value of C_s should be less than

$$\begin{aligned} C_s &= S_{D1}/(T \times R/I_e) \text{ (SNI, 2012 paragraph 7.8.1.1)} \\ &= 0,5/(1,96 \times 7/1) \\ &= 0,036 \end{aligned}$$

the value of C_s should not less than

$$\begin{aligned} C_s &= 0,044 \times S_{DS} \times I_e \\ &= 0,044 \times 0,61 \times 1 \\ &= 0,02684 \end{aligned}$$

then, the value of C_s is 0,02684.

The value of C_s will be used for the calculation of V (base shear)

$$V_{\text{static}} = C_s \times W$$

in which W is 385215341 N (see Table 4.20)

$$\begin{aligned} V_{\text{static}} &= 0,02684 \times 385215341 \text{ N} \\ &= 10339179,75 \text{ N} \end{aligned}$$

then, the value of V_{static} will be compared with the value of V_{dinamic}

Table 4.21. Base Shear Due to Seismic Load
(from SAP 2000 v14[®])

Output Case	Global FX	Global FY
Text	N	N
E_x	11242428,6	3567154,2
E_y	3372728,6	11890513,9

then,

for X direction

$$\begin{aligned} V_{\text{dinamic}} &\geq 85\% \times V_{\text{static}} \\ 11242428,6\text{N} &\geq 85/100 \times 10339179,75 \text{ N} \\ 11242428,6\text{N} &\geq 8788302,79\text{N} \text{ (OK)} \end{aligned}$$

for Y direction

$$\begin{aligned} V_{\text{dinamic}} &\geq 85\% \times V_{\text{static}} \\ 11890513,9\text{N} &\geq 85/100 \times 10339179,75 \text{ N} \\ 11890513,9\text{N} &\geq 8788302,79 \text{ N (OK)} \end{aligned}$$

4.3.6.4. Mass Participating Ratio

The mass participating ratio of the structure should not less than 90% in both direction (X direction and Y direction).

Table 4.22. Mass Participating Ratio
(from SAP 2000 v14[®])

Output Case	Step Type	Step Num	Period	Sum UX	Sum UY
Text	Text	Unitless	Sec	Unitless	Unitless
MODAL	Mode	1	1,187	0,69	0
MODAL	Mode	2	1,127	0,69	0,69
MODAL	Mode	3	0,843	0,69	0,69
MODAL	Mode	4	0,351	0,82	0,69
MODAL	Mode	5	0,328	0,82	0,83
MODAL	Mode	6	0,222	0,82	0,83
MODAL	Mode	7	0,202	0,87	0,83
MODAL	Mode	8	0,177	0,87	0,88
MODAL	Mode	9	0,158	0,87	0,88
MODAL	Mode	10	0,154	0,87	0,88
MODAL	Mode	11	0,149	0,89	0,89
MODAL	Mode	12	0,143	0,90	0,90

From the table above, the maximum mass participating ratio at X direction is 90%, whereas 90% at Y direction. So, it does meet the condition in SNI 1726:2012 paragraph 7.9.1.

4.3.6.5. Load Participating Ratio

The load participating ratio (dynamic percentage) of the structure should not less than 90% in both direction (X direction and Y direction).

Table 4.23. Load Participating Ratio
(from SAP 2000 v14[®])

Output Case	Item Type	Item	Static	Dynamic
Text	Text	Text	Percent	Percent
MODAL	Acceleration	UX	100	90
MODAL	Acceleration	UY	100	90

4.3.6.6. Drift

According to SNI 1726:2012 paragraph 7.8.6, the drift condition for displacement will be shown below

$$\Delta_i \leq \Delta_a \rightarrow (\text{SNI, 2012 paragraph 7.8.6})$$

in which,

$$\Delta_1 = C_d \times \delta_{e1} / I_e \rightarrow \text{for first floor}$$

$$\Delta_2 = C_d \times (\delta_{e2} - \delta_{e1}) / I_e \rightarrow \text{for second floor, etc.}$$

hence,

$$\Delta_a = 0,020 \times h_{sx} \rightarrow (\text{SNI, 2012 paragraph 7.12.1})$$

in which, $h_{sx} = 4$ m (height per storey)

the table of displacement value of the structure (δ) will be shown below

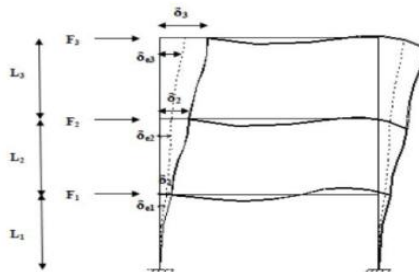


Figure 4.47. The example of drift
(source: Private Documentation)

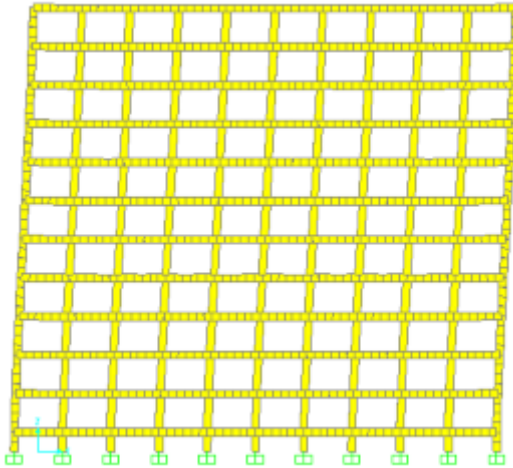


Figure 4.48. The drift (Y direction)
(source: Private Documentation)

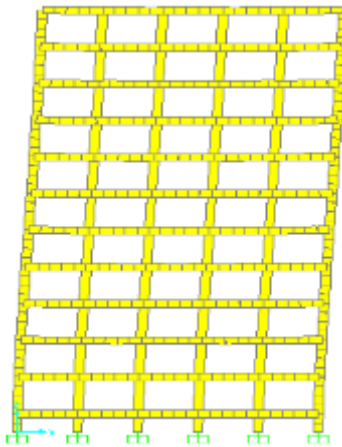


Figure 4.49. The drift (X direction)
(source: Private Documentation)

Table 4.24. Displacement (δ) from SAP 2000 v14[®]

Storey	Height	Due to E_x		Due to E_y	
	h_i (m)	δ (mm)		δ (mm)	
		X Direction	Y Direction	X Direction	Y Direction
Roof	40	21,132	6,039	6,340	20,123
9	36	19,467	5,590	5,840	18,633
8	32	17,712	5,115	5,314	17,047
7	28	15,814	4,594	4,744	15,302
6	24	13,773	4,024	4,132	13,396
5	20	11,615	3,414	3,485	11,355
4	16	9,385	2,776	2,816	9,224
3	12	7,147	2,129	2,145	7,063
2	8	4,983	1,496	1,496	4,953
1	4	3,002	0,909	0,902	3,004
G	0	1,356	0,413	0,407	1,365
LG	-4	0	0	0	0

Table 4.25. Control of Drift (Δ) due to E_x at X Direction

Storey	Height	Drift	Drift	Note
	h_i (m)	Δ_i (mm)	Δ_a (mm)	
Roof	40	9,154	80	OK
9	36	9,653	80	OK
8	32	10,439	80	OK
7	28	11,225	80	OK
6	24	11,868	80	OK
5	20	12,262	80	OK
4	16	12,310	80	OK
3	12	11,903	80	OK
2	8	10,892	80	OK
1	4	9,056	80	OK
G	0	7,459	80	OK
LG	-4	0	80	OK

Table 4.26. Control of Drift (Δ) due to E_x at Y Direction

Storey	Height	Drift	Drift	Note
	h_i (m)	Δ_i (mm)	Δ_a (mm)	
Roof	40	2,751	80	OK
9	36	2,895	80	OK
8	32	3,130	80	OK
7	28	3,366	80	OK
6	24	3,559	80	OK
5	20	3,677	80	OK
4	16	3,691	80	OK
3	12	3,570	80	OK
2	8	3,269	80	OK
1	4	2,720	80	OK
G	0	2,241	80	OK
LG	-4	0	80	OK

Table 4.27. Control of Drift (Δ) due to E_y at X Direction

Storey	Height	Drift	Drift	Note
	h_i (m)	Δ_i (mm)	Δ_a (mm)	
Roof	40	2,468	80	OK
9	36	2,610	80	OK
8	32	2,868	80	OK
7	28	3,132	80	OK
6	24	3,356	80	OK
5	20	3,506	80	OK
4	16	3,558	80	OK
3	12	3,481	80	OK
2	8	3,232	80	OK
1	4	2,728	80	OK
G	0	2,272	80	OK
LG	-4	0	80	OK

Table 4.28. Control of Drift (Δ) due to E_y at Y Direction

Storey	Height	Drift	Drift	Note
	h_i (m)	Δ_i (mm)	Δ_a (mm)	
Roof	40	8,193	80	OK
9	36	8,721	80	OK
8	32	9,602	80	OK
7	28	10,482	80	OK
6	24	11,224	80	OK
5	20	11,723	80	OK
4	16	11,885	80	OK
3	12	11,601	80	OK
2	8	10,723	80	OK
1	4	9,014	80	OK
G	0	7,507	80	OK
LG	-4	0	80	OK

4.3.6.7. Shear Force Control (Shear Wall)

For the shear force control (shear wall), the seismic load should be resisted by the structure frame is approximately at least 25% (see Table 4.29).

Table 4.29. Percentage of Shear Force Which is Resisted by The Structure's System

Shear Force	X Direction	Percentage	Y Direction	Percentage
	N	%	N	%
Shear Wall	10424559	65	10587736	63
Structure Frame	5704467	35	6358208	37
Total	16129026	100	16945944	100

4.4. Reinforcement of Primary Structure

4.4.1. Preface

Reinforcement of primary structure consists of reinforcement of primary beam, reinforcement of column, and reinforcement of shearwall. Beside the reinforcement of primary structure, in this chapter will be explained about calculation of lifting point of precast element such as primary beam.

4.4.2. Reinforcement of Precast Primary Beam

4.4.2.1. Reinforcement of Precast Primary Beam Before Monolith Condition

General Data

The general data for reinforcement of primary beam will be shown below

b (width)	= 40 cm
h (height, before monolith)	= 65 cm
h (height, after monolith)	= 45 cm + hf (floor) = 80 cm
L (axis to axis)	= 5000 mm
L (actual)	= 4200 mm
bar's diameter (D/deform)	= 22 mm
bar's diameter/stirrup (D/deform)	= 13 mm
f'_c (14 days) = 0,88*30 MPa	= 26,4 MPa
f_y	= 390 MPa

Load Calculation

The load calculation of precast primary beam will be assumed as trapezoid shape. The loads consist of dead load and live load. The load $q_{\text{equivalent}} (q_{\text{eq}})$ will be shown below

$$q_{\text{eq}} = q \times L_x \times 1/2 \times ((1 - L_x^2/L_y^2) \times 1/3))$$

Before Monolith Condition

In this condition itself will be divided into two conditions below

1. condition a

when the *overtopping* concrete is not installed yet and the load consists of working load (construction process' load), precast slab element's load, precast secondary beam element's load, and precast primary beam element's load

2. condition b

when the *overtopping* concrete is already installed (not yet in monolith condition) and the load consists of *overtopping* concrete's load, precast slab element's load, precast secondary beam element's load, precast primary beam element's load, and construction process' load.

Then the most critical condition between two conditions above will be used for load calculation

1. dead load (secondary beam)

secondary beam BAL1 : $0,3 \times 0,45 \times 2400 \text{ kg/m} = 324 \text{ kg/m}$

q of slab LA1

(condition a) : $608 \text{ kg/m}^2 = 608 \text{ kg/m}^2$

q of slab LA1

(condition b) : $809,6 \text{ kg/m}^2 = 809,6 \text{ kg/m}^2$

by using $L_y = 500 \text{ cm} - (40 \text{ cm}/2 + 40 \text{ cm}/2) = 460 \text{ cm}$ and

$L_x = 250 \text{ cm} - (40 \text{ cm}/2 + 30 \text{ cm}/2) = 215 \text{ cm}$, it is obtained

the value of q_{eq} due to slab's load

(two trapezoid loads)

$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y))^2)$

q (condition a) = 608 kg/m^2

$q_{eq} = 1212,01 \text{ kg/m} \rightarrow$ due to slab's load

q (condition b) = $809,6 \text{ kg/m}^2$

$q_{eq} = 1613,89 \text{ kg/m} \rightarrow$ due to slab's load

DL (condition a) = $1212,01 \text{ kg/m} + 324 \text{ kg/m}$

= $1536,01 \text{ kg/m}$

$$\begin{aligned} \text{DL (k, shock coefficient = 1,2)} &= 1,2 \times 1536,01 \text{ kg/m} \\ &= 1843,21 \text{ kg/m} \end{aligned}$$

$$\begin{aligned} \text{DL (condition b)} &= 1613,89 \text{ kg/m} + 324 \text{ kg/m} \\ &= 1937,89 \text{ kg/m} \end{aligned}$$

$$\begin{aligned} \text{DL (k, shock coefficient = 1,2)} &= 1,2 \times 1937,89 \text{ kg/m} \\ &= 2325,47 \text{ kg/m} \end{aligned}$$

$$\text{DL (total, condition a)} : = 1843,21 \text{ kg/m}$$

$$\text{DL (total, condition b)} : = 2325,47 \text{ kg/m}$$

2. live load (secondary beam)

$$\text{construction load:} = 200 \text{ kg/m}^2$$

$$q_{\text{eq}} = 398,688 \text{ kg/m} \rightarrow \text{due to live load}$$

$$\text{LL (total, condition a and b)} : = 398,688 \text{ kg/m}$$

3. dead load (primary beam)

$$\text{primary beam BIL1} : 0,4 \times 0,65 \times 2400 \text{ kg/m} = 624 \text{ kg/m}$$

q of slab LA1

$$\text{(condition a)} : 608 \text{ kg/m}^2 = 608 \text{ kg/m}^2$$

q of slab LA1

$$\text{(condition b)} : 809,6 \text{ kg/m}^2 = 809,6 \text{ kg/m}^2$$

by using $L_y = 500 \text{ cm} - (80 \text{ cm}/2 + 80 \text{ cm}/2) = 420 \text{ cm}$ and $L_x = 250 \text{ cm} - (80 \text{ cm}/2 + 30 \text{ cm}/2) = 195 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

$$q_{\text{eq}} = q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2)$$

$$q \text{ (condition a)} = 608 \text{ kg/m}^2$$

$$q_{\text{eq}} = 550,2 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$q \text{ (condition b)} = 809,6 \text{ kg/m}^2$$

$$q_{\text{eq}} = 732,6 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$\text{DL (condition a)} = 550,2 \text{ kg/m} + 624 \text{ kg/m}$$

$$= 1174,21 \text{ kg/m}$$

$$\text{DL (k, shock coefficient = 1,2)} = 1,2 \times 1174,21 \text{ kg/m}$$

$$= 1409,04 \text{ kg/m}$$

$$\begin{aligned}
 \text{DL (condition b)} &= 732,6 \text{ kg/m} + 624 \text{ kg/m} \\
 &= 1356,64 \text{ kg/m} \\
 \text{DL (k, shock coefficient = 1,2)} &= 1,2 \times 1356,64 \text{ kg/m} \\
 &= 1627,96 \text{ kg/m} \\
 \hline
 \text{DL (total, condition a)} &: = 1409,04 \text{ kg/m} \\
 \text{DL (total, condition b)} &: = 1627,96 \text{ kg/m}
 \end{aligned}$$

4. live load (primary beam)

$$\begin{aligned}
 \text{construction load} &= 200 \text{ kg/m}^2 \\
 q_{\text{eq}} &= 180,9 \text{ kg/m} \rightarrow \text{due to live load} \\
 \hline
 \text{LL (total, condition a and b)} &:= 180,9 \text{ kg/m}
 \end{aligned}$$

Load Combination of Primary Beam

The combination of load for primary beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of primary beam

due to secondary beam

condition a

(precast's age = 14 days)

$$Q_u = 1,2 \times 1843,21 + 1,6 \times 398,688 = 2849,76 \text{ kg/m}$$

$$P_u = Q_u \times L = 14248,79 \text{ kg}$$

condition b

(precast's age = 14 days, *overtopping's* age = 0 day)

$$Q_u = 1,2 \times 2325,47 + 1,6 \times 398,688 = 3729,06 \text{ kg/m}$$

$$P_u = Q_u \times L = 18645,28 \text{ kg}$$

due to primary beam

condition a

(precast's age = 14 days)

$$Q_u = 1,2 \times 1409,04 + 1,6 \times 180,9 = 1980,43 \text{ kg/m}$$

condition b

(precast's age = 14 days, *overtopping's* age = 0 day)

$$Q_u = 1,2 \times 1627,96 + 1,6 \times 180,9 = 2243,14 \text{ kg/m}$$

Moment Calculation of Primary Beam

The moment calculation of primary beam will use moment equation

$M_u = 1/8 \times q \times L^2 + 1/4 \times P \times L$, in which L is the length of axis to axis of primary beam

moment calculation of primary beam

condition a ($q = 1980,43 \text{ kg/m}$, $P = 14248,79 \text{ kg}$, $L = 5 \text{ m}$)

$M_u = 23999,85 \text{ kgm}$

condition b ($q = 2243,14 \text{ kg/m}$, $P = 18645,28 \text{ kg}$, $L = 5 \text{ m}$)

$M_u = 30316,42 \text{ kgm}$

The M_u values are taken as

condition a

$M_u = 23999,85 \text{ kgm}$

condition b

$M_u = 30316,42 \text{ kgm}$

So, the M_u value is $30316,42 \text{ kgm}$.

Shear Force Calculation of Primary Beam

The shear force calculation of secondary beam will use shear force equation $V_u = 1/2 \times q \times L + 1/2 \times P$

shear force calculation of primary beam

condition a ($q = 1980,43 \text{ kg/m}$, $P = 14248,79 \text{ kg}$, $L = 5 \text{ m}$)

$V_u = 12075,48 \text{ kg}$

condition b ($q = 2243,14 \text{ kg/m}$, $P = 18645,28 \text{ kg}$, $L = 5 \text{ m}$)

$V_u = 14930,50 \text{ kg}$

The V_u values are taken as

condition a

$V_u = 12075,48 \text{ kg}$

condition b

$V_u = 14930,50 \text{ kg}$

So, the V_u value is 14930,50 kg.

Calculation of Reinforcement Bar

The general data for calculation of reinforcement bar of primary beam is shown below

primary beam's dimension (overall)	= 400mm × 650mm
clear cover	= 50 mm
bar's diameter (D)	= 22 mm
bar's diameter/stirrup(D/deform)	= 13 mm
f'_c (28 days)	= 30 MPa
f_y	= 390 MPa
d' = clear cover + stirrup + D/2	= 74 mm
d = 650 - 50 - 13 - (22/2)	= 576 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 14 days = 26,4 MPa, see Table 4.7)

$$\beta_1 = 0,85$$

$$A_s = \pi/4 x d^2 = 380,286 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 16,52 \text{ mm}$$

$$c = a / \beta_1 = 19,44 \text{ mm}$$

$$\varepsilon_t = (d/c - 1) x 0,003 = 0,085 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0032 \text{ (SNI, 2002 paragraph 12.5.1)}$$

Reinforcement Bar

The general data for reinforcement bar of primary beam will be shown below

secondary beam's dimension	= 400x 650 mm ²
f'_c = 26,4 MPa (14 days)	
clear cover	= 50 mm
bar's diameter	= 22 mm, $A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$
b	= 400 mm
d	= 576 mm
d'	= 74 mm
ϕ	= 0,9

$$M_u = 30316,42 \text{kgm} = 303164284 \text{ Nmm}$$

Flexural Bar

due to M_u

$$R_n = \frac{M_n}{b \times d^2} = 2,53 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0068$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0068 > 0,0032$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0068$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 1592,37 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 1592,37 \text{ mm}^2 / 380,28 \text{ mm}^2 = 4,18$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1901,43 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1901,43 \text{ mm}^2 > 1592,37 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 41 \text{ mm} > 25 \text{ mm}$$

(OK), use 5D22 reinforcement bar

$$A_{s'_{\text{need}}} = 0,5 \times A_{s_{\text{use}}} = 950,7 \text{ mm}^2$$

$$\text{use } n = 3 \rightarrow A_{s'_{\text{use}}} = 3 \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s'_{\text{use}}} > A_{s'_{\text{need}}} = 1140,86 \text{ mm}^2 > 950,7 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 104 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

4.4.2.2. Reinforcement Bar Due to Lifting Process' Moment

The general data for reinforcement bar of primary beam due to lifting process's moment will be shown below

$$\text{secondary beam's dimension} = 300 \times 650 \text{ mm}^2$$

$$f'_c = 26,4 \text{ MPa (14 days)}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter} = 22 \text{ mm}, A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$$

$$b = 400 \text{ mm}$$

$$d = 576 \text{ mm}$$

$$d' = 74 \text{ mm}$$

$$\begin{aligned}\phi &= 0,9 \\ M_{ul} &= 173,97 \text{ kgm} = 1739753,718 \text{ Nmm} \\ M_{ut} &= 533,81 \text{ kgm} = 5338170,511 \text{ Nmm} \\ &\text{(see paragraph 4.4.2.3.9)}\end{aligned}$$

Flexural Bardue to M_{ul}

$$R_n = \frac{M_n}{b \times d^2} = 0,014 N / mm^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00003$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,00003 < 0,0032$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0032$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 738,56 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 738,56 \text{ mm}^2 / 380,28 \text{ mm}^2 = 1,94$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,85 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,85 \text{ mm}^2 > 738,56 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 104 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

$$A_{s'_{\text{need}}} = 0,5 \times A_{s_{\text{use}}} = 570,42 \text{ mm}^2$$

$$\text{use } n = 3 \rightarrow A_{s'_{\text{use}}} = 3 \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s'_{\text{use}}} > A_{s'_{\text{need}}} = 1140,86 \text{ mm}^2 > 570,42 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 104 \text{ mm} > 25 \text{ mm}$$

(OK), use 3D22 reinforcement bar

Flexural Bardue to M_{ut}

$$R_n = \frac{M_n}{b \times d^2} = 0,044 N / mm^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00011$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,00011 < 0,0032$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0032$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 738,56 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 738,56 \text{ mm}^2 / 380,28 \text{ mm}^2 = 1,94$$

$$\text{use } n = 3 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 1140,85 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 1140,85 \text{ mm}^2 > 738,56 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 104 \text{ mm} > 25 \text{ mm} \text{ (OK), use 3D22 reinforcement bar}$$

$$A_{s'_{\text{need}}} = 0,5 \times A_{s_{\text{use}}} = 570,42 \text{ mm}^2$$

$$\text{use } n = 3 \rightarrow A_{s'_{\text{use}}} = 3 \times A_{s_{\text{bar}}} = 1140,86 \text{ mm}^2$$

$$A_{s'_{\text{use}}} > A_{s'_{\text{need}}} = 1140,86 \text{ mm}^2 > 570,42 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 104 \text{ mm} > 25 \text{ mm} \text{ (OK), use 3D22 reinforcement bar}$$

4.4.2.3. Reinforcement of Precast Primary Beam After Monolith Condition

General Data

The general data for reinforcement of primary beam will be shown below

$$b \text{ (width)} = 40 \text{ cm}$$

$$h \text{ (height, before monolith)} = 65 \text{ cm}$$

$$h \text{ (height, after monolith)} = 65 \text{ cm} + h_f \text{ (floor)} = 80 \text{ cm}$$

$$L \text{ (axis to axis)} = 5000 \text{ mm}$$

L (actual)	= 4200 mm
bar's diameter (D/deform)	= 22 mm
bar's diameter/stirrup(D/deform)	= 13 mm
f'_c (28 days)	= 30 MPa
f_y	= 390 MPa

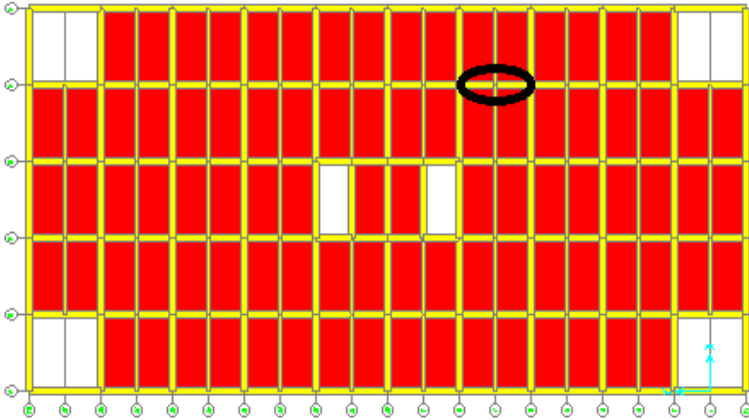


Figure 4.50. The location of precast primary beam
on SAP 2000 v14[®]

(source: Private Documentation)

Load Calculation

The load calculation of precast primary beam will be assumed as trapezoid shape. The loads consist of deal load and live load. The load $q_{\text{equivalent}}$ (q_{eq}) will be shown below

$$q_{\text{eq}} = q \times L_x \times 1/2 \times ((1 - L_x^2/L_y^2) \times 1/3))$$

After Monolith Condition

In this condition itself will be divided only into one condition below

1. condition c

when the *overtopping* concrete is already installed (already in monolith condition) and the load consists of

overtopping concrete's load, precast slab element's load, precast secondary beam element's load, and live loads

1. dead load

secondary beam BAL1 : $0,3 \times 0,60 \times 2400 \text{ kg/m} = 432 \text{ kg/m}$

q of slab LA1

(condition c) : $922,8 \text{ kg/m}^2 = 922,8 \text{ kg/m}^2$

by using $L_y = 500 \text{ cm} - (40 \text{ cm}/2 + 40 \text{ cm}/2) = 460 \text{ cm}$

and $L_x = 250 \text{ cm} - (40 \text{ cm}/2 + 30 \text{ cm}/2) = 215 \text{ cm}$, it is

obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y))^2)$

q (condition c) = $922,8 \text{ kg/m}^2$

$q_{eq} = 1839,55 \text{ kg/m} \rightarrow$ due to slab's load

DL (condition c) = $1839,55 \text{ kg/m} + 432 \text{ kg/m}$

= $2271,55 \text{ kg/m}$

DL (k, shock coefficient = 1,2) = $1,2 \times 2271,55 \text{ kg/m}$

= $2725,86 \text{ kg/m}$

DL (total, condition c) : = $2725,86 \text{ kg/m}$

2. live load

live load: $1,92 \text{ kN/m}^2 = 192 \text{ kg/m}^2$

$q_{eq} = 382,741 \text{ kg/m} \rightarrow$ due to live load

LL (total, condition c) : = $382,741 \text{ kg/m}$

3. dead load (primary beam)

primary beam BIL1 : $0,4 \times 0,80 \times 2400 \text{ kg/m} = 768 \text{ kg/m}$

q of slab LA1

(condition c) : $922,8 \text{ kg/m}^2 = 922,8 \text{ kg/m}^2$

by using $L_y = 500 \text{ cm} - (80 \text{ cm}/2 + 80 \text{ cm}/2) = 420 \text{ cm}$ and

$L_x = 250 \text{ cm} - (80 \text{ cm}/2 + 30 \text{ cm}/2) = 195 \text{ cm}$, it is obtained

the value of q_{eq} due to slab's load

$$q_{eq} = q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2))$$

$$q \text{ (condition c)} = 922,8 \text{ kg/m}^2$$

$$q_{eq} = 835,081 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$\begin{aligned} \text{DL (condition c)} &= 835,081 \text{ kg/m} + 768 \text{ kg/m} \\ &= 1603,081 \text{ kg/m} \end{aligned}$$

$$\begin{aligned} \text{DL (k, shock coefficient = 1,2)} &= 1,2 \times 1603,81 \text{ kg/m} \\ &= 1923,69 \text{ kg/m} \end{aligned}$$

$$\text{DL (total, condition c)} : = 1923,69 \text{ kg/m}$$

4. live load (primary beam)

$$\text{live load:} = 192 \text{ kg/m}^2$$

$$q_{eq} = 173,74 \text{ kg/m} \rightarrow \text{due to live load}$$

$$\text{LL (total, condition c)} : = 173,74 \text{ kg/m}$$

Load Combination of Primary Beam

The combination of load for primary beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of primary beam

due to secondary beam

condition c

(precast's age > 30 days, *overtopping's* age > 30 days)

$$Q_u = 1,2 \times 2725,86 + 1,6 \times 382,741 = 3883,413 \text{ kg/m}$$

$$P_u = Q_u \times L = 19417,07 \text{ kg}$$

due to primary beam

condition c

(precast's age > 30 days, *overtopping's* age > 30 days)

$$Q_u = 1,2 \times 1923,69 + 1,6 \times 173,74 = 2586,435 \text{ kg/m}$$

Moment Calculation of Primary Beam

The moment calculation of primary beam will use moment equation

$M_u = 1/8 \times q \times L^2 + 1/4 \times P \times L$, in which L is the length of axis to axis of primary beam

moment calculation of primary beam

condition c ($q = 2586,435 \text{ kg/m}$, $P = 19417,07 \text{ kg}$, $L = 5 \text{ m}$)

$M_u = 32353,94 \text{ kgm}$

The M_u values are taken as

condition c

$M_u = 32353,94 \text{ kgm}$

So, the M_u value is $32353,94 \text{ kgm}$.

Therefore, the moment calculation of primary beam will use moment results from SAP 2000 v14[®].

M (at left support area) = -357725068 Nmm

M (at right support area) = -336406667 Nmm

M (at field area) = $+134026394 \text{ Nmm}$

Shear Force Calculation of Primary Beam

The shear force calculation of primary beam will use shear force equation $V_u = 1/2 \times q \times L + 1/2 \times P$

shear force calculation of primary beam

($q = 2586,435 \text{ kg/m}$, $P = 19417,07 \text{ kg}$, $L = 5 \text{ m}$)

$V_u = 16174 \text{ kg}$

The V_u values are taken as

condition c

$V_u = 16174 \text{ kg}$

So, the V_u value is 16174 kg .

Therefore, the shear force results from SAP 2000 v14[®] will be shown below

V_u (left) = 267714,6 N, V_u (right) = 260399,58 N.

Calculation of Reinforcement Bar

The general data for calculation of reinforcement bar of primary beam is shown below

primary beam's dimension (overall) = 400mm × 800mm
 clear cover = 50 mm
 bar's diameter (D) = 22 mm
 bar's diameter/stirrup(D/deform)= 13 mm
 f'_c (28 days) = 30 MPa
 f_y = 390 MPa
 d' = clear cover + stirrup + D/2 = 74 mm
 d = 800 - 50 - 13 - (22/2) = 726 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4xd^2 = 380,286 \text{ mm}^2.$$

Reinforcement Bar (Flexural Bar)

At Support Area (Left)

(Assumed Primary Beam as Rectangular Shape)

The general data for reinforcement bar of primary beam will be shown below

Primary beam's dimension = 400x 800 mm²

f'_c = 30 MPa (28 days)

clear cover = 50 mm

bar's diameter = 22 mm, $A_s = \pi/4xd^2 = 380,28 \text{ mm}^2$

b = 400 mm

d = 726 mm

d' = 74 mm

$M_{u \text{ left}} = -35772,5 \text{ kgm} = -357725068 \text{ Nmm}$

Flexural Bar

A_s (tension reinforcement) = 6D22

$$A_s = 2281,72 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 28,4 \text{ mm} > 25 \text{ mm}$$

(OK)

A_s' (compression reinforcement) = 6D22

$$A_s' = 2281,72 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 28,4 \text{ mm} > 25 \text{ mm}$$

(OK)

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,0078$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,0078$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,0159 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A_s' \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 56,52 mm.

So,

$$a = \beta_1 \times c$$

$$a = 47,19 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 185,49 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in compressive condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A'_s \times f'_s) \times \left(d - \frac{a}{2} \right) + A'_s \times f'_s \times (d - d')$$

$$M_n = 603712741 \text{ Nmm}$$

$$\phi = 0,75 + 0,15 \left[\left(\frac{1}{c/d} \right) - \left(\frac{5}{3} \right) \right] \leq 0,9$$

$$\phi = 2,67 \rightarrow \phi = 0,9$$

$$\phi M_n = 543341467 \text{ Nmm} > M_u = 357725068 \text{ Nmm (OK)}$$

At Support Area (Right)

(Assumed Primary Beam as Rectangular Shape)

The general data for reinforcement bar of primary beam will be shown below

Primary beam's dimension = 400x 800 mm²

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 50 mm

bar's diameter = 22 mm, $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$

b = 400 mm

d = 726 mm

d' = 74 mm

$M_{u \text{ right}} = -33640,6 \text{ kgm} = -336406667 \text{ Nmm}$

Flexural Bar

A_s (tension reinforcement) = 6D22

$A_s = 2281,72 \text{ mm}^2$

$s = b - 2 \times \text{clear cover} - 2\phi - n \times D/(n - 1) = 28,4 \text{ mm} > 25 \text{ mm}$
(OK)

A_s' (compression reinforcement) = 6D22

$A_s' = 2281,72 \text{ mm}^2$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 28,4 \text{ mm} > 25 \text{ mm}$$

(OK)

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,0078$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,0078$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,0159 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A_s' \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 56,52 mm.

So,

$$a = \beta_1 \times c$$

$$a = 47,19 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 185,49 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in compressive condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A_s' \times f'_s) \times \left(d - \frac{a}{2} \right) + A_s' \times f'_s \times (d - d')$$

$$M_n = 603712741 \text{ Nmm}$$

$$\phi = 0,75 + 0,15\left[\frac{1}{(c/d)} - \left(\frac{5}{3}\right)\right] \leq 0,9$$

$$\phi = 2,67 \rightarrow \phi = 0,9$$

$$\phi M_n = 543341467 \text{ Nmm} > M_u = 336406667 \text{ Nmm (OK)}$$

At Field Area

(Assumed Primary Beam as Dummy T Beam)

The general data for reinforcement bar of primary beam will be shown below

Primary beam's dimension = 400x 800 mm²

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 50 mm

bar's diameter = 22 mm, $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$

b = 400 mm

d = 726 mm

d' = 74 mm

$M_u = +13402,6 \text{ kgm} = +134026394 \text{ Nmm}$

Effective Width (b_e)

$$be1 = \frac{1}{4} \times Lb = \frac{1}{4} \times 5000 = 1250 \text{ mm}$$

$$be2 = bw + 16t_f = 400 + (16 \times 150) = 2800 \text{ mm}$$

$$be3 = \frac{1}{2} \times (Lb - bw) = \frac{1}{2} \times (5000 - 400) = 2300 \text{ mm}$$

$$b = be = 1250 \text{ mm}$$

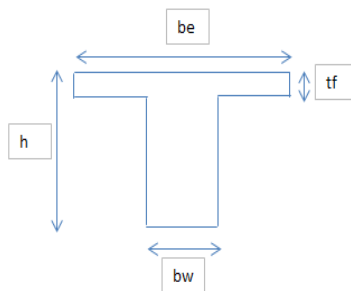


Figure 4.51. The dummy T beam dimension of primary beam
(source: Private Documentation)

Flexural Bar

$$A_s \text{ (tension reinforcement)} = 4D22$$

$$A_s = 1521,14 \text{ mm}^2$$

$$s = b - 2x_{\text{clear cover}} - 2\phi - n \times D/(n - 1) = 62 \text{ mm} > 25 \text{ mm}$$

(OK)

$$A_s' \text{ (compression reinforcement)} = 4D22$$

$$A_s' = 1521,14 \text{ mm}^2$$

$$s = b - 2x_{\text{clear cover}} - 2\phi - n \times D/(n - 1) = 62 \text{ mm} > 25 \text{ mm}$$

(OK)

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,0052$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,0052$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,0159 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A_s' \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 51,46 mm.

So,

$$a = \beta_1 \times c$$

$$a = 42,97 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 262,6 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in tension condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A'_s \times f'_s) \times \left(d - \frac{a}{2} \right) + A'_s \times f'_s \times (d - d')$$

$$M_n = 396966886 \text{ Nmm}$$

$$\phi = 0,75 + 0,15 \left[\left(1 / \left(c / d \right) \right) - \left(5 / 3 \right) \right] \leq 0,9$$

$$\phi = 2,86 \rightarrow \phi = 0,9$$

$$\phi M_n = 357270197 \text{ Nmm} > M_u = 134026394 \text{ Nmm (OK)}$$

Checking Dummy T Beam

$$\begin{aligned} T &= A_s \times f_y \\ &= 1521,14 \text{ mm}^2 \times 390 \text{ MPa} \\ &= 593245,71 \text{ N} \end{aligned}$$

$$\begin{aligned} C &= 0,85 \times f'_c \times b_e \times h_f \\ &= 0,85 \times 30 \text{ MPa} \times 1250 \text{ mm} \times 150 \text{ mm} \\ &= 4781250 \text{ N} \end{aligned}$$

therefore $C > T$, then the beam is assumed as dummy T beam which treated like rectangular beam with b_e as its width,

$$a = \frac{A_s \times f_y}{0,85 \times b_w \times f'_c} < t$$

$$a = 58,16 \text{ mm} < t = 150 \text{ mm (OK)}$$

$$\phi M_n = \phi \times A_s \times f_y \times \left(d - \frac{a}{2} \right)$$

$$\phi M_n > M_u$$

$$\phi \rightarrow 0,9$$

$$372099964 \text{ Nmm} > 134026394 \text{ Nmm (OK)}.$$

Recapitulation of the reinforcement will be shown below

- at left support
 - upper reinforcement = 6D22 ($A_s = 2281,72\text{mm}^2$)
 - lower reinforcement = 6D22 ($A_s' = 2281,72\text{mm}^2$)
- at right support
 - upper reinforcement = 6D22 ($A_s = 2281,72\text{mm}^2$)
 - lower reinforcement = 6D22 ($A_s' = 2281,72\text{mm}^2$)
- at field area
 - upper reinforcement = 4D22 ($A_s' = 1521,14\text{ mm}^2$)
 - lower reinforcement = 4D22 ($A_s = 1521,14\text{ mm}^2$).

Reinforcement Bar (Shear and Torsion)

Reinforcement Bar Due to Shear Force

The reinforcement bar due to shear force shall follow the conditions in SNI 2847:2013 paragraph 21.3.3. The equation for calculating shear force is shown below

$$V_u = \frac{M_{pr1} + M_{pr2}}{l_n} \pm \left(\frac{Qu \times l_n}{2} + \frac{Nu}{2} \right)$$

in which,

$$M_{pr} = A_s \times 1,25 \times f_y \times \left(d - \frac{a}{2} \right)$$

$$a = \frac{A_s \times 1,25 \times f_y}{0,85 \times f'c \times b}$$

the result of M_{pr} value will be shown in Table 4.30.

Table 4.30. Recapitulation of M_{pr} Value

Location		n bar	As (mm ²)	a (mm)	M_{pr} (Nmm)	
At support area	Left	Upper	6	2281,72	109,05	746904222
		Lower	6	2281,72	109,05	746904222
	Right	Upper	6	2281,72	109,05	746904222
		Lower	6	2281,72	109,05	746904222

$$M_{pr1} = 746904222 \text{ Nmm}$$

$$M_{pr2} = 746904222 \text{ Nmm}$$

$$L_n = 5000 \text{ mm} - (2 \times 0,5 \times 800) \text{ mm} = 4200 \text{ mm.}$$

Analyze Vu

analyzing left quake

$$V_{u1} = M_{pr1} + M_{pr2}/(L_n) - (Q_u \times L_n/2) - (N_u/2)$$

$$V_{u2} = M_{pr1} + M_{pr2}/(L_n) + (Q_u \times L_n/2) + (N_u/2)$$

in which,

$$Q_u = 2586,435 \text{ kg/m (see previously paragraph)}$$

$$N_{uleft} = 38906,85 \text{ N (from SAP 2000 v14[®])}$$

thus,

$$V_{u1} = 281900,27 \text{ N}$$

$$V_{u2} = 429437,08 \text{ N}$$

analyzing right quake

$$V_{u1} = M_{pr1} + M_{pr2}/(L_n) - (Q_u \times L_n/2) - (N_u/2)$$

$$V_{u2} = M_{pr1} + M_{pr2}/(L_n) + (Q_u \times L_n/2) + (N_u/2)$$

in which,

$$Q_u = 2586,435 \text{ kg/m (see previously paragraph)}$$

$$N_{uright} = 38362,87 \text{ N (from SAP 2000 v14[®])}$$

thus,

$$V_{u1} = 282172,11\text{N}$$

$$V_{u2} = 429165,25\text{ N}$$

the value of V_u will be compared to V_u result from SAP 2000 v14[®].

Table 4.31. Recapitulation of V_u Value

Location		V_u (N)	V_u (SAP200 v14 [®]) (N)
At support area	Left	281900,27	267714,64
		429437,08	
	Right	282172,11	260399,58
		429165,25	

From Table 4.31 above, the V_u value which will be used for calculation is 429437,08 N.

Reinforcement Bar In Plastic Area

checking condition:

$$\begin{aligned}
 1. (M_{pr1} + M_{pr2})/L_n &\geq 0,5 \times V_u \\
 &= (746904222 + 746904222)/4200 \text{ N} \geq 0,5 \times 429437,08 \text{ N} \\
 &= 355668,68 \text{ N} \geq 214582,6 \text{ N (OK)}
 \end{aligned}$$

$$\begin{aligned}
 2. N_u &\leq 0,25 \times A_g \times f'_c \\
 &= 38906,54 \text{ N (from SAP 2000 v14[®])} \leq 2400000 \text{ N (OK)}.
 \end{aligned}$$

According to SNI 2847:2013 paragraph 21.5.4.2, the value of V_c is assumed as 0 if both conditions above fulfilled.

Thus,

$$V_s = V_u/\phi$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$V_u = 429437,08 \text{ N}$$

$$V_s = 572582,78 \text{ N}$$

use D13 reinforcement bar ($A_v = 265,71 \text{ mm}^2$),

$$s = A_v \times f_y \times d / V_s$$

$$s = 265,71 \text{ mm}^2 \times 390 \text{ MPa} \times 726 \text{ mm} / 572582,78 \text{ N}$$

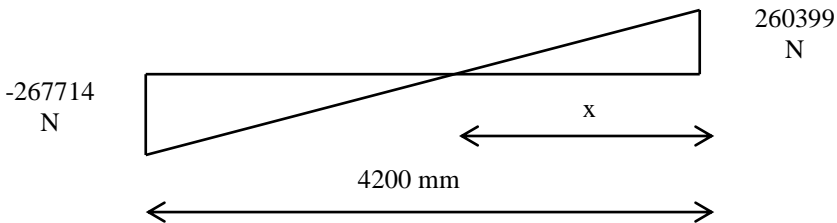
$$s = 131,33 \text{ mm} \approx 130 \text{ mm}.$$

According to SNI 2847:2013 paragraph 21.3.4.2, the stirrup bar should be installed along $2h = 1600 \text{ mm}$ at both edge of beam with the space of stirrup bar must not more than the least of

1. $d/4 = 726 \text{ mm} / 4 = 181,75 \text{ mm}$
2. $8D = 8 \times 22 \text{ mm} = 176 \text{ mm}$
3. $24 \times \phi = 24 \times 13 \text{ mm} = 312 \text{ mm}$
4. 300 mm .

Use stirrup bar D13-120, s (space) = $120 \text{ mm} \leq 176 \text{ mm}$

Reinforcement Bar Outside Plastis Area
checking V_u value (from SAP 2000 v14[®]):



Equation for finding x value

$$\frac{x}{4200 - x} = \frac{260399}{267714}$$

$$x = 2071 \text{ mm}$$

V_u at $2h = 1600$ mm, is

$$\frac{2071}{2071 - 1600} = \frac{260399}{V_u}$$

$$V_u = 59213 \text{ N}$$

$V_u = 59213$ N at 1600 mm from support.

Thus,

$$V_s = V_u / \phi$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$V_u = 59213 \text{ N}$$

$$V_s = 78951 \text{ N}$$

use D13 reinforcement bar ($A_v = 265,71 \text{ mm}^2$),

$$s = A_v \times f_y \times d / V_s$$

$$s = 265,71 \text{ mm}^2 \times 390 \text{ MPa} \times 726 \text{ mm} / 78951 \text{ N}$$

$$s = 952,41 \text{ mm} \approx 950 \text{ mm}$$

According to SNI 2847:2013 paragraph 21.3.4.3, the stirrup bar should be installed along the beam (outside plastic area) with the space of stirrup bar must not more than

$$1. d/2 = 726 \text{ mm} / 2 = 363 \text{ mm}.$$

Use stirrup bar D13-300, s (space) = $300 \text{ mm} \leq 363 \text{ mm}$.

$$n \text{ of stirrup bar (outside plastic area)} = (L_n - 4h) / s + 1$$

$$n = (4200 \text{ mm} - 4 \times 800 \text{ mm}) / 300 \text{ mm} + 1$$

$$n = 4,33 \approx 5.$$

Reinforcement Bar Due to Torsion Moment

The reinforcement bar due to torsion moment shall follow the conditions in SNI 2847:2013 paragraph 11.5.1. The torsion can be neglected if the condition below fulfilled

$$T_u < \phi \frac{\sqrt{f'_c}}{12} \left(\frac{A_{cp}^2}{P_{cp}} \right)$$

in which,

$\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$T_u = 16708238,3$ Nmm (from SAP 2000 v14[®])

$A_{cp} = b \times h = 320000$ mm²

$P_{cp} = 2 \times (b + h) = 2400$ mm

Thus,

$T_u = 16698745,4$ Nmm \geq 14605934,9 Nmm (not OK).

So, the torsion reinforcement bar is needed.

Longitudinal Reinforcement

The design of torsion reinforcement shall follow this condition

$\phi T_n \geq T_u$ (SNI, 2013 paragraph 11.5.3.5)

$T_n = 2A_0A_t f_{yt} \cot \theta / s$ (SNI, 2013 paragraph 11.5.3.6)

in which,

$A_0 = 0,85A_{h0} = 0,85 \times (287 \times 687)$ mm²

$A_0 = 167593,65$ mm²

$\theta = 45^0$ (non-prestress)

$f_{yt} = 390$ MPa

$\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

then,

$A_t/s = (T_u/\phi)/(2A_0 f_{yt} \cot 45^0)$

$A_t/s = 0,17$ mm²/mm

according to SNI 2847:2013 paragraph 11.5.3.7, the area of torsion reinforcement should be calculated based on this equation

$A_t = (A_t/s) \times P_h \times f_{yt}/f_y$

in which,

$P_h = 2 \times (287 + 687)$ mm = 1948 mm

$$f_y = 390 \text{ MPa}$$

then,

$$A_\ell = (A_t/s) \times P_h \times f_{yt}/f_y$$

$$A_\ell = 331,78 \text{ mm}^2$$

use torsion reinforcement bar 2D22 ($A_\ell = 760,57 \text{ mm}^2$).

checking the condition of torsion reinforcement bar according to SNI 2847:2013 paragraph 11.5.5.3

$$A_{st} + A_t \geq \frac{0,42\sqrt{f_c}'A_{cp}}{f_y} - \left(\frac{A_t}{s}\right)P_h \frac{f_{yt}}{f_y}$$

in which,

$$A_{st} = 6D22 (2281,72\text{mm}^2)$$

$$A_\ell = 2D22 (760,57 \text{ mm}^2)$$

$$A_{cp} = 400 \times 800 \text{ mm}^2 = 320000 \text{ mm}^2$$

then,

$$A_{st} + A_\ell = 3042,29 \text{ mm}^2 \geq 1555,75 \text{ mm}^2 \text{ (OK)}$$

Transversal Reinforcement

The need of stirrup reinforcement at plastis area:

$$\frac{A_v}{s} = \frac{V_s}{f_y d} = 2,022 \text{ mm}^2 / \text{mm}$$

checking stirrup (D13-120):

$$\frac{n\pi/4 D^2}{s} \geq \frac{A_v}{s} + \frac{A_t}{s}$$

$$2,213 \text{ mm}^2/\text{mm} \geq 2,192 \text{ mm}^2/\text{mm} \text{ (OK)}$$

The need of stirrup reinforcement outside plastis area:

$$\frac{A_v}{s} = \frac{V_s}{f_y d} = 0,278 \text{ mm}^2 / \text{mm}$$

checking stirrup (D13-300):

$$\frac{n \pi / 4 D^2}{s} \geq \frac{A_v}{s} + \frac{A_t}{s}$$

$$0,885 \text{ mm}^2 / \text{mm} \geq 0,449 \text{ mm}^2 / \text{mm} \text{ (OK).}$$

Checking Condition of Beam (Due to Lifting Process)

When lifting process occurs, the need of reinforcement bar due to lifting process, is necessary. Because when lifting process occurs, it will produce moment force. So, the moment force must be calculated and then the reinforcement bar designed so it can bear the moment force due to lifting process. In this chapter will use two lifting points of primary beam (Figure 4.52).

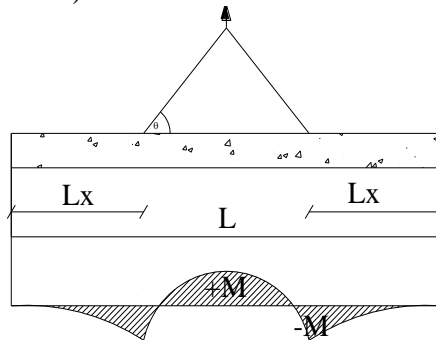


Figure 4.52. Two lifting points of primary beam and the moment obtained due to lifting process of primary beam (source: Private Documentation)

The general data for calculating lifting bar will be shown below

f'_c (14 days)	= 26,4 MPa
f_y	= 240 MPa = 2400 kg/cm ²
primary beam's type	= BIL1 (b = 300 x h = 650)
L (length)	= 4200 mm
n (number of points)	= 2
k (shock coefficient)	= 1,2
W = 300x650x4200x2400	= DL = 2620,8 kg
Wt = 300x650x2400	= 624 kg/m
Qu (=1,4 DL x k)	= 4402,94 kg
P (=Qu/n) = Tu	= 2201,47 kg

Designing The Lifting Bar

The designing process of lifting bar will use equation below

$$\phi_{\text{tulangan angkat}} \geq \sqrt{\frac{n \times P}{\pi \times \sigma}}$$

in which n is the number of liting points and σ is $f_y/1,5 = 1600 \text{ kg/cm}^2$ (SF = 1,5, $f_y = 240 \text{ MPa}$).

So, the value of ϕ (diameter of lifting bar) is

$$\phi = \sqrt{\frac{2 \times 2201,47 \text{ kg}}{\frac{22}{7} \times 1600 \text{ kg/cm}^2}} = 0,93 \text{ cm}$$

use lifting bar $\phi = 12 \text{ mm}$ instead (As = 113,14 mm²).

Moment Calculation Due to Lifting Process

The moment calculation due to lifting process of beam will use these equations below

$$+M = \frac{WtL^2}{8} \left(1 - 4x + \frac{4yc}{L \tan \theta} \right) \rightarrow \text{moment at field area}$$

$$-M = \frac{WtX^2L^2}{2} \rightarrow \text{moment at support area}$$

$$X = \frac{1 + \frac{4yc}{L \tan \theta}}{2 \left(1 + \sqrt{1 + \frac{yt}{yb} \left(1 + \frac{4yc}{L \tan \theta} \right)} \right)}$$

$y_t = y_b = \frac{1}{2} \times h$	= 32,5 cm
$y_c = y_t + 1''$	= 35,04 cm
rope's height	= 1500mm
θ°	= $\tan^{-1} ((\text{rope's height}/(L - 2LX))$ = 55,99°
$\tan \theta^\circ$	= 1,483
X	= 0,276 m \rightarrow 0,28 m
LX	= 1,273 m \rightarrow 1,288 m
L - 2LX	= 2,052 m \rightarrow 2,024 m
T (cable force)	= P x $\sin \theta^\circ = 1037,83$ kg
+M	= 173,97 kgm
-M	= 322,49 kgm
M' (negative moment) (moment force due to lifting process)	= P x $y_c / \tan \theta^\circ = 211,318$ kgm
-M (total)	= 533,81 kgm
Z	= $1/6 \times b \times h^2 = 28166$ cm ³

Checking The Crack Factor

The lifting bar will use $\phi = 12$ mm plain bar.

Checking the f_{cr} value (assumed the concrete's age is 14 days)

$$f_{cr} = 0,62 \lambda \sqrt{f'c} / SF \text{ (SNI, 2013 paragraph 9.5.2.3)}$$

$$(\lambda = 1, \text{ SNI, 2013 paragraph 8.6.1})$$

(safety factor = 2)

f_{cr}	= 1,593 MPa
f (due to field moment)	= +M(total)/Z = 0,172 MPa
f (due to support moment)	= -M(total)/Z = 0,527 MPa
$f < f_{cr}$	= 0,172 MPa < 1,593 MPa (OK)
$f < f_{cr}$	= 0,527 MPa < 1,593 MPa (OK)

Checking The Strand Cable

The strand cable for lifting process will use seven-wire strand 5/16 inch diameter with $f_{pu} = 250$ ksi (see PCI, 2004 Design Aid Table 11.2.3).

$$\begin{aligned}
 f_{pu} &= 250 \text{ ksi} \\
 A &= 0,058 \text{ in}^2 \\
 f_{pu} \times A &= 14,5 \text{ kips} = 64499,2132 \text{ N} \\
 SF &= 2 \\
 Af_{pu}/SF &= 3224,96 \text{ kg} \\
 T &= 1037,83 \text{ kg} \\
 T < Af_{pu}/SF &= 1037,83 \text{ kg} < 3224,96 \text{ kg (OK)}
 \end{aligned}$$

Checking The Deflection of Primary Beam

The deflection of primary beam is calculated using equation below

$$\begin{aligned}
 \delta \text{ (deflection)} &= (5/384) \times (q_u \times L^4/EI) \\
 \delta_{\max} &= L_n/480 \text{ (in cm) (SNI 2847:2002 Paragraph 9)} \\
 \text{in which } q_u &\text{ is taken as } 3883,14 \text{ kg/m} + 2586,435 \text{ kg/m} = \\
 &6469,575 \text{ kg/m (see previous paragraph), } I \text{ is the moment of} \\
 &\text{inertia of secondary beam (} I = 1/12 \times b \times h^3 \text{), and } E \text{ equals} \\
 &4700 \times (f'c)^{0,5}, f'c \text{ in 14 days}
 \end{aligned}$$

Deflection ($L_n = 420$ cm, $b = 40$ cm, $h = 80$ cm)

$$\delta = (5/384) \times (q_u \times L^4/EI) = 0,063 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,875 \text{ cm}$$

$$\delta < \delta_{\max} \text{ (OK)}$$

Checking The Crack Moment

According to SNI 2847:2013 paragraph 21.3.3, the crack moment, M_{cr} , must not more than nominal moment, ϕM_n , and the M_{cr} value shall follow the the equation in SNI 2847:2013 paragraph 9.5.3.2.

$$\phi M_n \geq M_{cr}$$

in which,

$$M_{cr} = f_{cr} \times I_g / y_t$$

note that $f_{cr} = 1,593$ MPa,

$$I_g = 1/12 \times b \times h^3$$

$$I_g = 1/12 \times 400 \times 650^3 \text{ mm}^4 = 9154166667 \text{ mm}^4$$

$$y_t = 400 \text{ mm}$$

Thus,

$$M_{cr} = 77716125 \text{ Nmm}$$

$$\phi M_n = 357270197 \text{ Nmm}$$

$$\phi M_n \geq M_{cr} \text{ (OK).}$$

The recapitulation of reinforcement bar of precast primary beam will be shown below

Table 4.32. Recapitulation of Reinforcement Bars of Precast Primary Beam

Before Monolith Condition											
Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar			Torsion
		As use (mm ²)	n	Code	As use (mm ²)	N	Code	s (mm)	Code		
B1L1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		
B1L2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		
B1L3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		
B1A1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		
B1A2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		
B1A3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22	
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120		

After Monolith Condition										
Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar		Torsion
		As use (mm ²)	n	Code	As use (mm ²)	N	Code	s (mm)	Code	
BIL1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIL2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIL3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	

Due to Lifting Process' Moment										
Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar		Torsion
		As use (mm ²)	n	Code	As use (mm ²)	N	Code	s (mm)	Code	
BIL1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIL2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIL3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA1	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA2	1700	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	
BIA3	4200	2281,72	6	6D22	1521,14	4	4D22	120	D13-120	2D22
		2281,72	6	6D22	1521,14	4	4D22	120	D13-120	

4.4.3. Reinforcement of Pillar

4.4.3.1. General Data

The general data for reinforcement of pillar will be shown below

b (width)	= 80 cm
h = b(rectangular pillar)	= 80 cm
L(axis to axis)	= 4000mm
L(actual)	= 3200 mm
bar's diameter (D/deform)	= 25 mm
bar's diameter/stirrup (D/deform)	= 19 mm
clear cover	= 50
f'_c	= 30 MPa
$f_y = 390$ MPa	

4.4.3.2. Checking Pillar's Dimension

According to SNI 2847:2013 paragraph 21.6.1, the condition for checking pillar's dimension is

$$\begin{aligned} \text{Axial force (from SAP 2000 v14}^{\text{®}}) &\geq A_g \times f'_c / 10 \\ 6765773 \text{ N} &\geq 800 \text{ mm} \times 800 \text{ mm} \times 30 \text{ MPa} / 10 \\ 6765773 \text{ N} &\geq 1920000 \text{ N (OK)} \end{aligned}$$

then,

ratio of b/h > 0,4

$$800 \text{ mm} / 800 \text{ mm} = 1 > 0,4 \text{ (OK).}$$

4.4.3.3. Calculation of Pillar's Longitudinal Reinforcement

Before calculate the pillar's reinforcement, the result of axial force, etc. will be shown in Table 4.33.

Table 4.33. Recapitulation of Forces of Pillar
(from SAP 2000 v14[®])

Dimension	Axial	Shear	Torsion	Moment
mm x mm	N	N	Nmm	Nmm
800 x 800	6765773	86590	89077	210258344

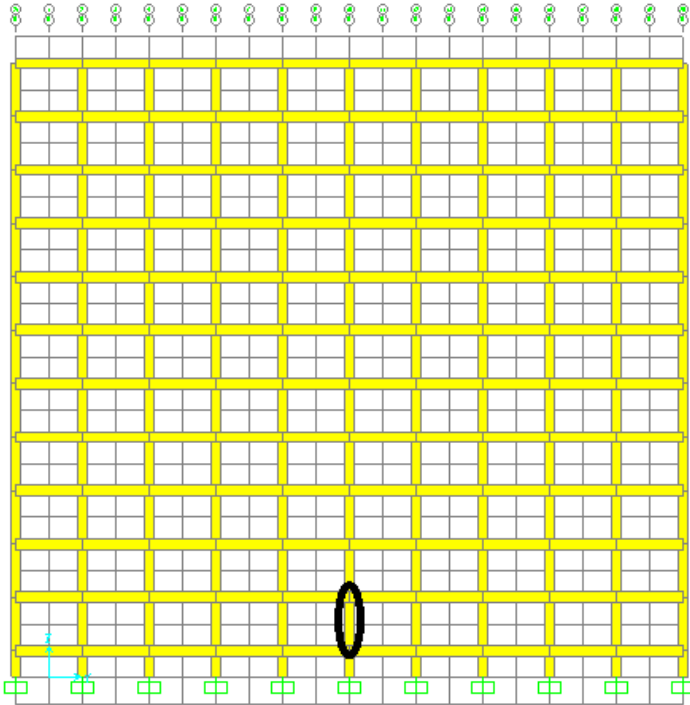


Figure 4.53. The location of pillar in SAP 2000 v14[®]
(source: Private Documentation)

According to SNI 2847:2013 paragraph 21.6.1, if the condition for checking pillar's dimension is fulfilled (see paragraph 4.4.5.2) then the reinforcement of pillar must follow

the conditions stated in SNI 2847:2013 paragraph 21.6.4, 21.6.5, 21.7.3. The calculation of pillar's reinforcement will use SpColumn[®] to calculate longitudinal reinforcement bar. The graphic's result of interaction between axial force and moment in pillar will be shown below

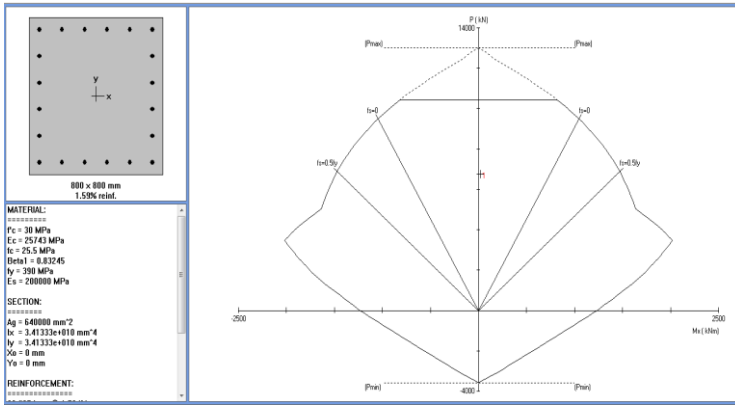


Figure 4.54. The interaction graphic between axial force and moment in pillar ($f_s = f_y$)
(source: Private Documentation)

4.4.3.4. Checking Ratio of Longitudinal Reinforcement

According to SNI 2847:2013 paragraph 21.6.3.1, the area of longitudinal reinforcement bar, A_{st} , must not less than $0,01A_g$ and must not greater than $0,06A_g$. From Figure 4.60, the percentage of A_{st} is $0,0159A_g$ ($1,59\% \times A_g$) with 20D25. So, the ratio of longitudinal reinforcement is fulfilled.

4.4.3.5. Checking Capacity of Nominal Axial Force of Pillar

According to SNI 2847:2013 paragraph 10.3.6.2, the capacity of nominal axial force's pillar must not less than axial force's pillar from computer programme (SAP 2000 v14[®])

$$\phi P_{n \max} \geq P_u$$

$$\phi = 0,65 \text{ (from SpColumn}^{\text{®}}\text{)}$$

$$\phi P_{n \max} = 0,80 \times \phi \times [0,85 \times f'_c \times (A_g - A_{st}) + f_y \times A_{st}] \geq P_u$$

in which,

$$A_g = b \times h = 800 \times 800 \text{ mm}^2 = 640000 \text{ mm}^2$$

$$A_{st} = 1,59\% \times A_g = 9821,43 \text{ mm}^2$$

then,

$$\phi P_{n \max} = 10347953,6 \text{ N} \geq P_u = 6765773 \text{ N (OK)}.$$

Checking Condition of Strong Column Weak Beam

According to SNI 2847:2013 paragraph 21.6.2, the condition of strong column weak beam is

$$\sum M_{nc} \geq 1,2 \times \sum M_{nb}$$

in which,

$$M_{nc} = \phi M_n / \phi$$

$$\phi M_n = 1744,76 \text{ kNm (from SpColumn}^{\text{®}}\text{)}$$

$$\phi = 0,65 \text{ (from SpColumn}^{\text{®}}\text{)}$$

$$M_{nb}^+ = 603712741 \text{ Nmm (nominal moment of primary beam)}$$

$$M_{nb}^- = 603712741 \text{ Nmm (nominal moment of primary beam)}$$

then,

$$\sum M_{nc} = 2 \times \phi M_n / \phi$$

$$\sum M_{nc} = 5460800000 \text{ Nmm}$$

$$1,2 \times \sum M_{nb} = 1,2 \times 0,85 \times (603712741 + 603712741) \text{ Nmm}$$

$$1,2 \times \sum M_{nb} = 1448910578 \text{ Nmm}$$

$$\sum M_{nc} = 5460800000 \text{ Nmm} \geq 1,2 \times \sum M_{nb} = 1448910578 \text{ Nmm (OK)}.$$

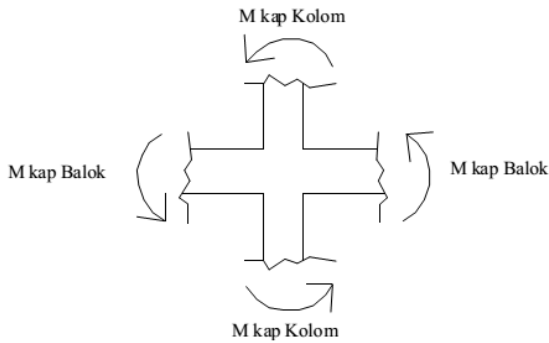


Figure 4.55. The connection between beams and pillar
(source: Private Documentation)

4.4.3.6. Checking Condition of Pillar to Designed Shear Force (V_e)

According to SNI 2847:2013 paragraph 21.6.5.1, the value of V_e (shear force in pillar) is

$$V_e = 2 \times M_{pr} / L_n$$

in which,

$$M_{pr} = \phi M_n / \phi$$

$$\phi M_n = 1765,84 \text{ kNm (from SpColumn}^{\text{®}})$$

$$\phi = 0,65 \text{ (from SpColumn}^{\text{®}})$$

$$L_n = 3200 \text{ mm}$$

note that the value of M_{pr} of column is based on assumption that $f_s \geq 1,25 f_y = 1,25 \times 390 \text{ MPa} = 487,5 \text{ MPa}$.

then,

$$V_e = (2 \times 1765,84 \text{ kNm} / 0,65) / 3200 \text{ mm} = 1697923,08 \text{ N}$$

The value of V_u (shear force in beam) is

$$V_u = 2 \times (M_{pr}^+ + M_{pr}^-) / L_1 \times [L_1 / (L_1 + L_2)]$$

in which,

$$M_{pr}^+ = 746904222 \text{ Nmm (probable moment of primary beam)}$$

$$M_{pr}^- = 7469042220 \text{ Nmm (probable moment of primary beam)}$$

$$L_1 = 4000 \text{ mm (pillar's height, first floor)}$$

$$L_2 = 4000 \text{ mm (pillar's height, second floor)}$$

then,

$$V_u = 2 \times (746904222 \text{ Nmm} + 7469042220 \text{ Nmm}) / 4000 \text{ mm} \times [4000 \text{ mm} / (400 \text{ mm} + 4000 \text{ mm})]$$

$$V_u = 373452,11 \text{ N}$$

$$V_e = 1697923,08 \text{ N} \geq V_u = 373452,11 \text{ N (OK)}$$

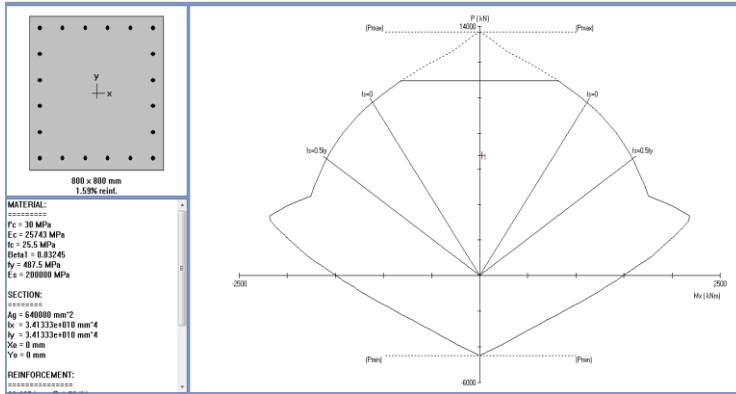


Figure 4.56. The interaction graphic between axial force and moment in pillar ($f_s = 1,25f_y$)
(source: Private Documentation)

4.4.3.7. Calculation of Pillar's Confinement Reinforcement

According to SNI 2847:2013 paragraph 21.6.4.1, the value of ℓ_0 must not less than the greatest value below

1. $h = 800 \text{ mm}$
2. $1/6 \times L_n = 1/6 \times 3200 \text{ mm} = 533,33 \text{ mm}$
3. 450 mm

whilst according to SNI 2847:2013 paragraph 21.6.4.3, the value of s_0 must not more than the least value below

1. $\frac{1}{4} \times b = \frac{1}{4} \times 800 \text{ mm} = 200 \text{ mm}$
2. $6D = 6 \times 25 \text{ mm} = 150 \text{ mm}$
3. $s_0 = 100 + (350 - h_x)/3$
 $h_x = 0,5 \times (b - 2 \times (\text{clear cover} + \text{stirrup}/2))$
 $h_x = 0,5 \times (800 - 2 \times (50 + 19/2))$
 $h_x = 340,5 \text{ mm}$
 $s_0 = 100 + (350 - 340,5)/3 = 103,2 \text{ mm}$

in which s_0 value is not more than 150 mm and not less than 100 mm.

use $s = 100 \text{ mm}$ (2D19 – 100).

According to SNI 2847:2013 paragraph 21.6.4.4, the value of A_{sh} must not less than the greatest value below

1. $A_{sh} = 0,3 \times s \times b_c \times f'_c/f_{yt} \times ((A_g/A_{ch}) - 1)$
2. $A_{sh} = 0,09 \times s \times b_c \times f'_c/f_{yt}$

in which,

$$b_c = b - 2D - \text{clear cover}$$

$$b_c = 800 - 2 \times 19 - 50 \text{ mm} = 712 \text{ mm}$$

$$A_g = 800 \times 800 \text{ mm}^2 = 640000 \text{ mm}^2$$

$$A_{ch} = (800 - 50)^2 \text{ mm}^2 = 562500 \text{ mm}^2$$

then,

1. $A_{sh} = 147,14 \text{ mm}^2$
2. $A_{sh} = 320,4 \text{ mm}^2$

Use $A_{sh} = 320,4 \text{ mm}^2$.

then use confinement reinforcement bar 2D19 ($A_s = 567,28 \text{ mm}^2 > A_{sh} = 320,4 \text{ mm}^2$).

According to SNI 2847:2013 paragraph 11.2.1.2, the value of V_c is

$$V_c = 0,17 \left(1 + \frac{N_u}{14A_g} \right) \lambda \sqrt{f_c} b_w d$$

in which,

$$N_u = 6765773 \text{ N (from SAP 2000 v14}^{\text{®}}\text{)}$$

$$A_g = 640000 \text{ mm}^2$$

$$\lambda = 1 \text{ (SNI, 2013 paragraph 8.6.1)}$$

$$d = b - \text{clear cover} - \text{stirrup} - \frac{1}{2} D$$

$$d = 800 - 50 - 19 - 0,5 \times 25 \text{ mm} = 718,5 \text{ mm}$$

$$V_c = 757333,17 \text{ N}$$

the value of V_s is

$$V_s = \frac{A_s \times f_y \times d}{s}$$

in which,

$$A_s = 567,28 \text{ mm}^2$$

$$d = 718,5 \text{ mm}$$

$$s = 100 \text{ mm}$$

$$V_s = 1589619,66 \text{ N}$$

checking the condition

$$\phi V_n \geq V_u$$

$$V_n = V_c + V_s$$

$$V_n = 757333,17 \text{ N} + 1589619,66 \text{ N} = 2346952,83 \text{ N}$$

$$V_u = 86590 \text{ N (from SAP 2000 v14}^{\text{®}}\text{)}$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$\phi V_n = 1760214,63 \text{ N} \geq V_u = 86590 \text{ N (OK)}$$

According to SNI 2847:2013 paragraph 21.5.3.2, the space of reinforcement bar must not greater than the least of

1. $\frac{1}{4} \times d = \frac{1}{4} \times 718,5 \text{ mm} = 179,625 \text{ mm}$
2. $6D = 6 \times 25 \text{ mm} = 150 \text{ mm}$
3. 150 mm

use $s = 150 \text{ mm}$ (2D19 – 150).

Calculation of Pillar's Development Bar

According to SNI 2847:2013 paragraph 12.2.2, the length of development bar which is located in the middle of pillar's connection must fulfill this equation below

$$l_d = \left(\frac{f_y}{1,1\lambda\sqrt{f'_c}} \frac{\Psi_t \Psi_e \Psi_s}{\left(\frac{c_b + K_{tr}}{d_b} \right)} \right) \times d_b$$

in which,

$\Psi_t = 1$, $\Psi_e = 1$, $\Psi_s = 1$ (SNI, 2013 paragraph 12.2.4)

$\lambda = 1$ (SNI, 2013 paragraph 12.2.4)

$K_{tr} = 0$ (SNI, 2013 paragraph 12.2.3)

$c_b = \text{clear cover} + D \text{ (stirrup)} + \frac{1}{2} \times D_b$

$c_b = 50 \text{ mm} + 19 \text{ mm} + \frac{1}{2} \times 25 \text{ mm} = 81,5 \text{ mm}$

$l_d = 615,7 \text{ mm} \approx 500 \text{ mm}$

According to SNI 2847:2013 paragraph 12.7.2, the value of l_d must not less than 200 mm

$l_d = 615,7 \text{ mm} \approx 500 \text{ mm} \geq 200 \text{ mm}$ (OK)

use $l_d = 650 \text{ mm}$.

The recapitulation of reinforcement bar pillar will be shown below

Table 4.34. Recapitulation of Pillar’s Reinforcement

Pillar’s Type	Dimension (mm ²)	Longitudinal Reinforcement	Confinement Reinforcement	
			along l_0	outside l_0
K1	800 x 800	20D25	2D19-100	2D19-150
K2	800 x 800	16D25	2D19-100	2D19-150

4.4.4. Reinforcement of Shear Wall

4.4.4.1. General Data

The general data for reinforcement of shear wall will be shown below

section cut of shear wall (SCUT1, from SAP 2000 v14[®])

t (thickness) = 40 cm

L(length) = 5000mm

H(total height) = 44m

bar’s diameter (D/deform) = 22 mm

clear cover = 40 mm

f'_c = 30 MPa

f_y = 390 MPa

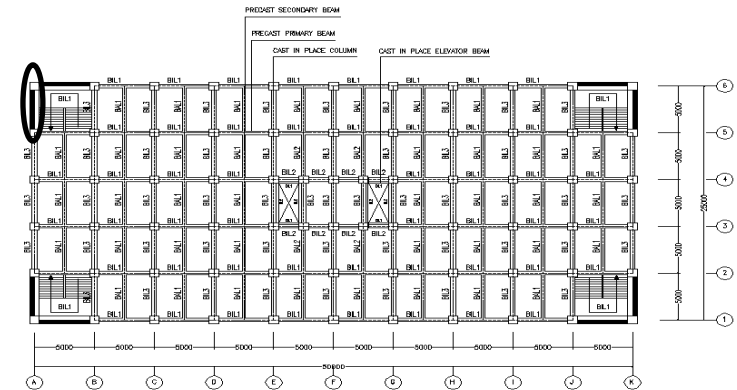


Figure 4.57. The location of shearwall (source: Private Documentation)

4.4.4.2. Checking The Shear Force of Shear Wall

The result of shear wall's shear force will be show below

Table 4.35. Recapitulation of Shear Wall's Forces
(from SAP 2000 v14[®])

Combination	Axial	Shear	Moment
Unitless	N	N	Nmm
1,2 DL + 1,0 LL + 1,0 E _x	258602,78	816424,52	2906581896
1,2 DL + 1,0 LL + 1,0 E _y	862009,28	244927,36	9688606319

4.4.4.3. Checking Planned Axial Force

According to SNI 2847:2013 paragraph 14.5.2, the planned axial force should follow this equation

$$\phi P_n = 0,55 \phi f' c . A_g \left[1 - \left(\frac{k . \ell_c}{32h} \right)^2 \right]$$

in which,

$$A_g = 5000 \text{ mm} \times 400 \text{ mm} = 2000000 \text{ mm}^2$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$\ell_c = 4000 \text{ mm (pillar's length)}$$

$$k = 0,8 \text{ (SNI, 2013 paragraph 14.5.2)}$$

$$h = 400 \text{ mm (shear wall's thickness)}$$

then,

for X direction

$$\phi P_n = 232031250 \text{ N} \geq P_u = 258602,78 \text{ N (OK)}$$

for Y direction

$$\phi P_n = 232031250 \text{ N} \geq P_u = 862009,28 \text{ N (OK)}.$$

4.4.4.4. Checking Shear Wall's Thickness

According to SNI 2847:2013 paragraph 11.9.3, the thickness of shear wall should follow this condition

$$\phi V_n = \phi 0,83 \sqrt{f'c} . h . d \geq V_u$$

in which,

$\ell_w = 5000$ mm (shear wall's length)

$d = 0,8 \ell_w$ (SNI, 2013 paragraph 11.9.4)

$d = 0,8 \times 5000$ mm = 4000 mm

$\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$h = 400$ mm (shear wall's thickness)

then,

for X direction

$$\phi V_n = 54553166,7 \text{ N} \geq V_u = 816424,52 \text{ N (OK)}$$

for Y direction

$$\phi V_n = 54553166,7 \text{ N} \geq V_u = 244927,36 \text{ N (OK)}.$$

4.4.4.5. Calculation Concrete's Shear Force

According to SNI 2847:2013 paragraph 11.9.6, the shear force which is given by concrete is

$$V_c = 0,27 \lambda \sqrt{f'c} \times h \times d + \frac{N_u \times d}{4 \times \ell_w}$$

in which,

$\ell_w = 5000$ mm (shear wall's length)

$d = 0,8 \ell_w$ (SNI, 2013 paragraph 11.9.4)

$d = 0,8 \times 5000$ mm = 4000 mm

$\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$h = 400$ mm (shear wall's thickness)

$\lambda = 1$ (SNI, 2013 paragraph 8.6.1)

then,

for X direction

$$N_u = 244927,36 \text{ N (from SAP 2000 v14[®])}$$

$$V_c = 23824899,39 \text{ N}$$

then,

for Y direction

$$N_u = 244927,36\text{N (from SAP 2000 v14}^{\text{®}})$$

$$V_c = 23710599,96 \text{ N}$$

4.4.4.6. Reinforcement of Shear Wall

According to SNI 2847:2013 paragraph 21.9.2.2, the reinforcement of shear wall should be two layers reinforcement if

$$V_u \geq 0,17 \times A_{cv} \times f^2 c^{0,5} \times \lambda$$

in which,

$$A_{cv} = 5000 \text{ mm} \times 400 \text{ mm} = 2000000 \text{ mm}^2$$

$$\lambda = 1 \text{ (SNI, 2013 paragraph 8.6.1)}$$

then,

for X direction

$$V_u = 816424,52 \text{ N (from SAP 2000 v14}^{\text{®}})$$

$$0,17 \times A_{cv} \times f^2 c^{0,5} \times \lambda = 1862256,69 \text{ N}$$

$$V_u \leq 0,17 \times A_{cv} \times f^2 c^{0,5} \times \lambda \text{ (OK)}$$

then,

for Y direction

$$V_u = 244927,36\text{N (from SAP 2000 v14}^{\text{®}})$$

$$0,17 \times A_{cv} \times f^2 c^{0,5} \times \lambda = 1862256,69 \text{ N}$$

$$V_u \leq 0,17 \times A_{cv} \times f^2 c^{0,5} \times \lambda \text{ (OK)}$$

According to SNI 2847:2013 paragraph 11.9.9, the ratio between horizontal shear reinforcement bar and gross area of concrete should not less than 0,0025

for X direction

use D22 reinforcement bar ($A_s = 380,28 \text{ mm}^2$)

the space of reinforcement bar should not more than the least of

1. $\ell_w/5 = 5000/5 \text{ mm} = 1000 \text{ mm}$
2. $3h = 3 \times 400 \text{ mm} = 1200 \text{ mm}$
3. 450 mm

use $s = 100 \text{ mm}$

$$\rho_t = \frac{A_s}{h \times s}$$

$$\rho_t = 0,0095 > \rho_{t \min} = 0,0025 \text{ (OK)}$$

the value of V_s is

$$V_s = \frac{A_v \times f_y \times d}{s}$$

in which,

$$\ell_w = 5000 \text{ mm (shear wall's length)}$$

$$d = 0,8\ell_w \text{ (SNI, 2013 paragraph 11.9.4)}$$

$$d = 0,8 \times 5000 \text{ mm} = 4000 \text{ mm}$$

$$A_v = 760,57 \text{ mm}^2$$

$$s = 100 \text{ mm}$$

$$V_s = 11864914,29 \text{ N}$$

checking the condition

$$\phi V_n \geq V_u$$

$$V_n = V_c + V_s$$

$$V_n = 23824899,39 \text{ N} + 11864914,29 \text{ N} = 35689813,67 \text{ N}$$

$$V_u = 816424,52 \text{ N (from SAP 2000 v14[®])}$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$\phi V_n = 26767360,26 \text{ N} \geq V_u = 816424,52 \text{ N (OK)}$$

use D22 – 100 with $s = 100 \text{ mm}$.

for Y direction

use D22 reinforcement bar ($A_s = 380,28 \text{ mm}^2$)
 the space of reinforcement bar should not more than the least
 of

1. $\ell_w/5 = 5000/5 \text{ mm} = 1000 \text{ mm}$
2. $3h = 3 \times 400 \text{ mm} = 1200 \text{ mm}$
3. 450 mm

use $s = 100 \text{ mm}$

$$\rho_t = \frac{A_s}{h \times s}$$

$$\rho_t = 0,0095 > \rho_{t \min} = 0,0025 \text{ (OK)}$$

the value of V_s is

$$V_s = \frac{A_v \times f_y \times d}{s}$$

in which,

$$\ell_w = 5000 \text{ mm (shear wall's length)}$$

$$d = 0,8\ell_w \text{ (SNI, 2013 paragraph 11.9.4)}$$

$$d = 0,8 \times 5000 \text{ mm} = 4000 \text{ mm}$$

$$A_v = 760,57 \text{ mm}^2$$

$$s = 100 \text{ mm}$$

$$V_s = 11864914,29 \text{ N}$$

checking the condition

$$\phi V_n \geq V_u$$

$$V_n = V_c + V_s$$

$$V_n = 23710599,96 \text{ N} + 11864914,29 \text{ N} = 35575514,24 \text{ N}$$

$$V_u = 244927,36 \text{ N (from SAP 2000 v14}^{\text{®}})$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$\phi V_n = 26681635,68 \text{ N} \geq V_u = 244927,36 \text{ N (OK).}$$

use D22 – 100 with $s = 100 \text{ mm}$.

4.5. Designing The Connection

4.5.1. Preface

The connection functionate to distribute the forces that retained by structure's element to be transported to other structure's element. Those forces then distributed to foundation. Besides that, the connection is made so that the stability of structure can be achieved. The connection is expected to transfer all those forces simultaneously.

The wet connection in construction process is tend to be easier to be done than dry connection (non-topping) like *mechanical connection* and *welding connection* which are more complicated process. For the wet connection in the joint area, it is needed to give the additional reinforcement which is calculated based on the development bar. Besides that, it is needed to calculate the friction shear force between precast concrete with *overtopping*. In the construction process it is usual to use *shear connector* which functionate as shear bearer and bending agent between precast slab and *overtopping* so that the slab can be monolith, and the integrity of structure can be achieved.

In the construction process of precast concrete, a strong connection is always considered from economical and practical consideration. Besides that, it is needed to considerate about *serviceability*, strengthess, and production. The connection is expected to bear the loads and the moment which is dead load, live load, seismic load, and the combination of them.

The wet coonnection is already used in many construction process as the solution for precast concrete.

According to SNI 2847:2013 paragraph 16.6.2.2, the length of support in support

- $D = L_n/180$, in which L_n is the span of precast element
- for *hollow-core* structure: 50 mm
- for *stemmed* structure: 75 mm

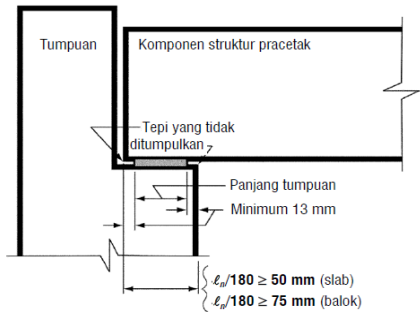


Figure 4.58. The support's length in support area
(source: SNI, 2013)

4.5.2. Concept of Connection's Design

4.5.2.1. Mechanism of Load Transfer

The function of connection is to transfer the loads from one structure's element to another structure's element. The mechanism of load transfer will be explained below (see Figure 4.59).

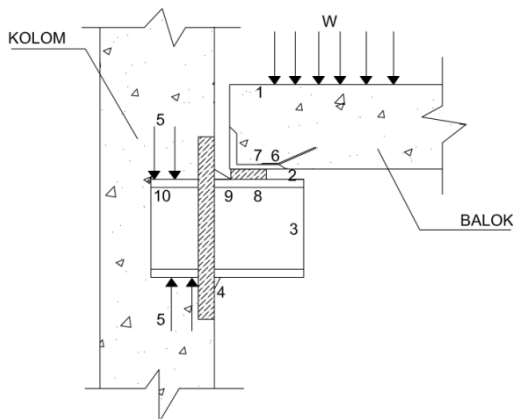


Figure 4.59. The mechanism of load transfer
(source: Private Documentation)

1. the load is absorbed by slab and transferred to support by shear strength
2. then from support, transferred to *haunch* through *pads*'s compression force
3. *haunch* absorbs the vertical force from support by shear strength and flexural from steel profile
4. the vertical shear force and flexural transfer to steel plate through weld point
5. the concrete pillar gives the reaction to steel profile which is attached

The mechanism of load transfer due to shrinkage can be explained below

1. the concrete beam to reinforce bar
2. steel reinforce on the edge of the beam is attached by weld
3. steel on the edge of beam to *haunch* through friction on *bearing pads* and under *bearing pads*, partially the force due to volume change is reduced with deformation on *pads*
4. partially of the force due to the change of volume change is transferred through weld to steel plate
5. the force is retained by support and transfer by *stud* to concrete pillar.

4.5.2.2. Classification of System and Connection

The precast system is defined in two categories which are the location of its connection and type of connector

1. the location of connection

the ductile portal can be defined according to its connection's location and its location which expected to yield. The terms below are used for identifying the behaviour and character of connection

 - *strong*, the connection of precast elements which are strong and not yield due to quake

- *pins*, the precast elements connection behaves like pins if it considered from moment due to quake lateral force
 - *ductile*, the precast elements connection should be ductile
 - the location of plastic pins
2. the type of connector
- *precast shell* with its core is casted by concrete
 - *cold joint* which is reinforced
 - *cold joint* which is partially reinforced and the joint *grouted*
 - *cold joint* which is partially reinforced and the joint not *grouted*
 - the mechanical connection

4.5.2.3. The Deformation Patterns

The example of deformation patterns can be seen on Figure 4.60.

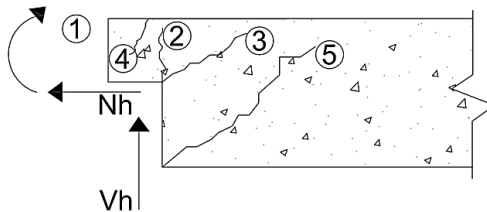


Figure 4.60. The example of deformation patterns
(source: PCI, 2004)

PCI Design Handbook gives 5 patterns of deformation which are have to be investigated when designing *dapped-end* from beam

1. flexural and axial tension force on the edge
2. diagonal tension which is from edge corner
3. immediate shear force between bulge and beam
4. diagonal tension on the end of edge
5. support on the edge

in this final project the connection between precast's elements will use short console (see Figure 4.61)

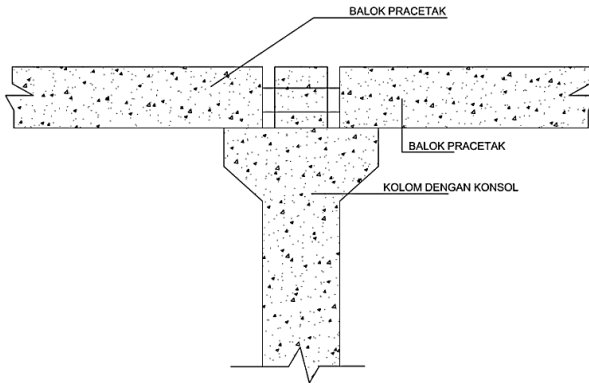


Figure 4.61. The model of connection between precast elements
(source: Private Documentation)

4.5.3. The Use of Overtopping Concrete

The function of *overtopping* concrete will be shown below

1. to guarantee that the precast concrete slab can work as a unity of horizontal diaphragm which is stiff enough
2. to make sure that the distribution of vertical live load of precast component smoother
3. to smoothen the concrete's surface.

The thickness of topping is usually approximately 50 mm to 100 mm. The transfer of shear force due to lateral load at structure's component shall work efficiently if the horizontal shear stress is not more than $5,50 \text{ kg/m}^2$. If the shear stress is exceeded then the topping shall not be considered as monolith structure, but it shall be considered as dead load which retained by precast element. The need of reinforcement steel bar due to *overtopping* in order to resist horizontal shear force can be designed by *shear friction concept*

$$A_{vf} = \frac{V_n}{f_y \times \mu} \geq A_{vf} \text{ min}$$

in which

A_{vf} = the area of shear friction reinforcement

V_n = the area of nominal shear $< 0,2 f'_c A_c$ (Newton)
 $< 5,5 A_c$ (Newton)

A_c = the area of concrete's section

f_y = the yield strength of reinforcement bar

μ = friction coefficient (use $\mu = 1$)

$A_{vf\text{min}} = 0,018 A_c$ for $f_y < 400 \text{ MPa}$

$= 0,018 \times 400/f_y$ for $f_y > 400 \text{ MPa}$, $A_{vf\text{min}}$ shall not less than $0,0014 A_c$.

4.5.4. Designing of Connection Between Beam and Pillar

4.5.4.1. Designing Console of Pillar

The connection between beam and pillar will use short console. The beam will be located at pillar's console then assembled into structure's unity. The designing of pillar's console will use condition in SNI 2847:2013 paragraph 11.8.

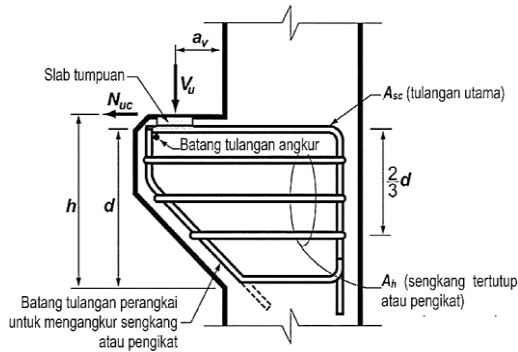


Figure 4.62. The model of short console on pillar
(source: SNI, 2013)

According to SNI 2847:2013 paragraph 11.8 about the designing of short console, shall follow these conditions

1. designing the short console, the ratio between shear span to the height of a_v/d is not more than 1, and subjected by factored horizontal tensile force, N_{uc} , should not more than V_u . The effective height, d , should be determined from front of support
2. the height at the outer edge of support shall not less than $0,5d$
3. the section which is located at the front of support shall be designed to resist V_u of a factored moment $V_{ua} + N_{uc}$ ($h-d$), and factored horizontal tensile force, N_{uc} , simultaneously
 - 1) the design's calculation must follow conditions in SNI 2847:2013 paragraph 11.8, the ϕ value should be 0,75
 - 2) the design of shear friction's reinforcement, A_{vf} , for resisting V_u shall follow the condition in SNI 2847:2013 paragraph 11.6

- a) for normal concrete, V_n should not more than the least of $0,2 \times f'c \times b_w \times d$, $(3,3 + 0,08 f'c) \times b_w \times d$, and $11 \times b_w \times d$
 - b) for light concrete or light sand, V_n should not more than the least of $(0,2 - 0,07 a/d) \times f'c \times b_w \times d$ and $(5,5 - 1,9 a/d) \times b_w \times d$
 - c) the A_f reinforcement to bear factored value of $[V_u a_v + N_{uc} (h-d)]$ should be calculated based on SNI 247:2013 paragraph 10.2 and paragraph 10.3
 - d) the A_n reinforcement for bearing factored tension shear strength, N_{uc} , should be determined by the value of $\phi A_n \times f_y \geq N_{uc}$. The value of factored tension shear strength, N_{uc} , should at least or more than $0,2V_u$ except if the particular conditions are made to avoid the tension strength. N_{uc} should be considered as live load even if the tension which produced by creep, shrinkage, or temperature difference
 - e) the area of main tension reinforcement bar A_{sc} should not less than the biggest value of $(A_f + A_n)$ and $(2A_{vf}/3 + A_n)$
4. the total area of A_h , the closed stirrup or parallel confinement, compared to main tension reinforcement bar shall not less than $0,5(A_{sc} - A_n)$, distributed A_h equally on $(2/3) d$ next to main tension reinforcement
 5. A_{sc}/bd should not less than $0,04 f'c/f_y$
 6. on the front of short console, the main tension reinforcement A_s must be anchored by one of these
 - 1) the welding of structure on transversal reinforcement bar with slightly same size; the welding is designed for expanding f_y main tension reinforcement bar
 - 2) the bending of main tension reinforcement bar to form horizontal closed shape; or
 - 3) the other anchoring method

7. the area of support on short console shall not have more bulge exceed the part of A_s , or transversal anchored reinforcement bar.

4.5.4.2. Calculation Console on Pillar

The V_u value from primary structure's calculation

$$V_u = 149305 \text{ N}$$

General Data

primary beam dimension = 40/80

console dimension:

$$b_w = 600 \text{ mm}$$

$$h = 500 \text{ mm}$$

$$d = h - \text{clear cover} - D \\ = 500 - 40 - 25 = 435 \text{ mm}$$

$$f'_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$a = 400 \text{ mm.}$$

The condition which is used for designing the short console shall follow condition in SNI 2847:2013 paragraph 11.8. The geometry of short console shall follow conditions in SNI 2847:2013 paragraph 11.8.1.

$$a/d = 400 \text{ mm}/435 \text{ mm} = 0,92 < 1 \text{ (OK)}$$

$$N_{uc} \leq V_u$$

$$N_{uc} = 0,2 \times 149305 \text{ N} \leq 149305 \text{ N}$$

$$N_{uc} = 29861 \text{ N} \leq 149305 \text{ N (OK)}$$

according to SNI 2847:2013 paragraph 11.8.3.1, the condition of V_n for normal concrete is

$$V_n = V_u/\phi \\ = 149305 \text{ N}/0,75 = 199073,333 \text{ N}$$

The area of friction shear reinforcement

according to SNI 2847:2013 paragraph 11.8.3.2 (a), for normal concrete, the value of V_n shall not more than

$$0,2 \times f'_c \times b_w \times d = 0,2 \times 30 \times 600 \times 435 \text{ N} \\ = 1566000 \text{ N} > V_n = 199073,333 \text{ N (OK)}$$

$$\begin{aligned}
 11 \times b_w \times d &= 11 \times 600 \times 435 \text{ N} \\
 &= 2871000 \text{ N} > V_n = 199073,333 \text{ N (OK)} \\
 A_{vf} &= V_n / (f_y \times \mu) \\
 &= 199073,33 \text{ N} / (390 \text{ MPa} \times 1) \\
 &= 510,44 \text{ mm}^2.
 \end{aligned}$$

The area of flexural reinforcement

the support which will be used for short console is roller-pins, and so it let the deformation both lateral and horizontal, so the horizontal force due to long-term shrinkage and deformation of beam framework should not happen. According to SNI 2847:2013 paragraph 11.8.3.4, the minimum N_{uc} will be used.

$$\begin{aligned}
 Mu &= V_{ua} \times a + N_{uc} (h-d) \\
 &= (149305 \times 400) + 29861 \times (500 - 435) \\
 &= 61662965 \text{ Nmm} \\
 m &= f_y / (0,85 \times f'_c) \\
 &= 390 \text{ MPa} / (0,85 \times 30 \text{ MPa}) \\
 &= 15,294 \\
 Rn &= M_u / (0,85 \times b \times d_x^2) \\
 &= 61662965 \text{ Nmm} / (0,85 \times 600 \text{ mm} \times 435^2 \text{ mm}^2) \\
 &= 0,638 \text{ N/mm}^2 \\
 \rho_{need} &= 1/m [1 - (1 - 2 \times m \times Rn / f_y)^{0,5}] \\
 &= 0,0016 \\
 \rho_{min} &= 1/4 \times (f'_c)^{0,5} / f_y \\
 &= 0,0035 \\
 \text{use } \rho &= \rho_{min} = 0,0035 \\
 A_{f1} &= M_u / (0,85 \times \phi \times f_y \times d) \\
 &= 61662965 / (0,85 \times 0,75 \times 390 \times 435) \\
 &= 570,15 \text{ mm}^2 \\
 A_{f2} &= \rho \times b \times d \\
 &= 0,0035 \times 600 \times 435 \\
 &= 913,5 \text{ mm}^2 \\
 \text{use } A_f &= A_{f2} = 913,5 \text{ mm}^2.
 \end{aligned}$$

Main reinforcement, A_s

$$\begin{aligned} A_n &= N_{uc}/(\phi \times f_y) \\ &= 29861/(0,75 \times 390) \\ &= 102,08 \text{ mm}^2. \end{aligned}$$

according to SNI 2847:2013 paragraph 11.8.3.5

$$\begin{aligned} A_s &= A_f + A_n \\ &= 913,5 \text{ mm}^2 + 102,08 \text{ mm}^2 \\ &= 1015,58 \text{ mm}^2 \end{aligned}$$

$$\begin{aligned} A_s &= (2 \times A_{vt}/3 + A_n) \\ &= (2 \times 510,44/3 + 102,08) \text{ mm}^2 \\ &= 442,373 \text{ mm}^2 \end{aligned}$$

according to SNI 2847:2013 paragraph 11.8.5

$$\begin{aligned} A_{s \min} &= 0,04 \times f'_c/f_y \times b \times d \\ &= 0,04 \times 30/390 \times 600 \times 435 \text{ mm}^2 \\ &= 803,07 \text{ mm}^2 \end{aligned}$$

use $A_{s \min} = 1015,58 \text{ mm}^2$

according to SNI 2847:2013 paragraph 11.8.3.4

$$\begin{aligned} A_h &= 0,5 (A_s - A_n) \\ &= 0,5 (1015,58 - 102,08) \text{ mm}^2 \\ &= 456,75 \text{ mm}^2 \end{aligned}$$

use reinforcement bar 4D25 ($A_s = 1964,28 \text{ mm}^2$)

installed along $2/3 \times d = 2/3 \times 235 \text{ mm} = 156,67 \approx 200 \text{ mm}$

installed stirrup D13 with spacing $s = 50 \text{ mm}$.

The area of elastomer

$$\begin{aligned} V_u &= \phi \times 0,85 \times f'_c \times A_1 \\ A_1 &= V_u/(\phi \times 0,85 \times f'_c) \\ &= 149305/(0,75 \times 0,85 \times 30) \text{ mm}^2 \\ &= 7806,79 \text{ mm}^2 \end{aligned}$$

use base plate $150 \times 150 \text{ mm}^2 = 22500 \text{ mm}^2$ (thickness = 15 mm).

4.5.4.3. Calculation of Connection on Beam and Pillar

The system of connection between beam and pillar will use development bar's length with beam's reinforcement bar, especially reinforcement on bottom which will be anchored. The length of reinforcement bar is assumed to bear compression and tension, so in the designing process it'll be calculated into two conditions, tension and compression.

$$d_b = 25\text{mm}$$

$$A_s \text{ need} = 1015,58 \text{ mm}^2$$

$$A_s \text{ use} = 1964,28 \text{ mm}^2$$

The length of development bar in compression condition

according to SNI 2847:2013 paragraph 12.3.2,

$$\ell_{dc} \geq (0,24 \times f_y / ((f_c^{0,5} \times \lambda)) \times d_b$$

$$\ell_{dc} \geq (0,24 \times 390 / ((30^{0,5} \times 1)) \times 25 \text{ mm}$$

$$\ell_{dc} \geq 427,22 \text{ mm} \approx 430 \text{ mm}$$

$$\ell_{dc} \geq (0,043 \times f_y) \times d_b$$

$$\ell_{dc} \geq (0,043 \times 390) \times 25 \text{ mm}$$

$$\ell_{dc} \geq 419,25 \text{ mm} \approx 420 \text{ mm}$$

use $\ell_{dc} = 430 \text{ mm}$.

The length of development bar in tension condition

according to SNI 2847:2013 paragraph 12.5.1,

$$\ell_{dh} = 8 \times d_b = 8 \times 25 \text{ mm} = 200 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24 \times f_y / d_b \times (f_c)^{0,5} = 20,5 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 200 \text{ mm}$

The standard length of development hook bar

according to SNI 2847:2013 paragraph 12.5.1,

$$\ell_{dh} \geq 8 \times d_b = 8 \times 25 = 200 \text{ mm}$$

$$\ell_{dh} \geq 150 \text{ mm}$$

$$\ell_{dh} = (0,24 \psi_e f_y / \lambda f_c^{0,5}) / d_b$$

$$= (0,24 \times 1 \times 390 / 1 \times 30^{0,5}) / 25 \text{ mm}$$

$$= 20,5 \text{ mm}$$

use $\ell_{dh} = 200 \text{ mm}$ with minimum standard hook 90° as $12 \times d_b$
 $= 12 \times 25 \text{ mm} = 300 \text{ mm}$.

4.5.5. Designing of Connection Between Primary Beam and Secondary Beam

In the designing process of connection between primary beam and secondary beam will use short console. The secondary beam will be put on console which attached on primary beam then assembled. The designing of console on the primary beam shall follow condition in SNI 2847:2013 paragraph 11.8.

4.5.5.1. Designing Console on Primary Beam

The V_u value is from secondary structure's calculation,

$$V_u = 97085,32 \text{ N}$$

General Data

secondary beam dimension = 30/60

console dimension:

$$b_w = 400 \text{ mm}$$

$$h = 200 \text{ mm}$$

$$d = h - \text{clear cover} - D$$

$$= 200 - 40 - 22 = 138 \text{ mm}$$

$$f_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$a = 100 \text{ mm.}$$

$$a/d = 100 \text{ mm} / 138 \text{ mm}$$

$$= 0,724$$

$$\begin{aligned} V_n &= 97085,32 \text{ N}/0,75 \\ &= 129447,09 \text{ N} \end{aligned}$$

according to SNI 2847:2013 paragraph 11.8.3.2 (a), for normal concrete, the value of V_n shall not more than

$$\begin{aligned} 0,2 \times f'_c \times b_w \times d &= 0,2 \times 30 \times 300 \times 138 \text{ N} \\ &= 248400 \text{ N} > V_n = 129447,09 \text{ N} \text{ (OK)} \end{aligned}$$

$$\begin{aligned} 11 \times b_w \times d &= 11 \times 300 \times 138 \text{ N} \\ &= 455400 \text{ N} > V_n = 129447,09 \text{ N} \text{ (OK)} \end{aligned}$$

The area of friction shear reinforcement

according to SNI 2847:2013 paragraph 11.8.3.2, the value of A_{vf} is determined below

$$\begin{aligned} A_{vf} &= V_n / (f_y \times \mu) \text{ (SNI, 2013 paragraph 11.8.3.2)} \\ &= 129447,09 \text{ N} / (390 \text{ MPa} \times 1) \\ &= 331,915 \text{ mm}^2. \end{aligned}$$

The area of flexural reinforcement

the support which will be used for short console is roller-pins, and so it let the deformation both lateral and horizontal, so the horizontal force due to long-term shrinkage and deformation of beam framework should not happen. According to SNI 2847:2013 paragraph 11.8.3.4, the minimum N_{uc} will be used.

$$\begin{aligned} N_{uc} &= 0,2 \times V_u \\ &= 0,2 \times 97085,32 \text{ N} \\ &= 19417,06 \text{ N} \end{aligned}$$

$$\begin{aligned} M_u &= V_{ua} \times a + N_{uc} (h-d) \\ &= (97085,32 \times 100) + 19417,06 \times (200 - 138) \\ &= 10912389,72 \text{ Nmm} \end{aligned}$$

$$\begin{aligned} m &= f_y / (0,85 \times f'_c) \\ &= 390 \text{ MPa} / (0,85 \times 30 \text{ MPa}) \\ &= 15,294 \end{aligned}$$

$$\begin{aligned} R_n &= M_u / (0,85 \times b \times d_x^2) \\ &= 10912389,72 \text{ Nmm} / (0,85 \times 300 \text{ mm} \times 138^2 \text{ mm}^2) \\ &= 2,247 \end{aligned}$$

$$\begin{aligned}\rho_{\text{need}} &= 1/m [1 - (1 - 2 \times m \times Rn/f_y)^{0,5}] \\ &= 0,0061\end{aligned}$$

$$\begin{aligned}\rho_{\text{min}} &= 1/4 \times (f'_c)^{0,5}/f_y \\ &= 0,0035\end{aligned}$$

use $\rho = \rho_{\text{need}} = 0,0061$.

$$\begin{aligned}A_{f1} &= M_u / (0,85 \times \phi \times f_y \times d) \\ &= 10912389,72 / (0,85 \times 0,75 \times 390 \times 138) \\ &= 318,05 \text{ mm}^2\end{aligned}$$

$$\begin{aligned}A_{f2} &= \rho \times b \times d \\ &= 0,0061 \times 300 \times 138 \\ &= 252,54 \text{ mm}^2\end{aligned}$$

use $A_f = A_{f1} = 318,05 \text{ mm}^2$.

Main reinforcement, A_s

$$\begin{aligned}A_n &= N_{uc} / (\phi \times f_y) \\ &= 19417,06 / (0,75 \times 390) \\ &= 66,383 \text{ mm}^2.\end{aligned}$$

according to SNI 2847:2013 paragraph 11.8.3.5

$$\begin{aligned}A_s &= A_f + A_n \\ &= 318,05 \text{ mm}^2 + 66,383 \text{ mm}^2 \\ &= 384,43 \text{ mm}^2\end{aligned}$$

$$\begin{aligned}A_s &= (2 \times A_{vt}/3 + A_n) \\ &= (2 \times 331,92/3 + 66,383) \text{ mm}^2 \\ &= 287,663 \text{ mm}^2\end{aligned}$$

according to SNI 2847:2013 paragraph 11.8.5

$$\begin{aligned}A_{s \text{ min}} &= 0,04 \times f'_c/f_y \times b \times d \\ &= 0,04 \times 30/390 \times 300 \times 138 \text{ mm}^2 \\ &= 127,38 \text{ mm}^2\end{aligned}$$

use $A_{s \text{ min}} = 384,43 \text{ mm}^2$

according to SNI 2847:2013 paragraph 11.8.3.4

$$\begin{aligned}A_h &= 0,5 (A_s - A_n) \\ &= 0,5 (384,43 - 66,383) \text{ mm}^2 \\ &= 159,02 \text{ mm}^2\end{aligned}$$

use reinforcement bar 4D22 ($A_s = 1521,14 \text{ mm}^2$)
 installed along $2/3 \times d = 2/3 \times 138 \text{ mm} = 92 \approx 100 \text{ mm}$
 installed stirrup D13 with spacing $s = 50 \text{ mm}$.

The area of elastomer

$$V_u = \phi \times 0,85 \times f'_c \times A_1$$

$$A_1 = V_u / (\phi \times 0,85 \times f'_c)$$

$$= 97085,32 / (0,75 \times 0,85 \times 30) \text{ mm}^2$$

$$= 5076,36 \text{ mm}^2$$

use elastomer $100 \times 100 \text{ mm}^2 = 10000 \text{ mm}^2$ (thickness = 15 mm).

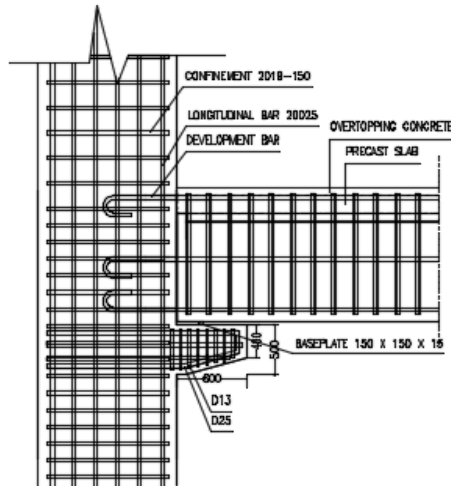


Figure 4.63. The connection between pillar
 and precast primary beam
 (source: Private Documentation)

4.5.5.2. Calculation of Connection on Primary Beam and Secondary Beam

The system of connection between primary beam and secondary beam will use development bar's length with

beam's reinforcement bar, especially reinforcement on bottom which will be anchored. The length of reinforcement bar is assumed to bear compression and tension, so in the designing process it'll be calculated into two conditions, tension and compression.

$$d_b = 22 \text{ mm}$$

$$A_s \text{ need} = 384,43 \text{ mm}^2$$

$$A_s \text{ use} = 1521,14 \text{ mm}^2$$

The length of development bar in compression condition

according to SNI 2847:2013 paragraph 12.3.2,

$$\ell_{dc} \geq (0,24 \times f_y / ((f_c^{0,5} \times \lambda)) \times d_b$$

$$\ell_{dc} \geq (0,24 \times 390 / ((30^{0,5} \times 1)) \times 22 \text{ mm}$$

$$\ell_{dc} \geq 375,95 \text{ mm} \approx 400 \text{ mm}$$

$$\ell_{dc} \geq (0,043 \times f_y) \times d_b$$

$$\ell_{dc} \geq (0,043 \times 390) \times 22 \text{ mm}$$

$$\ell_{dc} \geq 368,94 \text{ mm} \approx 370 \text{ mm}$$

use $\ell_{dc} = 400 \text{ mm}$.

The length of development bar in tension condition

according to SNI 2847:2013 paragraph 12.5.1,

$$\ell_{dh} = 8 \times d_b = 8 \times 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24 \times f_y / d_b \times (f_c^{0,5}) = 21,86 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$.

The standard length of development hook bar

according to SNI 2847:2013 paragraph 12.5.1,

$$\ell_{dh} \geq 8 \times d_b = 8 \times 22 = 176 \text{ mm}$$

$$\ell_{dh} \geq 150 \text{ mm}$$

$$\begin{aligned} \ell_{dh} &= (0,24\psi_e f_y / \lambda f_c^{0,5}) / d_b \\ &= (0,24 \times 1 \times 390 / 1 \times 30^{0,5}) / 22 \text{ mm} \\ &= 23,3 \text{ mm} \end{aligned}$$

use $\ell_{dh} = 200 \text{ mm}$ with minimum standard hook as
 $4 \times d_b = 4 \times 22 \text{ mm} = 88 \text{ mm} \approx 90 \text{ mm} \geq 65 \text{ mm}$.

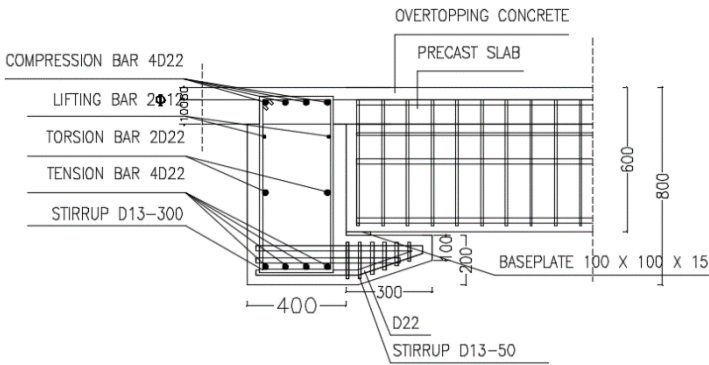


Figure 4.64. The connection between precast primary beam and precast secondary beam
 (source: Private Documentation)

4.5.6. Designing of Connection Between Secondary Beam and Slab

The connection between secondary beam and slab will use the support bar which is installed along and perpendicular to beam (connecting the slab's shear connector). Then the precast slab will be given *overtopping* concrete in order to become monolith structure.

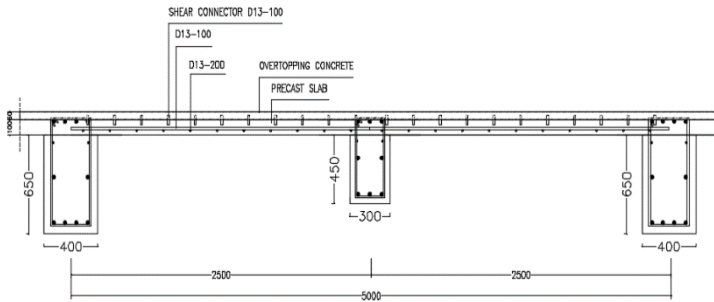


Figure 4.65. The connection between precast secondary beam and precast slab
(source: Private Documentation)

4.5.6.1. Designing The Development Bar of Precast Slab

According to the previously calculation, the result of reinforcement calculation of precast slab type is shown below,

$$d_b = 13 \text{ mm}$$

flexural bar (X direction)

$$A_s \text{ need} = 1109,528 \text{ mm}^2$$

$$A_s \text{ use} = 1327,857 \text{ mm}^2$$

shrinkage bar (Y direction)

$$A_s \text{ need} = 227 \text{ mm}^2$$

$$A_s \text{ use} = 663,93 \text{ mm}^2$$

The length of development bar of flexural bar in compression condition

according to SNI 2847:2013 paragraph 12.3.2,

$$\ell_{dc} \geq (0,24 \times f_y / ((f_c^{0,5} \times \lambda)) \times d_b$$

$$\ell_{dc} \geq (0,24 \times 390 / ((30^{0,5} \times 1)) \times 13 \text{ mm}$$

$$\ell_{dc} \geq 222,15 \text{ mm} \approx 230 \text{ mm}$$

$$\begin{aligned} \ell_{dc} &\geq (0,043 \times f_y) \times d_b \\ \ell_{dc} &\geq (0,043 \times 390) \times 13 \text{ mm} \\ \ell_{dc} &\geq 218,01 \text{ mm} \approx 220 \text{ mm} \\ \text{use } \ell_{dc} &= 220 \text{ mm.} \end{aligned}$$

The length of development bar of flexural bar in tension condition

$$\begin{aligned} \ell_{dh} &= 8x d_b = 8 \times 13 \text{ mm} = 104 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.1}) \\ \ell_{dh} &= 150 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.1}) \\ \ell_{dh} &= 0,24 x f_y / d_b x (f'_c)^{0,5} = 37 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.2}) \\ \text{So, the development bar's length will use } \ell_{dh} &= 150 \text{ mm.} \end{aligned}$$

The length of development bar of shrinkage bar in compression condition

according to SNI 2847:2013 paragraph 12.3.2,

$$\begin{aligned} \ell_{dc} &\geq (0,24 \times f_y / ((f'_c)^{0,5} \times \lambda)) \times d_b \\ \ell_{dc} &\geq (0,24 \times 390 / ((30)^{0,5} \times 1)) \times 13 \text{ mm} \\ \ell_{dc} &\geq 222,15 \text{ mm} \approx 230 \text{ mm} \\ \ell_{dc} &\geq (0,043 \times f_y) \times d_b \\ \ell_{dc} &\geq (0,043 \times 390) \times 13 \text{ mm} \\ \ell_{dc} &\geq 218,01 \text{ mm} \approx 220 \text{ mm} \\ \text{use } \ell_{dc} &= 220 \text{ mm.} \end{aligned}$$

The length of development bar of shrinkage bar in tension condition

$$\begin{aligned} \ell_{dh} &= 8x d_b = 8 \times 13 \text{ mm} = 104 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.1}) \\ \ell_{dh} &= 150 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.1}) \\ \ell_{dh} &= 0,24 x f_y / d_b x (f'_c)^{0,5} = 37 \text{ mm} \\ &(\text{SNI, 2013 paragraph 12.5.2}) \\ \text{So, the development bar's length will use } \ell_{dh} &= 150 \text{ mm.} \end{aligned}$$

4.6. Designing The Basement's Structure

4.6.1. Reinforcement of Basement's Wall

4.6.1.1. Preface

The basement's wall will use cast in situ concrete, the calculation of shear force and moment force will be shown below

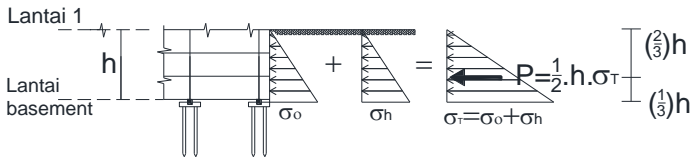


Figure 4.66. The diagram force at basement's wall
(source: Private Documentation)

the general soil data for calculation of basement's wall will be shown below,

(source: Laboratory of Soil Engineering ITS Surabaya, 2016)

$$c = 5 \text{ kN/m}^2$$

$$\phi = 0 \text{ kN/m}^2$$

$$\gamma_{\text{soil}} = 16 \text{ kN/m}^3 \text{ (saturated)}$$

$$\gamma_w = 10 \text{ kN/m}^3$$

$$\beta = 0^\circ$$

by using Rankine formula, the value of K_a is

$$K_a = \frac{\cos \beta \cdot ((\cos \beta - (\cos^2 \beta - \cos^2 \Phi)^{0.5}))}{((\cos \beta + (\cos^2 \beta - \cos^2 \Phi)^{0.5}))}$$

$$((\cos \beta + (\cos^2 \beta - \cos^2 \Phi)^{0.5}))$$

$$K_p = 1/K_a$$

$$K_a \text{ water} = 1$$

$$K_p \text{ water} = 1$$

$$\sigma_{ha} = \sigma_v \times K_a - ((2 \cdot c \cdot (K_a)^{0.5})) \rightarrow \text{active soil pressure}$$

$$\sigma_{hp} = \sigma_v \times K_p - ((2 \cdot c \cdot (K_p)^{0.5})) \rightarrow \text{passive soil pressure.}$$

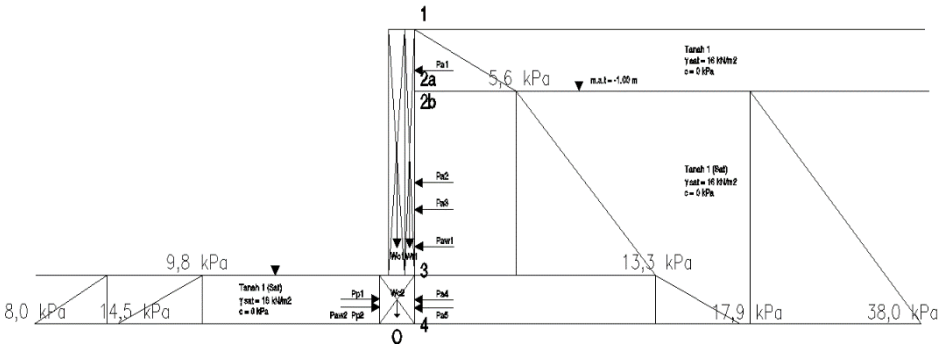


Figure 4.67. The soil and water pressures of basement’s wall
(source: Private Documentation)

The recapitulation of horizontal soil pressure and soil pressure’s force will be shown in Table 4.36.

Table 4.36. Recapitulation of Horizontal Soil Pressure

No .	Poin t	Soi l	C (kPa)	ϕ_0	Ka	Kp	σ_v (kPa)	σ_{ha} (kPa)	σ_{hp} (kPa)
1	1	1	5	0	0,96	1,1	0	0	-
2	2a	1	5	0	0,96	1,1	16	5,62	-
3	2b	1	5	0	0,96	1,1	16	5,62	-
4	3	1	5	0	0,96	1,1	24	13,35	-
5	4	1	5	0	0,96	1,1	28,8	17,9	-
6	3	1	5	0	0,96	1,1	0	-	9,83
7	4	1	5	0	0,96	1,1	4,8	-	14,46

Table 4.37. Recapitulation of Soil Pressure's Force

No.	Section	Vertical (kN)	Distance to O point (m)	Horizontal (kN)	Distance to O point (m)
1	Wt1	4,2	0,24	-	-
2	Wc1	28,8	0	-	-
3	Wc2	12,48	0	-	-
4	Pa1	-	-	45,013	4,14
5	Pa2	-	-	101,279	2,3
6	Pa3	-	-	69,54	1,86
7	Pa4	-	-	64,099	0,4
8	Pa5	-	-	11,127	0,26
9	Paw1	-	-	722	1,27
10	Pp1	-	-	-47,175	0,41
11	Pp2	-	-	-22,255	0,28
12	Paw2	-	-	-32	0,28
Total	45,48 kN		Total	911,636 Kn	

Table 4.38. Recapitulation of Moment Result

No.	Vertical (kN)	d (m)	Moment (kNm)	Horizontal (kN)	h (m)	Moment (kNm)
1	4,2	0,24	-1,008	-	-	-
2	28,8	0	0	-	-	-
3	12,48	0	0	-	-	-
4	-	-	-	45,013	4,14	186,35
5	-	-	-	101,279	2,3	232,94
6	-	-	-	69,54	1,86	129,36
7	-	-	-	64,099	0,4	25,639
8	-	-	-	11,127	0,26	2,893
9	-	-	-	722	1,27	916,94
10	-	-	-	-47,175	0,41	-19,34
11	-	-	-	-22,255	0,28	-6,231
12	-	-	-	-32	0,28	-8,96
Total		-1,008 kNm		Total	1459,595 kNm	
Grand Total		1458,58 kNm				

total moment = 1458,58 kNm
 total vertical force = 45,48 kNm
 total horizontal force = 911,636 kNm.

4.6.1.2. General Data

The general data for reinforcement bar of basement's wall will be shown below

dimension of wall = 5000 x 4000 mm²
 f'_c = 30 MPa
 f_y = 390 MPa
 clear cover = 40 mm
 bar's diameter = 22 mm, $A_s = \pi/4 \times d^2 = 380,28 \text{ mm}^2$
 thickness = 300 mm
 b = 5000 mm
 h = 4000 mm
 d = 300 - 40 - D/2 - D = 227 mm
 ϕ = 0,9
 M_u = 1458,58 kNm = 1458580000 Nmm

Flexural Bar

due to M_u

$$R_n = \frac{M_n}{b \times d^2} = 6,29 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0188$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,002 < 0,0035$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0188$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 21338 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 21338 \text{ mm}^2 / 380,28 \text{ mm}^2 = 56,11$$

$$\text{use } n = 60 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 22816,8 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 22816,8 \text{ mm}^2 > 21338 \text{ mm}^2 \text{ (OK)}$$

$$s_{\text{max}} = (5000 - 2 \times 40) / (60 - 1) = 83,38 \text{ mm} > 25 \text{ mm (OK)}$$

use D22 - 80.

Checking The Minimum Thickness of Wall

According to SNI 2847:2013 paragraph 15.5.3.2 which is stated that the thickness of basement wall shall not less than 190 mm. Meanwhile, $h = 300 \text{ mm} > 190 \text{ mm}$ (OK).

Checking The Ratio of Reinforcement

According to SNI 2847:2013 paragraph 14.3.3 which is stated the value of ρ_t shall more than 0,0025.

$$\rho_t = A_s \times n / (b \times h)$$

$$\rho_t = 380,28 \text{ mm}^2 \times 60 / (5000 \text{ mm} \times 300 \text{ mm})$$

$$\rho_t = 0,0152 > 0,0025 \text{ (OK)}.$$

4.6.2. Reinforcement of Basement's Slab

4.6.2.1. General

The early design of slab BBA consists of 20 cm thickness of cast in place concrete. The calculation will use the conditions based on SNI 2847:2013.

4.6.2.2. General Data

The general data for reinforcement of slab will be shown below

slab's thickness (overall)	= 20 cm
slab type	= BBA (500 cm x 250 cm)
dimension	= 500 x 250 x 20 cm ³
diameter of bar (D)	= 13 mm
L_y (clear span)	= 4350mm
L_x (clear span)	= 1925 mm
L_y/L_x	= 2,25
f'_c	= 30 MPa
f_y	= 390 MPa

4.6.2.3. Load Calculation

The load calculation for slab will be shown below

1. dead load

$$\text{slab (overall)} : (0,20+0,02) \times 2400 \text{ kg/m}^2 = 528 \text{ kg/m}^2$$

plumbing and ducting	: 25 kg/m ²	= 25 kg/m ²
sanitary	: 20 kg/m ²	= 20 kg/m ²
mortar mixture (2 cm)	: 2x21 kg/m ²	= 42 kg/m ²
asphalt (1 cm)	: 14 kg/m ²	= 14 kg/m ²
<hr/>		
DL (total)	:	= 629 kg/m ²
2. live load		
live load	: 800 kg/m ²	= 800 kg/m ²
<hr/>		
LL (total)	:	= 800kg/m ²

4.6.2.4. Load Combination of Slab

The combination of load for slab is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of slab

(concrete's age > 30 days)

$$Q_u = 1,2 \times 629 + 1,6 \times 800 = 2034,8 \text{ kg/m}^2$$

4.6.2.5. Moment Calculation of Slab

The equation for moment calculation is based on PBBI (1971). According to PBBI (1971), the X values are determined by L_y/L_x value which is 2,25. The X values are $X_1 = 41$, $X_2 = 18$, $X_3 = 83$, $X_4 = 57$. The equation of moment values are shown below

$$M_{lx} (+) = 0,001 \times q \times L_x^2 \times X_1$$

$$M_{ly} (+) = 0,001 \times q \times L_x^2 \times X_2$$

$$M_{tx} (-) = 0,001 \times q \times L_x^2 \times X_3$$

$$M_{ty} (-) = 0,001 \times q \times L_x^2 \times X_4$$

moment calculation of slab

$$(q = 2034,8 \text{ kg/m}^2, L_x = 192,5 \text{ cm})$$

$$M_{lx} (+) = 309,148 \text{ kgm}$$

$$M_{ly} (+) = 135,723 \text{ kgm}$$

$$M_{tx} (-) = 625,837 \text{ kgm}$$

$$M_{ty} (-) = 429,792 \text{ kgm}$$

The μ values are taken as

$$\mu = 625,837 \text{ kgm (-)}$$

4.6.2.6. Calculation of Reinforcement Bar

The general data for calculation of reinforcement bar of slab is shown below

$$\text{slab's dimension (actual)} = 4350\text{mm} \times 1925 \text{ mm}$$

$$\text{slab's thickness (cast in place)} = 200 \text{ mm}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter (D)} = 13 \text{ mm}$$

$$f'_c \text{ (28 days)} = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$\beta_1 = L_y/L_x = 2,259 \text{ (one way slab)}$$

$$dx = 200 - 50 - (13/2) = 143,5 \text{ mm}$$

$$dy = 200 - 50 - 13 - (13/2) = 130,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 \times d^2 = 132,78 \text{ mm}^2$$

$$a = A_s f_y / (0,85 f'_c b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\epsilon_t = (d/c - 1) \times 0,003 = 0,158 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 f'_c) = 15,3$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

If the slab is determined as one way slab, then the main reinforcement bar of slab is transversal reinforcement bar only and the longitudinal reinforcement bar will functionate as temperature and shrinkage bearer. Both of them will use spiral bar D13 (diameter = 13 mm, $A_s = 132,7857 \text{ mm}^2$).

4.6.2.7. Reinforcement Bar

The general data for reinforcement bar of slab will be shown below

slab's thickness	= 200 mm, $f'_c = 30$ MPa (> 30 days)
clear cover	= 30 mm
bar's diameter	= 13 mm, $A_s = \pi/4 \times d^2 = 132,78$ mm ²
b	= 1000 mm
d	= 143,5 mm
ϕ	= 0,9
M_u	= 625,837 kgm = 6258370,8 Nmm

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 6953745 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,337 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,000872$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,000872 < 0,002$$

$$\text{use } \rho = \rho_{\text{min}} = 0,002$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 287 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 287 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 2,16$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,928 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 287 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D13-200.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{\text{need}}} = 0,002 \times b \times d = 287 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 287 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 2,16$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,92857 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 287 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{dh} = 8x d_b = 8x 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24x f_y / d_b x (f'_c)^{0,5} = 39,43 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 150 \text{ mm}$.

4.6.2.8. Checking The Deflection of Slab

The deflection of slab is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) x (q_u x L^4/EI)$$

$$\delta_{\max} = L_n/480 \text{ (in cm) (SNI 2847:2013 paragraph 9.5.3.1)}$$

in which q_u is taken as $2034,8 \text{ kg/m}^2 \times 1 \text{ m}$ (see previous paragraph), I is the moment of inertia of slab ($I = 1/12 x b x h^3$), and E equals $4700 x (f'_c)^{0,5}$, f'_c in 28 days

Deflection (Longitudinal, $L_n = 435 \text{ cm}$, $b = L_n$, $h = 20 \text{ cm}$)

$$\delta_b = (5/384) x (q_u x L^4/EI) = 0,127 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,906 \text{ cm}$$

$$\delta_b < \delta_{\max} \text{ (OK)}$$

Deflection (Transversal, $S_n = 192,5 \text{ cm}$, $b = S_n$, $h = 20 \text{ cm}$)

$$\delta_a = (5/384) x (q_u x L^4/EI) = 0,0110 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,401 \text{ cm}$$

$$\delta_a < \delta_{\max} \text{ (OK)}$$

4.6.2.9. Checking The Shrinkage of Slab

The shrinkage of slab is calculated using equation below (see SNI, 2013 paragraph 10.6.4)

$$s = 380 x 280 / f_s - 2,5 Cc \leq 380 x 280 / f_s$$

in which $f_s = 2/3 x f_y = 266,67 \text{ MPa}$,

$$Cc = \text{clear cover} + 1/2 x D = 56,5 \text{ mm}$$

$$s = 398,99 - 141,25 = 257,74 \text{ N/mm} \leq 398,99 \text{ N/mm (OK)}$$

4.6.2.10. Load Calculation (Uplift)

The load calculation for slab will be shown below

1. dead load		
slab (overall)	: $(0,20+0,02) \times 2400 \text{ kg/m}^2 = 528 \text{ kg/m}^2$	
plumbing and ducting	: 25 kg/m^2	= 25 kg/m^2
sanitary	: 20 kg/m^2	= 20 kg/m^2
mortar mixture (2 cm)	: $2 \times 21 \text{ kg/m}^2$	= 42 kg/m^2
asphalt (1 cm)	: 14 kg/m^2	= 14 kg/m^2
DL (total)	:	= 629 kg/m^2
2. live load → due to uplift force		
uplift force	: $1000 \text{ kg/m}^3 \times 4 \text{ m}$	= 4000 kg/m^2
LL (total)	:	= 4000 kg/m^2

4.6.2.11. Load Combination of Slab

The combination of load for slab is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of slab

(concrete's age > 30 days)

$$Q_u = 1,2 \times 629 + 1,6 \times 4000 = 7154,8 \text{ kg/m}^2$$

4.6.2.12. Moment Calculation of Slab

The equation for moment calculation is based on PBBI (1971). According to PBBI (1971), the X values are determined by L_y/L_x value which is 2,25. The X values are $X_1 = 41$, $X_2 = 18$, $X_3 = 83$, $X_4 = 57$. The equation of moment values are shown below

$$\begin{aligned} M_{lx} (+) &= 0,001 \times q_x L_x^2 \times X_1 \\ M_{ly} (+) &= 0,001 \times q_x L_x^2 \times X_2 \\ M_{tx} (-) &= 0,001 \times q_x L_x^2 \times X_3 \\ M_{ty} (-) &= 0,001 \times q_x L_x^2 \times X_4 \end{aligned}$$

moment calculation of slab

$$(q = 7154,8 \text{ kg/m}^2, L_x = 192,5 \text{ cm})$$

$$M_{lx} (+) = 1087,033 \text{ kgm}$$

$$M_{ly} (+) = 477,234 \text{ kgm}$$

$$M_{tx} (-) = 2200,579 \text{ kgm}$$

$$M_{ty} (-) = 1511,241 \text{ kgm}$$

The μ values are taken as

$$\mu = 2200,579 \text{ kgm} (-)$$

4.6.2.13. Calculation of Reinforcement Bar

The general data for calculation of reinforcement bar of slab is shown below

$$\text{slab's dimension (actual)} = 4350 \text{ mm} \times 1925 \text{ mm}$$

$$\text{slab's thickness (cast in place)} = 200 \text{ mm}$$

$$\text{clear cover} = 30 \text{ mm}$$

$$\text{bar's diameter (D)} = 13 \text{ mm}$$

$$f'_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$dx = 200 - 50 - (13/2) = 143,5 \text{ mm}$$

$$dy = 200 - 50 - 13 - (13/2) = 130,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 2,03 \text{ mm}$$

$$c = a / \beta_1 = 2,43 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,158 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,3$$

$$\rho_{\min} = 0,002 \text{ (SNI, 2013 paragraph 7.12.2.1)}$$

If the slab is determined as one way slab, then the main reinforcement bar of slab is transversal reinforcement bar only and the longitudinal reinforcement bar will functionate as temperature and shrinkage bearer. Both of them will use spiral bar D13 (diameter = 13 mm, $A_s = 132,7857 \text{ mm}^2$).

4.6.2.14. Reinforcement Bar

The general data for reinforcement bar of slab will be shown below

slab's thickness	= 200 mm, $f'_c = 30 \text{ MPa}$ (> 30 days)
clear cover	= 30 mm
bar's diameter	= 13 mm, $A_s = \pi/4 \times d^2 = 132,78 \text{ mm}^2$
b	= 1000 mm
d	= 143,5 mm
ϕ	= 0,9
M_u	= 2200,579 kgm = 22005795 Nmm

Main Bar/Transversal Bar

$$M_n = M_u / \phi = 24450883 \text{ Nmm}$$

$$R_n = \frac{M_n}{b \times d^2} = 1,187 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0032$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0032 > 0,002$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0032$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 447,57 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 447,57 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 3,37$$

$$\text{use } n = 5 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 663,928 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 663,92857 \text{ mm}^2 > 436,381 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm}/5 = 200 \text{ mm}$$

So, the transversal bar will use D13-200.

Shrinkage Bar/Longitudinal Bar

$$A_{s_{need}} = 0,002 \times b \times d = 287 \text{ mm}^2$$

$$n = A_{s_{need}} / A_{s_{bar}} = 287 \text{ mm}^2 / 132,7857 \text{ mm}^2 = 2,16$$

$$\text{use } n = 5 \rightarrow A_{s_{use}} = n \times A_{s_{bar}} = 663,92857 \text{ mm}^2$$

$$A_{s_{use}} > A_{s_{need}} = 663,92857 \text{ mm}^2 > 287 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 1000 \text{ mm} / 5 = 200 \text{ mm}$$

So, the longitudinal bar will use D13-200.

Development Bar's Length

$$\ell_{dh} = 8 \times d_b = 8 \times 13 \text{ mm} = 104 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 39,43 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 150 \text{ mm}$.

4.6.2.15. Checking The Deflection of Slab

The deflection of slab is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4 / EI)$$

$$\delta_{max} = L_n / 480 \text{ (in cm)} \text{ (SNI 2847:2013 paragraph 9.5.3.1)}$$

in which q_u is taken as $7154,8 \text{ kg/m}^2 \times 1 \text{ m}$ (see previous paragraph), I is the moment of inertia of slab ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'_c)^{0,5}$, f'_c in 28 days

Deflection (Longitudinal, $L_n = 435 \text{ cm}$, $b = L_n$, $h = 20 \text{ cm}$)

$$\delta_b = (5/384) \times (q_u \times L^4 / EI) = 0,446 \text{ cm}$$

$$\delta_{max} = L_n / 480 = 0,906 \text{ cm}$$

$$\delta_b < \delta_{max} \text{ (OK)}$$

Deflection (Transversal, $S_n = 192,5 \text{ cm}$, $b = S_n$, $h = 20 \text{ cm}$)

$$\delta_a = (5/384) \times (q_u \times L^4 / EI) = 0,0387 \text{ cm}$$

$$\delta_{max} = L_n / 480 = 0,401 \text{ cm}$$

$$\delta_a < \delta_{max} \text{ (OK)}$$

4.6.2.16. Checking The Shrinkage of Slab

The shrinkage of slab is calculated using equation below (see SNI, 2013 paragraph 10.6.4)

$$s = 380 \times 280 / f_s - 2,5 Cc \leq 380 \times 280 / f_s$$

in which $f_s = 2/3 x f_y = 266,67$ MPa,

cc = clear cover + $1/2 \times D = 56,5$ mm

$$s = 398,99 - 141,25 = 257,74 \text{ N/mm} \leq 398,99 \text{ N/mm (OK)}$$

For the recapitulation of reinforcement bar will be shown in Table 4.39.

Table 4.39. Recapitulation of Reinforcement Bars of Basement's Slab

Type	Dimension	Flexural Bar				Longitudinal Bar			
		As need (mm ²)	As use (mm ²)	s (mm)	n	Notation	As use (mm ²)	s (mm)	Notation
BBA	435 x 192,5	436,381	663,928	200	5	D13-200	663,93	200	D13-200
BBB	445 x 192,5	436,381	663,928	200	5	D13-200	663,93	200	D13-200
BBC	435 x 192,5	436,381	663,928	200	5	D13-200	663,93	200	D13-200
BBD	435 x 200,2	436,381	663,928	200	5	D13-200	663,93	200	D13-200
BBE	435 x 197,5	436,381	663,928	200	5	D13-200	663,93	200	D13-200

4.6.3. Reinforcement of Basement's Secondary Beam

4.6.3.1. General Data

The general data for reinforcement of secondary beam will be shown below

b (width)	= 50 cm
h (height)	= 70 cm
L(axis to axis)	= 5000mm
L(actual)	= 4350 mm
bar's diameter (D/deform)	= 22 mm
bar's diameter/stirrup(ϕ /plain)	= 12 mm
f'_c	= 30 MPa
f_y	= 390 MPa

4.6.3.2. Load Calculation

The load calculation for secondary beam will be shown below

1. dead load

secondary beam BAB1 : $0,5 \times 0,7 \times 2400 \text{ kg/m} = 840 \text{ kg/m}$

q of slab BBA : $2034,8 \text{ kg/m}^2$

by using $L_y = 500 \text{ cm} - (65 \text{ cm}/2 + 65 \text{ cm}/2) = 435 \text{ cm}$ and $L_x = 250 \text{ cm} - (65 \text{ cm}/2 + 50 \text{ cm}/2) = 192,5 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2)$$

$$q = 2034,8 \text{ kg/m}^2$$

$$q_{eq} = 3661,30 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$DL = 3661,30 \text{ kg/m} + 840 \text{ kg/m} = 4501,3 \text{ kg/m}$$

$$DL (k, \text{ shock coefficient} = 1,2) = 1,2 \times 4501,3 \text{ kg/m}$$

$$= 5401,56 \text{ kg/m}$$

$$DL (\text{total}) := 5401,56 \text{ kg/m}$$

2. live load

live load for *basement*: = 800 kg/m²

$q_{eq} = 1439,473 \text{ kg/m} \rightarrow$ due to live load for *basement*

LL (total) : = 1439,473 kg/m²

4.6.3.3. Load Combination of Secondary Beam

The combination of load for secondary beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of secondary beam

$Q_u = 1,2 \times 5401,56 + 1,6 \times 1439,473 = 8785,029 \text{ kg/m}$

4.6.3.4. Moment Calculation of Secondary Beam

According to SNI (2013), the equation of moment values for secondary beam are shown below

$M_l (+) = 1/16 \times q \times L^2 \rightarrow$ at field area

$M_t (-) = 1/10 \times q \times L^2 \rightarrow$ at support area

moment calculation of secondary beam

($q = 8785,029 \text{ kg/m}$, $L = 5 \text{ m}$)

$M_l (+) = 13726,607 \text{ kgm}$

$M_t (-) = 21962,571 \text{ kgm}$

The M_u values are taken as

$M_{ul} = 13726,607 \text{ kgm}(+)$

$M_{ut} = 21962,571 \text{ kgm}(-)$

4.6.3.5. Shear Force Calculation of Secondary Beam

The shear force calculation of secondary beam will use shear force equation $V_u = 1/2 \times q \times L$.

shear force calculation of secondary beam

($q = 8785,029 \text{ kg/m}$, $L = 5 \text{ m}$)

$V_u = 21962,57 \text{ kg}$.

4.6.3.6. Calculation of Reinforcement Bar

The calculation of reinforcement bar will be divided into two conditions (before monolith condition and after monolith condition). The general data for calculation of reinforcement bar of secondary beam is shown below

secondary beam's dimension (overall)	= 500mm × 700mm
clear cover	= 50 mm
bar's diameter (D)	= 22 mm
bar's diameter/stirrup(ϕ /plain)	= 12 mm
f'_c	= 30 MPa
f_y	= 390 MPa
d'	= clear cover + stirrup + D/2 = 73 mm
$d = 700 - 50 - 12 - (22/2)$	= 627 mm

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,286 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 11,63 \text{ mm}$$

$$c = a / \beta_1 = 13,92 \text{ mm}$$

$$\epsilon_t = (d/c - 1) x 0,003 = 0,129 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 \times (f'_c)^{0,5} / f_y = 0,0035 \text{ (SNI, 2002 paragraph 12.5.1)}$$

4.6.3.7. Reinforcement Bar

The general data for reinforcement bar of secondary beam after monolith condition will be shown below

secondary beam's dimension = 500x 700 mm²

$f'_c = 30$ MPa (28 days)

clear cover = 50 mm

bar's diameter = 22 mm, $A_s = \pi/4 x d^2 = 380.28 \text{ mm}^2$

b = 500 mm

$$d = 627 \text{ mm}$$

$$d' = 73 \text{ mm}$$

$$\phi = 0,9$$

$$M_{ul} = 13726,607 \text{ kgm} = 137266071,2 \text{ Nmm}$$

$$M_{ut} = 21962,571 \text{ kgm} = 219625713,9 \text{ Nmm}$$

Flexural Bar

due to M_{ul}

$$Rn = \frac{Mn}{b \times d^2} = 0,776 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times Rn}{fy}} \right) = 0,00202$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,00202 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$As_{\text{need}} = \rho \times b \times d = 1097,25 \text{ mm}^2$$

$$n = As_{\text{need}} / As_{\text{bar}} = 1097,25 \text{ mm}^2 / 380,28 \text{ mm}^2 = 2,88$$

$$\text{use } n = 3 \rightarrow As_{\text{use}} = n \times As_{\text{bar}} = 1140,86 \text{ mm}^2$$

$$As_{\text{use}} > As_{\text{need}} = 1140,86 \text{ mm}^2 > 1097,25 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 155 \text{ mm} > 25 \text{ mm}$$

(OK), use reinforcement 3D22

Flexural Bar

due to M_{ut}

$$Rn = \frac{Mn}{b \times d^2} = 1,24 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times Rn}{fy}} \right) = 0,0032$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0032 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$As_{\text{need}} = \rho \times b \times d = 1097,25 \text{ mm}^2$$

$$n = As_{\text{need}} / As_{\text{bar}} = 1097,25 \text{ mm}^2 / 380,28 \text{ mm}^2 = 2,88$$

use $n = 3 \rightarrow A_{s_{use}} = n \times A_{s_{bar}} = 1140,86 \text{ mm}^2$
 $A_{s_{use}} > A_{s_{need}} = 1140,86 \text{ mm}^2 > 1097,25 \text{ mm}^2$ (OK)
 $s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 155 \text{ mm} > 25 \text{ mm}$
 (OK), use reinforcement 3D22

Stirrup Bar

Use stirrup bar $\phi 12 \text{ mm}$, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 21962,57 \text{ kg} = 219625,7 \text{ N}$$

$$V_s \text{ min} = V_u / \phi = 292834,26 \text{ N}$$

$$A_s = 22/7 \times 12 \times 12/4 \text{ mm}^2 = 113,14 \text{ mm}^2$$

$$A_v = 2 \times A_s = 226,28 \text{ mm}^2$$

$$s_{maks} = \frac{A_v \times f_y \times d}{V_s} = 116,28 \text{ mm}$$

$$s_{maks} \leq d/2 = 313,5 \text{ mm} \text{ (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 100 \text{ mm}$, ($\phi 12-100$)

Development Bar's Length

$$\ell_{dh} = 8 \times d_b = 8 \times 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{dh} = 0,24 \times f_y / d_b \times (f'_c)^{0,5} = 23,30 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{dh} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 90 \text{ mm}$.

4.6.3.8. Checking The Deflection of Secondary Beam

The deflection of secondary beam is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4 / EI)$$

$$\delta_{max} = L_n / 480 \text{ (in cm)} \text{ (SNI 2847:2002 Paragraph 9)}$$

in which q_u is taken as 8785,029 kg/m (see previous paragraph), I is the moment of inertia of secondary beam ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'c)^{0,5}$, $f'c$ in 14 days

Deflection ($L_n = 435$ cm, $b = 50$ cm, $h = 70$ cm)

$$\delta = (5/384) \times (q_u \times L^4/EI) = 0,112 \text{ cm}$$

$$\delta_{\max} = L_n/480 = 0,906 \text{ cm}$$

$$\delta < \delta_{\max} \text{ (OK)}$$

4.6.3.9. Load Calculation (Uplift)

The load calculation for secondary beam will be shown below

1. dead load

$$\text{secondary beam BAB1 : } 0,5 \times 0,7 \times 2400 \text{ kg/m} = 840 \text{ kg/m}$$

$$q \text{ of slab BBA : } 7154,8 \text{ kg/m}^2 \rightarrow \text{due to uplift force}$$

by using $L_y = 500$ cm – $(65$ cm/2 + 65 cm/2) = 435 cm and $L_x = 250$ cm – $(65$ cm/2 + 50 cm/2) = $192,5$ cm, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2)$$

$$q = 7154,8 \text{ kg/m}^2$$

$$q_{eq} = 12873,93 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$DL = 12873,93 \text{ kg/m} + 840 \text{ kg/m} = 13713,93 \text{ kg/m}$$

$$DL \text{ (k, shock coefficient} = 1,2) = 1,2 \times 13713,93 \text{ kg/m} \\ = 16456,71 \text{ kg/m}$$

$$DL \text{ (total) : } = 16456,71 \text{ kg/m}$$

4.6.3.10. Load Combination of Secondary Beam

The combination of load for secondary beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, as $1,2DL + 1,6LL$.

load combination of secondary beam

$$Q_u = 1,2 \times 16456,71 + 1,6 \times 0 = 19748,06 \text{ kg/m}$$

4.6.3.11. Moment Calculation of Secondary Beam

According to SNI (2013), the equation of moment values for secondary beam are shown below

$$Ml (+) = 1/16 \times q \times L^2 \rightarrow \text{at field area}$$

$$Mt (-) = 1/10 \times q \times L^2 \rightarrow \text{at support area}$$

moment calculation of secondary beam

$$(q = 19748,06 \text{ kg/m}, L = 5 \text{ m})$$

$$Ml (+) = 30856,336 \text{ kgm}$$

$$Mt (-) = 49370,138 \text{ kgm}$$

The Mu values are taken as

$$Mu_l = 30856,336 \text{ kgm (+)}$$

$$Mu_t = 49370,138 \text{ kgm (-)}$$

4.6.3.12. Shear Force Calculation of Secondary Beam

The shear force calculation of secondary beam will use shear force equation $V_u = 1/2 \times q \times L$.

shear force calculation of secondary beam

$$(q = 19748,06 \text{ kg/m}, L = 5 \text{ m})$$

$$V_u = 49370,138 \text{ kg}$$

4.6.3.13. Calculation of Reinforcement Bar

The calculation of reinforcement bar will be divided into two conditions (before monolith condition and after monolith condition). The general data for calculation of reinforcement bar of secondary beam is shown below

$$\text{secondary beam's dimension (overall)} = 500\text{mm} \times 700\text{mm}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter (D)} = 22 \text{ mm}$$

$$\text{bar's diameter/stirrup}(\phi/\text{plain}) = 12 \text{ mm}$$

$$f'_c = 30 \text{ Mpa}$$

$$f_y = 390 \text{ MPa}$$

$$d' = \text{clear cover} + \text{stirrup} + D/2 = 73 \text{ mm}$$

$$d = 700 - 50 - 12 - (22/2) = 627 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 380,286 \text{ mm}^2$$

$$a = A_s x f_y / (0,85 x f'_c x b) = 11,63 \text{ mm}$$

$$c = a / \beta_1 = 13,92 \text{ mm}$$

$$\varepsilon_t = (d/c - 1) x 0,003 = 0,132 \rightarrow \phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_{\min} = 1/4 x (f'_c)^{0,5} / f_y = 0,0035$$

4.6.3.14. Reinforcement Bar

The general data for reinforcement bar of secondary beam after monolith condition will be shown below

secondary beam's dimension = 500x 700 mm²

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 50 mm

bar's diameter = 22 mm, $A_s = \pi/4 x d^2 = 380,28 \text{ mm}^2$

b = 500 mm

d = 627 mm

d' = 71 mm

$\phi = 0,9$

$M_{ul} = 30856,336 \text{ kgm} = 308563366,5 \text{ Nmm}$

$M_{ut} = 49370,138 \text{ kgm} = 493701386,4 \text{ Nmm}$

Flexural Bar

due to M_{ul}

$$R_n = \frac{M_n}{b \times d^2} = 1,73 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,00460$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,00460 > 0,0035$$

$$\text{use } \rho = \rho_{\text{need}} = 0,00460$$

$$A_{S_{\text{need}}} = \rho \times b \times d = 1448,42 \text{ mm}^2$$

$$n = A_{S_{\text{need}}} / A_{S_{\text{bar}}} = 1448,42 \text{ mm}^2 / 380,28 \text{ mm}^2 = 3,8$$

$$\text{use } n = 5 \rightarrow A_{S_{\text{use}}} = n \times A_{S_{\text{bar}}} = 1901,428 \text{ mm}^2$$

$$A_{S_{\text{use}}} > A_{S_{\text{need}}} = 1901,428 \text{ mm}^2 > 1448,42 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 66,5 \text{ mm} > 25 \text{ mm} \text{ (OK), use reinforcement 5D22}$$

Flexural Bar

due to M_{ut}

$$R_n = \frac{M_n}{b \times d^2} = 2,79 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0075$$

$$\rho_{\text{need}} > \rho_{\text{min}} = 0,0075 > 0,0035$$

$$\text{use } \rho = \rho_{\text{need}} = 0,0075$$

$$A_{S_{\text{need}}} = \rho \times b \times d = 2381,6 \text{ mm}^2$$

$$n = A_{S_{\text{need}}} / A_{S_{\text{bar}}} = 2381,6 \text{ mm}^2 / 380,28 \text{ mm}^2 = 6,2$$

$$\text{use } n = 7 \rightarrow A_{S_{\text{use}}} = n \times A_{S_{\text{bar}}} = 2662 \text{ mm}^2$$

$$A_{S_{\text{use}}} > A_{S_{\text{need}}} = 2662 \text{ mm}^2 > 2381,6 \text{ mm}^2 \text{ (OK)}$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 37 \text{ mm} > 25 \text{ mm} \text{ (OK), use reinforcement 7D22}$$

Stirrup Bar

Use stirrup bar ϕ 12 mm, $f_y = 240 \text{ MPa}$, $\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$$V_u = 49370,1 \text{ kg} = 493701 \text{ N}$$

$$V_s \text{ min} = V_u / \phi = 658268 \text{ N}$$

$$A_s = 22/7 \times 12 \times 12/4 \text{ mm}^2 = 113,14 \text{ mm}^2$$

$$A_v = 2 \times A_s = 226,28 \text{ mm}^2$$

$$s_{\text{maks}} = \frac{A_v \times f_y \times d}{V_s} = 51,72 \text{ mm}$$

$$s_{\text{maks}} \leq d/2 = 313,5 \text{ mm (SNI, 2013 paragraph 21.3.4.3)}$$

Use the space of stirrup bar, $s = 50 \text{ mm}$, ($\phi 12-50$)

Development Bar's Length

$$\ell_{\text{dh}} = 8x d_b = 8x 22 \text{ mm} = 176 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 150 \text{ mm}$$

(SNI, 2013 paragraph 12.5.1)

$$\ell_{\text{dh}} = 0,24x f_y / d_b x (f'_c)^{0,5} = 23,3 \text{ mm}$$

(SNI, 2013 paragraph 12.5.2)

So, the development bar's length will use $\ell_{\text{dh}} = 180 \text{ mm}$ with hook $4d_b = 88 \text{ mm} \approx 90 \text{ mm}$.

4.6.3.15. Checking The Deflection of Secondary Beam

The deflection of secondary beam is calculated using equation below

$$\delta \text{ (deflection)} = (5/384) \times (q_u \times L^4/EI)$$

$$\delta_{\text{max}} = L_n/480 \text{ (in cm) (SNI 2847:2002 Paragraph 9)}$$

in which q_u is taken as 19748,06 kg/m (see previous paragraph), I is the moment of inertia of secondary beam ($I = 1/12x b x h^3$), and E equals $4700x (f'_c)^{0,5}$, f'_c in 14 days

Deflection ($L_n = 435 \text{ cm}$, $b = 50 \text{ cm}$, $h = 70 \text{ cm}$)

$$\delta = (5/384) \times (q_u \times L^4/EI) = 0,25 \text{ cm}$$

$$\delta_{\text{max}} = L_n/480 = 0,9065 \text{ cm}$$

$$\delta < \delta_{\text{max}} \text{ (OK).}$$

For the recapitulation of reinforcement bar will be shown in Table 4.40.

Table 4.40. Recapitulation of Reinforcement Bars of Basement's Secondary Beam

Type	Length (mm)	Flexural Bar in support area			Flexural Bar in field area			Stirrup Bar	
		As use (mm ²)	n	Code	As use (mm ²)	n	Code	s (mm)	Code
BAB1	4350	2662	7	7D22	1140,86	3	3D22	50	Φ12-50
		1901,43	5	5D22	1901,43	5	5D22	50	Φ12-50
BAB2	4150	2662	7	7D22	1140,86	3	3D22	50	Φ12-50
		1901,43	5	5D22	1901,43	5	5D22	50	Φ12-50

4.6.4. Reinforcement of Basement's Primary Beam

4.6.4.1. General Data

The general data for reinforcement of primary beam will be shown below

b (width)	= 65 cm
h (height)	= 80 cm
L(axis to axis)	= 5000mm
L(actual)	= 4200 mm
bar's diameter (D/deform)	= 25 mm
bar's diameter/stirrup(D/deform)	= 19 mm
f'_c	= 30 MPa
f_y	= 390 MPa

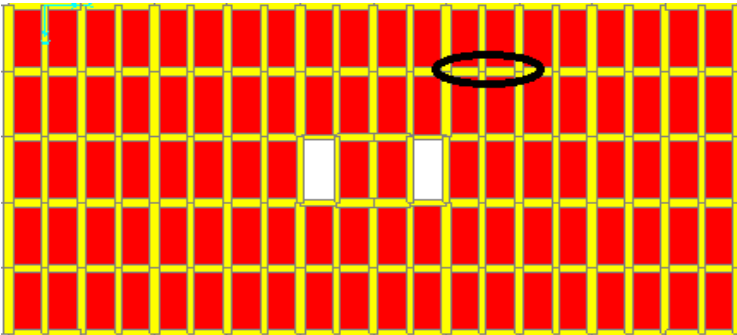


Figure 4.68. The location of basement's primary beam on SAP 2000 v14[®]
(source: Private Documentation)

4.6.4.2. Load Calculation

The load calculation for primary beam will be shown below

1. dead load

secondary beam BAB1 : $0,5 \times 0,7 \times 2400 \text{ kg/m} = 840 \text{ kg/m}$

q of slab BBA : $7154,8 \text{ kg/m}^2 \rightarrow$ due to uplift force

by using $L_y = 500 \text{ cm} - (65 \text{ cm}/2 + 65 \text{ cm}/2) = 435 \text{ cm}$ and $L_x = 250 \text{ cm} - (65 \text{ cm}/2 + 50 \text{ cm}/2) = 192,5 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2)$$

$$q = 7154,8 \text{ kg/m}^2$$

$$q_{eq} = 12873,93 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$DL = 12873,93 \text{ kg/m} + 840 \text{ kg/m}$$

$$\underline{= 13713,93 \text{ kg/m}}$$

$$DL \text{ (total)} := 13713,93 \text{ kg/m}$$

2. dead load (primary beam)

$$\text{secondary beam BIB1} : 0,65 \times 0,8 \times 2400 \text{ kg/m} = 1248 \text{ kg/m}$$

q of slab BBA : $7154,8 \text{ kg/m}^2 \rightarrow$ due to uplift force

by using $L_y = 500 \text{ cm} - (65 \text{ cm}/2 + 65 \text{ cm}/2) = 435 \text{ cm}$ and $L_x = 250 \text{ cm} - (65 \text{ cm}/2 + 50 \text{ cm}/2) = 192,5 \text{ cm}$, it is obtained the value of q_{eq} due to slab's load

(two trapezoids load)

$$q_{eq} = 2 \times q \times 1/2 \times L_x \times ((1 - 1/3 \times (L_x/L_y)^2)$$

$$q = 7154,8 \text{ kg/m}^2$$

$$q_{eq} = 12873,93 \text{ kg/m} \rightarrow \text{due to slab's load}$$

$$DL = 12873,93 \text{ kg/m} + 1248 \text{ kg/m}$$

$$\underline{= 14121,93 \text{ kg/m}}$$

$$DL \text{ (total)} := 14121,93 \text{ kg/m}$$

4.6.4.3. Load Combination of Primary Beam

The combination of load for primary beam is based on SNI 2847:2013 paragraph 9.2.1. The load combination will use the ultimate load, Q_u , as $1,2DL + 1,6LL$.

load combination of primary beam
due to secondary beam

$$Q_u = 1,2 \times 13713,93 + 1,6 \times 0 = 16456,72 \text{ kg/m}$$

$$P_u = Q_u \times L = 82283,6 \text{ kg}$$

due to primary beam

$$Q_u = 1,2 \times 14121,93 + 1,6 \times 0 = 16946,32 \text{ kg/m.}$$

4.6.4.4. Moment Calculation of Primary Beam

The moment calculation of primary beam will use moment equation

$M_u = 1/8 \times q \times L^2 + 1/4 \times P \times L$, in which L is the length of axis to axis of primary beam

moment calculation of primary beam

$$(q = 16946,32 \text{ kg/m, } P = 82283,6 \text{ kg, } L = 5 \text{ m})$$

$$M_u = 155811,75 \text{ kgm}$$

The M_u values are taken as

$$M_u = 155811,75 \text{ kgm}$$

So, the M_u value is 155811,75kgm.

Therefore, the moment calculation of primary beam will use moment results from SAP 2000 v14[®].

$$M \text{ (at left support area)} = -1037111748 \text{ Nmm}$$

$$M \text{ (at right support area)} = -1035241435 \text{ Nmm}$$

$$M \text{ (at field area)} = +544119344 \text{ Nmm}$$

4.6.4.5. Shear Force Calculation of Primary Beam

The shear force calculation of primary beam will use shear force equation $V_u = 1/2 \times q \times L + 1/2 \times P$

shear force calculation of primary beam

$$(q = 16946,32 \text{ kg/m, } P = 82283,6 \text{ kg, } L = 5 \text{ m})$$

$$V_u = 83507,6 \text{ kg}$$

The V_u values are taken as condition c

$$V_u = 83507,6 \text{ kg}$$

So, the V_u value is 83507,6kg.

Therefore, the shear force results from SAP 2000 v14[®] will be shown below

$$V_u \text{ (left)} = 1218335,5 \text{ N}, V_u \text{ (right)} = 1215960,53 \text{ N}$$

4.6.4.6. Calculation of Reinforcement Bar

The general data for calculation of reinforcement bar of primary beam is shown below

$$\text{primary beam's dimension (overall)} = 650\text{mm} \times 800\text{mm}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter (D)} = 25 \text{ mm}$$

$$\text{bar's diameter/stirrup(D/deform)} = 19 \text{ mm}$$

$$f'_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$d' = \text{clear cover} + \text{stirrup} + D/2 = 81,5 \text{ mm}$$

$$d = 800 - 50 - 19 - (25/2) = 718,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 491,07 \text{ mm}^2.$$

4.6.4.7. Reinforcement Bar (Flexural Bar)

At Support Area (Left)

(Assumed Primary Beam as Rectangular Shape)

The general data for reinforcement bar of primary beam will be shown below

$$\text{Primary beam's dimension} = 650 \times 800 \text{ mm}^2$$

$$f'_c = 30 \text{ MPa (28 days)}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\begin{aligned}
 \text{bar's diameter} &= 25 \text{ mm}, A_s = \pi/4 \times d^2 = 491,07 \text{ mm}^2 \\
 b &= 650 \text{ mm} \\
 d &= 718,5 \text{ mm} \\
 d' &= 81,5 \text{ mm} \\
 M_{u \text{ left}} &= -103711,17 \text{ kgm} = -1037111748 \text{ Nmm}
 \end{aligned}$$

Flexural Bar

$$A_s \text{ (tension reinforcement)} = 10D25$$

$$A_s = 4910,72 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 29,11 \text{ mm} > 25 \text{ mm} \\ \text{(OK)}$$

$$A_s' \text{ (compression reinforcement)} = 10D25$$

$$A_s' = 4910,72 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 29,11 \text{ mm} > 25 \text{ mm} \\ \text{(OK)}$$

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,011$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,011$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,0176 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A_s' \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 64,62 mm.

So,

$$a = \beta_1 \times c$$

$$a = 53,96 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 156,64 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in compressive condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A'_s \times f'_s) \times \left(d - \frac{a}{2} \right) + A'_s \times f'_s \times (d - d')$$

$$M_n = 1282443561 \text{ Nmm}$$

$$\phi = 0,75 + 0,15 \left[\left(\frac{1}{c/d} \right) - \left(\frac{5}{3} \right) \right] \leq 0,9$$

$$\phi = 2,42 \rightarrow \phi = 0,9$$

$$\phi M_n = 1154199205 \text{ Nmm} > M_u = 1037111748 \text{ Nmm (OK)}$$

At Support Area (Right)

(Assumed Primary Beam as Rectangular Shape)

The general data for reinforcement bar of primary beam will be shown below

$$\text{Primary beam's dimension} = 650 \times 800 \text{ mm}^2$$

$$f'_c = 30 \text{ MPa (28 days)}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter} = 25 \text{ mm, } A_s = \pi/4 \times d^2 = 491,07 \text{ mm}^2$$

$$b = 650 \text{ mm}$$

$$d = 718,5 \text{ mm}$$

$$d' = 81,5 \text{ mm}$$

$$M_{u \text{ left}} = -103524,1 \text{ kgm} = -1035241435 \text{ Nmm}$$

Flexural Bar

A_s (tension reinforcement) = 10D25

$$A_s = 4910,72 \text{ mm}^2$$

$$s = b - 2x_{\text{clear cover}} - 2\phi - n \times D / (n - 1) = 29,11 \text{ mm} > 25 \text{ mm}$$

(OK)

A_s' (compression reinforcement) = 10D25

$$A_s' = 4910,72 \text{ mm}^2$$

$$s = b - 2x_{\text{clear cover}} - 2\phi - n \times D / (n - 1) = 29,11 \text{ mm} > 25 \text{ mm}$$

(OK)

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,011$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,011$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,0176 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A_s' \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 64,62 mm.

So,

$$a = \beta_1 \times c$$

$$a = 53,96 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 156,64 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in compressive condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A'_s \times f'_s) \times \left(d - \frac{a}{2} \right) + A'_s \times f'_s \times (d - d')$$

$$M_n = 1282443561 \text{ Nmm}$$

$$\phi = 0,75 + 0,15 \left[\left(\frac{1}{c/d} \right) - \left(\frac{5}{3} \right) \right] \leq 0,9$$

$$\phi = 2,42 \rightarrow \phi = 0,9$$

$$\phi M_n = 1154199205 \text{ Nmm} > M_u = 1035241435 \text{ Nmm (OK)}$$

At Field Area

(Assumed Primary Beam as Dummy T Beam)

The general data for reinforcement bar of primary beam will be shown below

Primary beam's dimension = 650x 800 mm²

$f'_c = 30 \text{ MPa}$ (28 days)

clear cover = 50 mm

bar's diameter = 25 mm, $A_s = \pi/4 \times d^2 = 491,07 \text{ mm}^2$

b = 650 mm

d = 718,5 mm

d' = 81,5 mm

$M_u = +54411,93 \text{ kgm} = +544119344 \text{ Nmm}$

Effective Width (b_e)

$be_1 = \frac{1}{4} \times L_b = \frac{1}{4} \times 5000 = 1250 \text{ mm}$

$be_2 = b_w + 16t_f = 400 + (16 \times 200) = 3850 \text{ mm}$

$be_3 = \frac{1}{2} \times (L_b - b_w) = \frac{1}{2} \times (5000 - 650) = 2175 \text{ mm}$

$b = be = 1250 \text{ mm}$

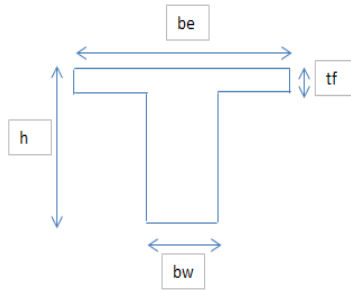


Figure 4.69. The dummy T beam dimension of basement's primary beam
(source: Private Documentation)

Flexural Bar

$$A_s \text{ (tension reinforcement)} = 6D25$$

$$A_s = 2946,43 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 72,4 \text{ mm} > 25 \text{ mm} \text{ (OK)}$$

$$A_s' \text{ (compression reinforcement)} = 6D25$$

$$A_s' = 2946,43 \text{ mm}^2$$

$$s = b - 2 \times \text{clear cover} - 2\phi - n \times D / (n - 1) = 72,4 \text{ mm} > 25 \text{ mm} \text{ (OK)}$$

Analyzing Double Reinforcement

$$\rho = \frac{A_s}{b_w \times d} = 0,0063$$

$$\rho' = \frac{A_s'}{b_w \times d} = 0,0063$$

$$\rho - \rho' \geq \frac{0,85 \times f'_c \times \beta_1 \times d'}{f_y \times d} \times \frac{600}{600 - f_y}$$

$$0 \leq 0,017 \text{ (compression reinforcement not yet yield)}$$

Thus,

$$A_s f_y = 0,85 f'_c \beta_1 c \cdot b + A'_s \left[600 \left(\frac{c - d'}{c} \right) - 0,85 f'_c \right]$$

by square equation, it is obtained the value of c which is 57,80 mm.

So,

$$a = \beta_1 \times c$$

$$a = 48,26 \text{ mm}$$

check the compression reinforcement's condition

$$f'_s = 600 \left(\frac{c - d'}{c} \right) \leq f_y$$

$f'_s = 246,01 \text{ MPa} \leq 390 \text{ MPa}$ (compression reinforcement is in tension condition)

Checking Nominal Moment

$$M_n = (A_s \times f_y - A'_s \times f'_s) \times \left(d - \frac{a}{2} \right) + A'_s \times f'_s \times (d - d')$$

$$M_n = 756320686,2 \text{ Nmm}$$

$$\phi = 0,75 + 0,15 \left[\frac{1}{(c/d)} - \left(\frac{5}{3} \right) \right] \leq 0,9$$

$$\phi = 2,62 \rightarrow \phi = 0,9$$

$$\phi M_n = 680688617,6 \text{ Nmm} > M_u = 544119344 \text{ Nmm (OK)}$$

Checking Dummy T Beam

$$T = A_s \times f_y$$

$$= 2946,43 \text{ mm}^2 \times 390 \text{ MPa}$$

$$= 1149107,14 \text{ N}$$

$$C = 0,85 \times f'_c \times b_e \times h_f$$

$$= 0,85 \times 30 \text{ MPa} \times 1250 \text{ mm} \times 200 \text{ mm}$$

$$= 6375000 \text{ N}$$

therefore $C > T$, then the beam is assumed as dummy T beam which treated like rectangular beam with b_e as its width,

$$a = \frac{A_s \times f_y}{0,85 \times b_w \times f'_c} < t$$

$$a = 69,32 \text{ mm} < t = 200 \text{ mm (OK)}$$

$$\phi M_n = \phi \times A_s \times f_y \times \left(d - \frac{a}{2} \right)$$

$$\phi M_n > M_u$$

$$\phi \rightarrow 0,9$$

$$707220888 \text{ Nmm} > 544119344 \text{ Nmm (OK).}$$

Recapitulation of the reinforcement will be shown below

- at left support
 - upper reinforcement = 10D25 ($A_s = 4910,72 \text{ mm}^2$)
 - lower reinforcement = 10D25 ($A_s' = 4910,72 \text{ mm}^2$)
- at right support
 - upper reinforcement = 10D25 ($A_s = 4910,72 \text{ mm}^2$)
 - lower reinforcement = 10D25 ($A_s' = 4910,72 \text{ mm}^2$)
- at field area
 - upper reinforcement = 6D25 ($A_s' = 2946,43 \text{ mm}^2$)
 - lower reinforcement = 6D25 ($A_s = 2946,43 \text{ mm}^2$)

4.6.4.8. Reinforcement Bar (Shear and Torsion)

Reinforcement Bar Due to Shear Force

The reinforcement bar due to shear force shall follow the conditions in SNI 2847:2013 paragraph 21.3.3. The equation for calculating shear force is shown below

$$V_u = \frac{M_{pr1} + M_{pr2}}{l_n} \pm \left(\frac{Q_u \times l_n}{2} + \frac{Nu}{2} \right)$$

in which,

$$M_{pr} = A_s \times 1,25 \times f_y \times \left(d - \frac{a}{2} \right)$$

$$a = \frac{A_s \times 1,25 \times f_y}{0,85 \times f'c \times b}$$

the result of M_{pr} value will be shown in Table 4.41.

Table 4.41. Recapitulation of M_{pr} Value

Location		n bar	As (mm ²)	a (mm)	M_{pr} (Nmm)	
At support area	Left	Upper	10	4910,72	144,43	1547185659
		Lower	10	4910,72	144,43	1547185659
	Right	Upper	10	4910,72	144,43	1547185659
		Lower	10	4910,72	144,43	1547185659

$$M_{pr1} = 1547185659 \text{ Nmm}$$

$$M_{pr2} = 1547185659 \text{ Nmm}$$

$$L_n = 5000 \text{ mm} - (2 \times 0,5 \times 800) \text{ mm} = 4200 \text{ mm.}$$

Analyze Vu

analyzing left quake

$$V_{u1} = M_{pr1} + M_{pr2}/(L_n) - (Q_u \times L_n/2) - (N_u/2)$$

$$V_{u2} = M_{pr1} + M_{pr2}/(L_n) + (Q_u \times L_n/2) + (N_u/2)$$

in which,

$$Q_u = 16946 \text{ kg/m (see previously paragraph)}$$

$$N_{u\text{left}} = 26168 \text{ N (from SAP 2000 v14[®])}$$

thus,

$$V_{u1} = 367805,07 \text{ N}$$

$$V_{u2} = 1105705,1 \text{ N}$$

analyzing right quake

$$V_{u1} = M_{pr1} + M_{pr2}/(L_n) - (Q_u \times L_n/2) - (N_u/2)$$

$$V_{u2} = M_{pr1} + M_{pr2}/(L_n) + (Q_u \times L_n/2) + (N_u/2)$$

in which,

$$Q_u = 16946 \text{ kg/m (see previously paragraph)}$$

$$N_{uright} = 22066 \text{ N (from SAP 2000 v14}^{\text{®}}\text{)}$$

thus,

$$V_{u1} = 369856,07 \text{ N}$$

$$V_{u2} = 1103654,1 \text{ N}$$

the value of V_u will be compared to V_u result from SAP 2000 v14[®].

Table 4.42. Recapitulation of V_u Value

Location		V_u (N)	V_u (SAP200 v14 [®]) (N)
At support area	Left	367805,07	1218335,5
		1105705,1	
	Right	369856,07	1215960,5
		1103654,1	

From Table 4.46 above, the V_u value which will be used for calculation is 1218335,5 N.

Reinforcement Bar In Platis Area

checking condition:

- $$(M_{pr1} + M_{pr2})/L_n \geq 0,5 \times V_u$$

$$= (1547185659 + 1547185659)/4200 \text{ N}$$

$$\geq 0,5 \times 1218335,5 \text{ N}$$

$$= 736755,1 \text{ N} \geq 551827 \text{ N (OK)}$$

$$2. Nu \leq 0,25 \times A_g \times f'_c$$

$$= 26168 \text{ N (from SAP 2000 v14}^{\text{®}}) \leq 3900000 \text{ N (OK).}$$

According to SNI 2847:2013 paragraph 21.5.4.2, the value of V_c is assumed as 0 if both conditions above fulfilled.

Thus,

$$V_s = V_u / \phi$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$V_u = 1218335,5 \text{ N}$$

$$V_s = 1624446,7 \text{ N}$$

use 2D19 reinforcement bar ($A_v = 567,28 \text{ mm}^2$),

$$s = A_v \times f_y \times d / V_s$$

$$s = 567,28 \text{ mm}^2 \times 390 \text{ MPa} \times 718,5 \text{ mm} / 1624446,7 \text{ N}$$

$$s = 97,5 \text{ mm} \approx 100 \text{ mm.}$$

According to SNI 2847:2013 paragraph 21.3.4.2, the stirrup bar should be installed along $2h = 1600 \text{ mm}$ at both edge of beam with the space of stirrup bar must not more than the least of

$$1. d/4 = 718,5 \text{ mm} / 4 = 179,63 \text{ mm}$$

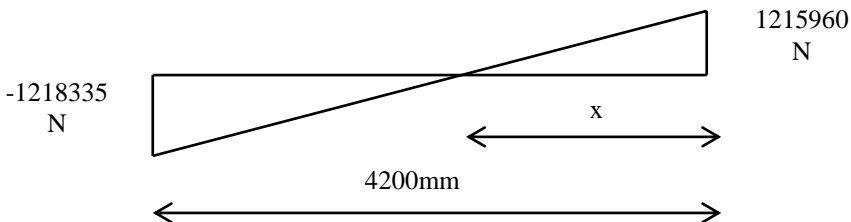
$$2. 8D = 8 \times 25 \text{ mm} = 200 \text{ mm}$$

$$3. 24 \times \phi = 24 \times 19 \text{ mm} = 456 \text{ mm}$$

$$4. 300 \text{ mm.}$$

Use stirrup bar 2D19-100, s (space) = $100 \text{ mm} \leq 179,6 \text{ mm}$

Reinforcement Bar Outside Plastic Area
checking V_u value (from SAP 2000 v14[®]):



Equation for finding x value

$$\frac{x}{4200 - x} = \frac{1215960}{1218335}$$

$$x = 2097 \text{ mm}$$

V_u at $2h = 1600 \text{ mm}$, is

$$\frac{2097}{2097 - 1600} = \frac{1215960}{V_u}$$

$$V_u = 288609,5 \text{ N}$$

$V_u = 288609,5 \text{ N}$ at 1600 mm from support.

Thus,

$$V_s = V_u / \phi$$

$$\phi = 0,75 \text{ (SNI, 2013 paragraph 9.3.2.3)}$$

$$V_u = 288609,5 \text{ N}$$

$$V_s = 384812,7 \text{ N}$$

use 2D19 reinforcement bar ($A_v = 567,28 \text{ mm}^2$),

$$s = A_v \times f_y \times d / V_s$$

$$s = 567,28 \text{ mm}^2 \times 390 \text{ MPa} \times 718,5 \text{ mm} / 384812,7 \text{ N}$$

$$s = 413,1 \text{ mm} \approx 300 \text{ mm}$$

According to SNI 2847:2013 paragraph 21.3.4.3, the stirrup bar should be installed along the beam (outside plastic area) with the space of stirrup bar must not more than

$$1. d/2 = 718,5 \text{ mm} / 2 = 359,3 \text{ mm}.$$

Use stirrup bar 2D19-300, s (space) = $300 \text{ mm} \leq 359,3 \text{ mm}$.

$$n \text{ of stirrup bar (outside plastic area)} = (L_n - 4h) / s + 1$$

$$n = (4200 \text{ mm} - 4 \times 800 \text{ mm}) / 300 \text{ mm} + 1$$

$$n = 4,33 \approx 5.$$

Reinforcement Bar Due to Torsion Moment

The reinforcement bar due to torsion moment shall follow the conditions in SNI 2847:2013 paragraph 11.5.1. The torsion can be neglected if the condition below fulfilled

$$T_u < \phi \frac{\sqrt{f'_c}}{12} \left(\frac{A_{cp}^2}{P_{cp}} \right)$$

in which,

$\phi = 0,75$ (SNI, 2013 paragraph 9.3.2.3)

$T_u = 25886055,6 \text{ Nmm}$ (from SAP 2000 v14[®])

$A_{cp} = b \times h = 520000 \text{ mm}^2$

$P_{cp} = 2 \times (b + h) = 2900 \text{ mm}$

Thus,

$T_u = 25886055,6 \text{ Nmm} \leq 31919004,2 \text{ Nmm}$ (OK).

So, the torsion reinforcement bar is not needed.

4.6.4.9. Checking The Condition of Beam

Checking The Deflection of Primary Beam

The deflection of primary beam is calculated using equation below

δ (deflection) = $(5/384) \times (q_u \times L^4/EI)$

$\delta_{\max} = L_n/480$ (in cm) (SNI 2847:2002 Paragraph 9)

in which q_u is taken as 16946,32 kg/m (see previous paragraph), I is the moment of inertia of secondary beam ($I = 1/12 \times b \times h^3$), and E equals $4700 \times (f'_c)^{0,5}$, f'_c in 14 days

Deflection ($L_n = 420 \text{ cm}$, $b = 65 \text{ cm}$, $h = 80 \text{ cm}$)

$\delta = (5/384) \times (q_u \times L^4/EI) = 0,096 \text{ cm}$

$\delta_{\max} = L_n/480 = 0,875 \text{ cm}$

$\delta < \delta_{\max}$ (OK)

Checking The Crack Moment

According to SNI 2847:2013 paragraph 21.3.3, the crack moment, M_{cr} , must not more than nominal moment, ϕM_n , and the M_{cr} value shall follow the the equation in SNI 2847:2013 paragraph 9.5.3.2.

$$\phi M_n \geq M_{cr}$$

in which,

$$M_{cr} = f_{cr} \times I_g / y_t$$

$$f_{cr} = 0,62 \lambda \sqrt{f'c} / SF \text{ (SNI, 2013 paragraph 9.5.2.3)}$$

$$f_{cr} = 0,62 \times 1 \times (30^{0,5}) / 2 = 1,69 \text{ MPa}$$

$$I_g = 1/12 \times b \times h^3$$

$$I_g = 1/12 \times 650 \times 800^3 \text{ mm}^4 = 2,773 \times 10^{10} \text{ mm}^4$$

$$y_t = 650 \text{ mm}$$

Thus,

$$M_{cr} = 72098000 \text{ Nmm}$$

$$\phi M_n = 707220888 \text{ Nmm}$$

$$\phi M_n \geq M_{cr} \text{ (OK)}$$

For the recapitulation of reinforcement bar will be shown in Table 4.43.

Table 4.43. Recapitulation of Reinforcement Bars of Basement's Primary Beam

Type	Length (mm)	Flexural Bar in support area		Flexural Bar in field area			Stirrup Bar		Additional	
		As use (mm ³)	n	Code	As use (mm ³)	n	Code	s (mm)		Code
BIB1	4200	4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	2D25
		4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	
BIB2	1600	4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	2D25
		4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	
BIB3	4200	4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	2D22
		4910,71	10	10D25	2946,43	6	6D25	100	2D19-100	
BIB4	1600	2455,35	5	5D25	2455,35	5	5D25	100	2D19-100	2D25
		2455,35	5	5D25	2455,35	5	5D25	100	2D19-100	
BIB5	4200	2455,35	5	5D25	2455,35	5	5D25	100	2D19-100	2D25
		2455,35	5	5D25	2455,35	5	5D25	100	2D19-100	

4.7. Designing The Lower Structure

4.7.1. Designing The Foundation

4.7.1.1. Preface

The foundation functionate as the loads bearer from upper structure and transform them soil. The foundation in this final project will use *Prestressed Concrete Spun Pile* from ICP PILES Co, Ltd. The data of pile will be shown below

foundation's type	: <i>Prestressed Concrete Spun Pile</i>
class	: C
effective prestress	: 7 N/mm^2
size (diameter)	: 60 cm
thickness	: 10 cm
cross section	: 157080 mm^2
bending moment	
crack	: 19,6 tm
break	: 36,5 tm
allowable compression	: 292 ton
length of pile	: 6-30 meter (three segmental)

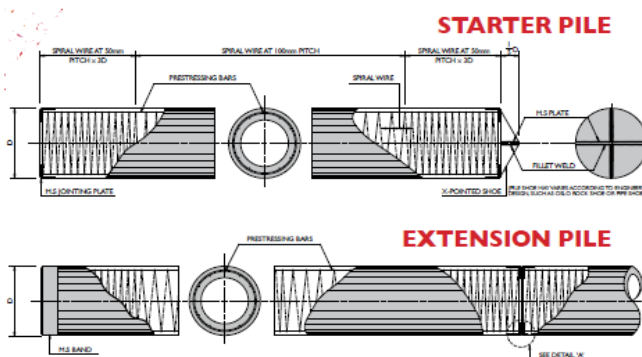


Figure 4.70. The Prestressed Concrete Spun Pile
(source: ICP PILES, Co., Ltd)

The soil data will use soil data in Kenjeran, Surabaya obtained from Soil and Rock Engineering Laboratory ITS Surabaya.

4.7.1.2. Bearing Capacity

Bearing Capacity of Single Pile Foundation

The bearing capacity of single pile foundation is determined by two factors, which are bearing capacity of pile (Q_p) and bearing capacity of soil (Q_s), so the total bearing capacity (Q_{total}) is stated as

$$Q_{total} = Q_p + Q_s$$

from Luciano Decourt (1982), the value of maximum bearing capacity of soil on single pile foundation (Q_L) is

$$Q_L = Q_P + Q_S$$

in which,

Q_L = max. bearing capacity of soil on pile foundation (ton)

Q_P = *resistance ultimate* at base of pile (ton)

Q_S = *resistance ultimate* due to soil cohesion/stickness (ton)

hence,

$$Q_P = N_p \times K \times A_p$$

$$Q_S = (N_s/3 + 1) \times A_s$$

in which,

N_p = the average value of N-SPT range at 4B above and 4B below pile foundation's base (unitless), B is diameter(meter)

K = coefficient of soil characteristic (ton/m^2)

$$= 12 \text{ ton}/\text{m}^2 \text{ (clay)}$$

$$= 20 \text{ ton}/\text{m}^2 \text{ (silt clay)}$$

$$= 25 \text{ ton}/\text{m}^2 \text{ (sand clay)}$$

$$= 40 \text{ ton}/\text{m}^2 \text{ (sand)}$$

A_p = the area of concrete of pile foundation's base (m^2)

N_s = the average value of N-SPT along its pile in soil (unitless), limited to $3 \leq N \leq 50$

A_s = the perimeter of pile multiplied by pile's depth (m^2)

note that the N-SPT value is corrected by equation proposed by Terzaghi & Peck, if the soil located below ground water level

$$N' = 15 + 0,5 (N-15)$$

in which,

N' = N-SPT's corrected value (unitless)

N = N-SPT value, obtained from soil data (unitless)

Bearing Capacity of Group Pile Foundation

The bearing capacity of group pile foundation is obtained by multiplying bearing capacity of single pile foundation with efficiency factor, C_e , and the total number of pile, n ,

$$Q_{L(\text{group})} = Q_{L(\text{single})} \times n \times C_e$$

hence, by equation proposed by Converse-Labarre,

$$C_e = 1 - \arctan(\phi/S) \left[\frac{(n-1)m + (m-1)n}{90mn} \right]$$

in which,

ϕ = diameter of pile (meter)

S = the distance between piles (meter)

m = the number of pile in one single row on pilecap

n = the number of pile in one single column on pilecap

Repartition of Load on Group Pile Foundation

If there's load which worked on the group pile of foundation (the group pile foundation is united by pilecap) whether vertical loads (V), horizontal loads (H), and moment force (M), then the value of equivalent vertical load (P_e) will be calculated by this equation proposed by Tomlison (1977)

$$P_{\max} = \sum V/n \pm M_x y_{\max}/\sum y_i^2 \pm M_y x_{\max}/\sum x_i^2$$

in which,

P_{\max} = the total of load on single pile in group pile foundation (ton)

$\sum V$ = total axial load (ton)

n = total number of pilecap

M_x = ultimate moment of X direction (tm)

y_{\max} = maximum distance between furthest pile's axis and pilecap's neutral axis at Y direction (meter)

$\sum y_i^2$ = the sum of square of distance between pile's axis to pilecap's neutral axis at Y direction (m^2)

M_y = ultimate moment of Y direction (tm)

x_{\max} = maximum distance between furthest pile's axis and pilecap's neutral axis at X direction (meter)

$\sum x_i^2$ = the sum of square of distance between pile's axis to pilecap's neutral axis at X direction (m^2)

note that value of x and y is positive if its direction same as e (eccentricity/neutral axis of pilecap), and vice versa.

4.7.1.3. Calculation of Pile Foundation's Bearing Capacity General Data

The load which will be used for this calculation obtained from SAP 2000[®] programme, assumed that the designing of pillar's pile is typical for all pillar. Note that the combination of load will use 1,0 D + 1,0 L

loads:

$$P = 515,89 \text{ ton}$$

$$M_{ux} = 3,543 \text{ tm}$$

$$M_{uy} = 0,651 \text{ tm}$$

$$H_x = 1,29 \text{ ton}$$

$$H_y = 7,21 \text{ ton}$$

Calculation of Single Pile Foundation's Bearing Capacity

The result of the calculation will use the data from Table 4.45. The calculation will use equation proposed by Luciano Decourt (1982)

$$Q_L = Q_P + Q_S$$

hence,

$$Q_P = (N_p \times K) \times A_p$$

$$Q_P = (34 \times 25) \times 0,157080 \text{ ton}$$

$$= 133,518 \text{ ton}$$

$$Q_S = (N_s/3 + 1) \times A_s$$

$$= (6,887 + 1) \times (22/7 \times 0,6 \times 30) \text{ ton}$$

$$= 446,18 \text{ ton}$$

then,

$$Q_L = 133,518 + 446,18 = 579,70 \text{ ton (see Table 4.44)}$$

Table 4.44. Recapitulation of Single Pile Foundation's Bearing Capacity Calculation

Depth (m)	N _s	N _p	N _s	N _p /3	q _p (t/m ²)	Q _p (ton)	q _s (t/m ²)	Q _s (ton)	Q _L (ton)	Q _{ult} (SF=3) (ton)
0	0	6	0	0	150	23,56	1	0	23,56	7,854
1	1	8,4	4	1,33	210	32,98	2,33	4,4	37,38	12,46
2	1	8	5,33	1,77	300	47,12	2,77	10,47	57,60	19,20
3	1	8	6,67	2	133,3	20,94	3	16,97	37,91	12,63
4	1	8	6,4	2,13	160	25,13	3,13	23,63	48,76	16,25
5	1	8	6,66	2,22	200	31,41	3,22	30,38	61,79	20,59
6	1	8	6,85	2,28	200	31,41	3,28	37,17	68,59	22,86
7	1	8	7	2,33	200	31,41	3,33	44	75,41	25,13
8	1	8	7,11	2,37	160	25,13	3,37	50,84	75,97	25,32
9	1	8	7,2	2,4	160	25,13	3,4	57,70	82,83	27,61
10	1	8	7,27	2,42	180	28,27	3,42	64,57	92,84	30,94
11	1	8	7,33	2,44	215,71	33,88	3,44	71,44	105,33	35,11
12	1	8	7,38	2,46	260	40,84	3,46	78,32	119,17	39,72
13	15	15	7,92	2,64	305,71	48,02	3,64	89,30	137,32	45,77
14	26	20,5	8,76	2,92	352,85	55,42	3,92	103,54	158,97	52,99
15	32	23,5	9,68	3,22	401,42	63,05	4,23	119,62	182,68	60,89
16	33	24	10,52	3,50	580,35	91,16	4,51	136,06	227,22	75,74
17	34	24,5	11,30	3,76	642,85	100,98	4,77	152,86	253,84	84,61
18	35	25	12,02	4,01	691,07	108,55	5,01	170,012	278,56	92,85

19	45	30	LP	25	29,28	12,92	4,30	732,14	115,01	5,30	190,19	305,19	101,73
20	50	32,5	LP	25	31	13,85	4,61	775	121,73	5,61	211,91	333,65	111,21
21	53	34	LP	25	32,85	14,77	4,92	821,42	129,03	5,92	234,6	363,63	121,21
22	55	35	LP	25	34,42	15,65	5,21	860,71	135,21	6,21	257,93	393,13	131,04
23	57	36	LP	25	35,14	16,5	5,5	878,57	138,06	6,5	281,91	419,92	139,97
24	60	37,5	LP	25	35,28	17,34	5,78	882,14	138,56	6,78	306,84	445,41	148,47
25	57	36	LP	25	35,28	18,05	6,01	882,14	138,56	7,01	330,90	469,47	156,49
26	55	35	LP	25	35,14	18,68	6,22	878,57	138,06	7,23	354,39	492,40	164,13
27	52	33,5	LP	25	34,9	19,21	6,40	873,21	137,16	7,40	377,01	514,17	171,39
28	53	34	LP	25	34,5	19,72	6,57	862,5	135,48	7,57	399,94	535,42	178,47
29	53	34	LP	25	34,2	20,2	6,73	855	134,30	7,73	422,90	557,20	185,73
30	54	34,5	LP	25	34	20,66	6,88	850	133,51	7,88	446,184	579,70	193,23

*LP = silt sand (lempung berpasir)
 LL = sand clay (lempung berlanau)

Calculation of Group Pile Foundation's Bearing Capacity

The foundation will use pile foundation with 60 cm diameter. The distance (axis to axis) between piles is 180 cm. The distance between piles and pilecap's edge is 60 cm.

- distance between piles (S)

$$2,5D \leq S \leq 3D$$

$$2,5 \times 60 \leq S \leq 3 \times 60$$

$$150 \text{ cm} \leq S \leq 180 \text{ cm}$$

use $S = 180 \text{ cm}$

- distance between piles and pilecap's edge (S_1)

$$1D \leq S_1 \leq 2D$$

$$1 \times 60 \leq S_1 \leq 2 \times 60$$

$$60 \text{ cm} \leq S_1 \leq 120 \text{ cm}$$

use $S_1 = 60 \text{ cm}$

hence,

$$C_e = 1 - \arctan(\phi/S) \left[\frac{(n-1)m + (m-1)n}{90 mn} \right]$$

in which,

$$\phi = 0,6 \text{ m}$$

$$S = 1,8 \text{ m}$$

$$m = 2$$

$$n = 2$$

$$\text{total number of piles} = P/Q_L$$

$$= 579,70/193,23$$

$$= 2,67 \approx 4 \text{ piles}$$

(2x2, rectangular pilecap)

$$C_e = 0,79$$

then,

$$Q_{L(\text{group})} = Q_{L(\text{single})} \times n \times C_e$$

in which,

$$Q_{L(\text{single})} = 193,23 \text{ ton}$$

$$n = 4$$

$$Q_{L(\text{group})} = 611,31 \text{ ton} \geq P = 515,89 \text{ ton (OK)}$$

calculating P_{ult} value

$$P_{\text{ult}} = P + \text{pilecap's weight}$$

$$P = 515,89 \text{ ton}$$

$$\text{pilecap's weight} = 3 \times 3 \times 1,5 \times 2400 \text{ kg}$$

$$= 32,4 \text{ ton}$$

$$P_{\text{ult}} = 548,29 \text{ ton} \leq 611,31 \text{ ton (OK)}$$

Checking P_{max} Value

The value of P_{max} will be calculated by this equation proposed by Tomlison (1977)

$$P_{\text{max}} = \sum V/n \pm M_x y_{\text{max}}/\sum y_i^2 \pm M_y x_{\text{max}}/\sum x_i^2$$

note that the moment on pilecap can cause compression or tension behaviour. But since the compression loads are more considered than the tension load (because structure's gravitational loads are greater than tension loads), so the equation of P_{max} is modified into

$$P_{\text{max}} = \sum V/n + M_x y_{\text{max}}/\sum y_i^2 + M_y x_{\text{max}}/\sum x_i^2$$

in which,

$$M_{\text{ux}} = 3,543 \text{ tm}$$

$$M_{\text{uy}} = 0,651 \text{ tm}$$

$$H_x = 1,29 \text{ ton}$$

$$H_y = 7,21 \text{ ton}$$

$$\sum V = 515,89 + 32,4 = 548,29 \text{ ton}$$

$$n = 4$$

$$M_x = M_{ux} + (H_y \times \text{pilecap's thickness})$$

$$= 3,543 + (7,21 \times 1,5) = 14,358 \text{ tm}$$

$$y_{\max} = 0,9 \text{ m}$$

$$\sum y_i^2 = 4 \times 0,9^2 = 3,24 \text{ m}^2$$

$$M_y = M_{uy} + (H_x \times \text{pilecap's thickness})$$

$$= 0,651 + (1,29 \times 1,5) = 2,586 \text{ tm}$$

$$x_{\max} = 0,9 \text{ m}$$

$$\sum x_i^2 = 4 \times 0,9^2 = 3,24 \text{ m}^2$$

$$P_{\max} = 141,78 \text{ ton} \leq Q_{L(\text{single})} = 193,23 \text{ ton (OK)}$$

Checking Pile's Condition

The pile's conditions which will be checked are checking the axial load and checking the bending crackmoment

Checking Axial Load

$$P_{\max} \leq \text{allowable compression of pile}$$

$$141,78 \text{ ton} \leq 292 \text{ ton (OK)}$$

Checking Bending Crack Moment

by using equation proposed by Philiponat, the moment due to lateral load is obtained by multiplying L_e with H_y at Y direction and H_x at X direction. Note that L_e is $10D$ (for multilayer soil)

at X direction

$$L_e = 10 \times D \text{ meter}$$

$$L_e = 10 \times 0,6 = 6 \text{ meter}$$

$$M_x = L_e \times H_x$$

$$= 6 \text{ m} \times 1,29 \text{ ton} = 7,74 \text{ tm}$$

$$M_x \text{ of single pile} = M_x/n \text{ (n = 4)}$$

$$= 1,935 \text{ tm} < M_{\text{bending crack}} = 19,6 \text{ tm (OK)}$$

at Y direction

$$L_e = 10 \times D \text{ meter}$$

$$L_e = 10 \times 0,6 = 6 \text{ meter}$$

$$M_y = L_e \times H_y$$

$$= 6 \text{ m} \times 7,21 \text{ ton} = 43,26 \text{ tm}$$

$$M_y \text{ of single pile} = M_y/n \text{ (n = 4)}$$

$$= 10,815 \text{ tm} < M_{\text{bending crack}} = 19,6 \text{ tm (OK).}$$

4.7.1.4. Reinforcement of Pilecap

General Data

The general data for calculation of reinforcement of pillar's pilecap will be shown below

$$\text{pilecap's dimension} = 3000 \text{ mm} \times 3000 \text{ mm}$$

$$\text{pilecap's thickness} = 1500 \text{ mm}$$

$$\text{clear cover} = 50 \text{ mm}$$

$$\text{bar's diameter (D)} = 25 \text{ mm}$$

$$f'_c = 30 \text{ MPa}$$

$$f_y = 390 \text{ MPa}$$

$$\text{pillar's dimension} = 800 \text{ mm} \times 800 \text{ mm}$$

$$dx = 1500 - 50 - (25/2) = 1437,5 \text{ mm}$$

$$dy = 1500 - 50 - 25 - (25/2) = 1412,5 \text{ mm}$$

For β_1 value is calculated by using condition in SNI (2013) paragraph 10.2.7.3. (f'_c in 28days = 30 MPa, see Table 4.7)

$$\beta_1 = 0,85 - 0,05 \frac{(f'_c - 28)}{7} \geq 0,65$$

$$\beta_1 = 0,85 - 0,05 \frac{(30 - 28)}{7} = 0,8357143 \geq 0,65$$

$$A_s = \pi/4 x d^2 = 132,78 \text{ mm}^2$$

$$\phi = 0,9 \text{ (SNI, 2013 Figure S9.3.2)}$$

$$m = f_y / (0,85 x f'_c) = 15,29$$

$$\rho_b = 0,85 \times \beta_1 \times f'_c / f_y \times (600 / (600 + f_y))$$

$$\rho_b = 0,0331$$

$$\rho_{\max} = 0,75 \rho_b$$

$$\rho_{\max} = 0,0,025$$

$$\rho_{\min} = 0,25 \times (f'_c)^{0,5} / f_y$$

$$\rho_{\min} = 0,0035$$

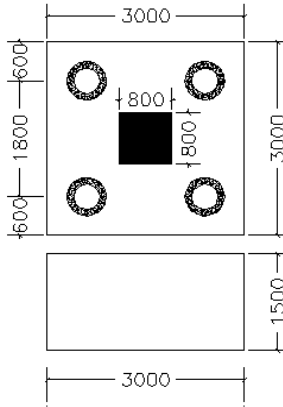


Figure 4.71. Dimension of pilecap
(source: Private Documentation)

Calculation of Reinforcement Bar

The general data for reinforcement bar of slab will be shown below (note that the calculation will use static mechanic principal)

slab's thickness	= 1500 mm
clear cover	= 50 mm
bar's diameter	= 25 mm, $A_s = \pi/4 \times d^2 = 491,07 \text{ mm}^2$
b	= 3000 mm
d_x	= 1437,5 mm
d_y	= 1412,5 mm
ϕ	= 0,9
q_u (pilecap's weight per m)	= $3 \times 1,5 \times 2400 \text{ kg/m}$ = 10800 kg/m
P_{\max}	= 141,78 ton
$P_t = 2 \times P_{\max}$	= 283558,3 kg

$$\begin{aligned}
 a_x & \text{ (distance of furthest pile to pillar, X direction)} = 0,9 \text{ m} \\
 b_x & \text{ (distance of furthest pile to pilecap, X direction)} = 0,6 \text{ m} \\
 a_y & \text{ (distance of furthest pile to pillar, Y direction)} = 0,9 \text{ m} \\
 b_y & \text{ (distance of furthest pile to pilecap, Y direction)} = 0,6 \text{ m} \\
 M_{ux} & = (P_t \times a) - (0,5 \times q_u \times (a_x + b_x)^2) = 243052,5 \text{ kgm} \\
 M_{uy} & = (P_t \times a) - (0,5 \times q_u \times (a_y + b_y)^2) = 243052,5 \text{ kgm}
 \end{aligned}$$

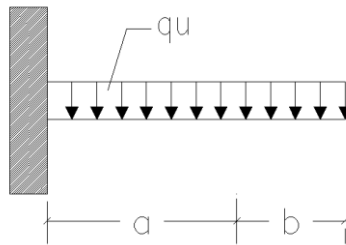


Figure 4.72. Analyzing of pilecap's calculation
(source: Private Documentation)

Reinforcement Bar (X direction)

$$M_{nx} = M_{ux} / \phi = 270058,33 \text{ kgm}$$

$$b = 3000 \text{ mm}$$

$$d_x = 1437,5 \text{ mm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,435 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,0011$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,0011 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 15141,37 \text{ mm}^2$$

$$n = A_{s_{\text{need}}} / A_{s_{\text{bar}}} = 15141,37 \text{ mm}^2 / 491,07 \text{ mm}^2 = 30,833$$

$$\text{use } n = 32 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 15714,29 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 15714,29 \text{ mm}^2 > 15141,37 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 3000 \text{ mm}/32 = 93,75 \text{ mm}$$

So, the transversal bar will use D25-90.

Reinforcement Bar (Y direction)

$$M_{ny} = M_{uy}/\phi = 270058,33 \text{ kgm}$$

$$b = 3000 \text{ mm}$$

$$d_y = 1412,5 \text{ mm}$$

$$R_n = \frac{M_n}{b \times d^2} = 0,4511 \text{ N/mm}^2$$

$$\rho_{\text{need}} = \frac{1}{m} \left(1 - \sqrt{1 - \frac{2 \times m \times R_n}{f_y}} \right) = 0,001167$$

$$\rho_{\text{need}} < \rho_{\text{min}} = 0,001167 < 0,0035$$

$$\text{use } \rho = \rho_{\text{min}} = 0,0035$$

$$A_{s_{\text{need}}} = \rho \times b \times d = 14878,04 \text{ mm}^2$$

$$n = A_{s_{\text{need}}}/A_{s_{\text{bar}}} = 14878,04 \text{ mm}^2/491,07 \text{ mm}^2 = 30,29$$

$$\text{use } n = 32 \rightarrow A_{s_{\text{use}}} = n \times A_{s_{\text{bar}}} = 15714,29 \text{ mm}^2$$

$$A_{s_{\text{use}}} > A_{s_{\text{need}}} = 15714,29 \text{ mm}^2 > 14878,04 \text{ mm}^2 \text{ (OK)}$$

$$s = b/n = 3000 \text{ mm}/32 = 93,75 \text{ mm}$$

So, the transversal bar will use D25-90.

Checking The Pons Shear Force of Pilecap

The designing process of pilecap's thickness, it is important to checking the pons shear force in which its condition $\phi V_c \geq P_{\text{max}}$. According to SNI 2847:2013 paragraph 11.11.2.1, the value of V_c is taken as the least value of these below

$$V_c = 0,17 \times \left(1 + \frac{2}{\beta} \right) \lambda \sqrt{f'_c} \times b_o \times d$$

$$V_c = 0,083 \times \left(\frac{\alpha_s \times d}{b_o} \right) \lambda \sqrt{f'_c} \times b_o \times d$$

$$V_c = 0,33 \lambda \times \sqrt{f'_c} \times b_o \times d$$

in which,

$$\beta = \text{ratio between length and width} \\ = 3000/3000 = 1$$

b_o = perimeter of critical section on pilecap

$$b_o = 2 \times (b_k + d) + 2 \times (h_k + d)$$

$$b_k = 800 \text{ mm (pillar's length)}$$

$$h_k = 800 \text{ mm (pillar's width)}$$

$$d = 1437,5 \text{ mm (effective thickness of pilecap)}$$

$$b_o = 8950 \text{ mm}$$

$$\alpha_s = 40 \text{ (interior pillar)}$$

$$\lambda = 1 \text{ (normal concrete)}$$

thus,

$$V_{c1} = 35938644,45 \text{ N}$$

$$V_{c2} = 37576334,89 \text{ N}$$

$$V_{c3} = 23254417 \text{ N}$$

$$\text{use } V_c = V_{c3} = 23254417 \text{ N}$$

$$\phi V_c \geq P_{\max}$$

$$0,75 \times 23254417 \text{ N} = 17440812,75 \text{ N} \geq 515,89 \text{ ton}$$

$$17440812,75 \text{ N} \geq 5158900 \text{ N (OK)}$$

Checking Deep Beam Condition

The deep beam condition should follow condition in SNI 2847:2013 paragraph 10.7, 11.7, and 12.10.6.

- $L_n \text{ pilecap} = 3000 \text{ mm} \leq 4h = 6000 \text{ mm (OK)}$

Checking Deep Beam (X direction)

$$V_u \leq \phi \times 0,83 \times b_w \times d_x \times (f_c^{0,5})$$

(SNI 2847:2013 paragraph 11.7)

$$5482900 \text{ N} \leq \phi \times 0,83 \times b_w \times d_x \times (f_c^{0,5})$$

$$5482900 \text{ N} \leq 0,75 \times 0,83 \times 3000 \times 1437,5 \times (30^{0,5})$$

$$5482900 \text{ N} \leq 14703783 \text{ N (OK)}$$

$$A_v > 0,0025 \times b_w \times S$$

(SNI 2847:2013 paragraph 11.7.4.1)

in which,

$$S \leq d/5 \text{ or } S \leq 300 \text{ mm}$$

$$S \leq 287,5 \text{ mm}$$

$$S \leq 300 \text{ mm}$$

$$\text{use } s = 287,5 \text{ mm}$$

$$A_v = 15141,37 \text{ mm}^2 > 2156,25 \text{ mm}^2 \text{ (OK)}$$

Checking Deep Beam (Y direction)

$$V_u \leq \phi \times 0,83 \times b_w \times d \times (f_c^{0,5})$$

(SNI 2847:2013 paragraph 11.7)

$$5482900 \text{ N} \leq \phi \times 0,83 \times b_w \times d_x \times (f_c^{0,5})$$

$$5482900 \text{ N} \leq 0,75 \times 0,83 \times 3000 \times 1412,5 \times (30^{0,5})$$

$$5482900 \text{ N} \leq 14448065 \text{ N (OK)}$$

$$A_v > 0,0025 \times b_w \times S$$

(SNI 2847:2013 paragraph 11.7.4.1)

in which,

$$S \leq d/5 \text{ or } S \leq 300 \text{ mm}$$

$$S \leq 287,5 \text{ mm}$$

$$S \leq 300 \text{ mm}$$

$$\text{use } s = 287,5 \text{ mm}$$

$$A_v = 14878,04 \text{ mm}^2 > 2118,75 \text{ mm}^2 \text{ (OK)}$$

4.7.2. Designing The Tie Beam

4.7.2.1. Preface

The tie beam functionate as the connector between pilecaps and as stiffener. The loads which will be retained by the tie beam are its own weight, walls, and tension or compression axial force which obtained by 10% value of pillar's axial load.

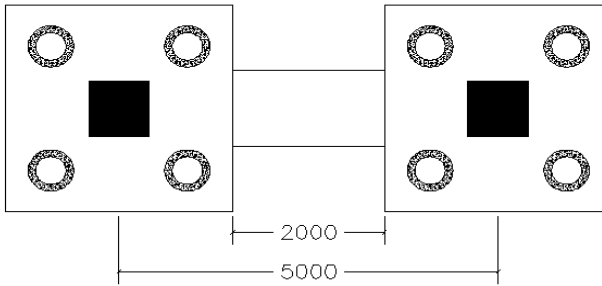


Figure 4.73. The tie beam's dimension
(source: Private Documentation)

4.7.2.2. Reinforcement of Tie Beam

General Data

The general data of tie beam will be shown below

length of tie beam, L	= 2000 mm
clear cover	= 50 mm
bar's diameter	= 25 mm, $A_s = \pi/4 \times d^2 = 491,07 \text{ mm}^2$
stirrup (D/deform)	= 22 mm, $A_s = 380,28 \text{ mm}^2$
b	= 800 mm
h	= 1100 mm
d	$= 1100 - 50 - 22 - (25/2) = 1015,5 \text{ mm}$
f'_c	= 30 MPa
f_y	= 390 MPa
P_u	= 515,89 ton
$N_u = 10\% \times P_u$	= 51,589 ton

Calculation of Reinforcement Bar

The reinforcement bar (flexural bar) of tie beam will retain the loads which are axial load and flexural load. The reinforcement of tie beam (flexural bar) will be assumed as reinforcement of pillar. The loads which will be retained by tie beam are

axial load $N_u = 10\% \times P_u = 51,589$ ton

tie beam = $0,8 \times 1,1 \times 2,4$ t/m = 2,112 t/m

brick's wall = $4 \times 0,25$ t/m = 1 t/m

$Q_u = 1,2 \times (2,112 + 1)$ t/m = 3,734 t/m

$M_u = 1/12 \times Q_u \times L^2$ (continuous beam)

$M_u = 1,2448$ tm = 12,448 kNm

by using PCACOL programme, the needed amount of flexural bar is obtained

$P_u = 515,89$ kNm

$M_u = 12,448$ kNm

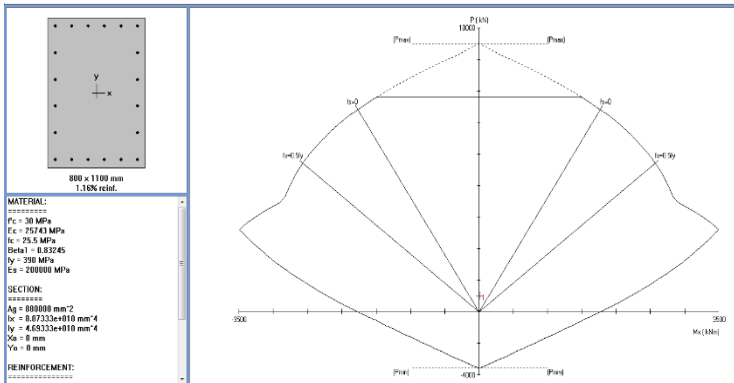


Figure 4.74. The interaction graphic between axial force and moment in tie beam
 (source: Private Documentation)

from interaction diagram, it is obtained

ρ (ratio) = 1,159% with 20D25 reinforcement bar use 20D25 ($A_s = 10200$ mm²).

Calculation of Reinforcement Bar (Shear)

From interaction graphic, the M_{pr} value is 2221,36 kNm

$$\begin{aligned} V_u &= (M_{pr} + M_{pr})/L_n \\ &= (2221,36 + 2221,36) \text{ kNm}/2 \text{ meter} \\ &= 2221,36 \text{ kN} = 2221360 \text{ N} \end{aligned}$$

$$\begin{aligned} V_c &= 1/6 \times (f_c^{0,5}) \times b_w \times d \times (1 + N_u/(14 A_g)) \\ &= 1/6 \times (30^{0,5}) \times 800 \times 1015,5 \times (1 + 515890/(14 \times 800 \times 1100)) \text{ N} = 772670,93 \text{ N} \\ &= 772670,93 \text{ N} \end{aligned}$$

$$\begin{aligned} \phi V_c &= 0,75 \times 772670,93 \text{ N} = 579503,19 \text{ N} \\ 0,5 \phi V_c &= 0,5 \times 579503,19 \text{ N} = 289751,6 \text{ N} \end{aligned}$$

$$\begin{aligned} V_s \text{ min} &= V_u/\phi \\ &= 2221360 \text{ N}/0,75 \\ &= 2961813,3 \text{ N} \end{aligned}$$

$$A_v = 2 \times A_s = 760,57 \text{ mm}^2$$

$$\begin{aligned} s &= A_v \times f_y \times d/V_s \\ &= 760,57 \times 390 \times 1015,5/2961813,3 \text{ mm} \\ &= 101,7 \text{ mm} \approx 100 \text{ mm} \end{aligned}$$

$$s \leq d/2$$

$$100 \text{ mm} \leq 1015,5/2 \text{ mm}$$

$$100 \text{ mm} \leq 507,75 \text{ mm (OK)}$$

use stirrup D22-100.

Checking Deep Beam Condition

The deep beam condition should follow condition in SNI 2847:2013 paragraph 10.7, 11.7, and 12.10.6.

- L_n tie beam = 2000 mm \leq 4h = 4400 mm (OK)

Checking Deep Beam

$$\begin{aligned} V_u &\leq \phi \times 0,83 \times b_w \times d \times (f_c^{0,5}) \\ &\text{(SNI 2847:2013 paragraph 11.7)} \\ 2221360 \text{ N} &\leq \phi \times 0,83 \times b_w \times d \times (f_c^{0,5}) \end{aligned}$$

$$2221360 \text{ N} \leq 0,75 \times 0,83 \times 800 \times 1015,5 \times (30^{0,5})$$

$$2221360 \text{ N} \leq 2769937 \text{ N (OK)}$$

$$A_v > 0,0025 \times b_w \times S$$

(SNI 2847:2013 paragraph 11.7.4.1)

in which,

$$S \leq d/5 \text{ or } S \leq 300 \text{ mm}$$

$$S \leq 203,1 \text{ mm}$$

$$S \leq 300 \text{ mm}$$

$$\text{use } s = 203,1 \text{ mm}$$

$$A_v = 760,57 \text{ mm}^2 > 406,2 \text{ mm}^2 \text{ (OK).}$$

4.8. CONSTRUCTION METHOD

4.8.1. Construcion Method of Precast Concrete Element

4.8.1.1. Preface

The construction method of this project will be explained in general (not spesified). It includes prefabricated of precast concrete element, transportation and storage of precast concrete element, location and capacity of tower crane, and erection of precast concrete element.

4.8.1.2. Prefabricated of Precast Concrete Element

The prefabricated of precast concrete element is important especially about the compressive strength of precast concrete element, f'_c , and the reinforcement bar, f_y . The precast concrete is casted in concrete mixing plant factory with strict quality control.

These conditions below have to be noted:

1. precast concrete material such as sand, water, gravel, and cement must be checked according to mix design plan
2. the formwork shall be checked before casting process
3. the curing process of concrete shall be done correctly

4. the precast concrete’s age shall be checked
5. good management and good factory condition will help much more in order to produce good quality of precast concrete.

4.8.1.3. Transportation of Precast Concrete Element

The transportation of precast concrete element will use trailer truck. The dimension of trailer truck will be shown below (trailer’s length is approx. 40 meter, width 2,6 meter, maximum capacity 80 ton)

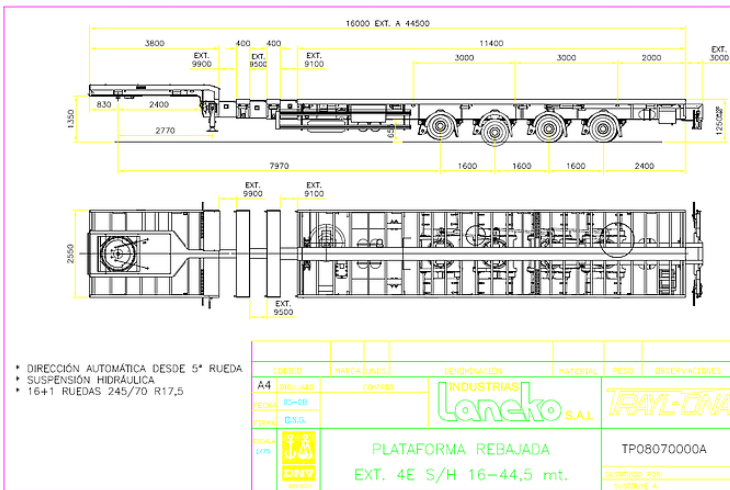


Figure 4.75. The dimension of trailer (source: Laneko S.A.L, Co., Ltd)

note that the transportation process of precast concrete element from concrete plant factory will use mobile crane or crane. Then it is transported by truck trailer to project’s location. On project’s location the precast concrete element will be lifted by crane. Note that the storage place for precast concrete elements should in dry-chemical alkali free place,

and stored in proper position.

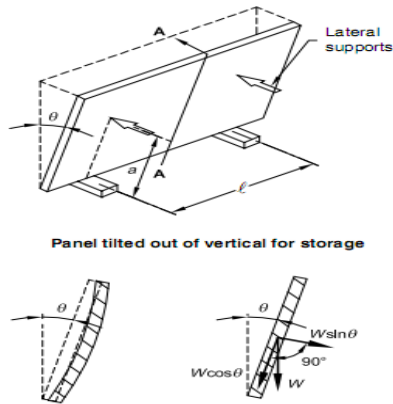


Figure 4.76. The proper position of storage of precast concrete element (source: PCI, 2004)

4.8.1.4. Capacity of Tower Crane

The tower crane which will be used is TowerCrane XMCG XC400. The spesification of tower crane will be shown in Figure 4.77.

XCP400																	
起重特性 Load diagrams																	
起重臂 (m) Jib	倍率 Fall	起重幅度 (m) Range	3.3-15.96	20	25	30	35	40	45	50	55	60	65	70	75	80	
			起重量(t) Load	20	15.28	11.66	9.3	7.64	6.41	5.46	4.71	4.1	3.59	3.16	2.79	2.48	2.2
				10			9.96	8.33	7.13	6.2	5.46	4.86	4.36	3.94	3.58	3.27	3.0
起重臂 (m) Jib	倍率 Fall	起重幅度 (m) Range	3.5-20.38	25	30	35	40	45	50	55	60	65	70				
			起重量(t) Load	20	15.74	12.67	10.51	8.91	7.68	6.69	5.9	5.23	4.68	4.2			
				10				9.65	8.43	7.46	6.67	6.02	5.47	5.0			
起重臂 (m) Jib	倍率 Fall	起重幅度 (m) Range	3.3-20.83	25	30	35	40	45	50	55	60						
			起重量(t) Load	20	16.15	13	10.8	9.16	7.89	6.89	6.08	5.4					
				10				9.92	8.67	7.68	6.87	6.2					
起重臂 (m) Jib	倍率 Fall	起重幅度 (m) Range	3.3-21.51	25	30	35	40	45	50								
			起重量(t) Load	20	16.77	13.52	11.24	9.54	8.24	7.2							
				10					9.03	8.0							
起重臂 (m) Jib	倍率 Fall	起重幅度 (m) Range	3.3-22.84	25	30	35	40										
			起重量(t) Load	20	18.01	14.54	12.11	10.3									
				10													

Figure 4.77. The capacity of tower crane
(source: XCMG, Co., Ltd)

The specification of tower crane

- type: Tower Crane Xcmg XCP400
- maximum range: 80 m
- maximum load: 20 ton
- furthest range on project’s site: 50 m
- maximum load (at 50 meter): 4,7 ton

checking the capacity of tower crane

1. precast concrete element: slab
 maximumload: 5 m x 2,5 m x 0,1 m x 2400 kg/m³
 = 3 ton ≤ 4,7 ton (OK)

2. precast concrete element: secondary beam
 maximum load: $5 \text{ m} \times 0,3 \text{ m} \times 0,45 \text{ m} \times 2400 \text{ kg/m}^3$
 $= 1,62 \text{ ton} \leq 4,7 \text{ ton (OK)}$
3. precast concrete element: primary beam
 maximum load: $5 \text{ m} \times 0,4 \text{ m} \times 0,65 \text{ m} \times 2400 \text{ kg/m}^3$
 $= 3,12 \text{ ton} \leq 4,7 \text{ ton (OK)}$.

4.8.1.5. Erection of Precast Concrete Element Casting of Pilar

After the installation of spun pile foundation and casting of pilecap-sloof, then the installation of pillar's reinforcement bar along its console should be done. After installing the formwork for pillar, the casting process of pillar could be done.

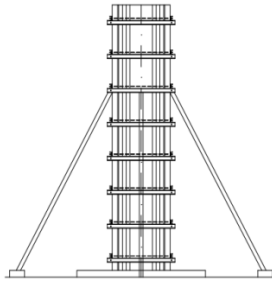


Figure 4.78. The formwork of pillar
 (source: Private Documentation)

Erection of Precast Concrete Primary Beam

After the casting process of pillar, then the primary beam is installed by putting it to pillar's console. After that, the *overtopping* concrete is casted over the connection. Note that the *scaffolding* is needed as temporary support for precast concrete primary beam.

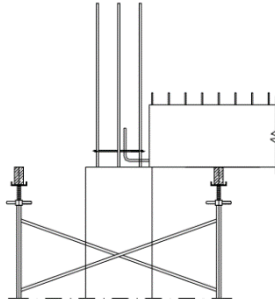


Figure 4.79. The erection of precast concrete primary beam
(source: Private Documentation)

Erection of Precast Concrete Secondary Beam

The precast concrete secondary beam is connected to precast concrete primary beam by console. After that, the *overtopping* concrete is casted over the connection. Note that the *scaffolding* is needed as temporary support for precast concrete secondary beam.

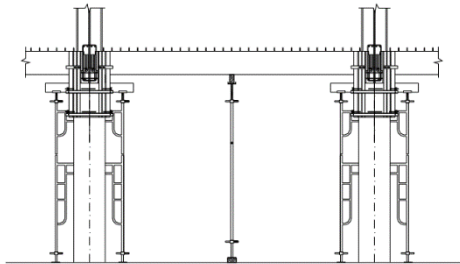


Figure 4.80. The erection of precast concrete secondary beam
(source: Private Documentation)

Erection of Precast Concrete Slab

The precast concrete slab is lifted by tower crane, then put on precast beam. After that, the *overtopping* concrete is casted over the connection (5 cm *overtopping* concrete).

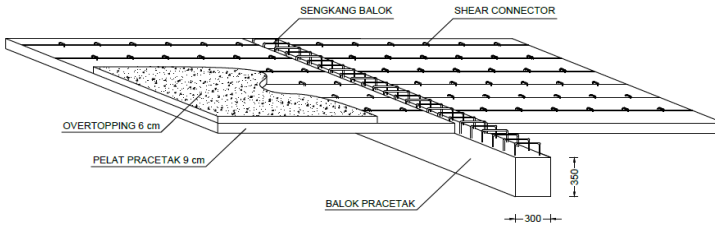


Figure 4.81. The erection of precast concrete slab
(source: Private Documentation)

4.8.2. Construction Method of Basement Structure

The construction method of basement will use *bottom up* method. Note that the basement's structure will use cast-in place concrete. The construction method of basement will be explained below

- installation of pile foundation
- installation of sheet pile
- excavation
- dewatering
- casting of pilecap
- casting of tie beam & raft foundation
- casting of basement's wall, slab, etc.

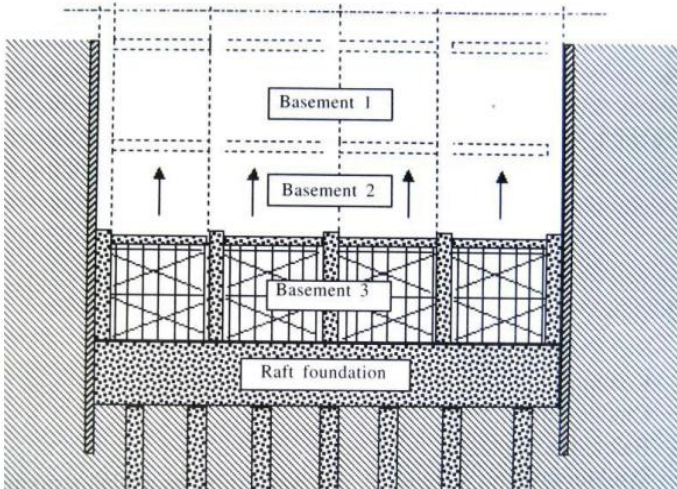


Figure 4.82. The construction method of basement
(source: <http://dodybrahmantyo.dosen.narotama.ac.id/>)

the dewatering process will use *cut off* method in which the diaphragm will use *sheet pile*, *concrete diaphragm wall*, or *concrete secant pile*.

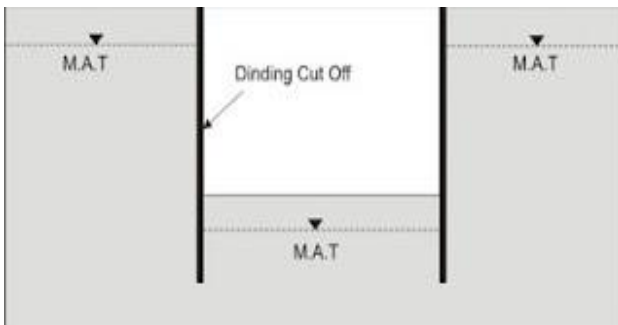


Figure 4.83. The section cut of *cutoff* method
(source: Private Documentation)

CHAPTER V CONCLUSION

5.1. Conclusion

Based on this final project titled “Redesigning The Building’s Structure of Hotel Novotel THE SAMATOR Surabaya by Using Precast Concrete”, the conclusions can be described through these points

1. According to SNI 2847:2013, it is obtained these structure’s dimension
 - a. secondary structure
 - dimension of precast secondary beam:
 $b = 30 \text{ cm}, h = 45 \text{ cm}$
 - dimension of bordes beam (stair):
 $b = 30 \text{ cm}, h = 60 \text{ cm}$
 - dimension of elevator beam:
 $b = 20 \text{ cm}, h = 65 \text{ cm}$
 - precast slab’s thickness:
 $h = 10 \text{ cm},$ overtopping 5 cm
 - stair structure:
slab, $h = 20 \text{ cm},$ bordes, $h = 20 \text{ cm}$
 - ramp:
 $h = 30 \text{ cm}$
 - dimension of bordes beam (ramp):
 $b = 40 \text{ cm}, h = 80 \text{ cm}$
 - b. primary structure
 - dimension of precast primary beam:
 $b = 40 \text{ cm}, h = 65 \text{ cm}$
 - dimension of pillar:
 $b \times b = 80 \times 80 \text{ cm}^2$
 - shear wall’s thickness:
 $h = 40 \text{ cm}$

- dimension of pile foundation:
D = 60 cm, L = 30 m (three segments)
 - dimension of pilecap (pillar):
 $p \times l \times h = 3 \times 3 \times 1,5 \text{ m}^3$
- c. basement structure
- dimension of basement's secondary beam:
b = 50 cm, h = 70 cm
 - dimension of basement's primary beam:
b = 65 cm, h = 80 cm
 - slab's thickness:
h = 20 cm
 - basement wall's thickness:
h = 30 cm
2. The connection of precast concrete elements will use wet connection. Note that the dimension of short console on pillar is $500 \times 400 \text{ mm}^2$ while the dimension of short console on primary beam $300 \times 200 \text{ mm}^2$.
 3. The connection detailing, pile foundation, pilecap, and other structure will be shown as technical drawing on enclosure.

5.2. Advices

Advice(s) for this final project might be described as follow

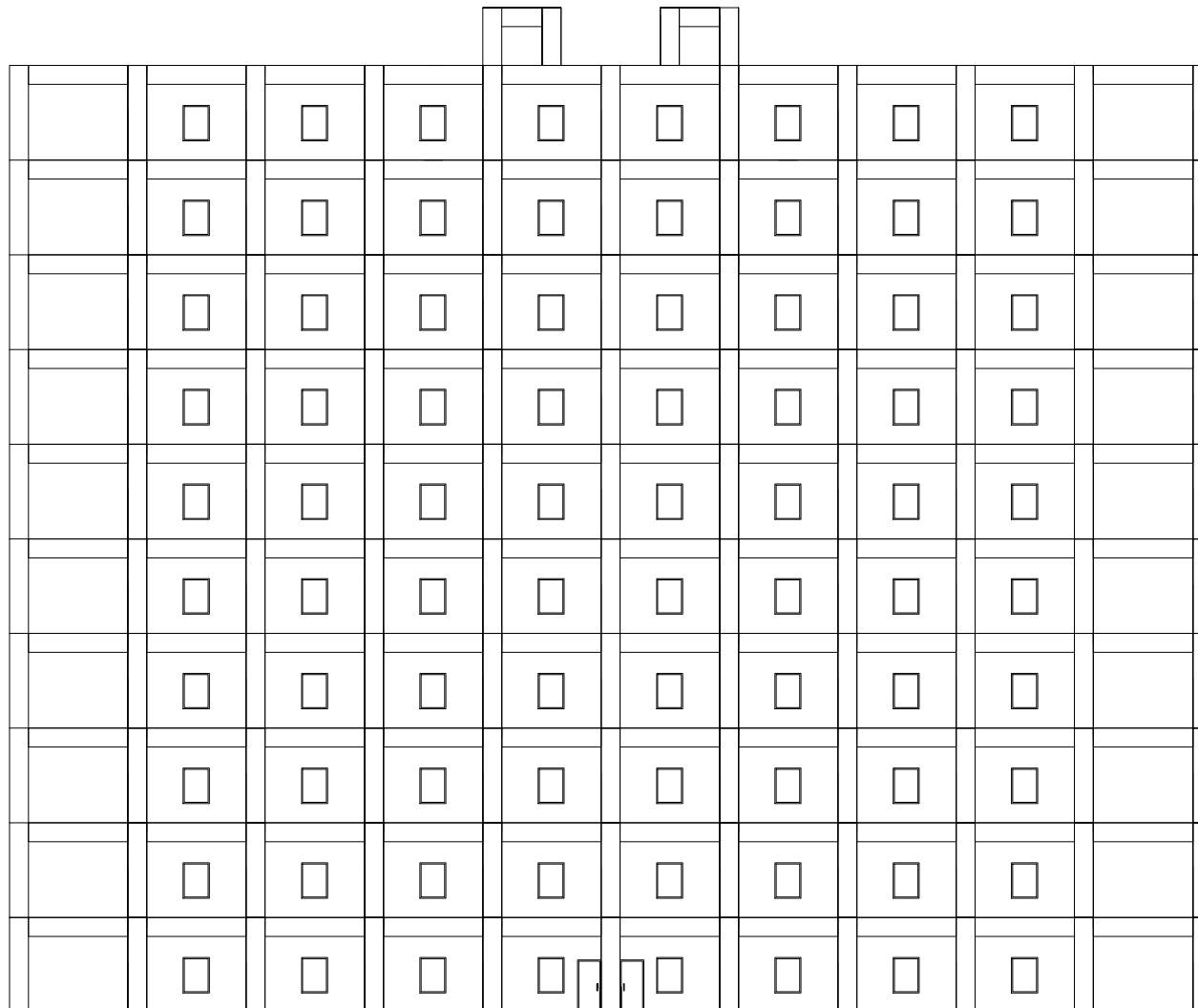
1. the method of casting process of precast concrete element is essential and should be supervised with strict quality control
2. the connection between precast concrete elements should be done as simple as possible so that the erection process can be done correctly and accordingly
3. the research of precast concrete method is needed in order to gain more efficiency in construction process

REFERENCES

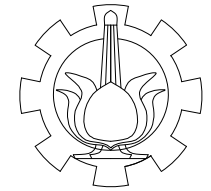
- Badan Standarisasi Nasional.** 2012. Tata Cara Perencanaan Ketahanan Gempa Untuk Bangunan Gedung (SNI 03-1726 2012). Jakarta: Badan tandarisasi Nasional.
- Badan Standarisasi Nasional.** 2013. Tata Cara Perhitungan Struktur Beton Untuk Bangunan Gedung (SNI 03-2847 2013). Surabaya: itspress.
- Badan Standarisasi Nasional.** 2013. Tata Cara Perhitungan Pembebanan Untuk Bangunan Rumah dan Gedung (SNI 03-1727 2013). Bandung: Pusat Litbang Permukiman dan Badan Litbang Departemen Pekerjaan Umum.
- Departemen Pekerjaan Umum.** 1983. Peraturan Pembebanan Indonesia Untuk Gedung 1983. Bandung: Yayasan Penyelidikan Masalah Bangunan Gedung.
- Ervianto, Wulfram I. Ir. M.T.,** 2006. Studi Implementasi Teknologi Beton Pracetak Bagi Bangunan Gedung. Yogyakarta.
- Precast Concrete Institute.** 2004. PCI Design Handbook Precast and Prestress Concrete 6th Edition. Chicago: Illinois.
- Wahyudi, Herman.** 1999. Daya Dukung Pondasi Dalam. Institut Teknologi Sepuluh Nopember. Surabaya.

This page is intentionally left blank

ENCLOSURES



FRONT SIDE OF BUILDING
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

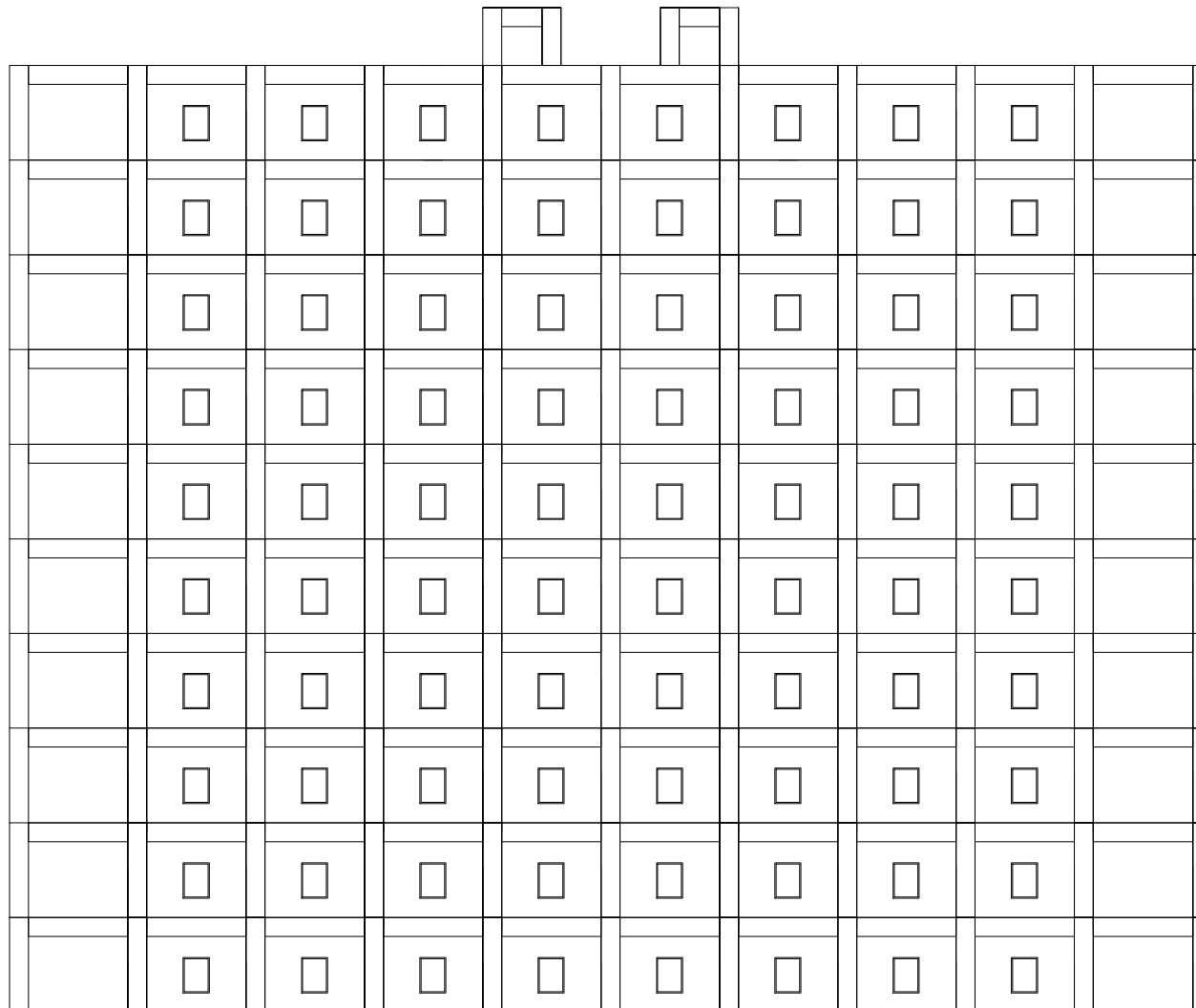
3112100025


NUMBER

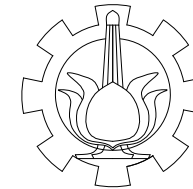
TOTAL

1

61




 BACK SIDE OF BUILDING
 SCALE 1:100



DEPARTEMEN OF CIVIL
 ENGINEERING
 FACULTY OF CIVIL ENGINEERING
 AND PLANNING
 TENTH OF NOVEMBER INSTITUTE
 OF TECHNOLOGY SURABAYA
 2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

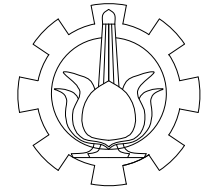
3112100025

NUMBER

TOTAL

2

61



DEPARTEMENT OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

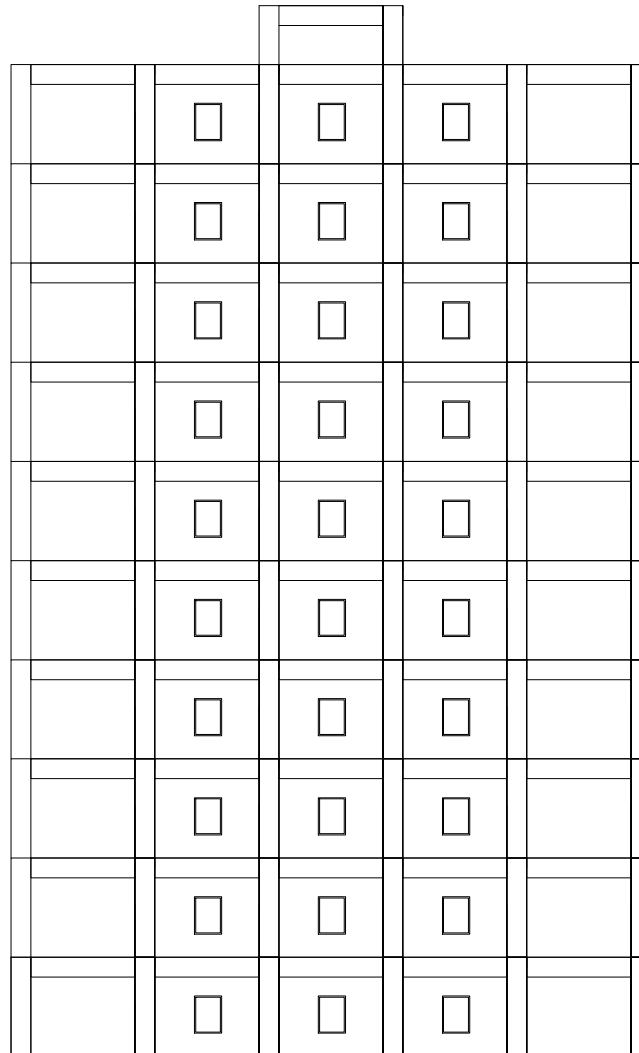
3112100025


NUMBER

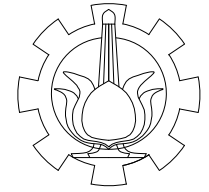
3

TOTAL

61



 LEFT SIDE OF BUILDING
SCALE 1:100



DEPARTEMENT OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

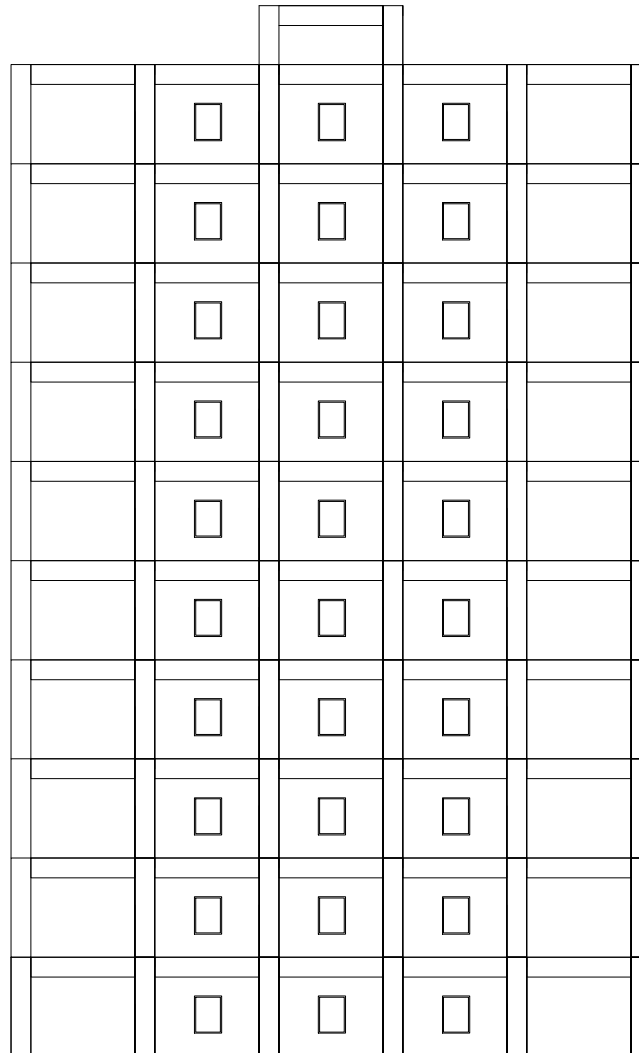
3112100025


NUMBER

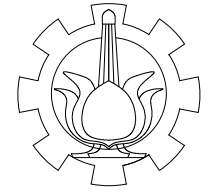
4

TOTAL

61



 RIGHT SIDE OF BUILDING
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

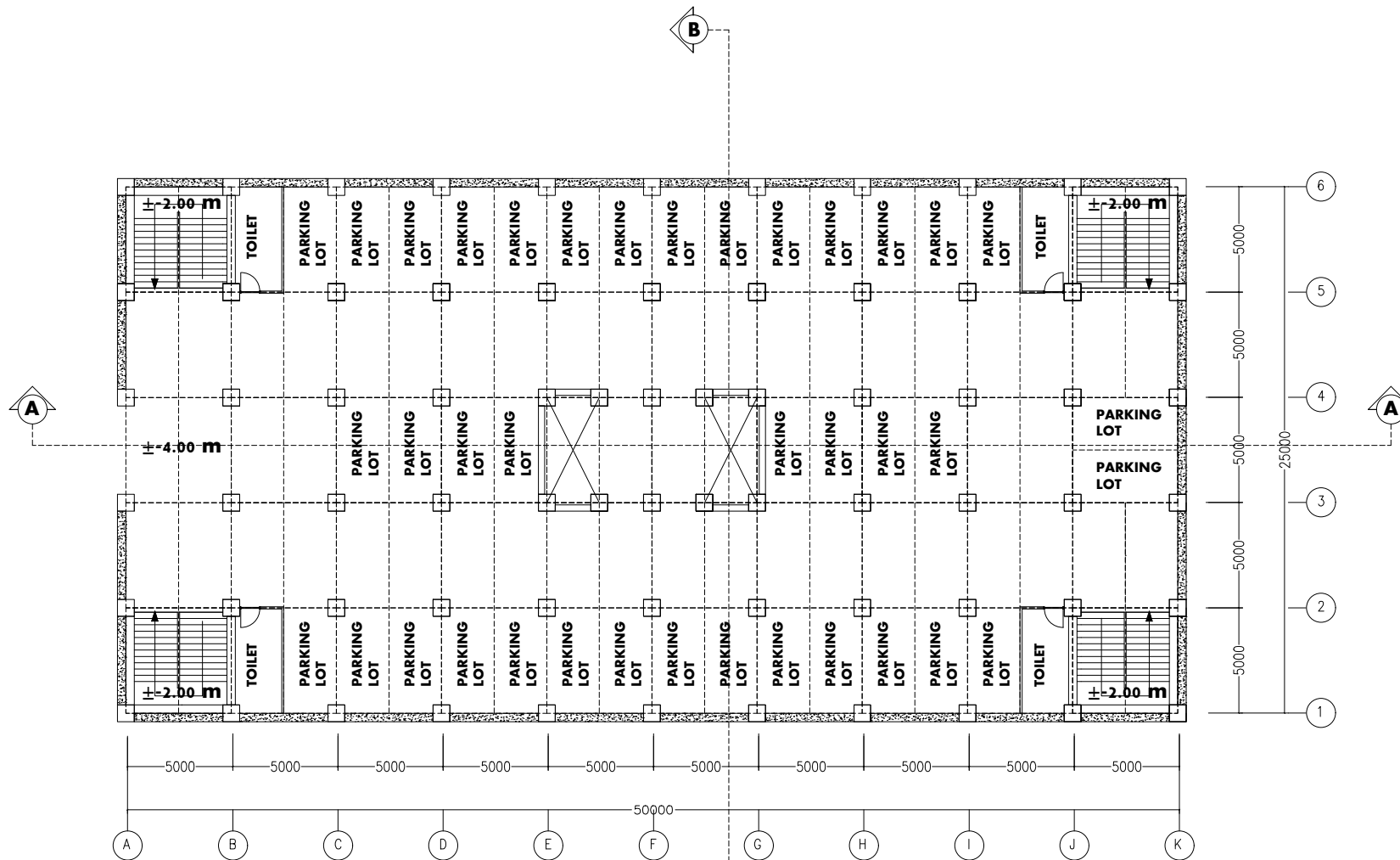
3112100025

NUMBER

5

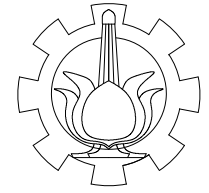
TOTAL

61



ARCHITECTURAL BLUEPRINT FOR LOWER GROUND (BASEMENT) FLOOR

SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

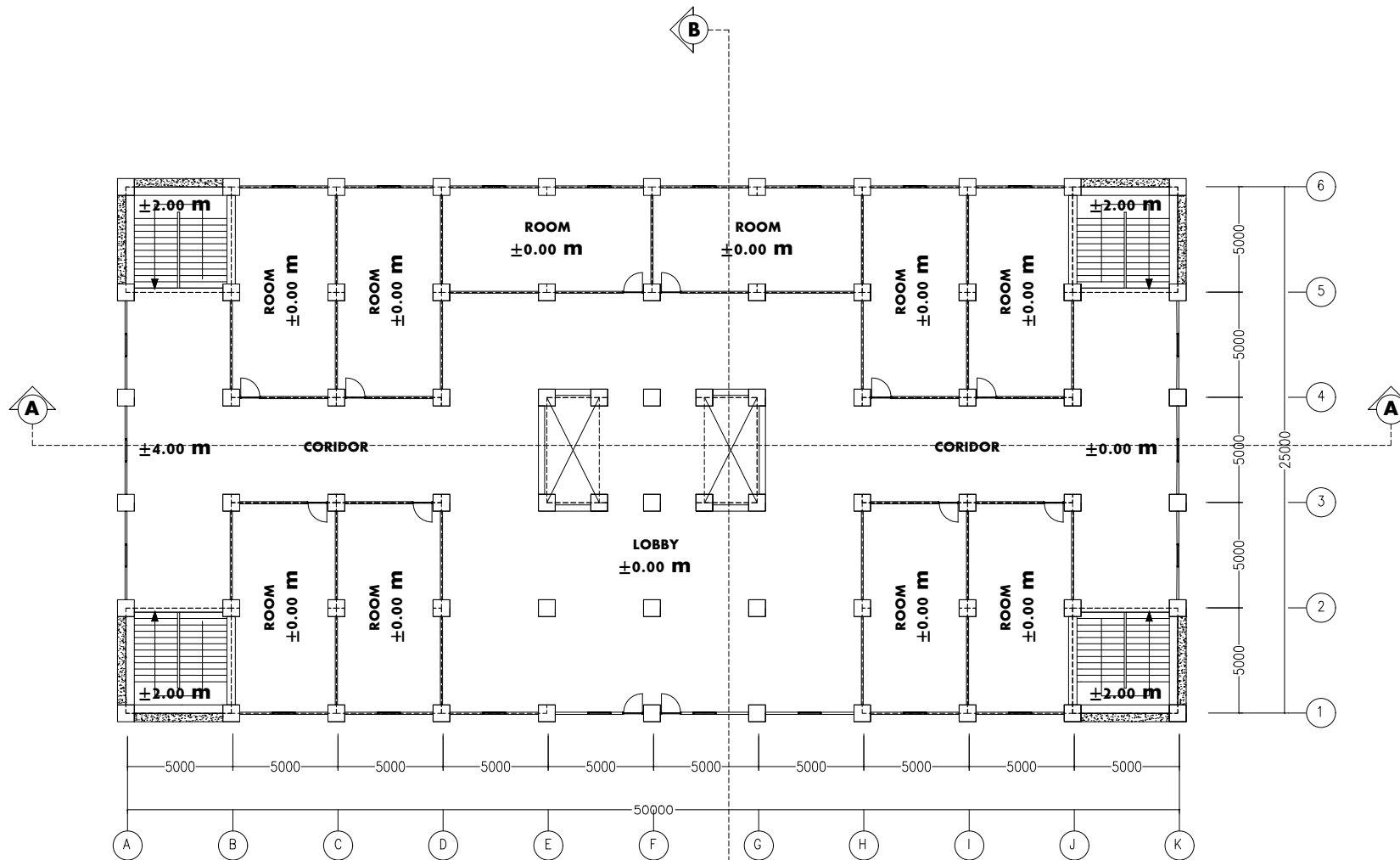
3112100025

NUMBER

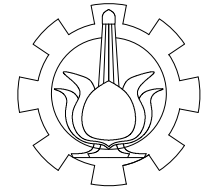
TOTAL

6

61



ARCHITECTURAL BLUEPRINT FOR GROUND FLOOR
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

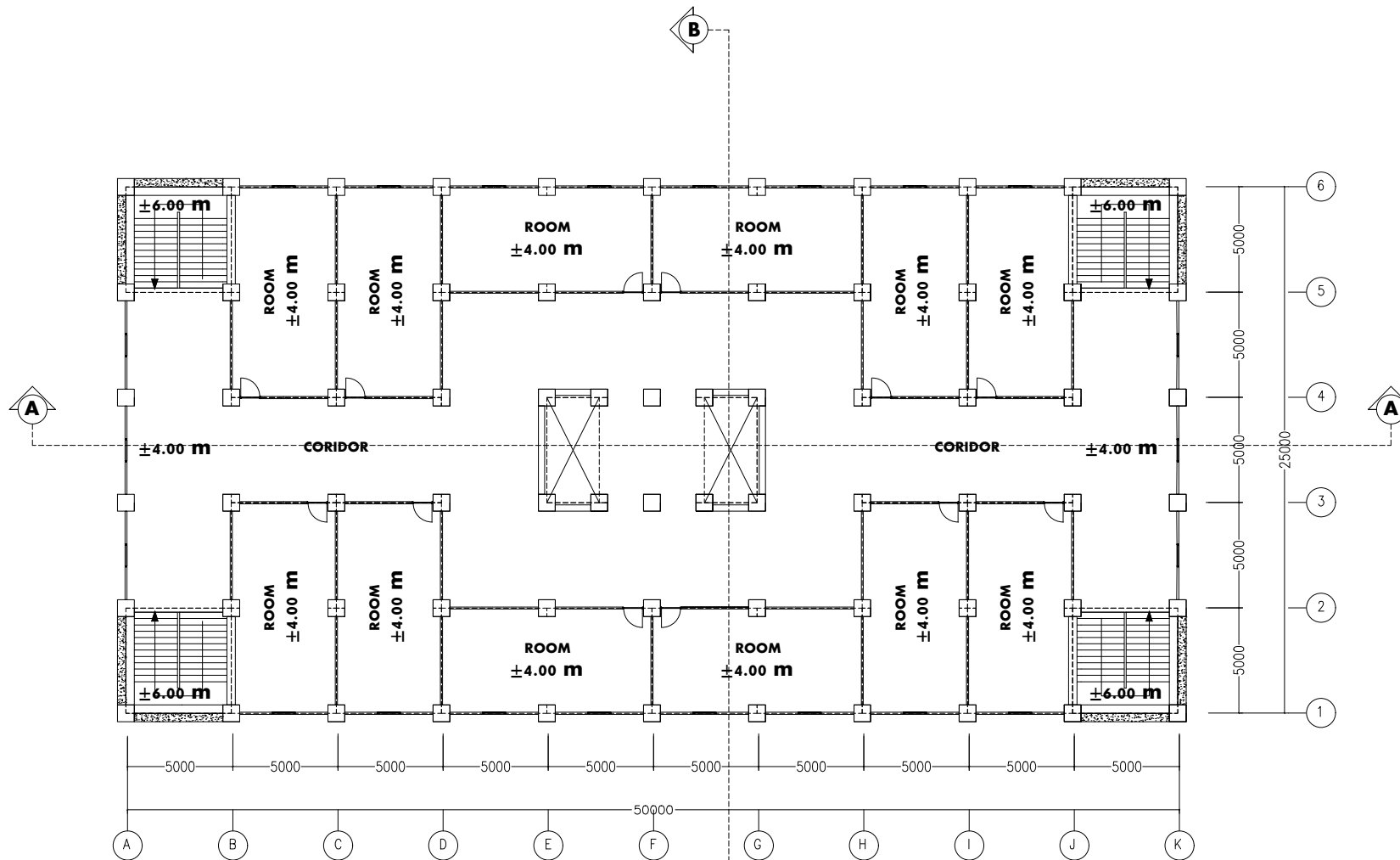
3112100025

NUMBER

TOTAL

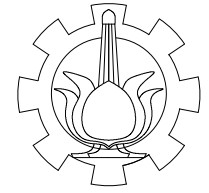
7

61



ARCHITECTURAL BLUEPRINT FOR 1ST, 2ND, 3RD, 4TH, 5TH, 6TH, 7TH, 8TH, 9TH FLOOR

SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

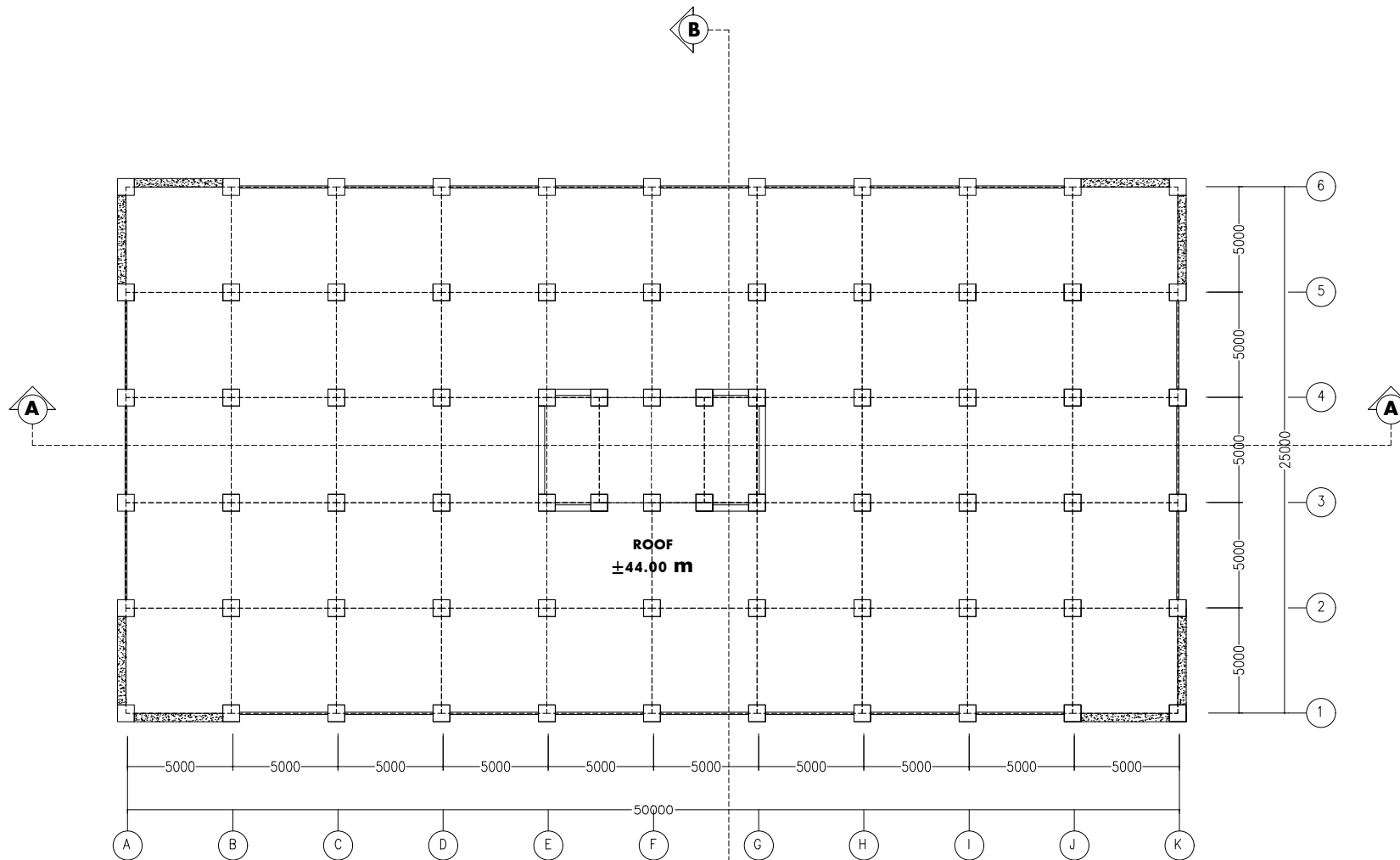
3112100025

NUMBER

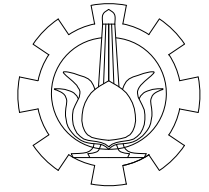
TOTAL

8

61



ARCHITECTURAL BLUEPRINT FOR ROOF
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

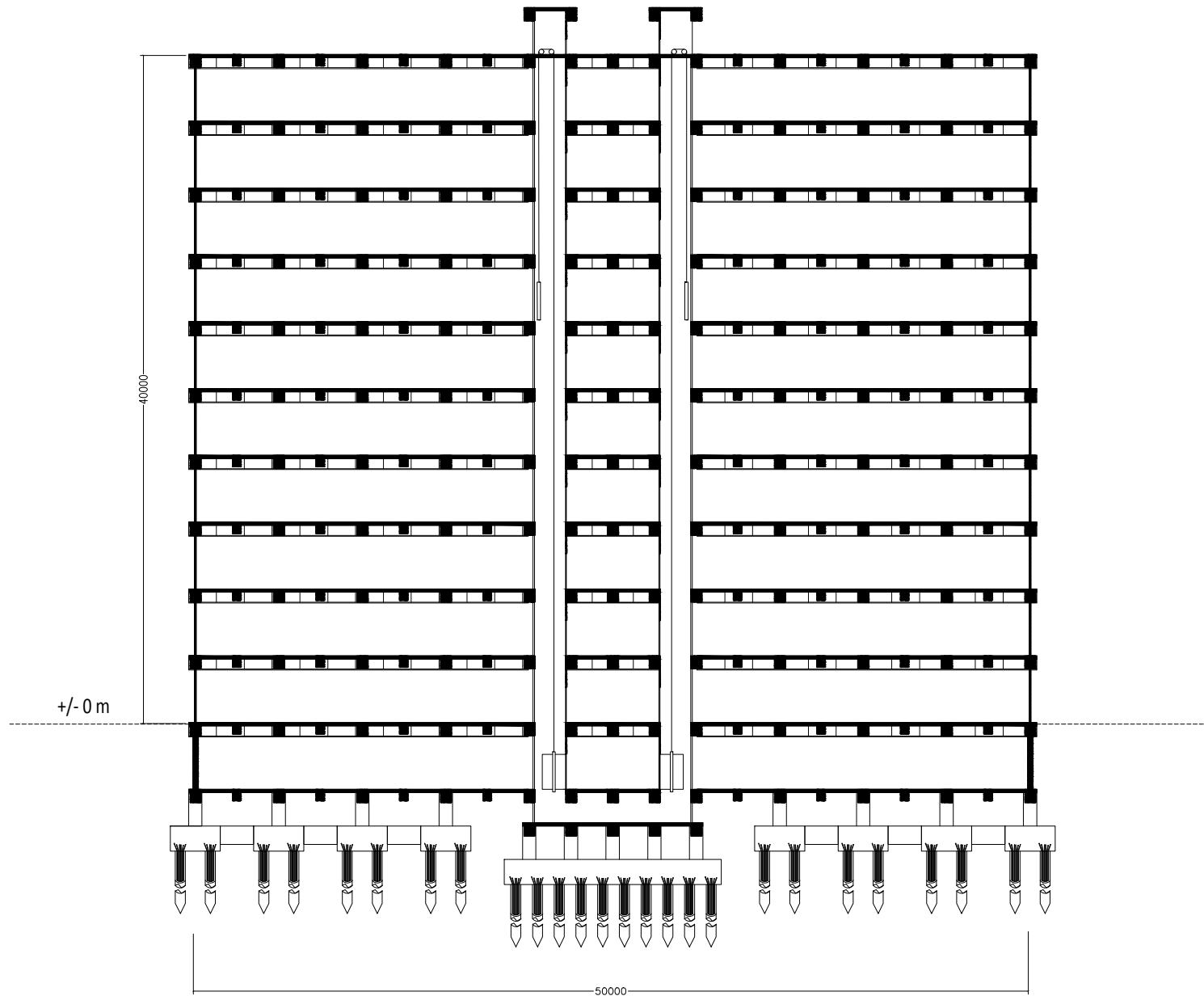
3112100025

NUMBER

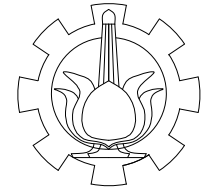
9

TOTAL

61



SECTION A-A
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

ARCHITECTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

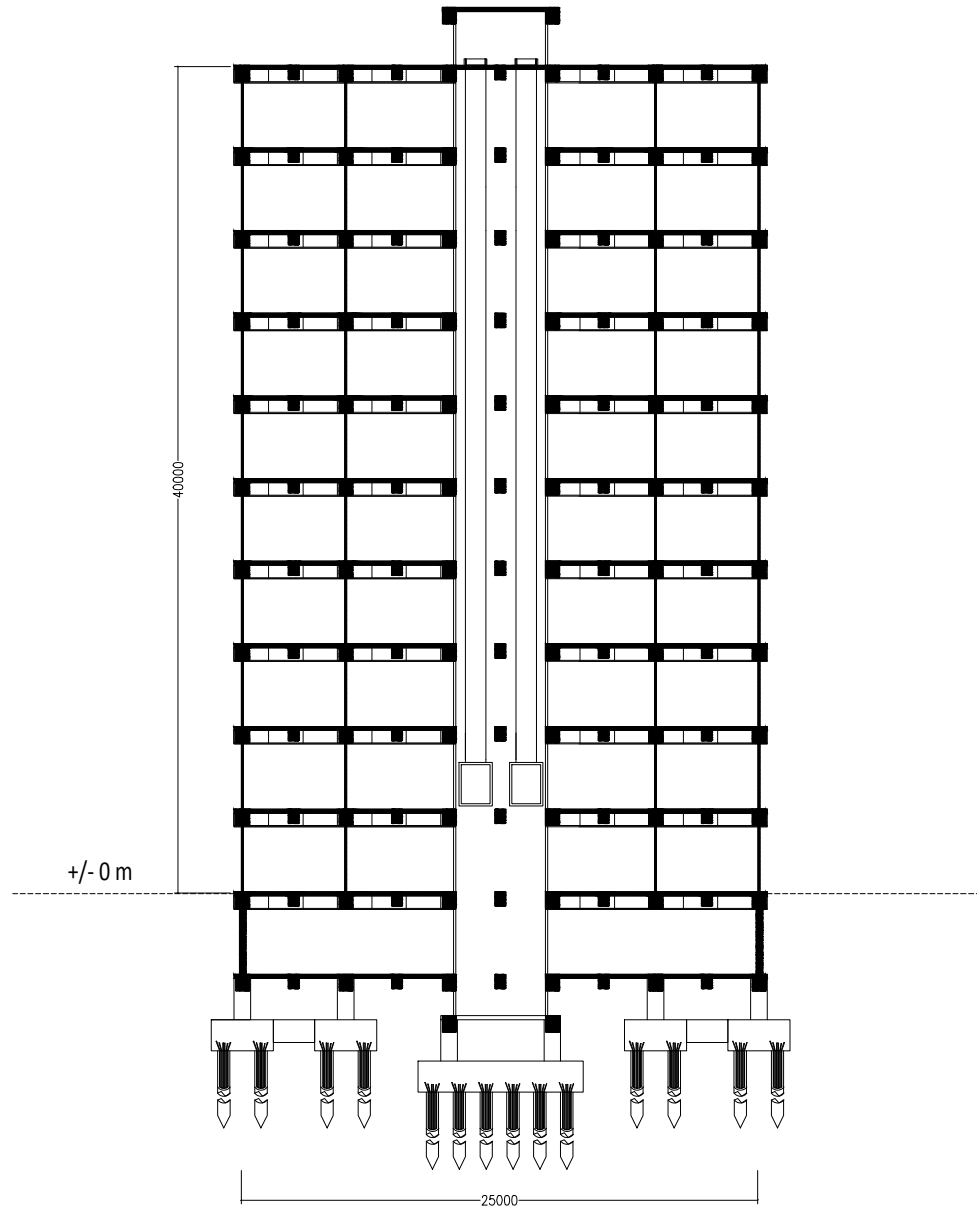
3112100025

NUMBER

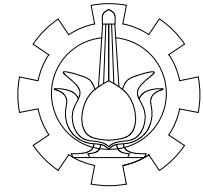
TOTAL

10

61



SECTION B-B
SCALE 1:100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

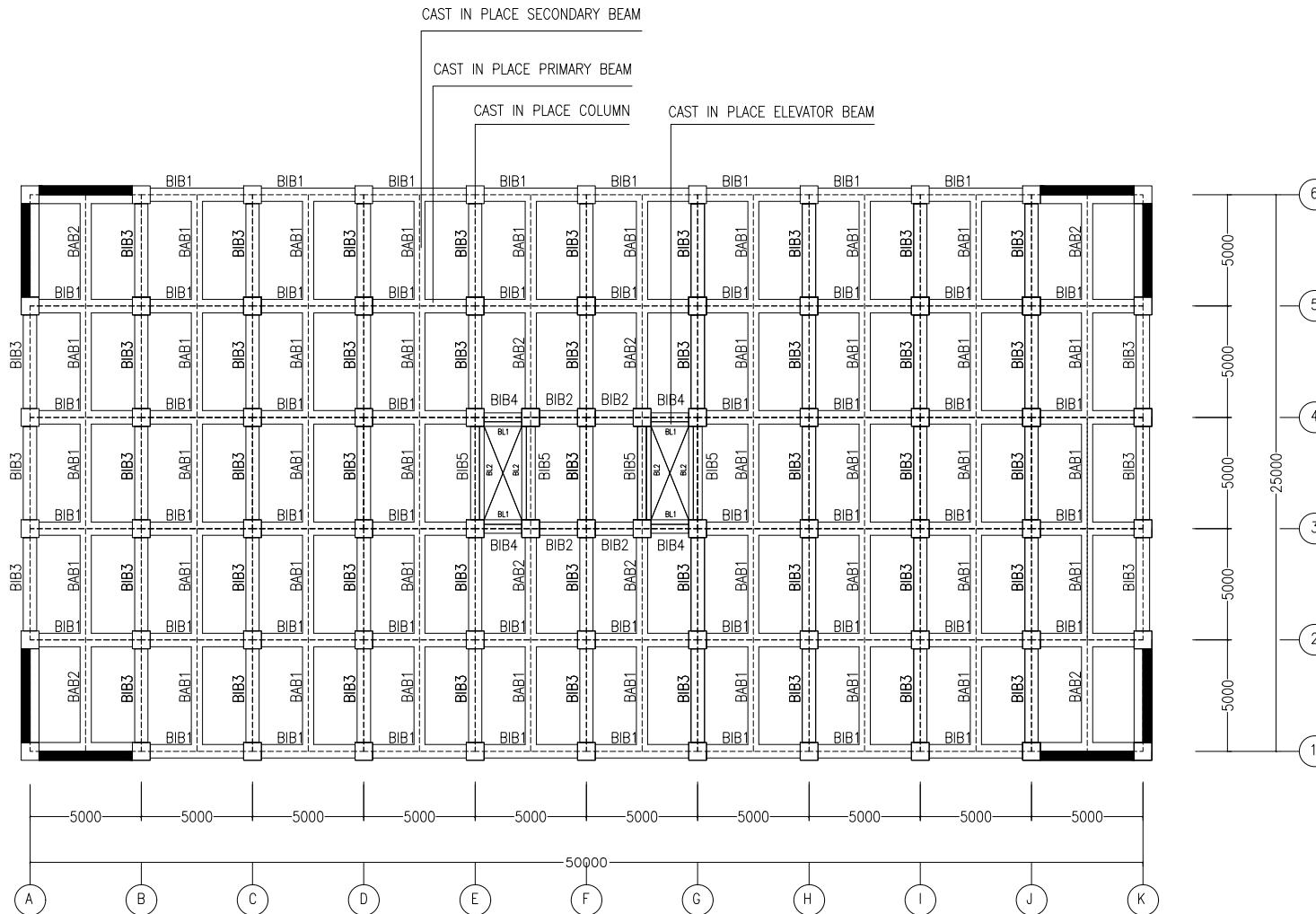
3112100025

NUMBER

11

TOTAL

61

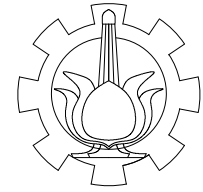


BEAM DESIGNING BLUEPRINT FOR LOWER GROUND (BASEMENT) FLOOR

SCALE 1:100

LEGEND

BEAM STRUCTURE	DIMENSION		
	b	h	L
BIB1	650	800	5000
BIB2	650	800	2500
BIB3	650	800	5000
BIB4	400	800	2500
BIB5	400	800	5000
BAB1	500	700	5000
BAB2	500	700	5000



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

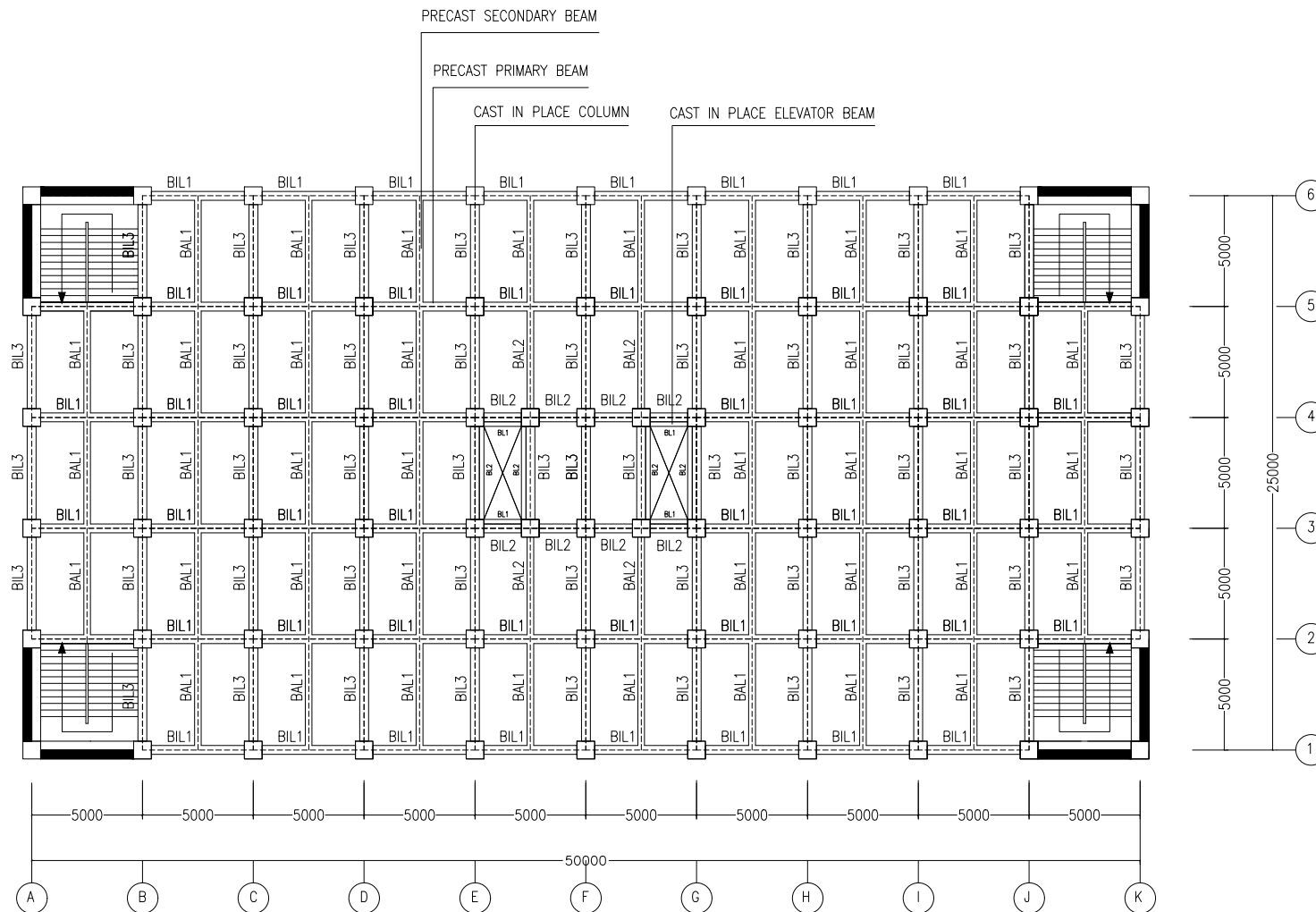
3112100025

NUMBER

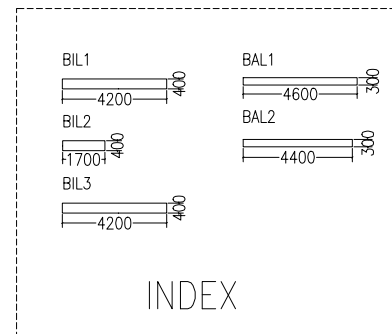
12

TOTAL

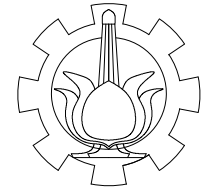
61



BEAM DESIGNING BLUEPRINT FOR GROUND, 1ST, 2ND, 3RD, 4TH, 5TH, 6TH, 7TH, 8TH, 9TH FLOOR
SCALE 1:100



BEAM STRUCTURE	DIMENSION		
	b	h	L
BIL1	400	650	4200
BIL2	400	650	1700
BIL3	400	650	4200
BAL1	300	450	4600
BAL2	300	450	4400
BL1	200	650	1700
BL2	200	650	4200



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

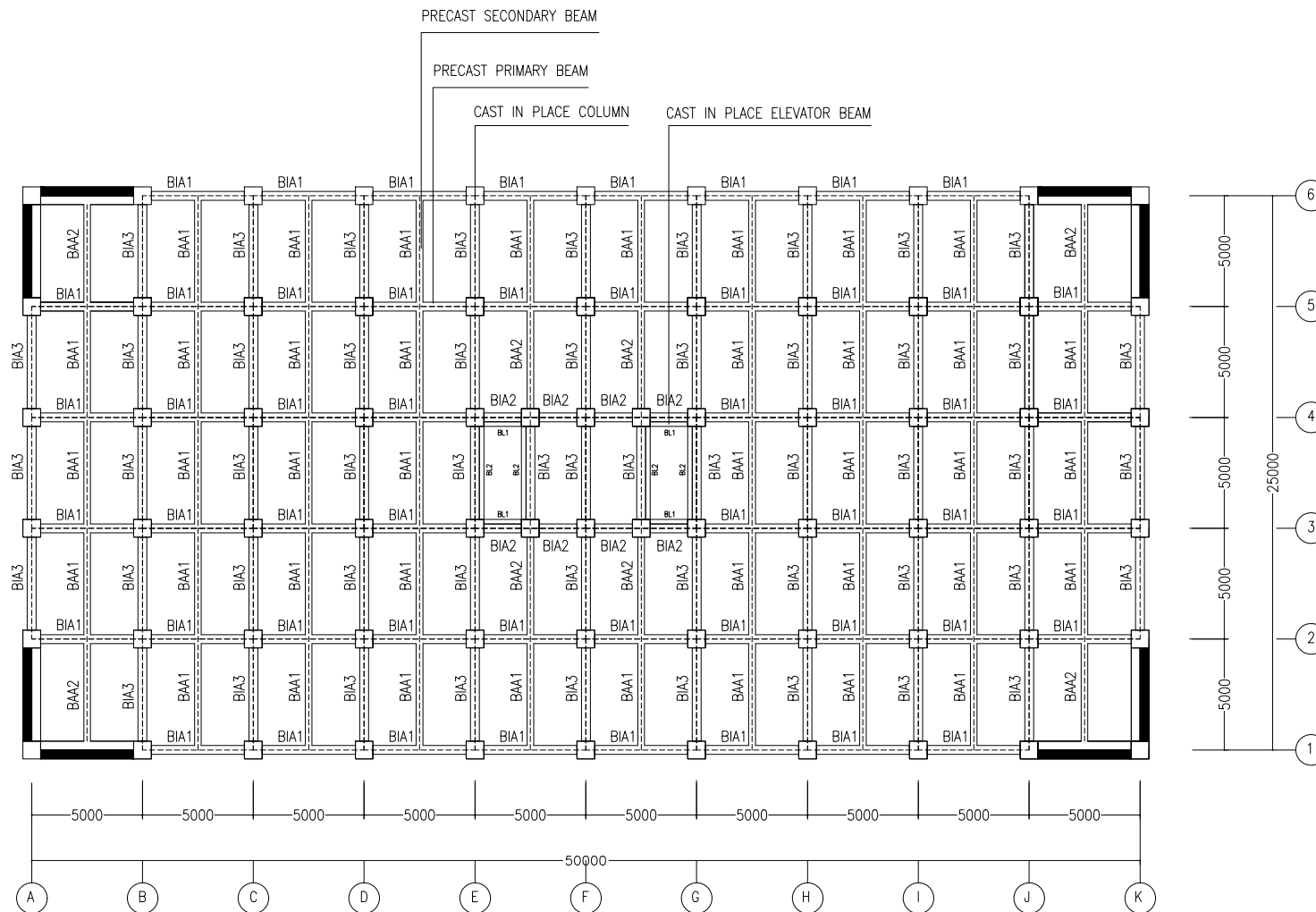
3112100025

NUMBER

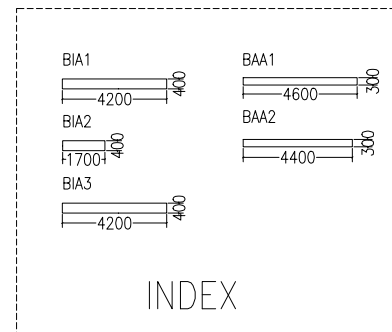
13

TOTAL

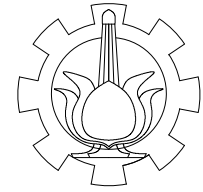
61



BEAM DESIGNING BLUEPRINT FOR ROOF
SCALE 1:100



BEAM STRUCTURE	DIMENSION		
	b	h	L
BIA1	400	650	4200
BIA2	400	650	1700
BIA3	400	650	4200
BAA1	300	450	4600
BAA2	300	450	4400
BL1	200	650	1700
BL2	200	650	4200



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

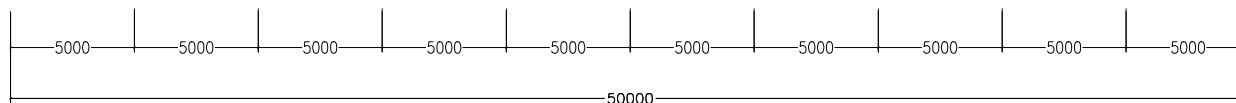
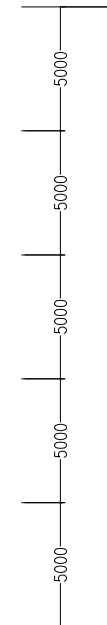
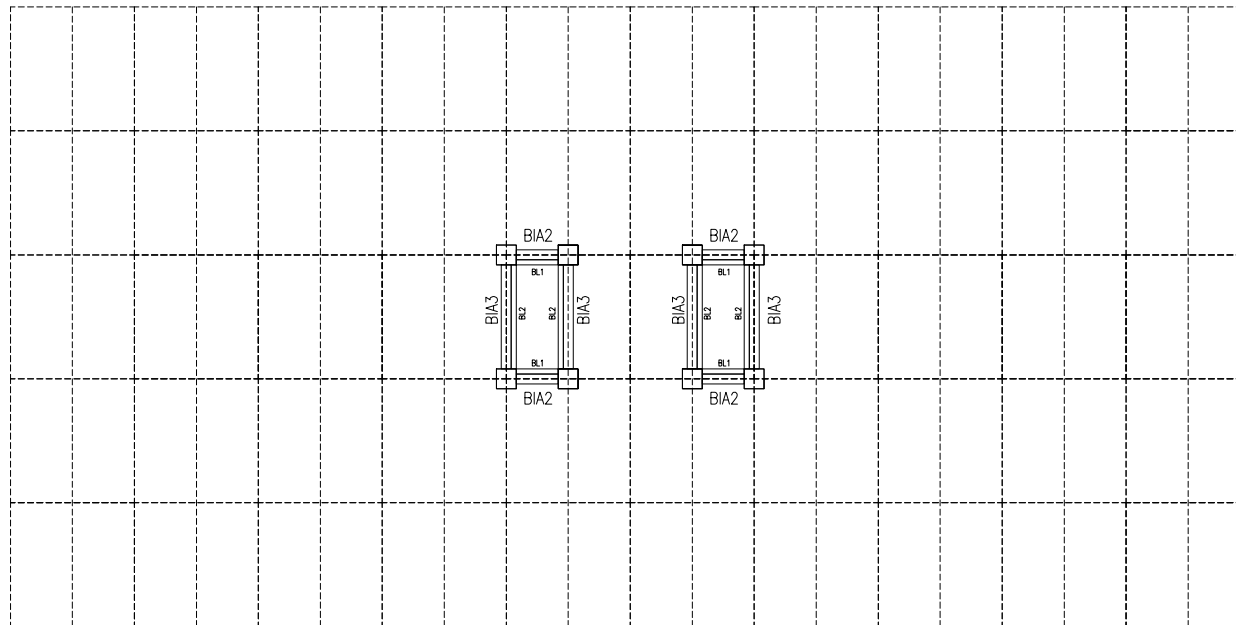
3112100025

NUMBER

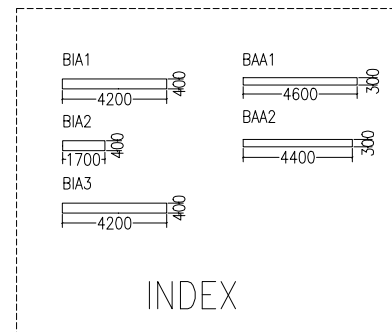
14

TOTAL

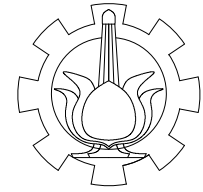
61



 **BEAM DESIGNING BLUEPRINT FOR ROOF (ELEVATOR)**
SCALE 1:100



BEAM STRUCTURE	DIMENSION		
	b	h	L
BIA1	400	650	4200
BIA2	400	650	1700
BIA3	400	650	4200
BL1	200	650	1700
BL2	200	650	4200



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

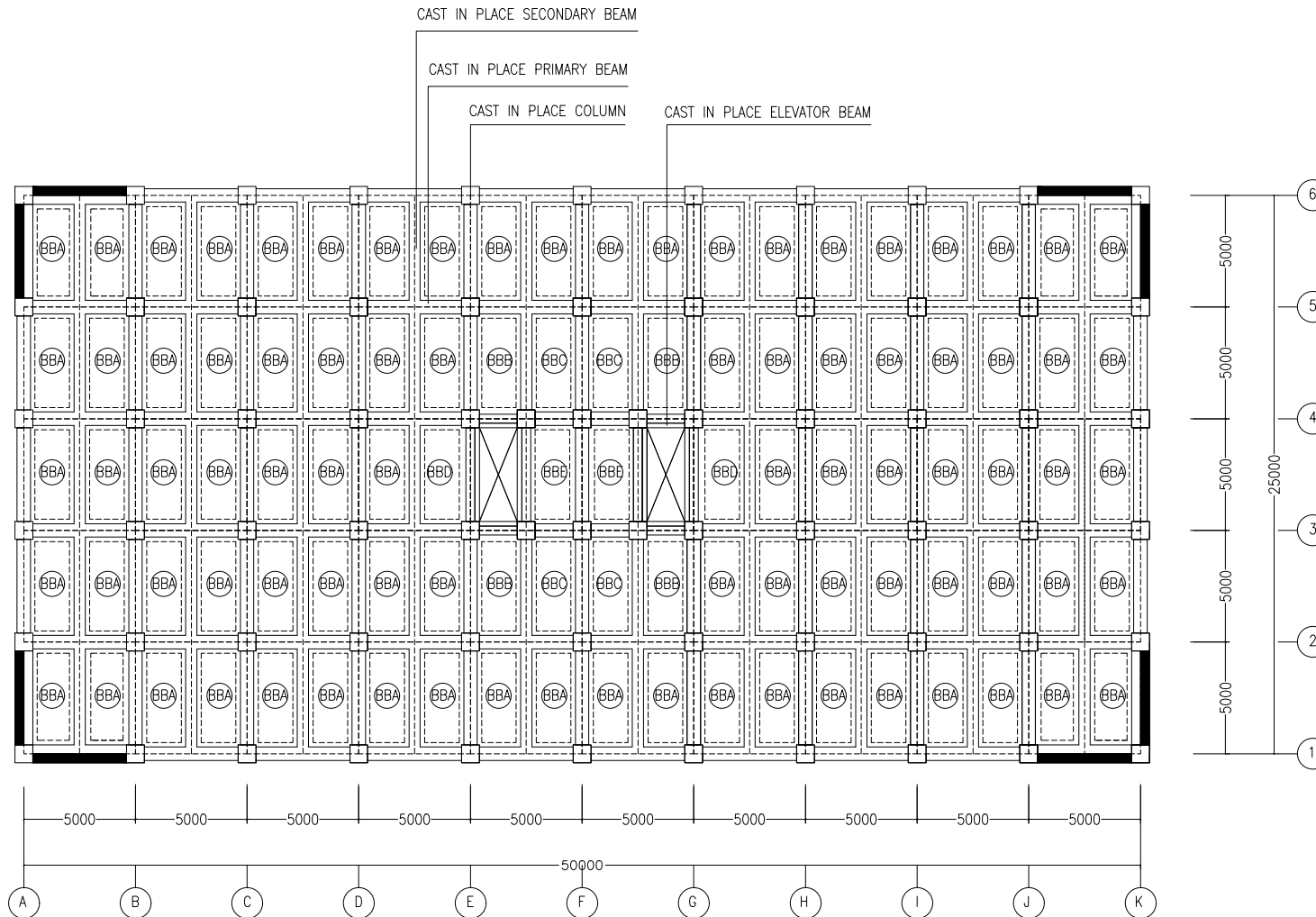
3112100025

NUMBER

TOTAL

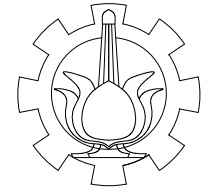
15

61



SLAB DESIGNING BLUEPRINT FOR LOWER GROUND (BASEMENT) FLOOR
SCALE 1:100

LEGEND			
SLAB STRUCTURE	DIMENSION		
	P	L	t
BBA	5000	2500	200
BBB	5000	2500	200
BBC	5000	2500	200
BBD	5000	2500	200
BBE	5000	2500	200



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

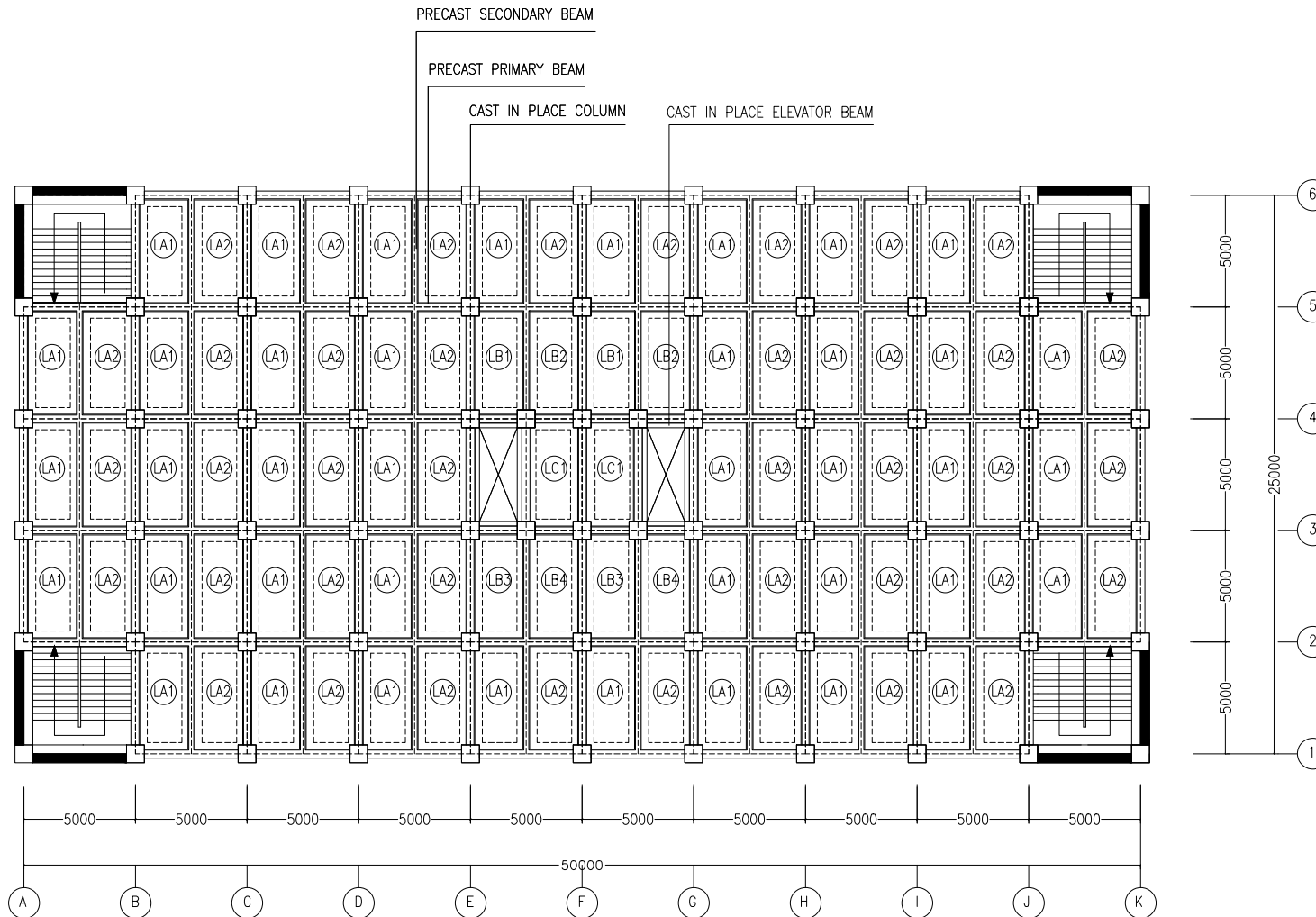
3112100025

NUMBER

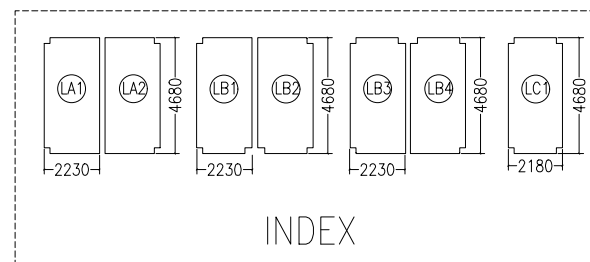
16

TOTAL

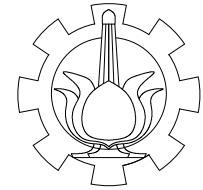
61



SLAB DESIGNING BLUEPRINT FOR GROUND, 1ST, 2ND, 3RD, 4TH, 5TH, 6TH, 7TH, 8TH, 9TH FLOOR
SCALE 1:100



SLAB STRUCTURE	DIMENSION		
	P	L	t
LA1	4680	2230	100
LA2	4680	2230	100
LB1	4680	2230	100
LB2	4680	2230	100
LB3	4680	2230	100
LB4	4680	2230	100
LC1	4680	2230	100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

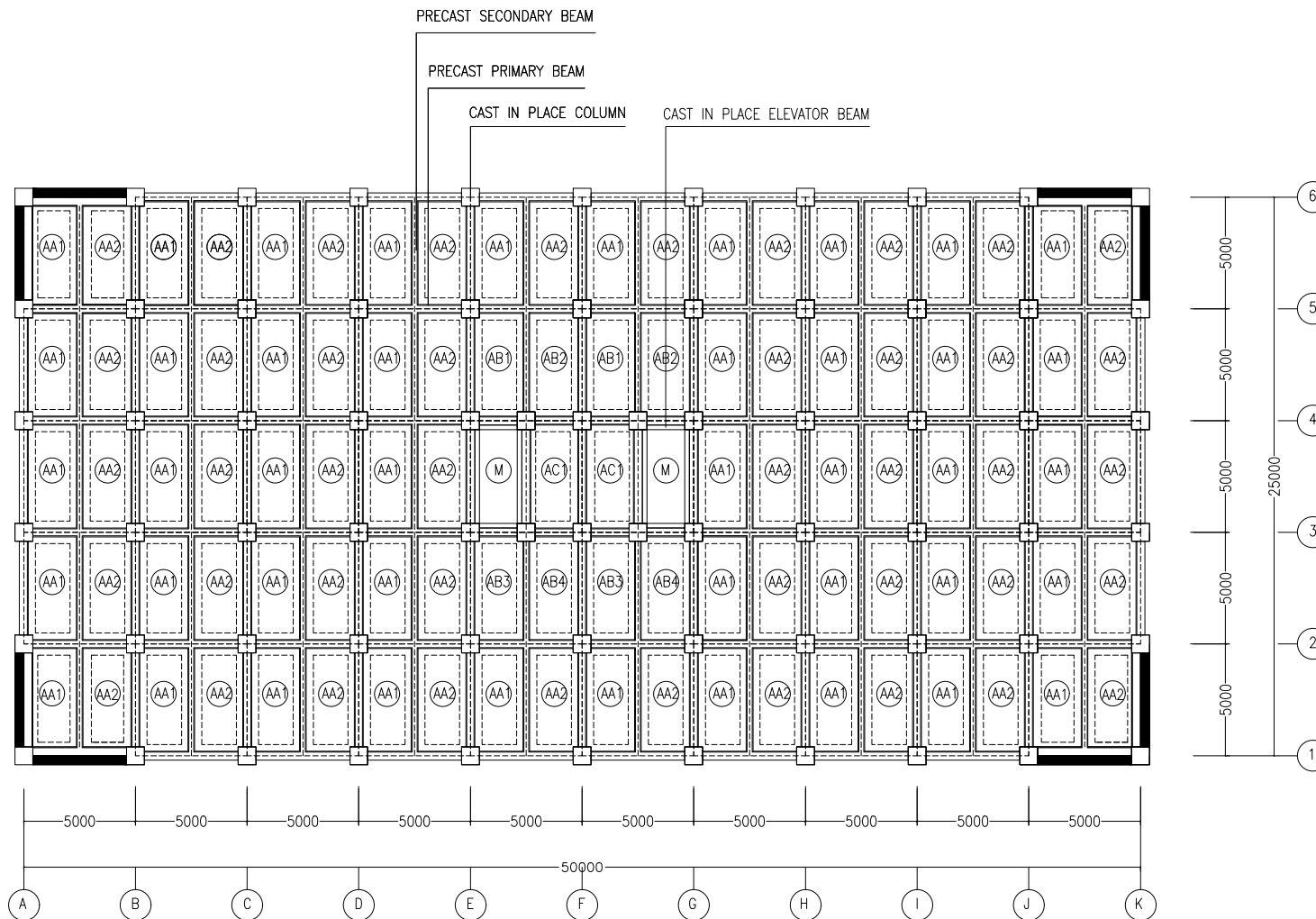
3112100025

NUMBER

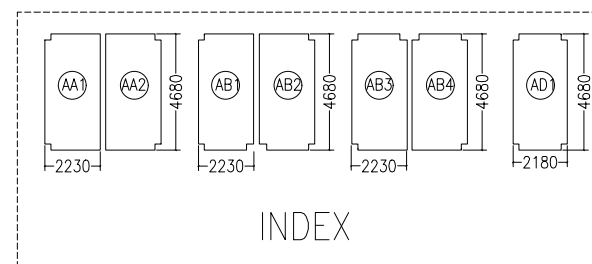
17

TOTAL

61

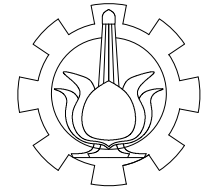


SLAB DESIGNING BLUEPRINT FOR ROOF
SCALE 1:100



LEGEND

SLAB STRUCTURE	DIMENSION		
	P	L	t
AA1	4680	2230	90
AA2	4680	2230	90
AB1	4680	2230	90
AB2	4680	2230	90
AB3	4680	2230	90
AB4	4680	2230	90
AC1	4680	2230	90



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

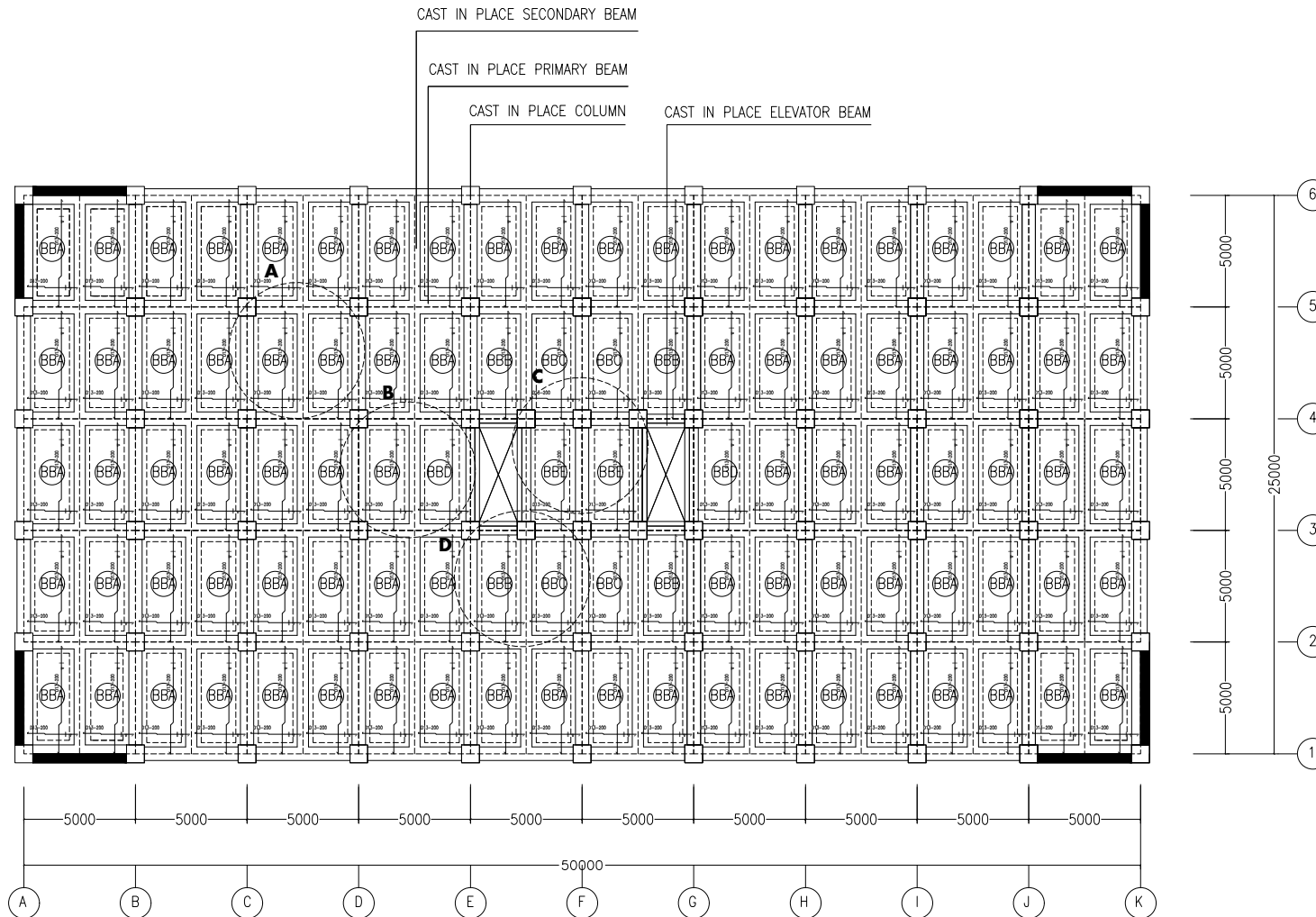
3112100025

NUMBER

19

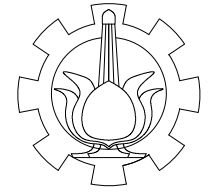
TOTAL

61



SLAB REINFORCEMENT BLUEPRINT FOR LOWER GROUND (BASEMENT) FLOOR
SCALE 1:100

LEGEND			
SLAB STRUCTURE	DIMENSION		
	P	L	t
BBA	5000	2500	200
BBB	5000	2500	200
BBC	5000	2500	200
BBD	5000	2500	200
BBE	5000	2500	200



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

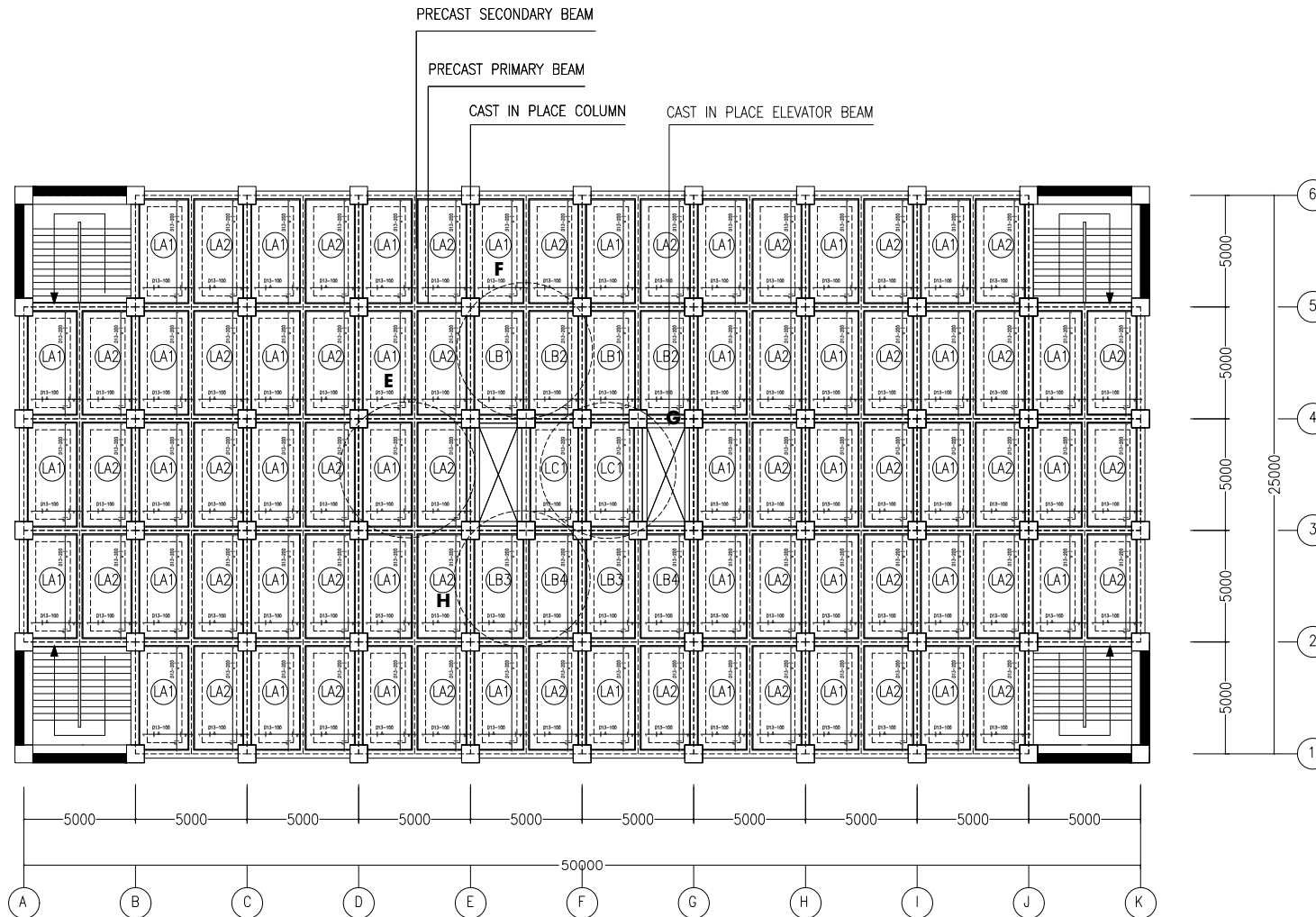
3112100025

NUMBER

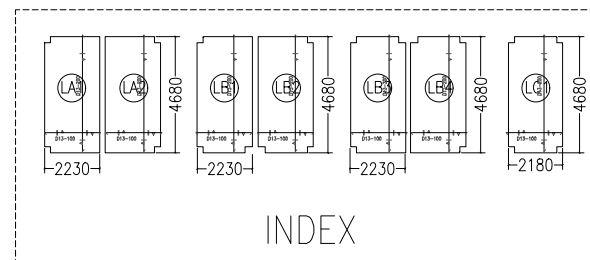
20

TOTAL

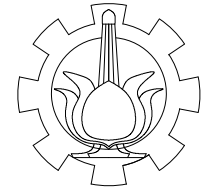
61



SLAB REINFORCEMENT BLUEPRINT FOR GROUND, 1ST, 2ND, 3RD, 4TH, 5TH, 6TH, 7TH, 8TH, 9TH FLOOR
SCALE 1:100



SLAB STRUCTURE	DIMENSION		
	P	L	t
LA1	4680	2230	100
LA2	4680	2230	100
LB1	4680	2230	100
LB2	4680	2230	100
LB3	4680	2230	100
LB4	4680	2230	100
LC1	4680	2230	100



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

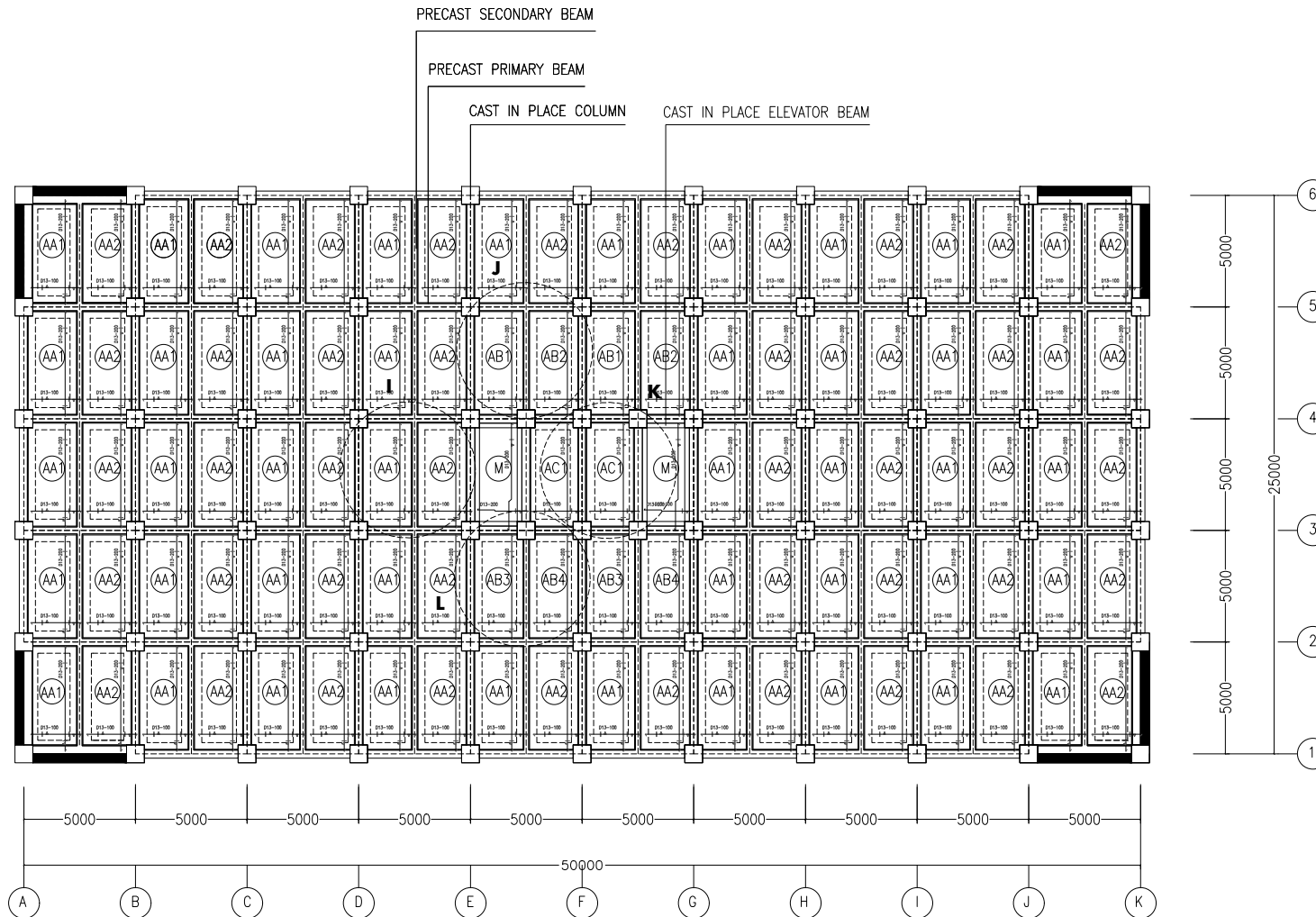
3112100025

NUMBER

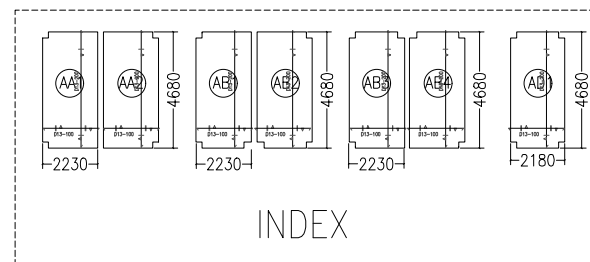
21

TOTAL

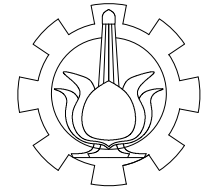
61



SLAB REINFORCEMENT BLUEPRINT FOR ROOF
SCALE 1:100



SLAB STRUCTURE	DIMENSION		
	P	L	t
AA1	4680	2230	90
AA2	4680	2230	90
AB1	4680	2230	90
AB2	4680	2230	90
AB3	4680	2230	90
AB4	4680	2230	90
AC1	4680	2230	90



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:30

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

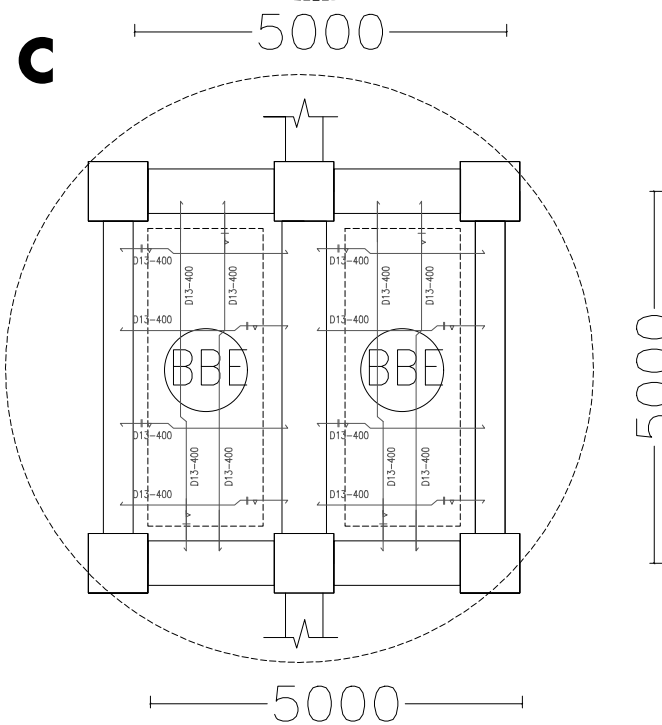
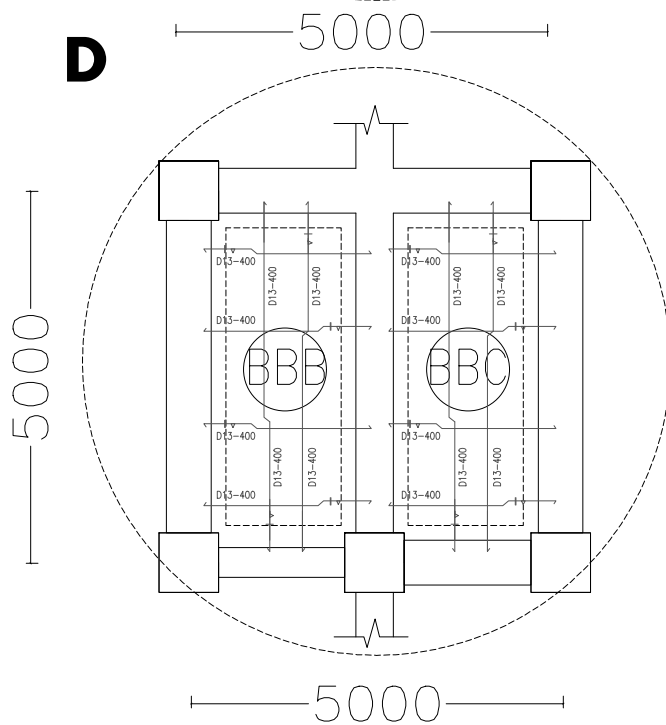
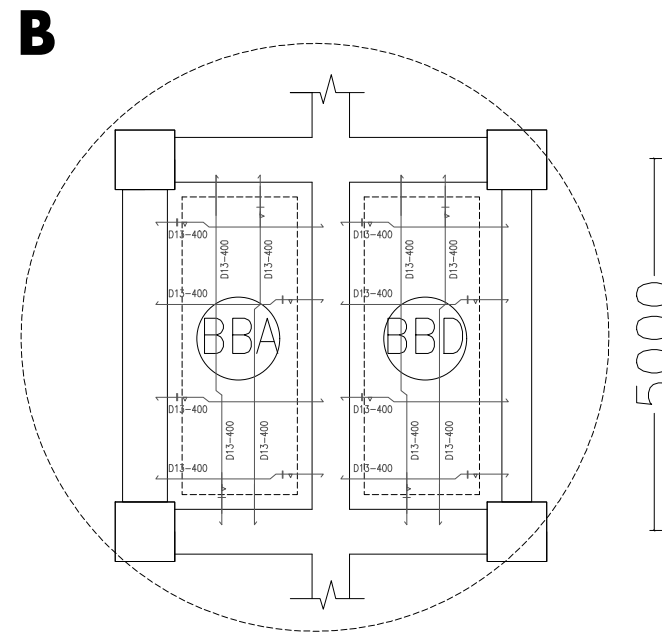
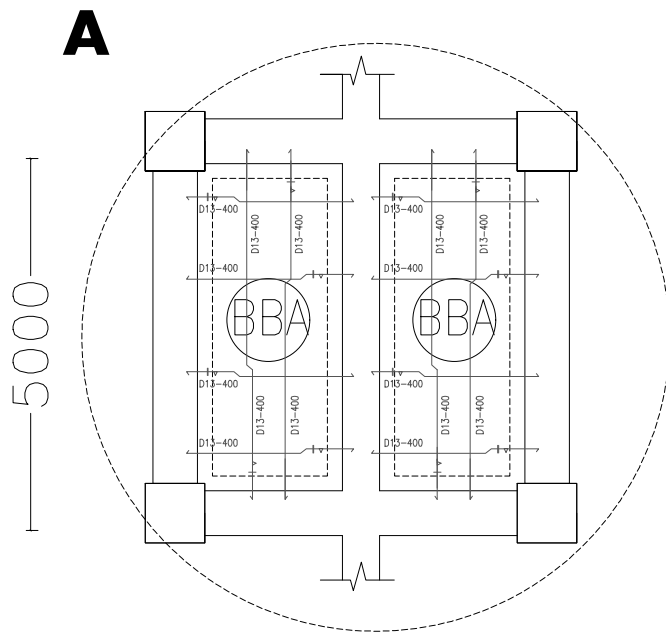
3112100025

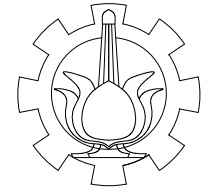
NUMBER

23

TOTAL

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:30

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

3112100025

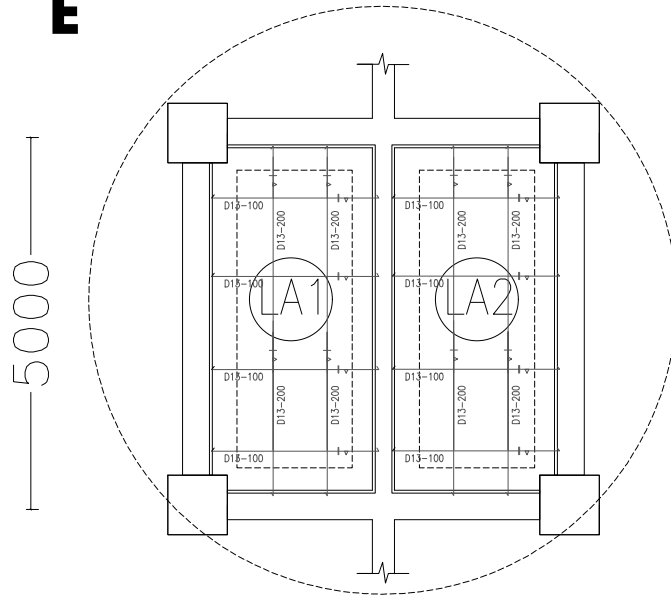
NUMBER

24

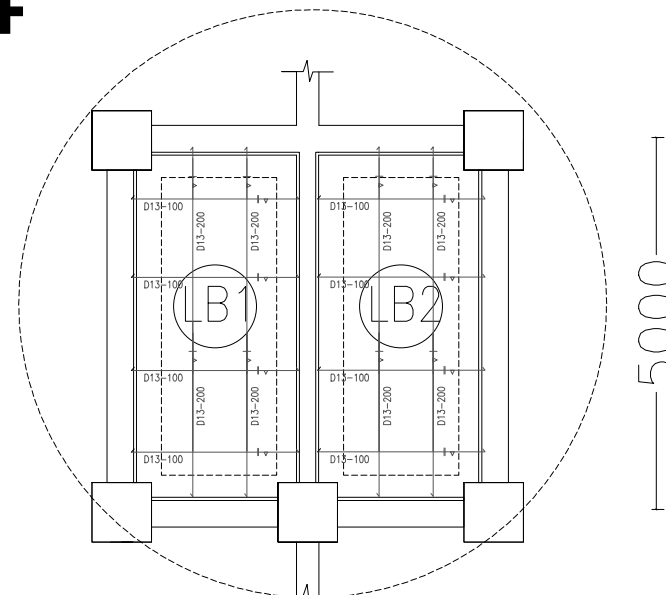
TOTAL

61

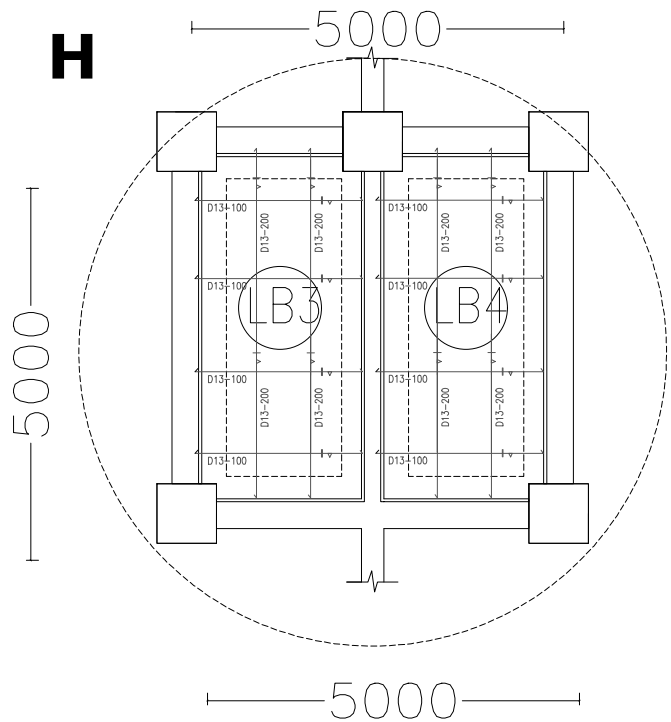
E



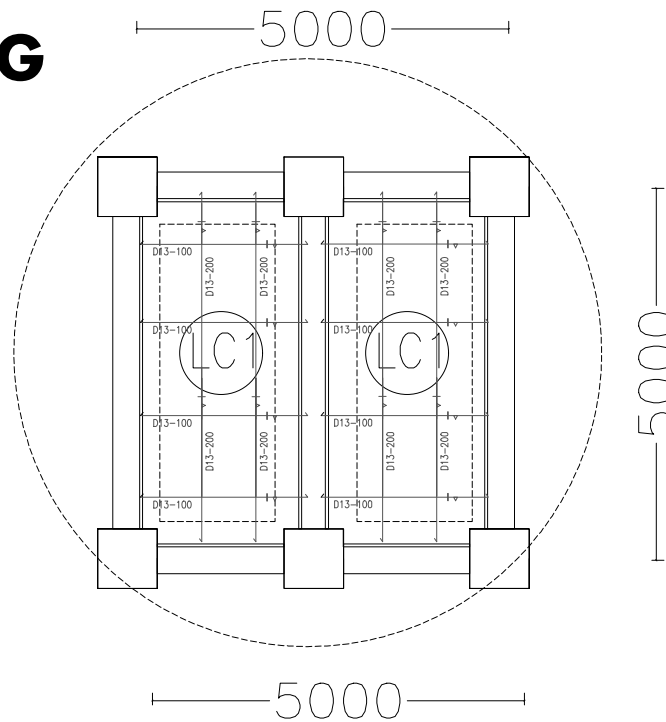
F

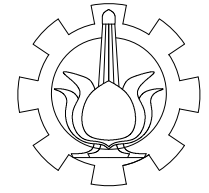


H



G





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:30

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

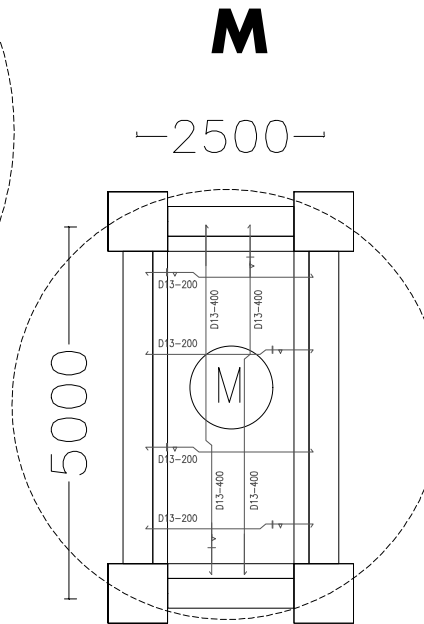
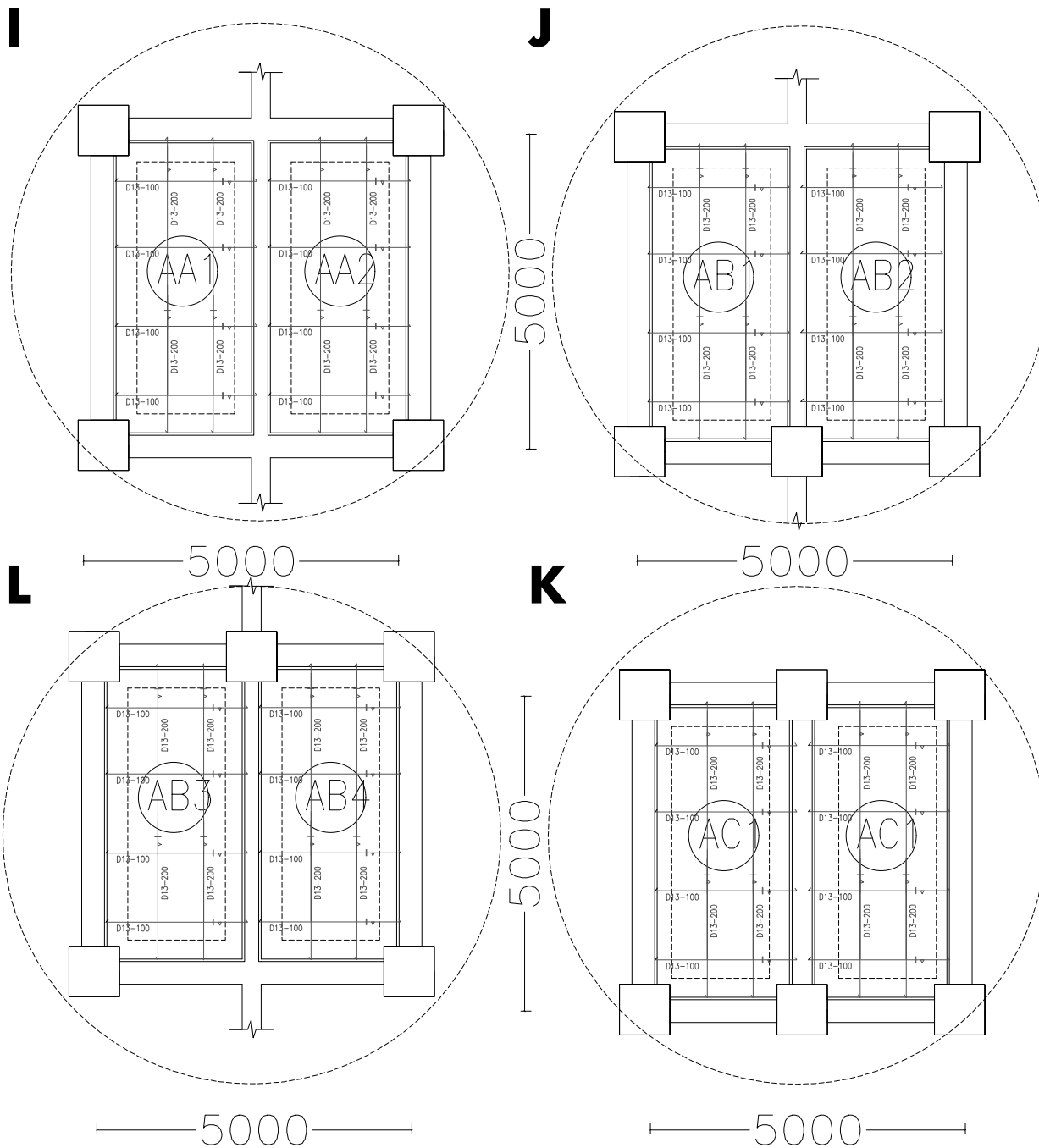
3112100025

NUMBER

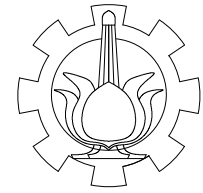
25

TOTAL

61



SECTION DETAILING OF SLAB FOR ROOF
SCALE 1:30



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

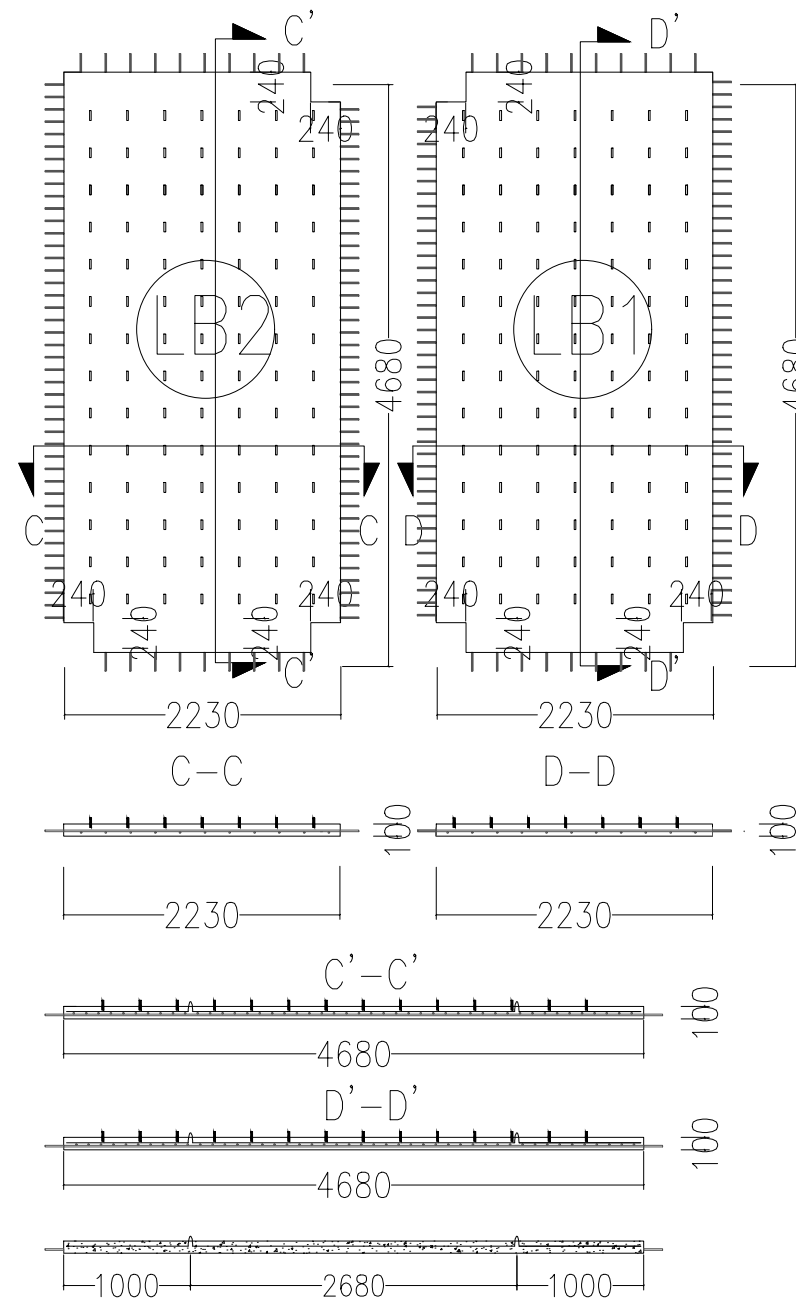
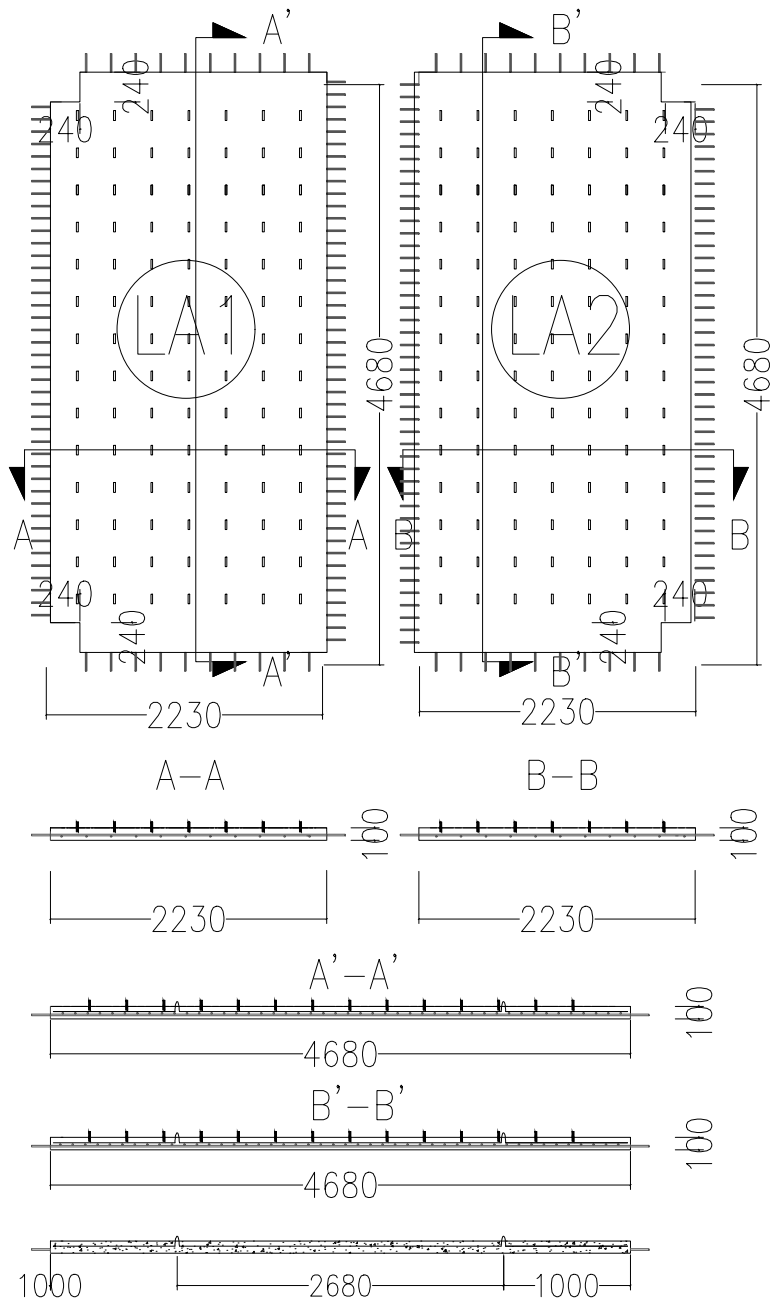
3112100025

NUMBER

26

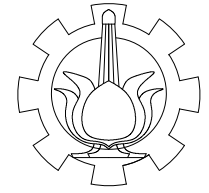
TOTAL

61



PRECAST SLAB DESIGNING DETAIL BLUEPRINT FOR LA1, LA2, LB1, LB2 (BEFORE MONOLITH CONDITION)
SCALE 1:20

SHEAR CONECTOR DETAILING
SCALE 1:5



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

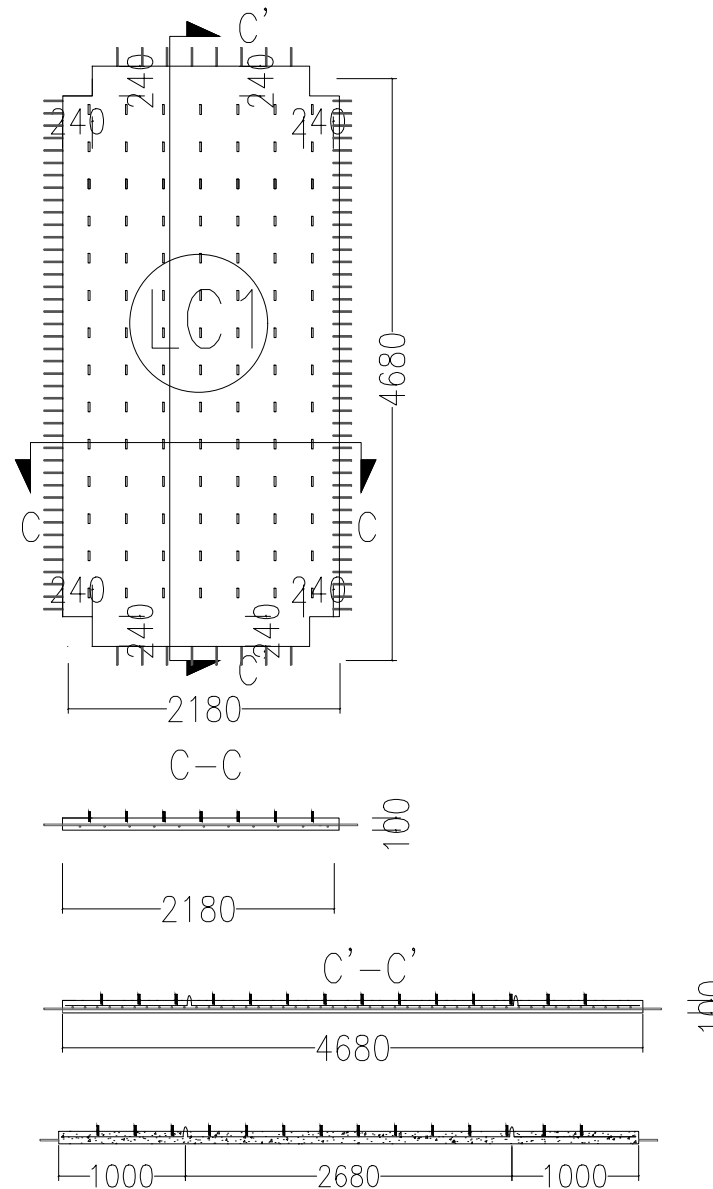
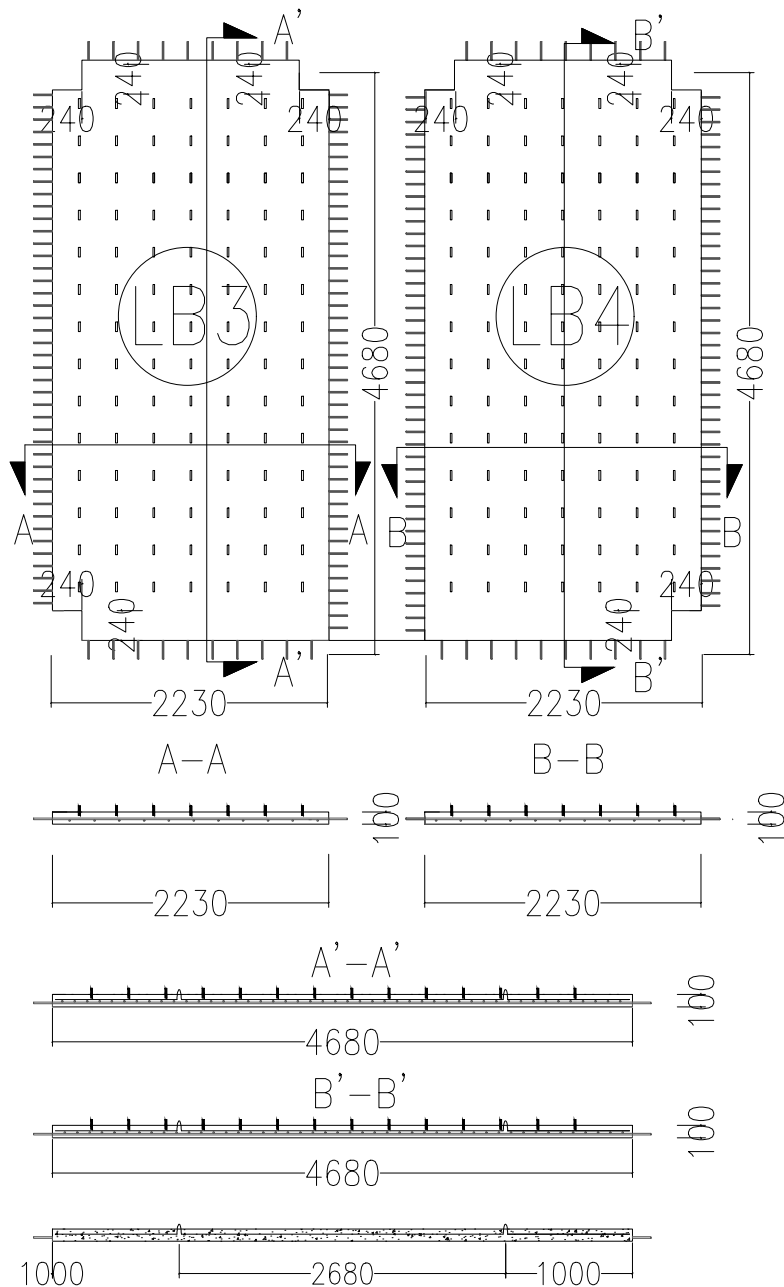
3112100025

NUMBER

27

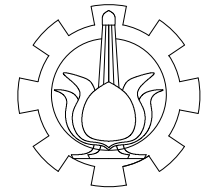
TOTAL

61



PRECAST SLAB DESIGNING DETAIL BLUEPRINT FOR LB3, LB4, LC1 (BEFORE MONOLITH CONDITION)
SCALE 1:20

SHEAR CONECTOR DETAILING
SCALE 1:5



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

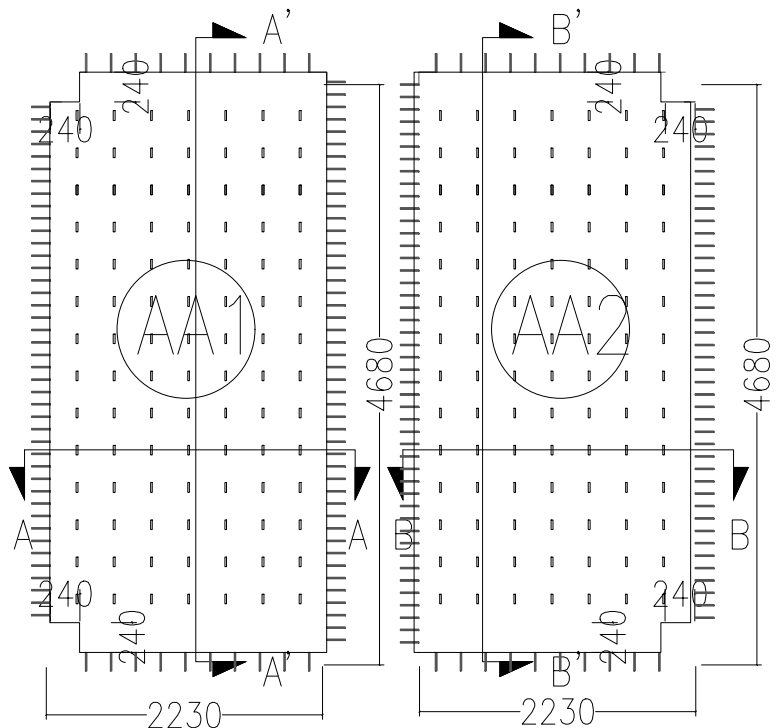
3112100025

NUMBER

28

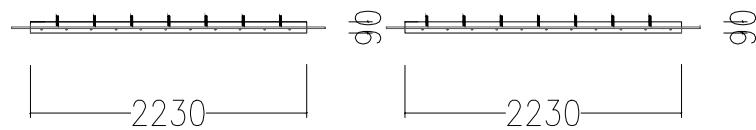
TOTAL

61



A-A

B-B



A'-A'

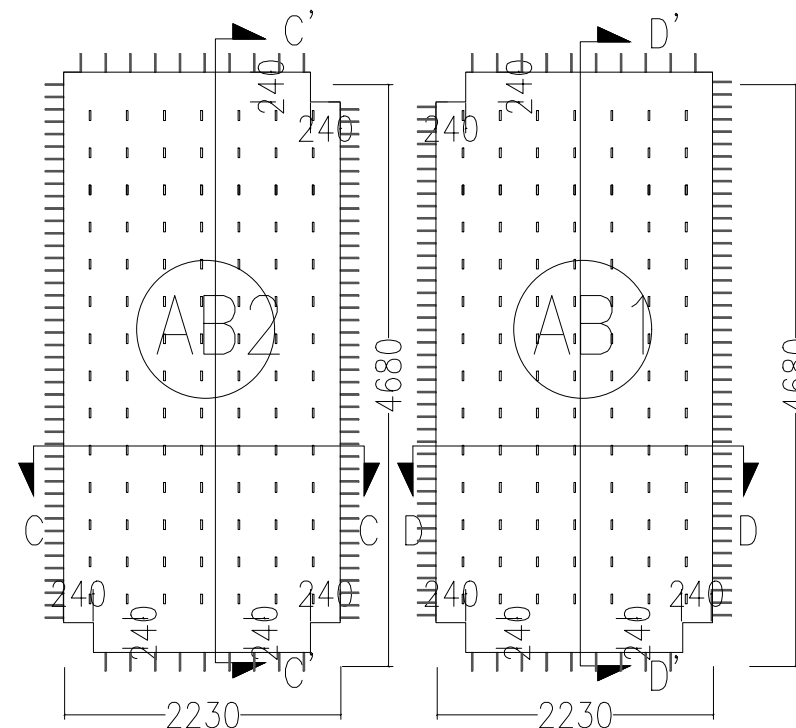
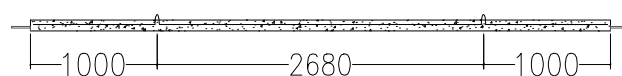
4680

90

B'-B'

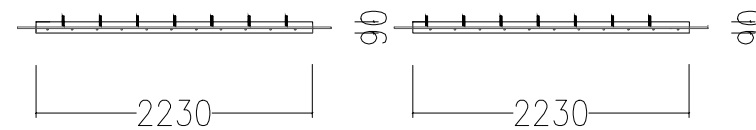
4680

90



C-C

D-D



C'-C'

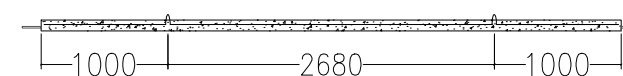
4680

90

D'-D'

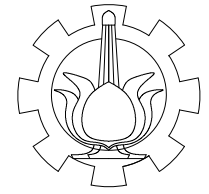
4680

90



PRECAST SLAB DESIGNING DETAIL BLUEPRINT FOR AA1, AA2, AB1, AB2 (BEFORE MONOLITH CONDITION)
SCALE 1:20

SHEAR CONECTOR DETAILING
SCALE 1:5



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

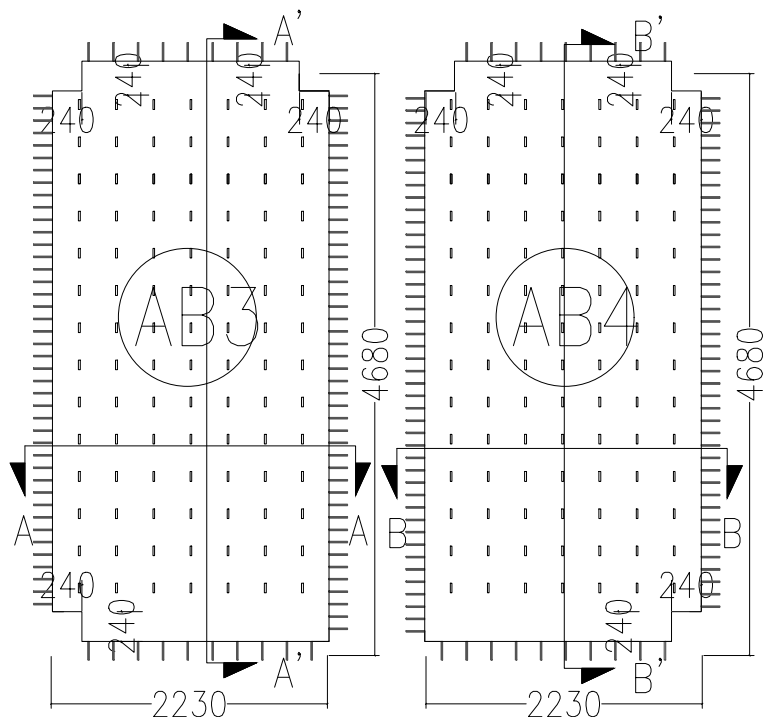
3112100025

NUMBER

29

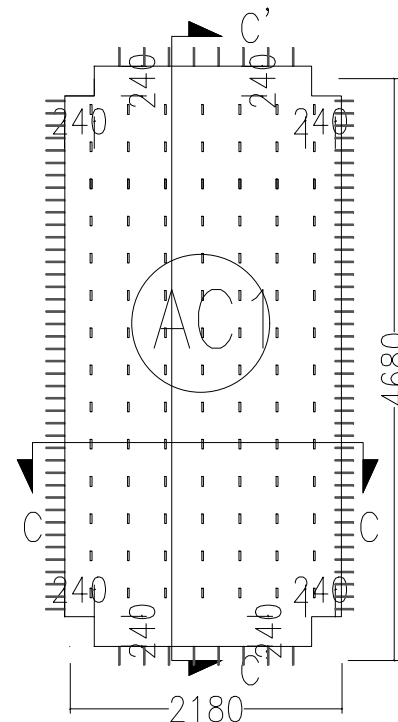
TOTAL

61



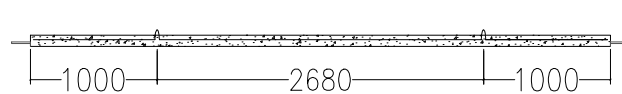
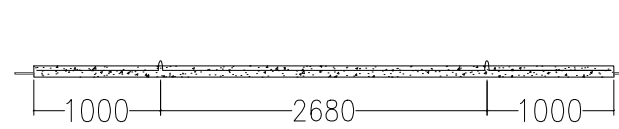
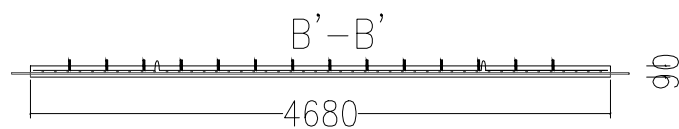
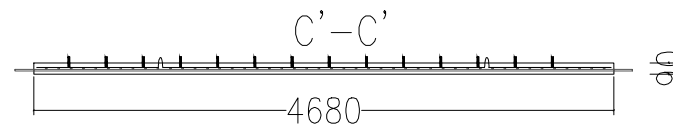
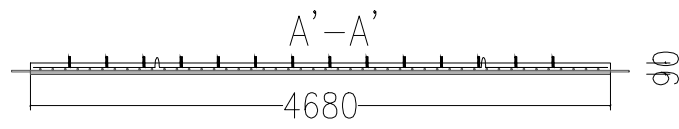
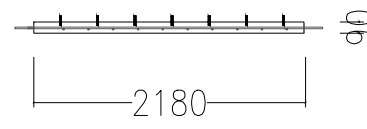
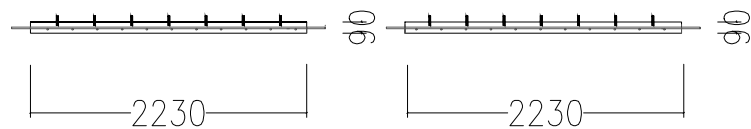
A-A

B-B



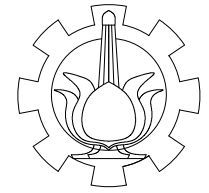
C-C

C'-C'



PRECAST SLAB DESIGNING DETAIL BLUEPRINT FOR AB3, AB4, AC1 (BEFORE MONOLITH CONDITION)
SCALE 1:20

SHEAR CONECTOR DETAILING
SCALE 1:5



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

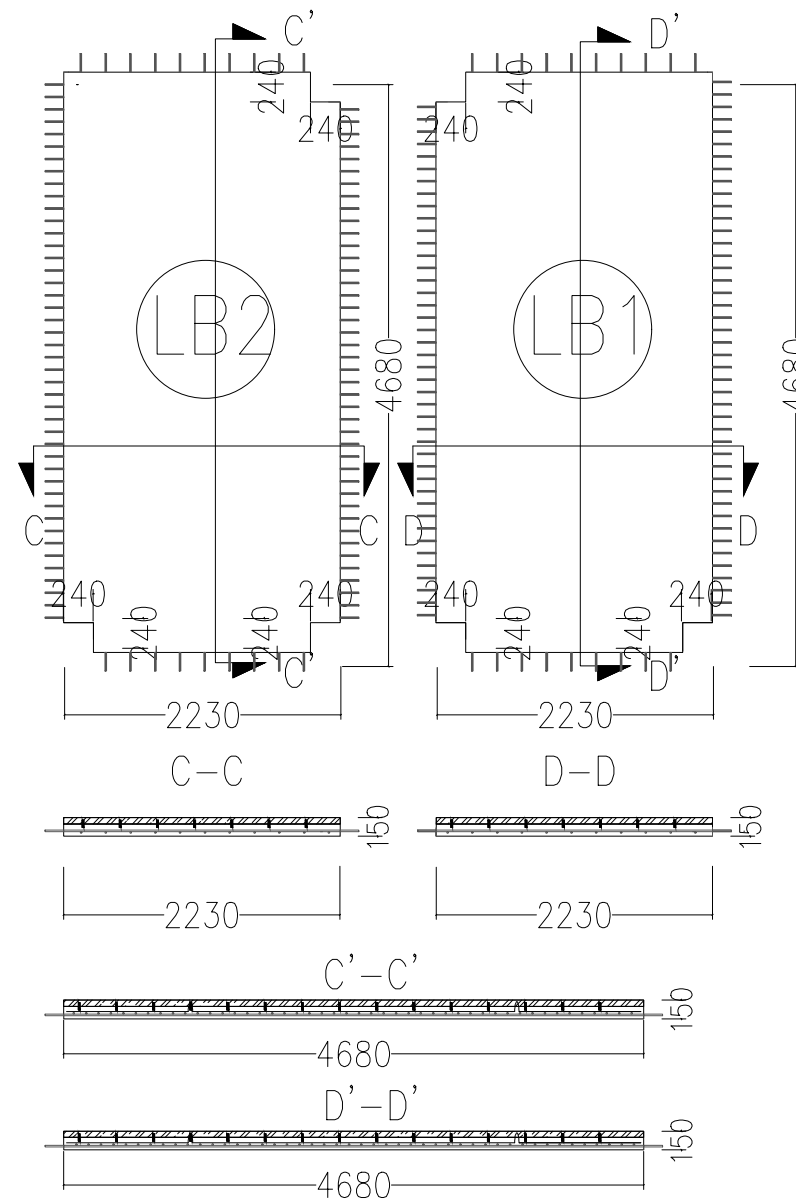
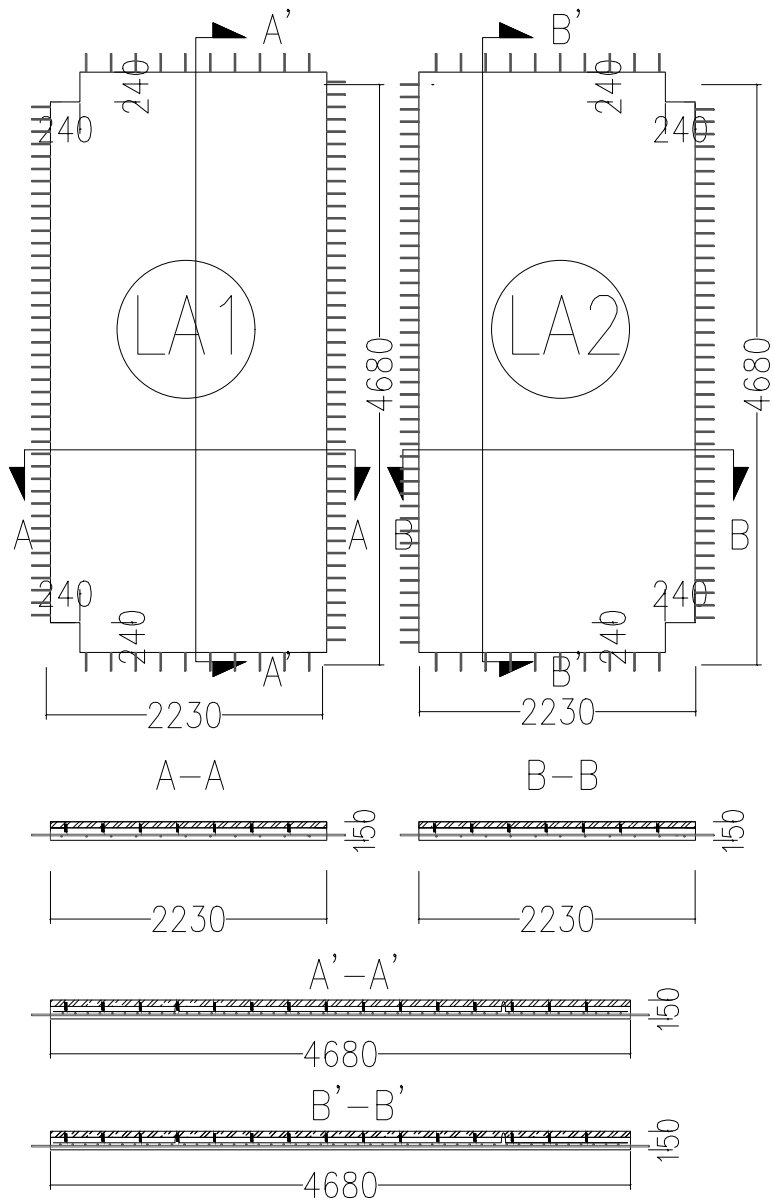
3112100025

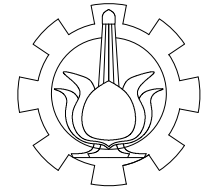
NUMBER

30

TOTAL

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

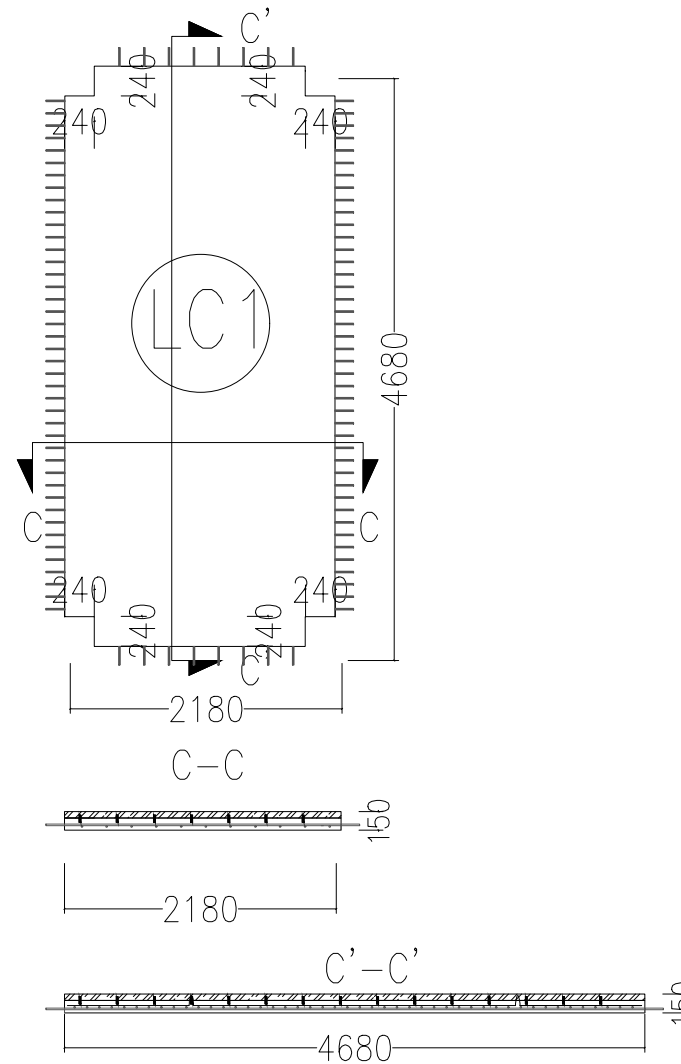
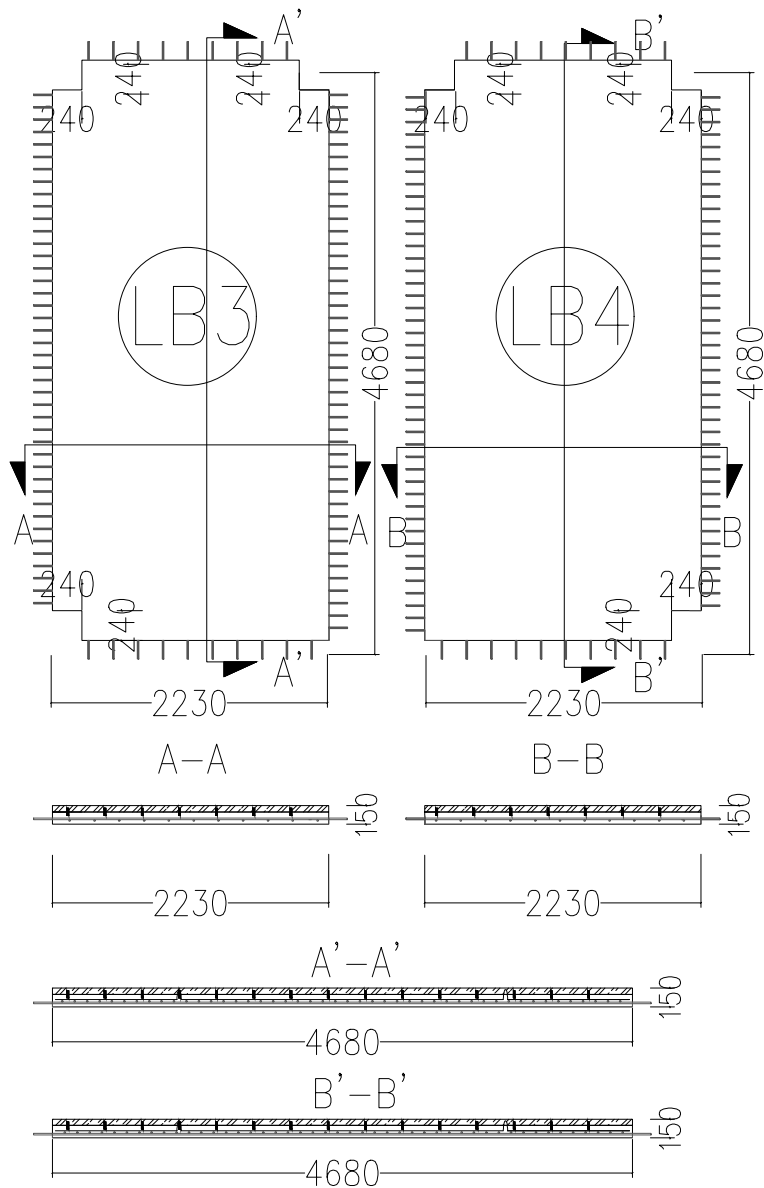
3112100025

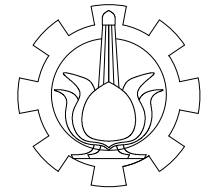
NUMBER

TOTAL

31

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

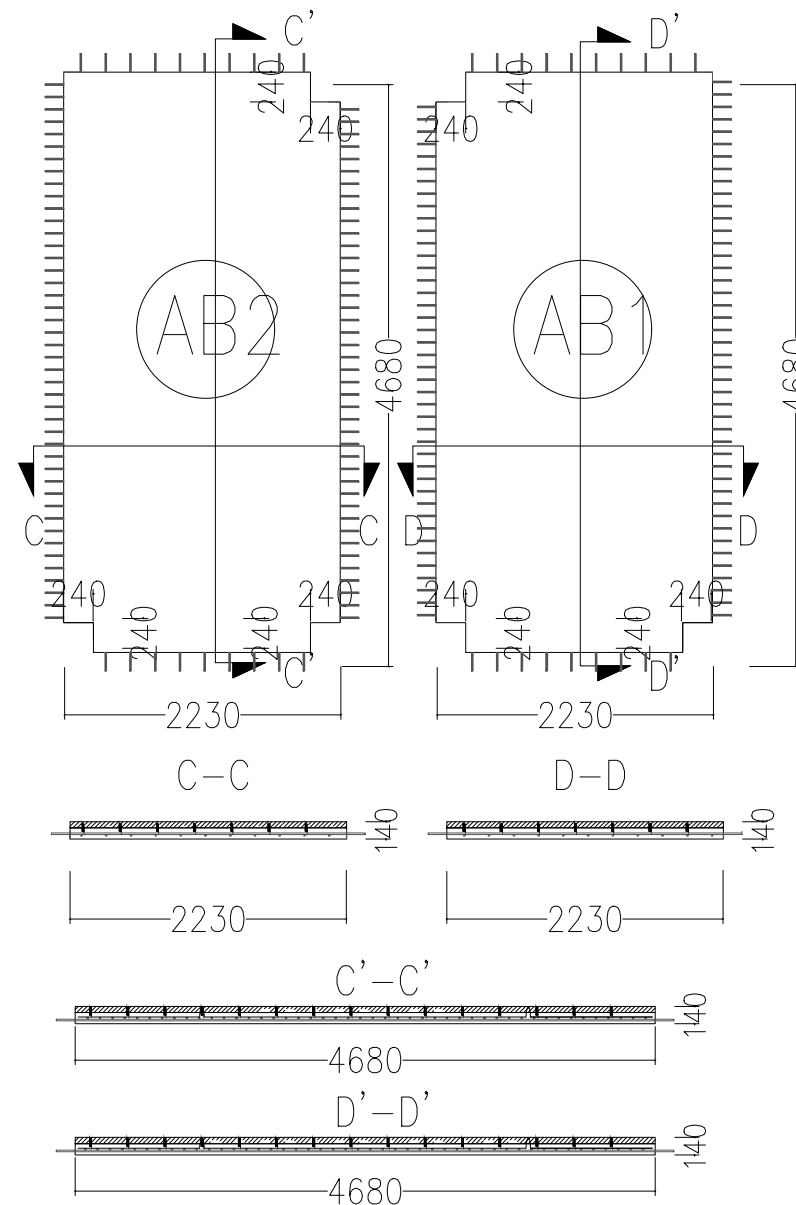
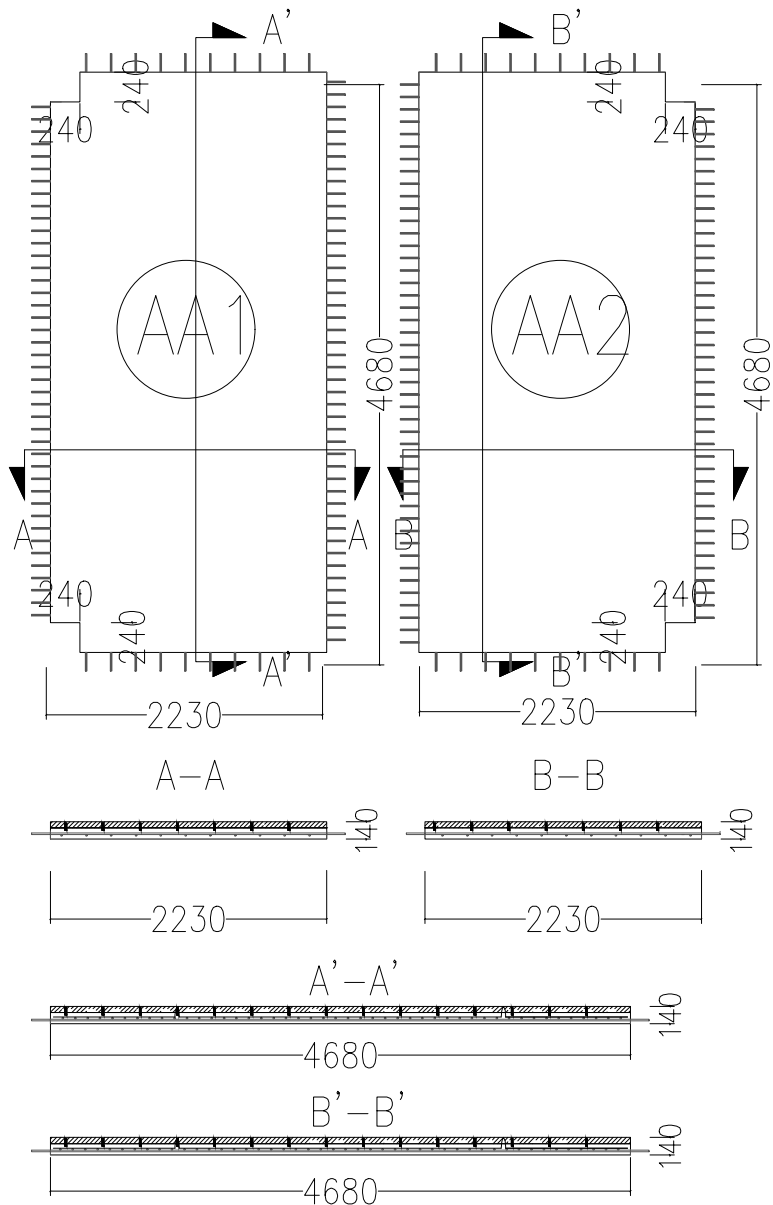
3112100025

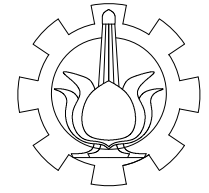
NUMBER

TOTAL

32

61





DEPARTEMENT OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:20

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

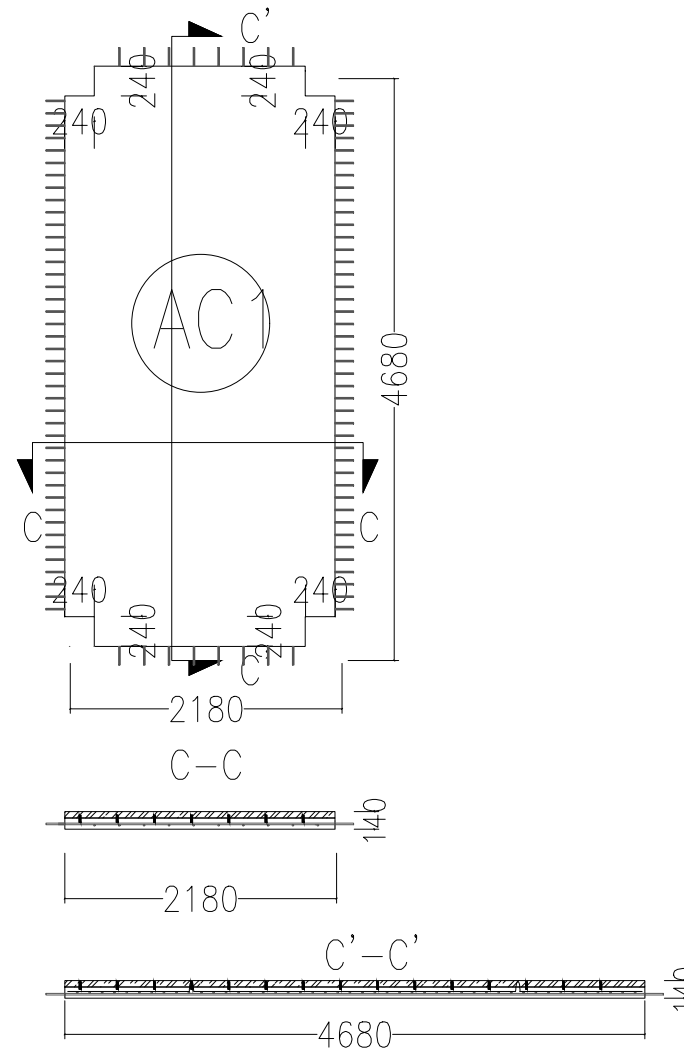
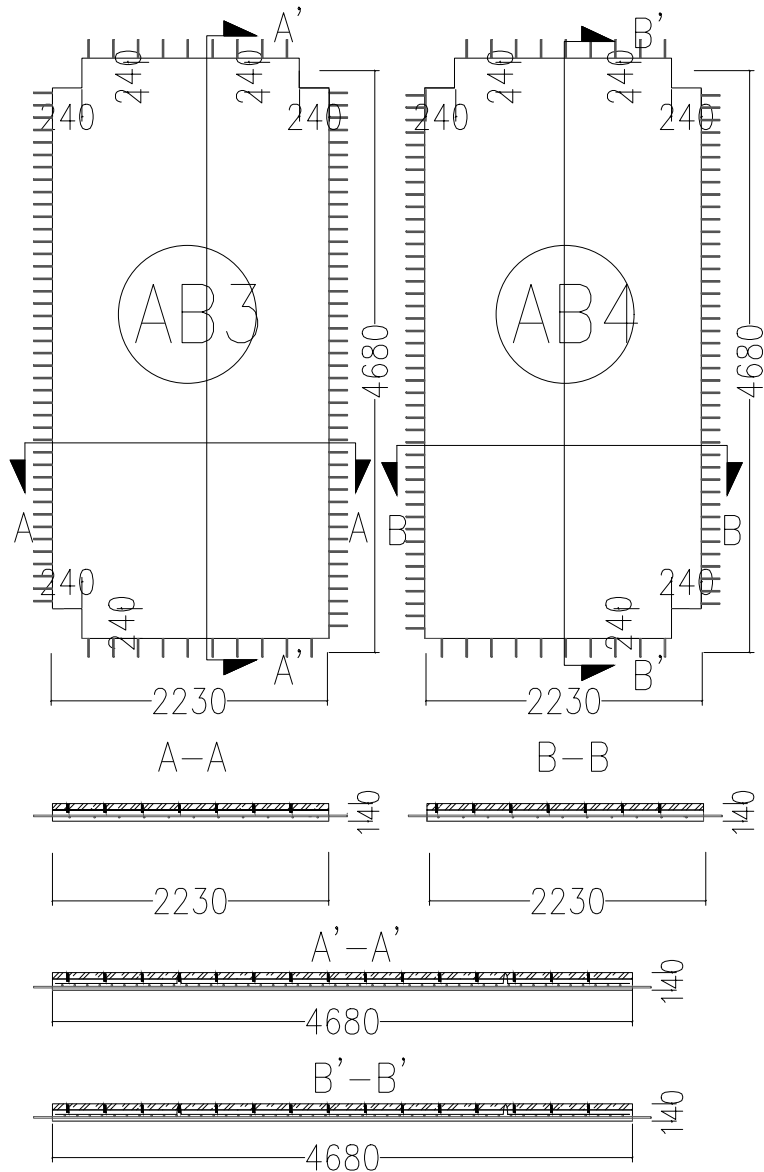
3112100025

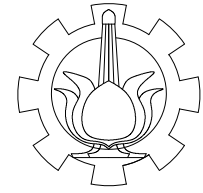
NUMBER

TOTAL

33

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

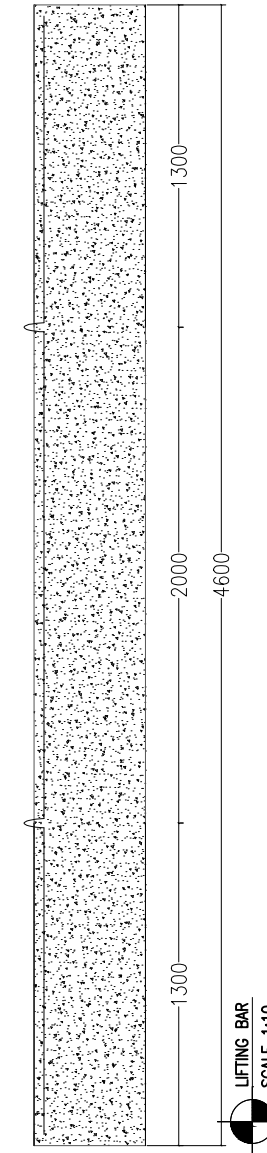
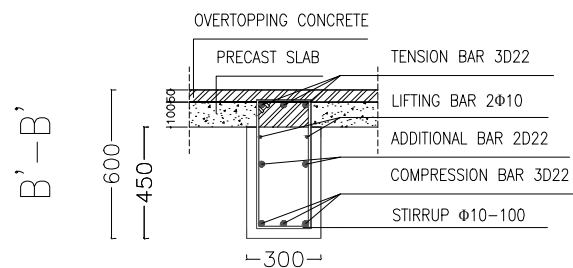
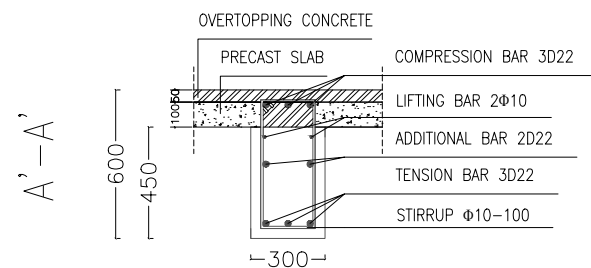
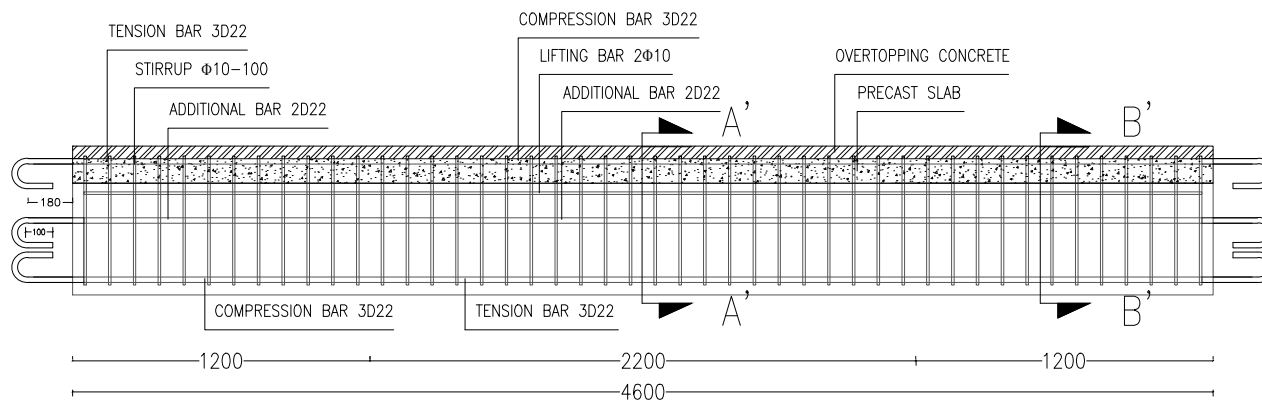
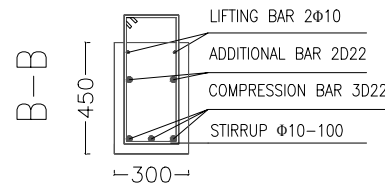
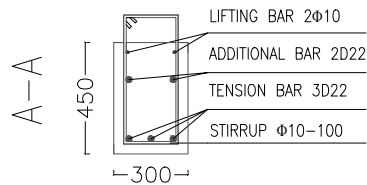
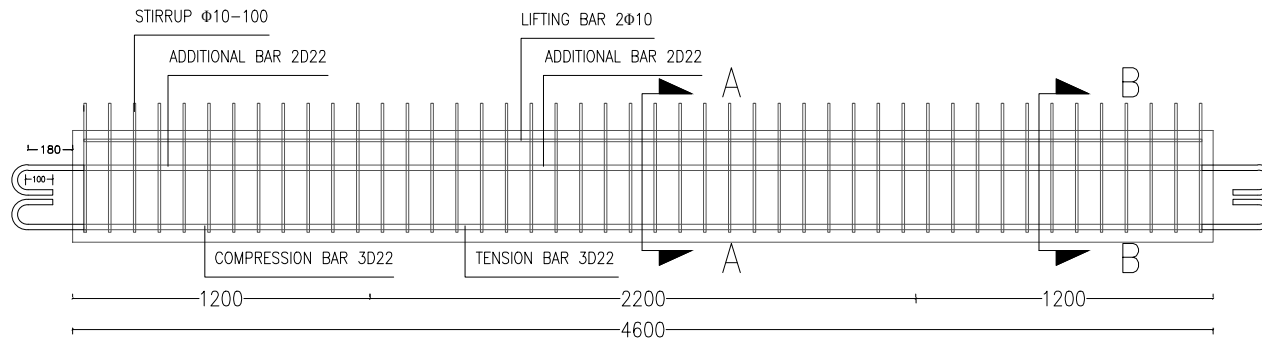
3112100025

NUMBER

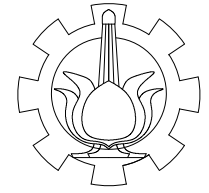
34

TOTAL

61



 PRECAST SECONDARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BAL1 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

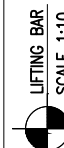
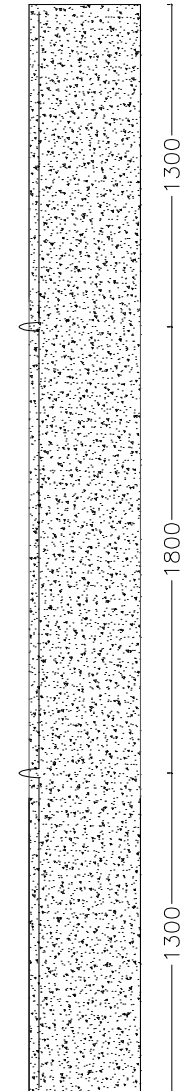
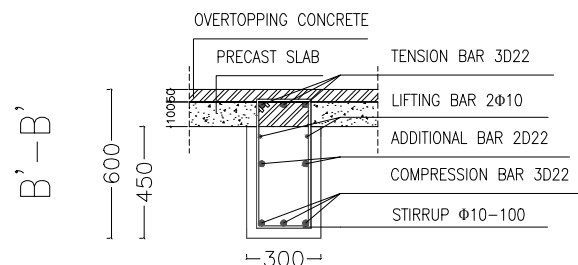
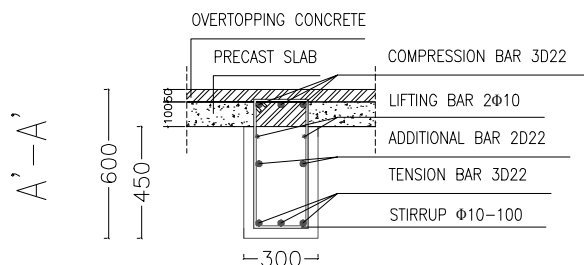
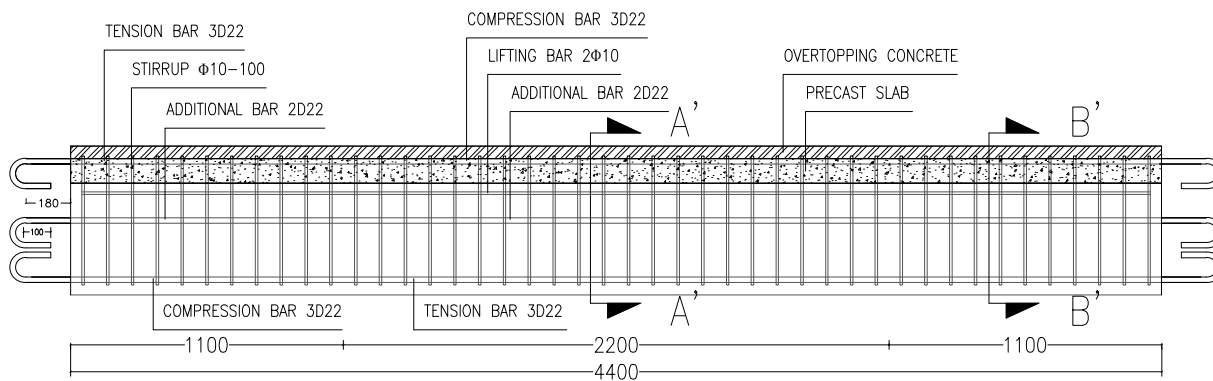
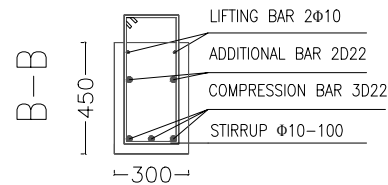
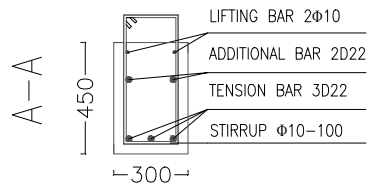
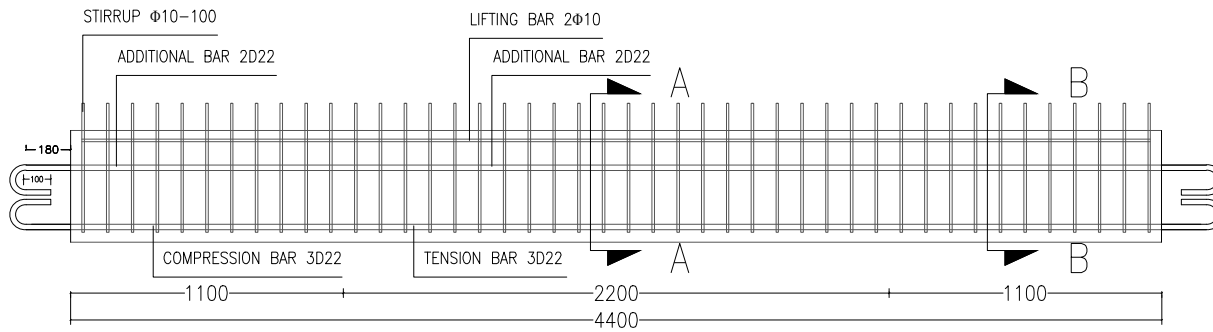
3112100025

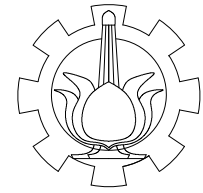
NUMBER

35

TOTAL

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

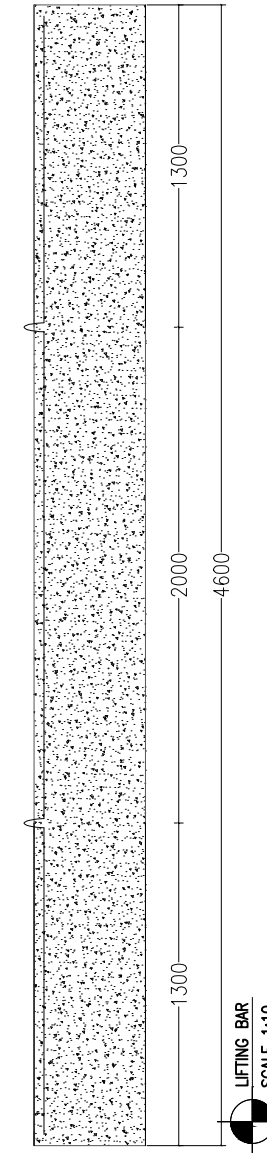
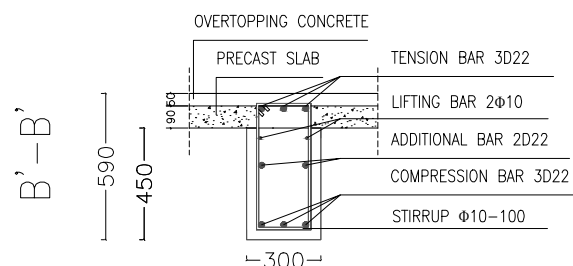
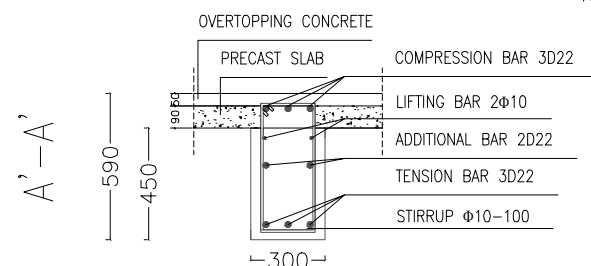
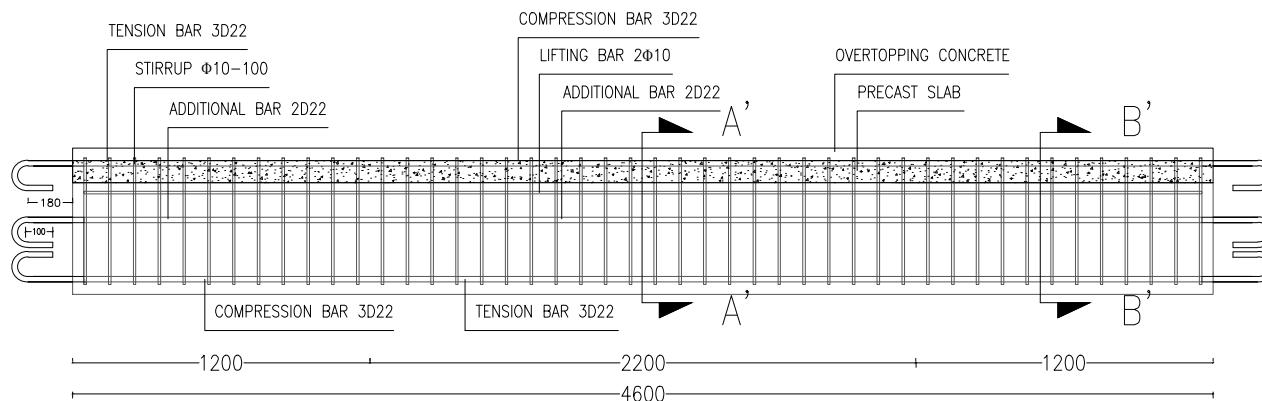
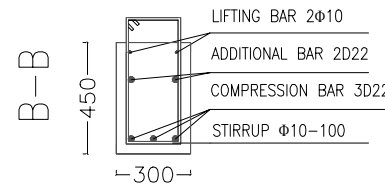
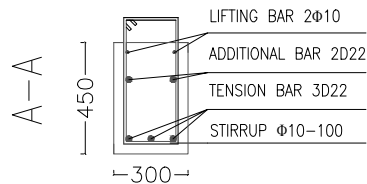
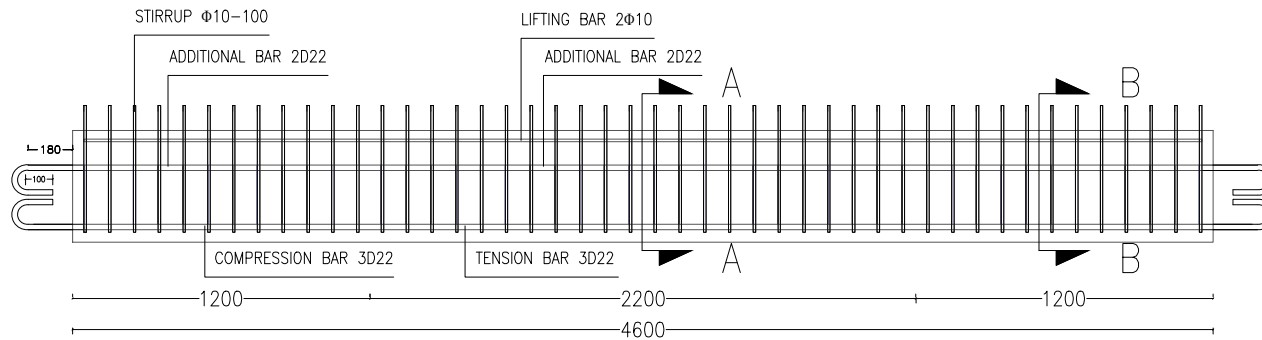
3112100025

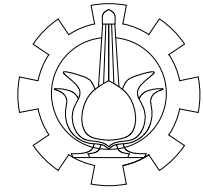
NUMBER

36

TOTAL

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

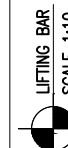
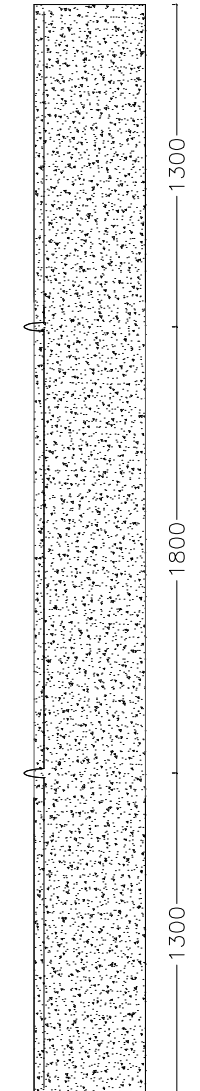
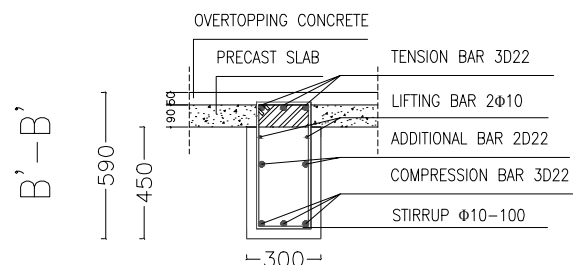
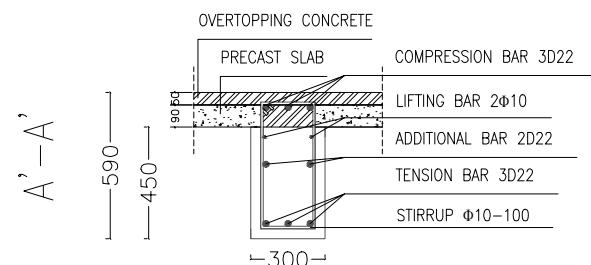
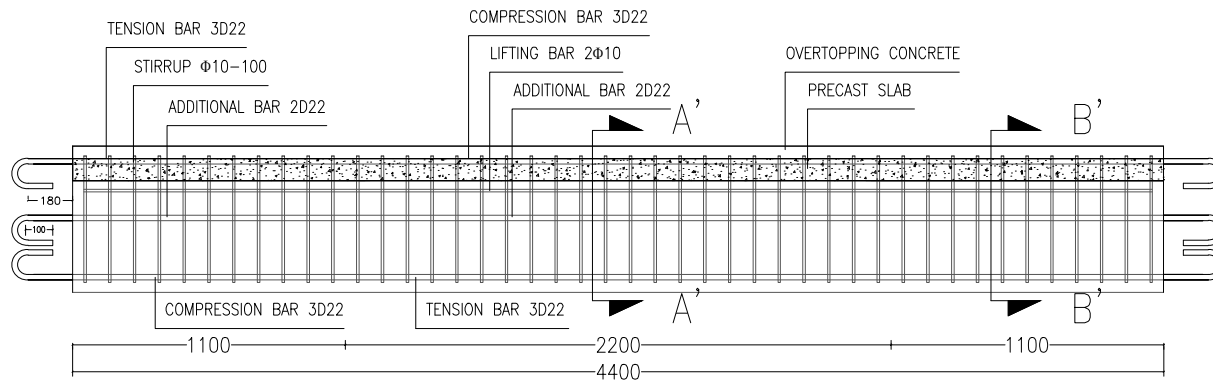
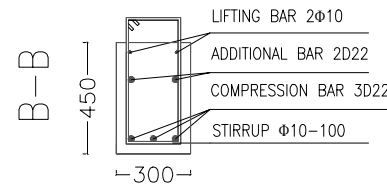
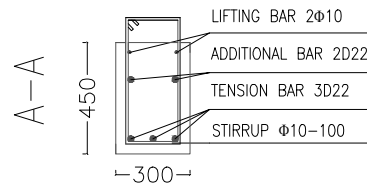
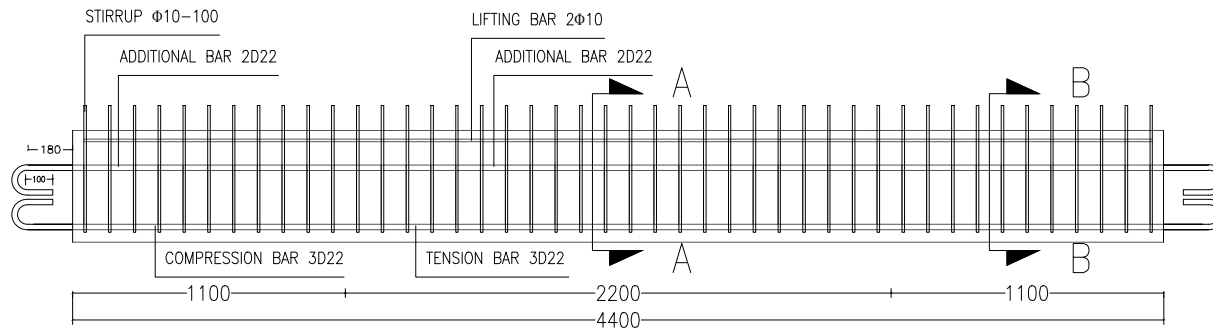
3112100025

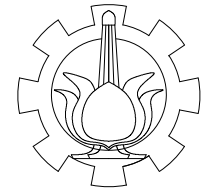
NUMBER

37

TOTAL

61





DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

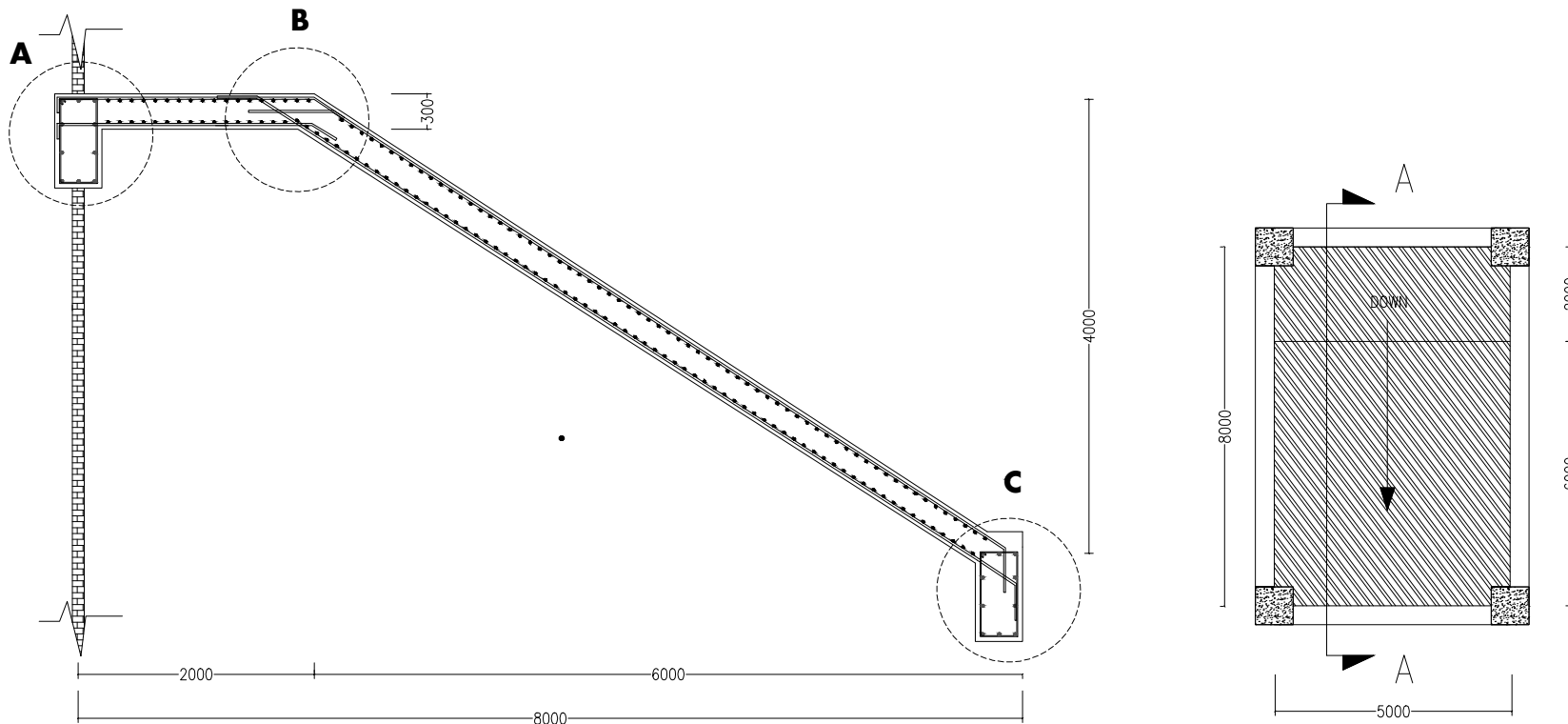
3112100025

NUMBER

38

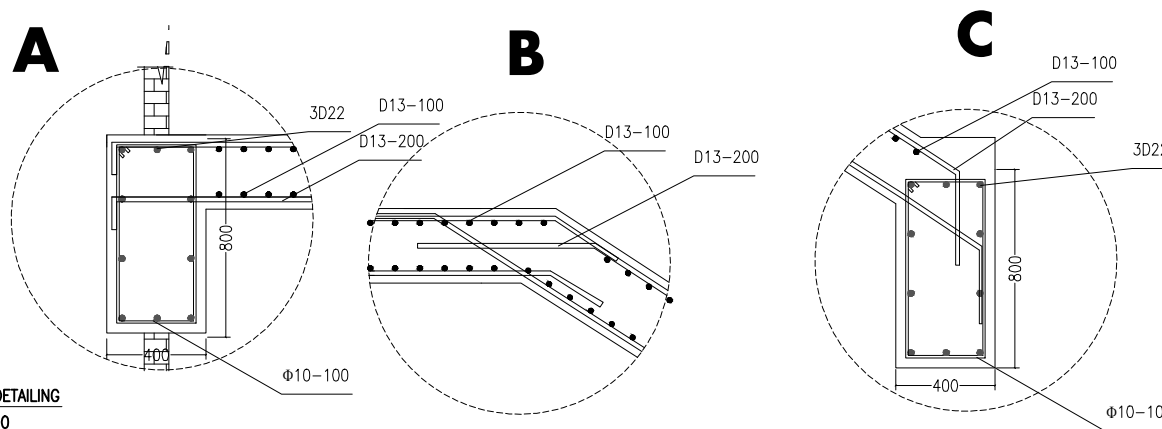
TOTAL

61

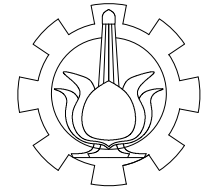


SECTION CUT A-A
SCALE 1:20

STRUCTURE OF RAMP
SCALE 1:50



SECTION DETAILING
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

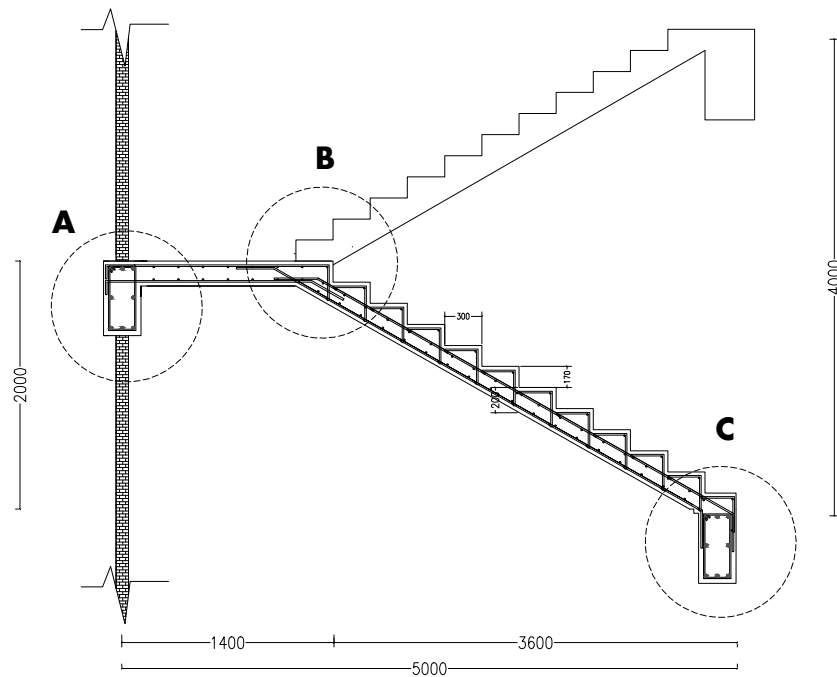
3112100025

NUMBER

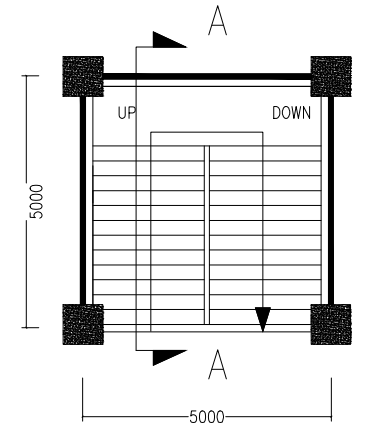
39

TOTAL

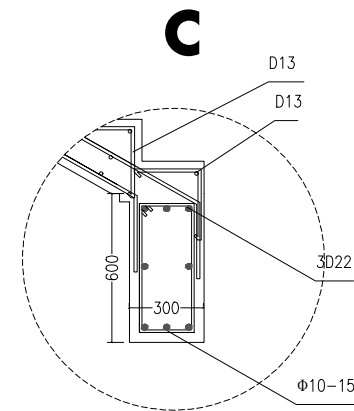
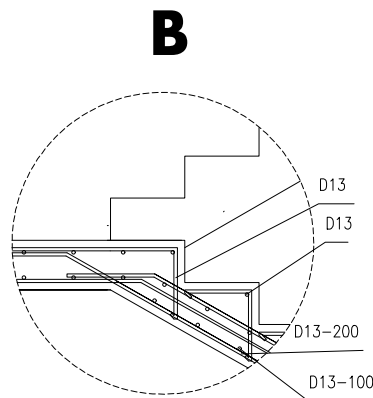
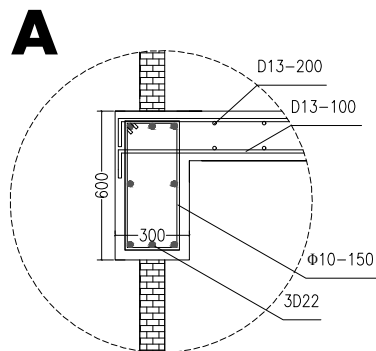
61



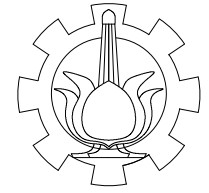
SECTION CUT A-A
SCALE 1:20



STRUCTURE OF STAIR
SCALE 1:50



SECTION DETAILING
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

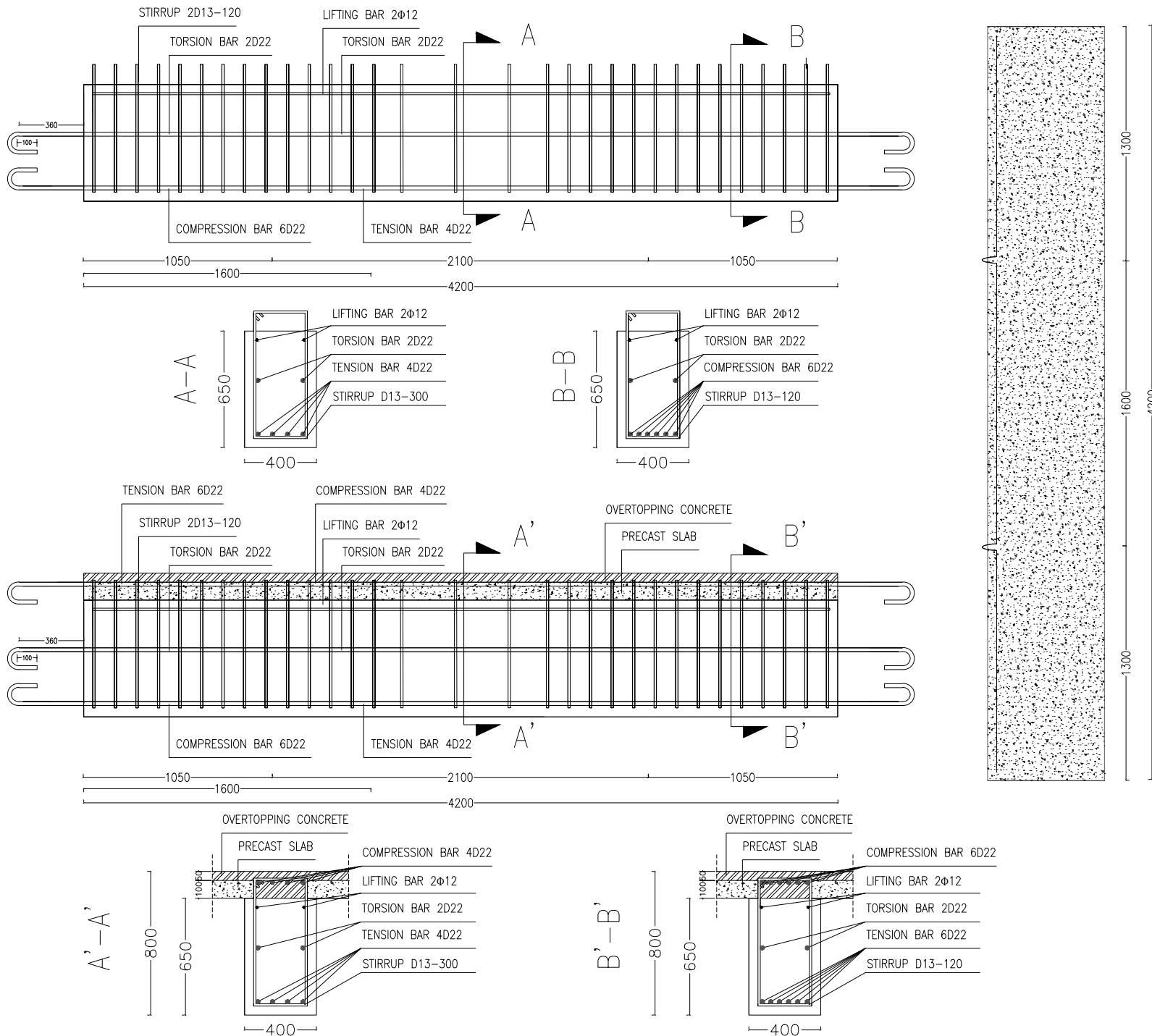
3112100025

NUMBER

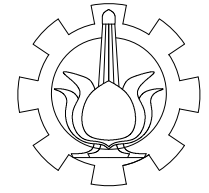
40

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL1 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

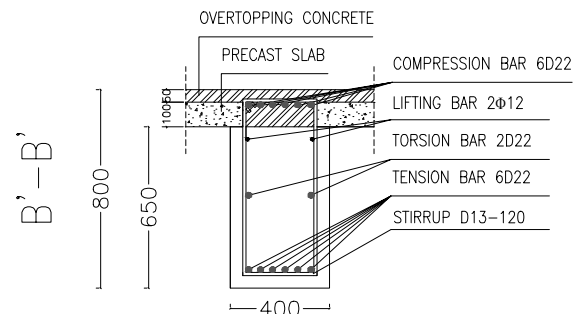
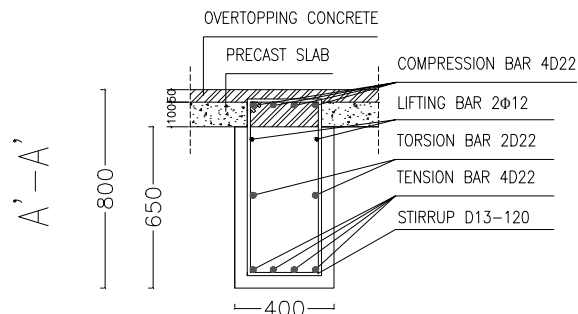
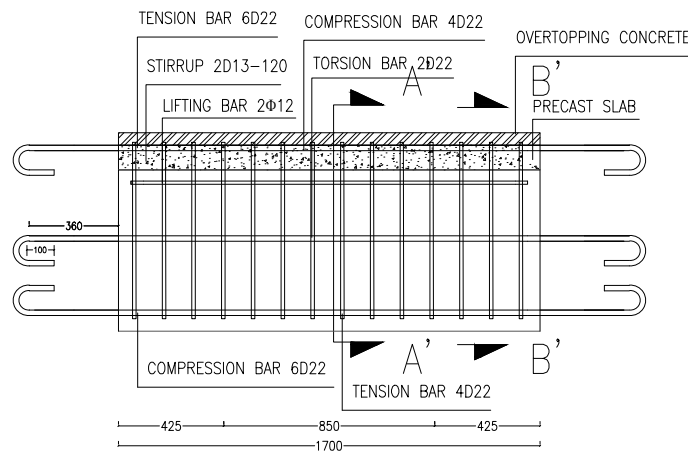
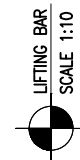
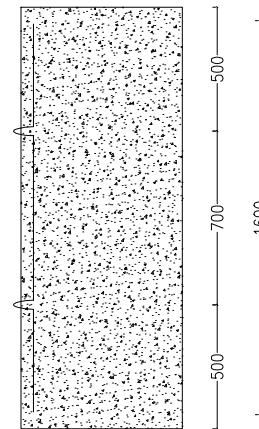
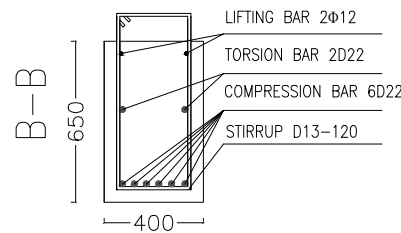
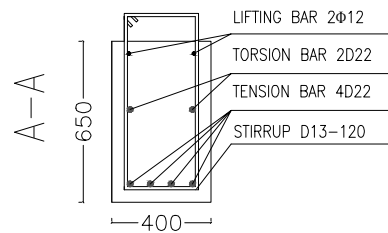
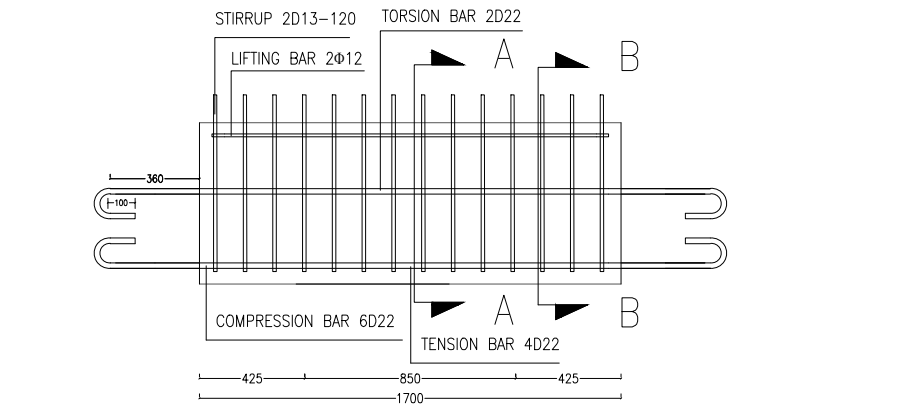
3112100025

NUMBER

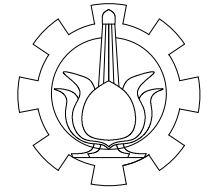
41

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL2 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

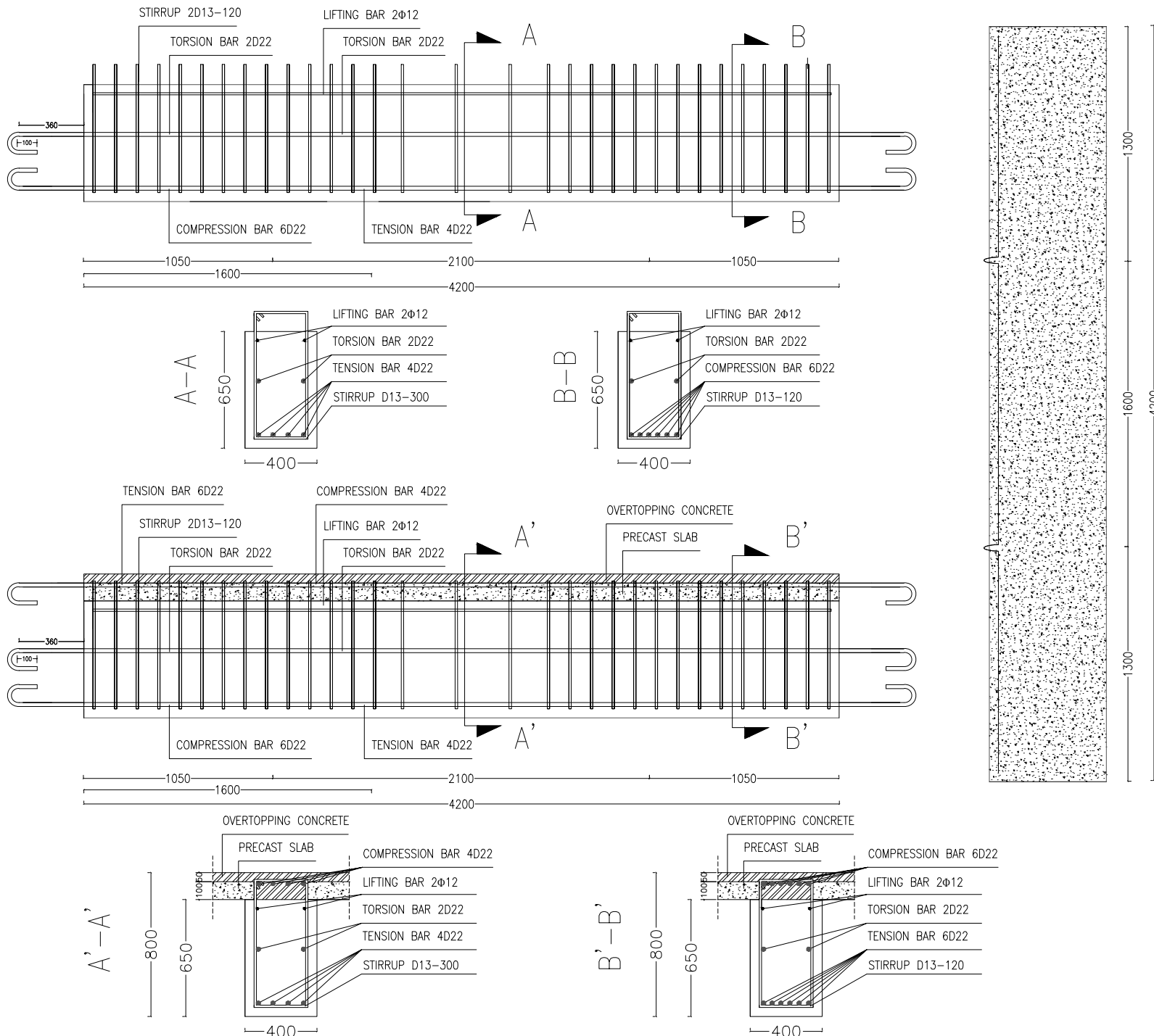
3112100025

NUMBER

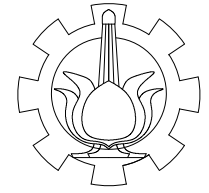
42

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL3 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

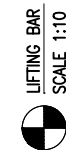
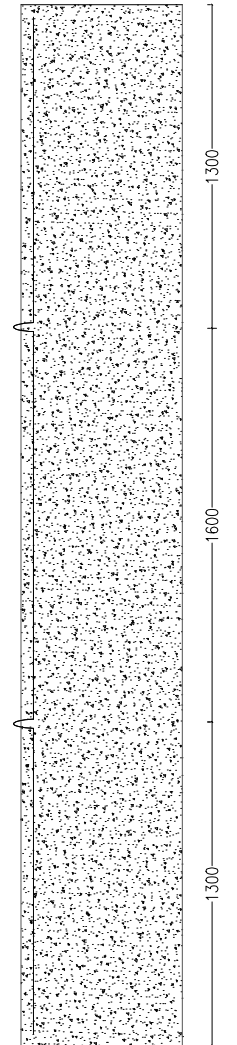
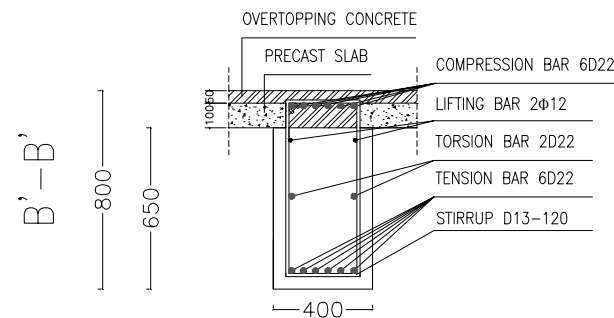
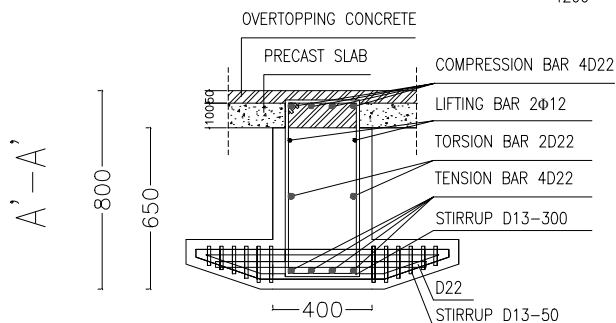
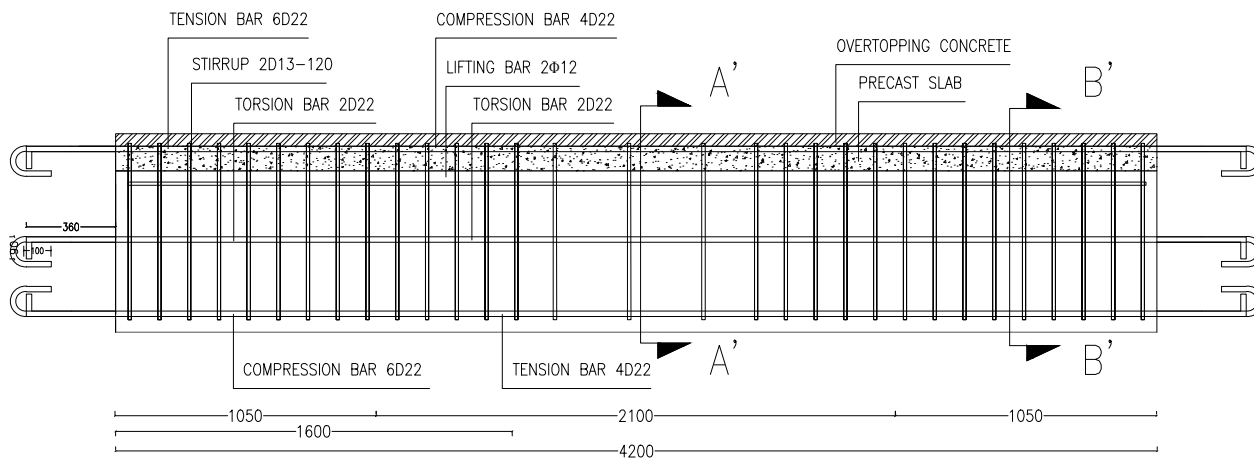
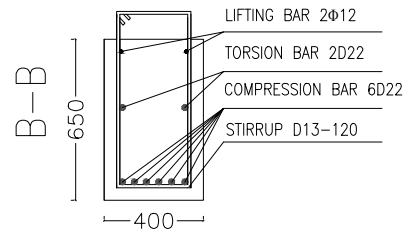
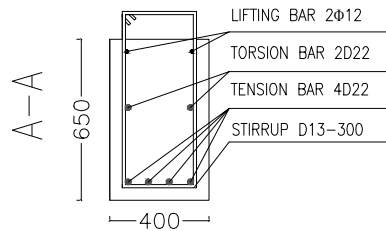
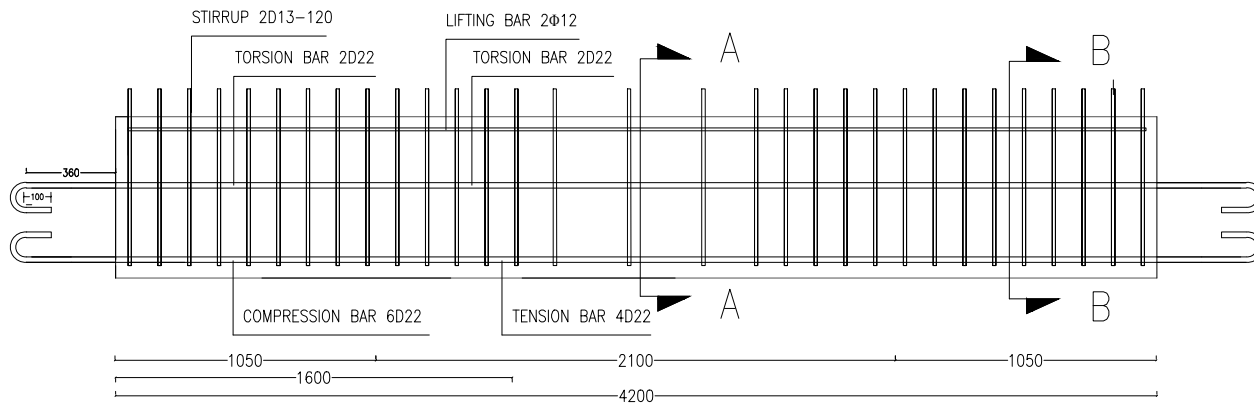
3112100025

NUMBER

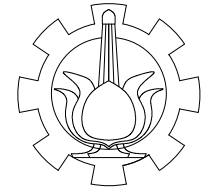
43

TOTAL

61



PRECAST INTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL1 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

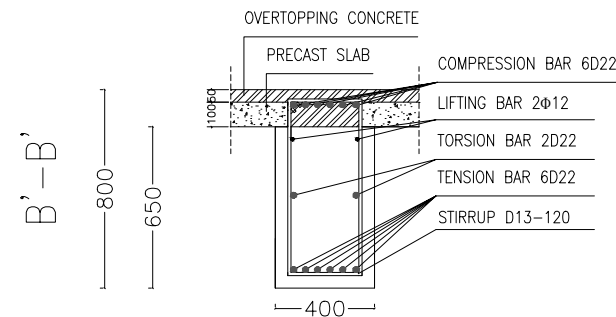
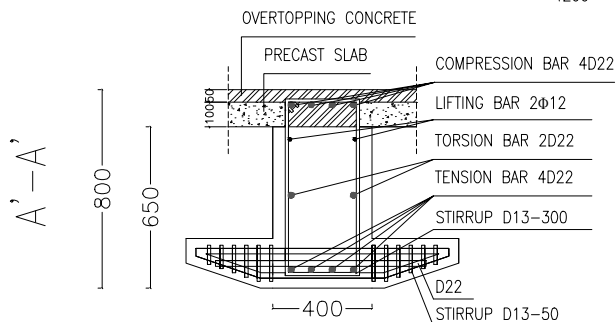
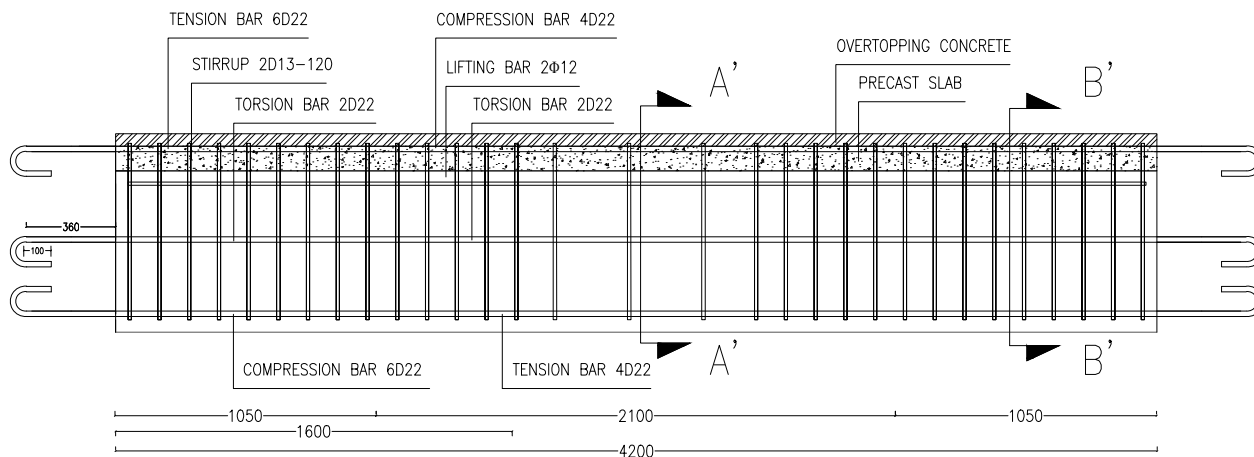
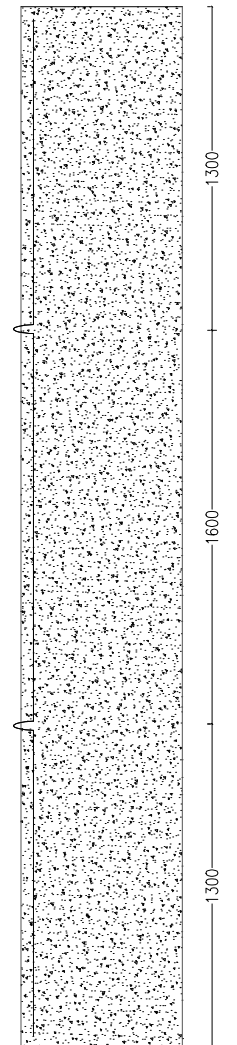
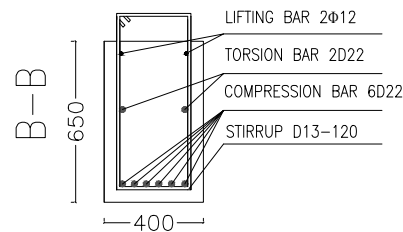
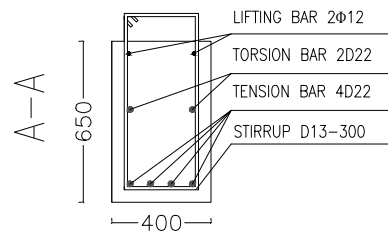
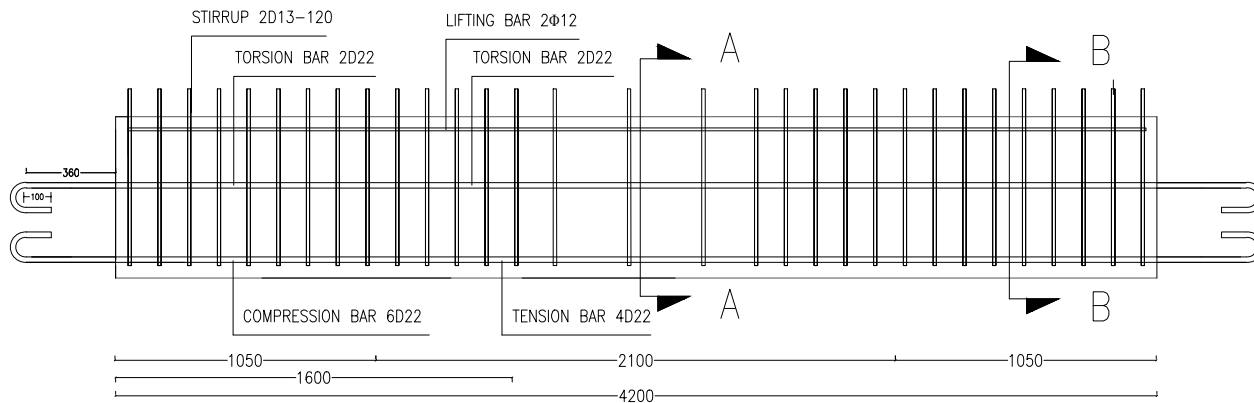
3112100025

NUMBER

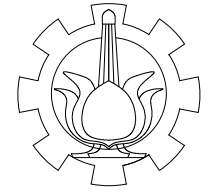
44

TOTAL

61



PRECAST INTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL3 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

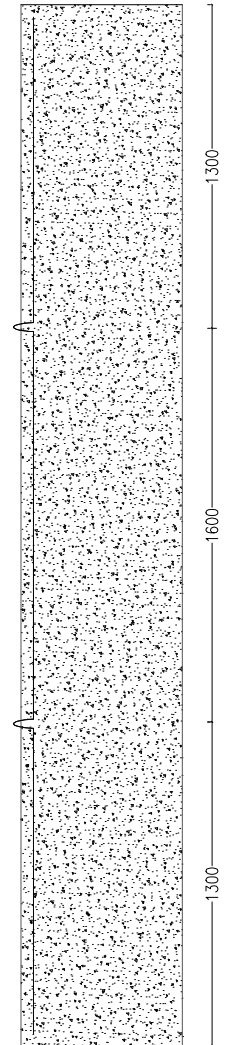
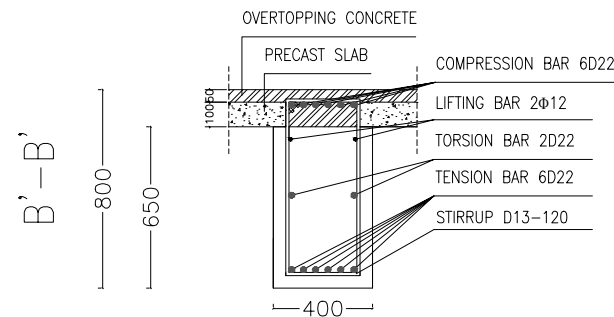
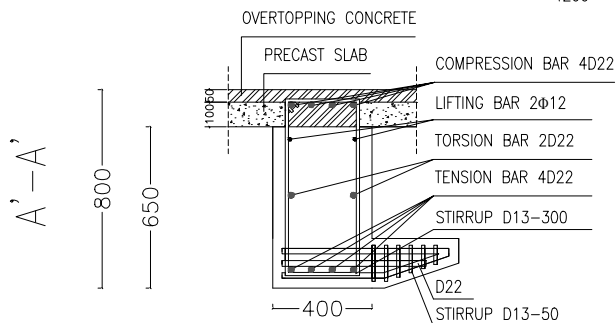
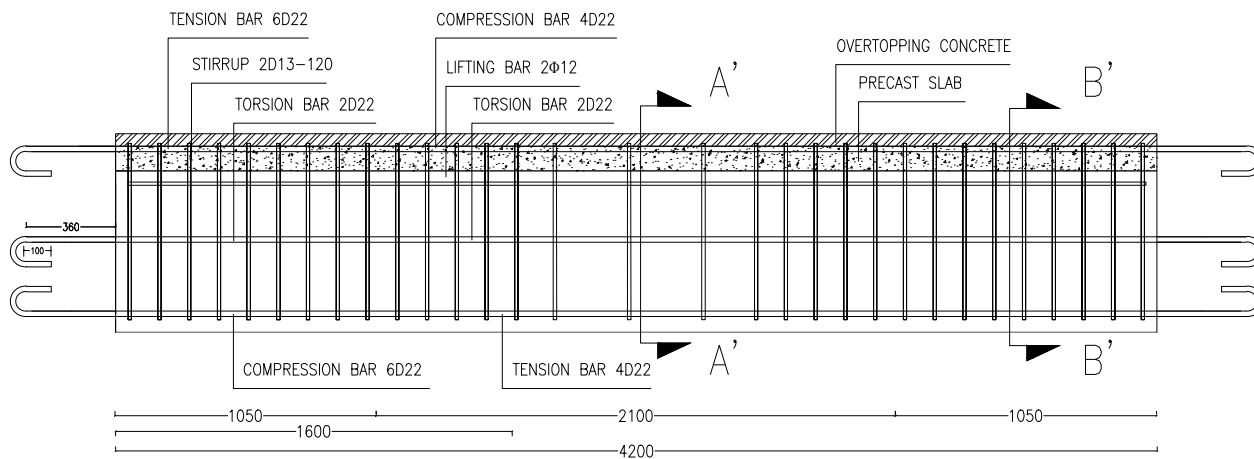
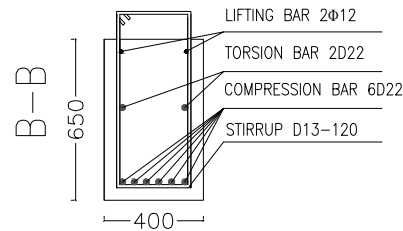
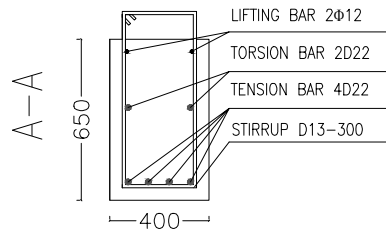
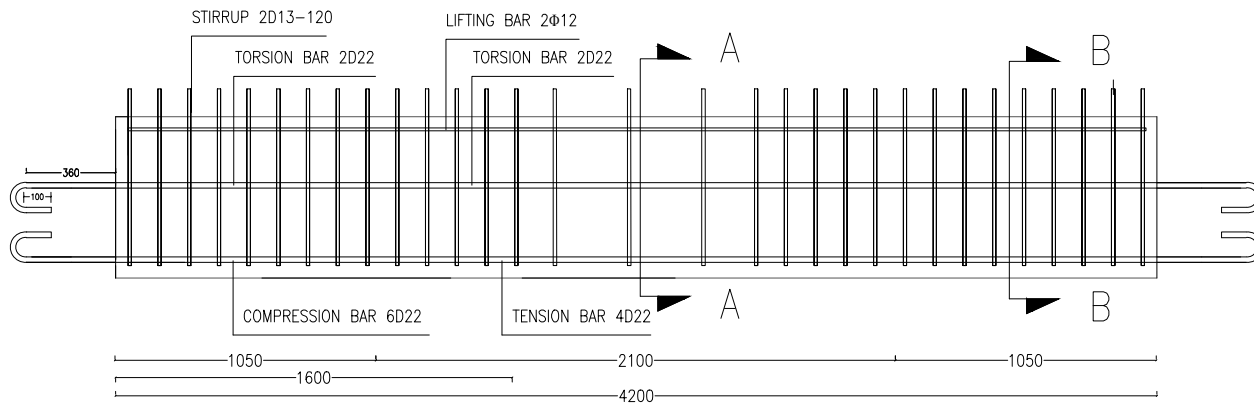
3112100025

NUMBER

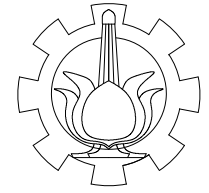
45

TOTAL

61



PRECAST EXTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL1 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

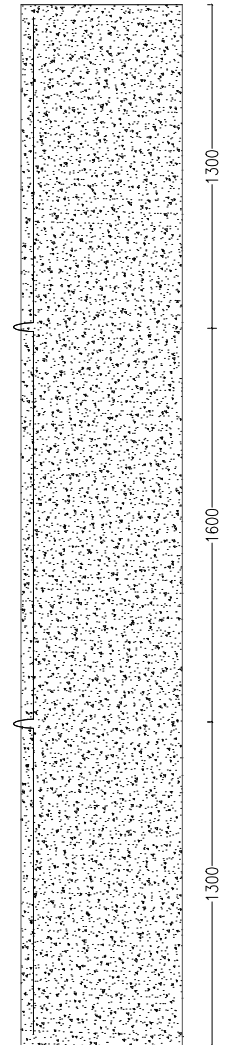
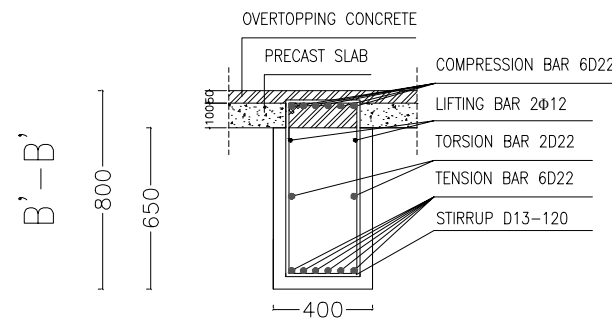
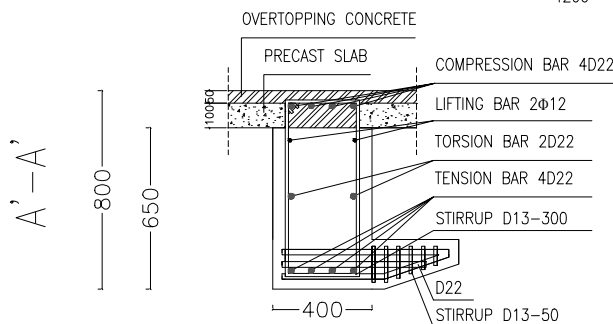
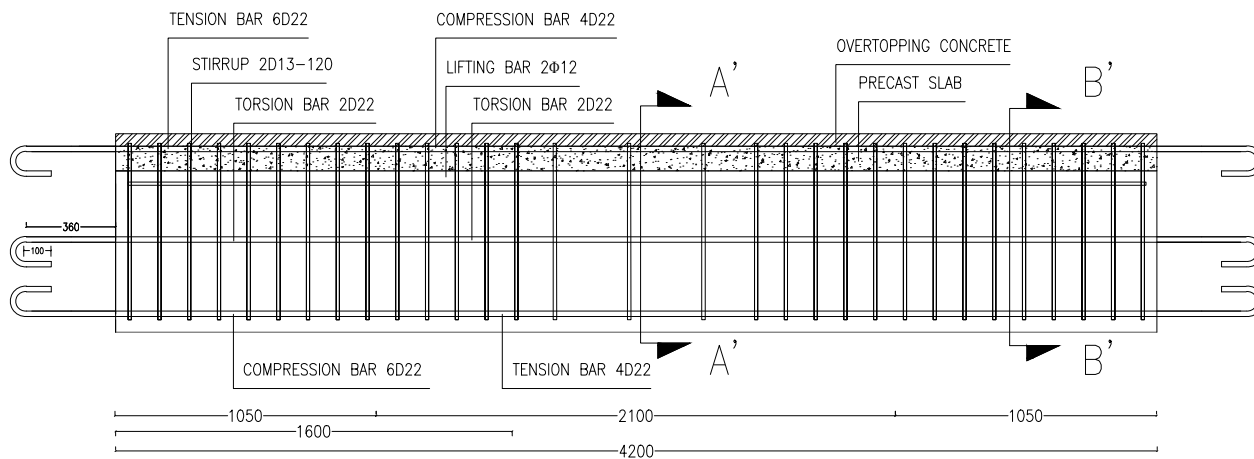
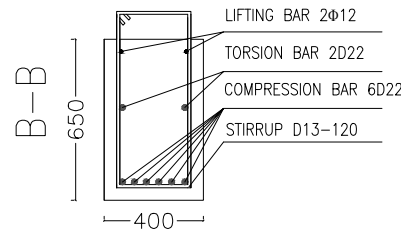
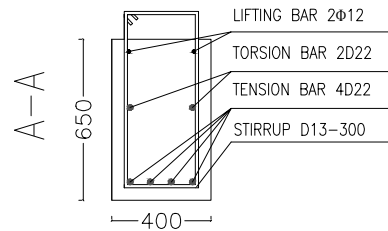
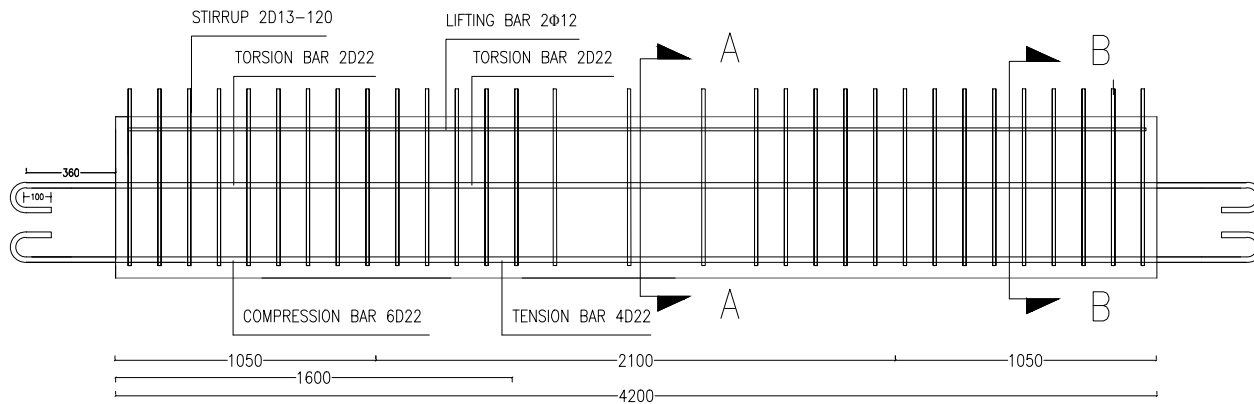
3112100025

NUMBER

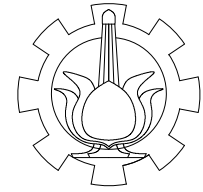
46

TOTAL

61



PRECAST EXTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIL3 (FLOOR)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

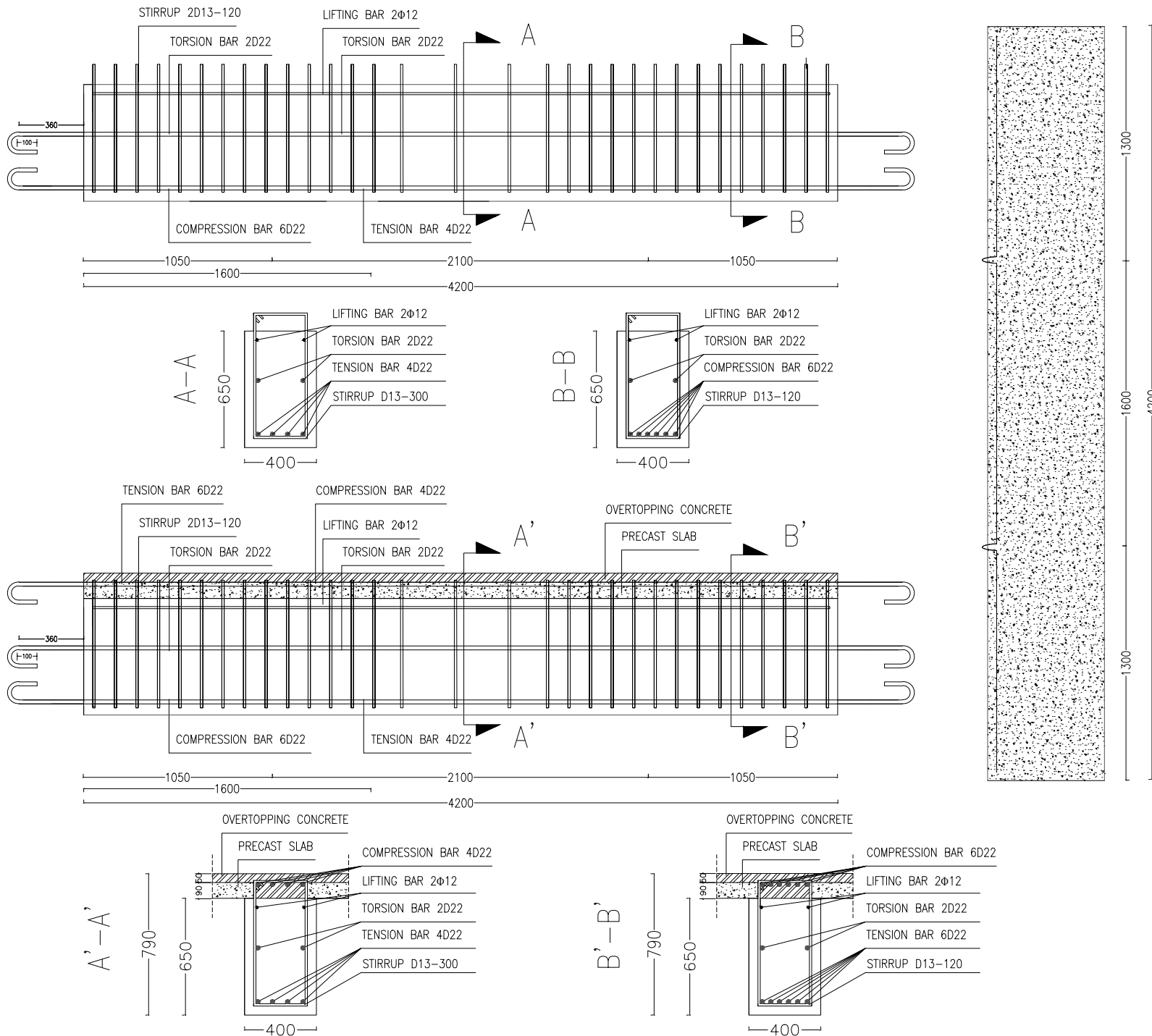
3112100025

NUMBER

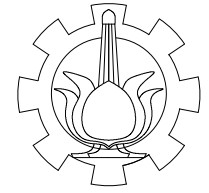
47

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA1 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:10

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

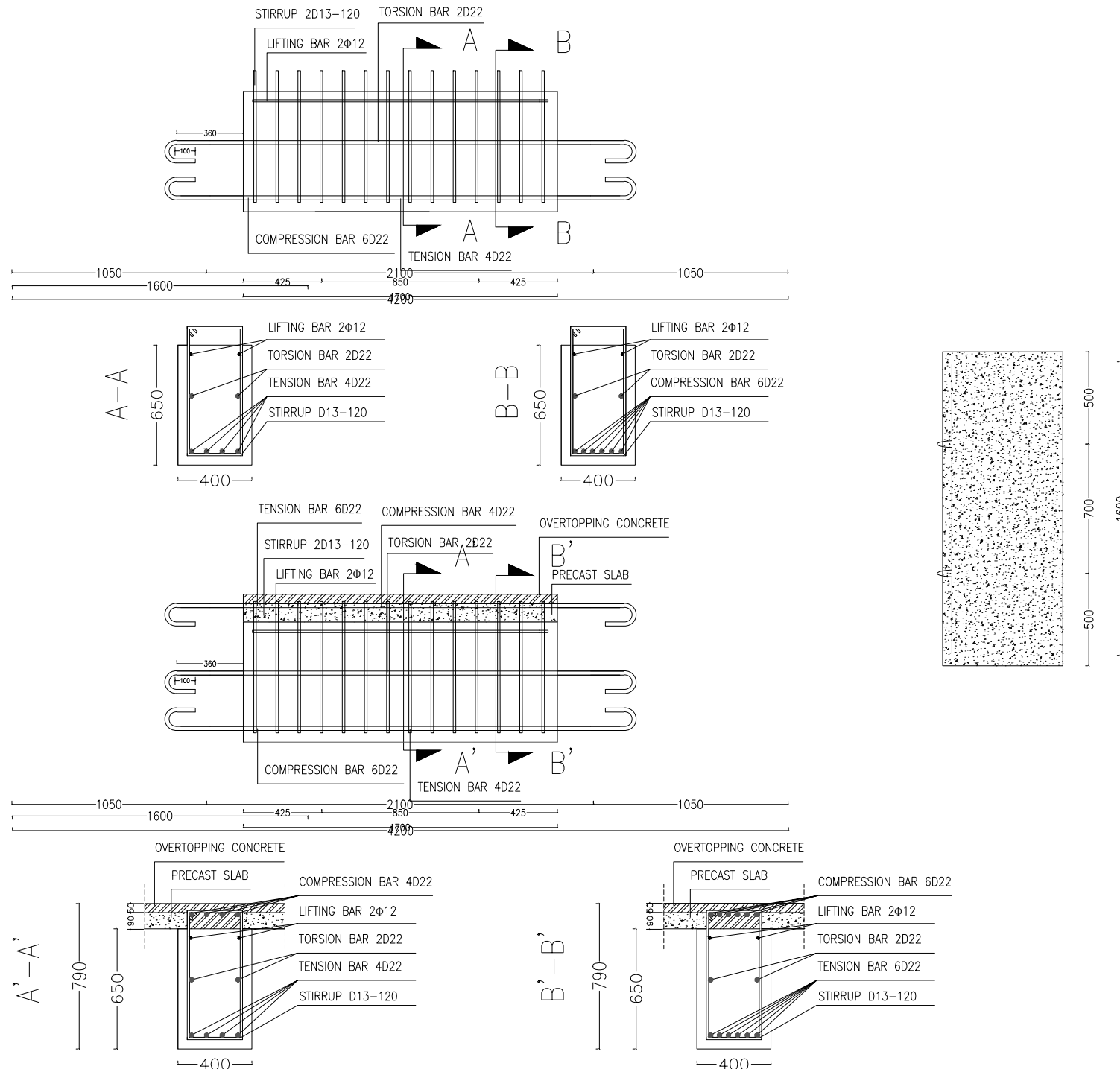
3112100025

NUMBER

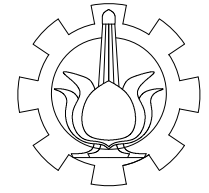
48

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA2 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

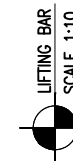
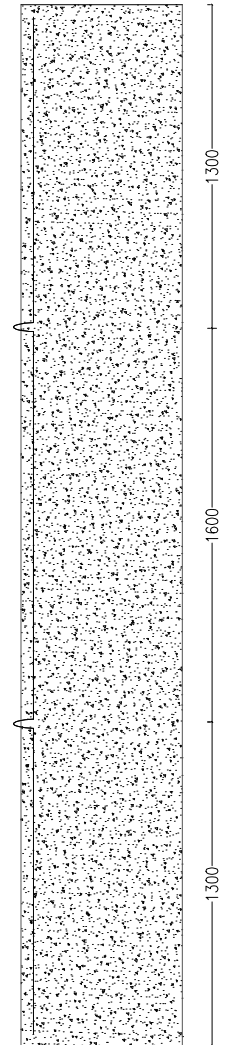
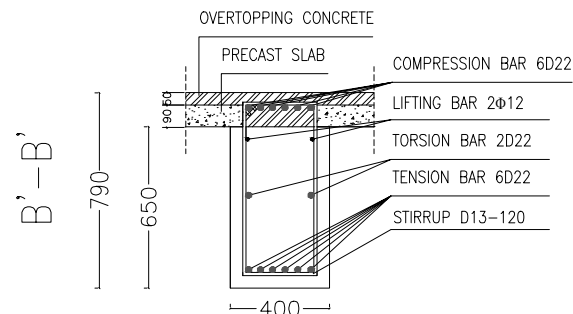
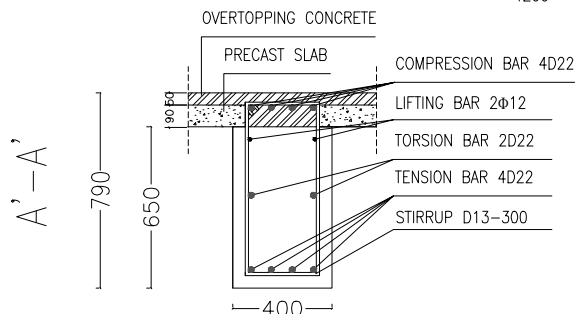
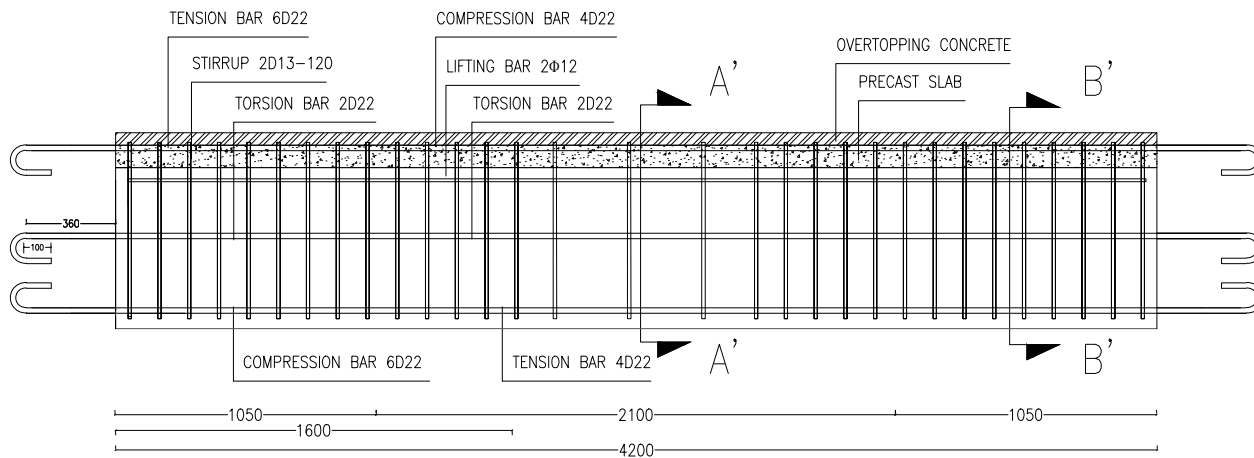
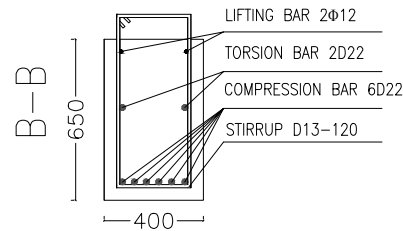
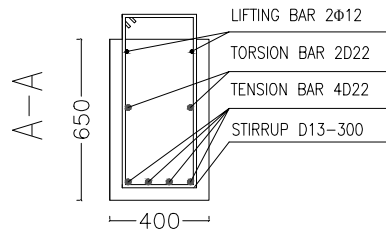
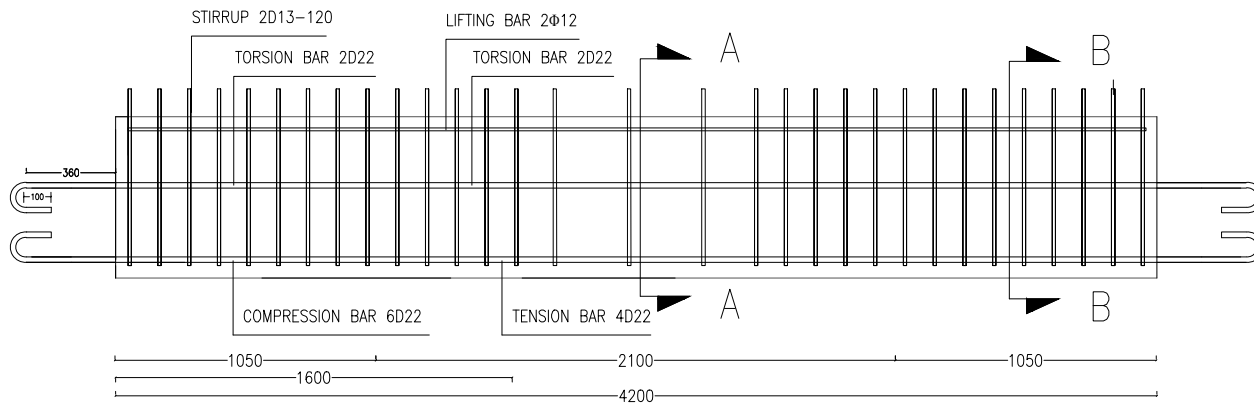
3112100025

NUMBER

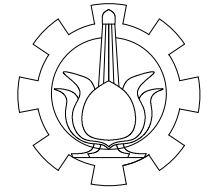
49

TOTAL

61



PRECAST TRANSVERSAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA3 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

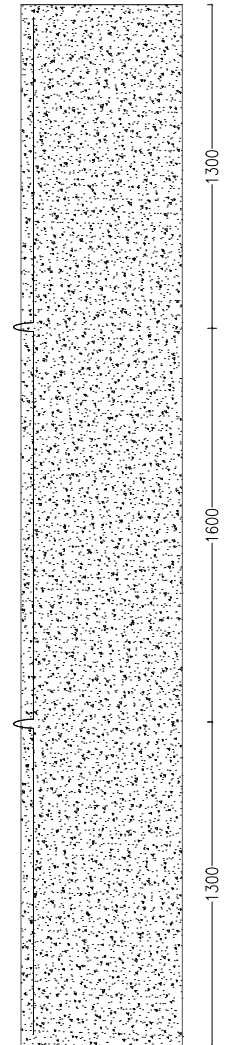
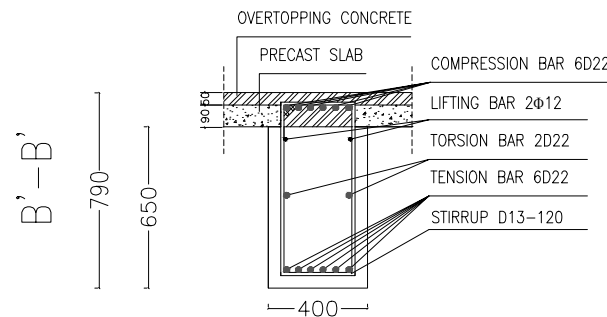
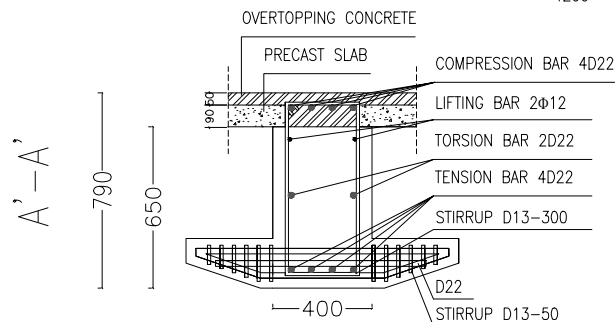
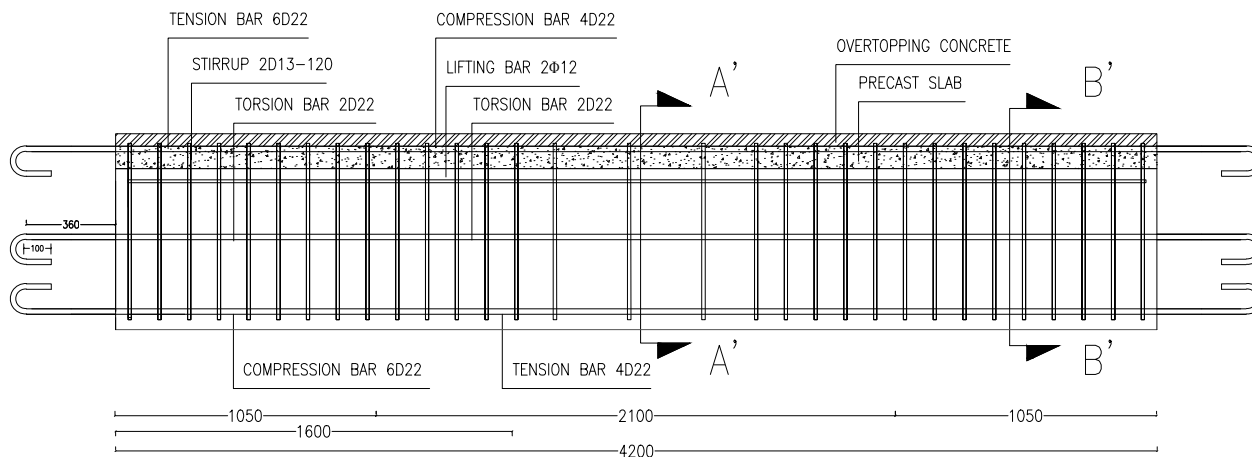
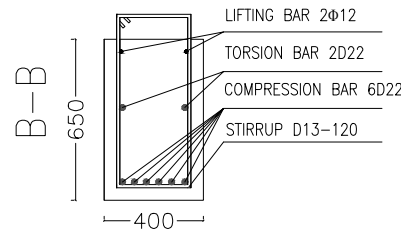
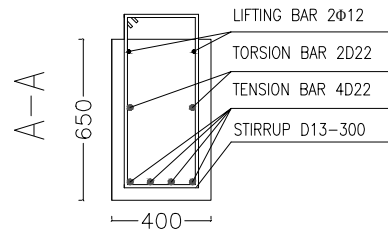
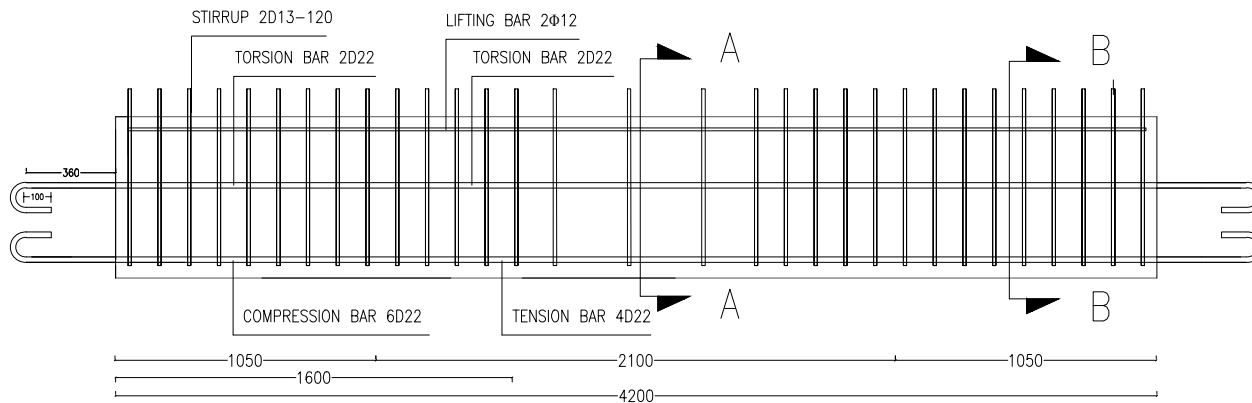
3112100025

NUMBER

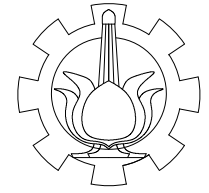
50

TOTAL

61



PRECAST INTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA1 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

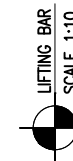
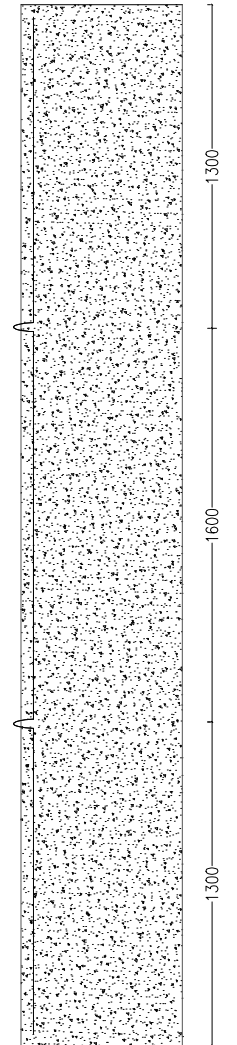
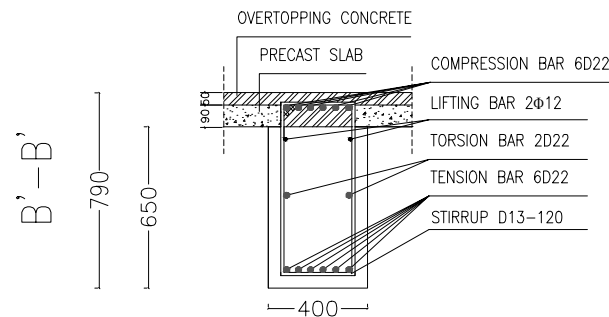
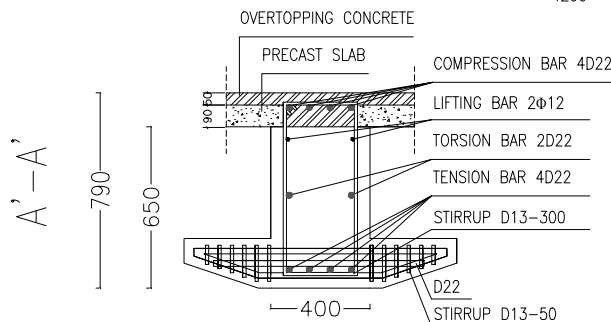
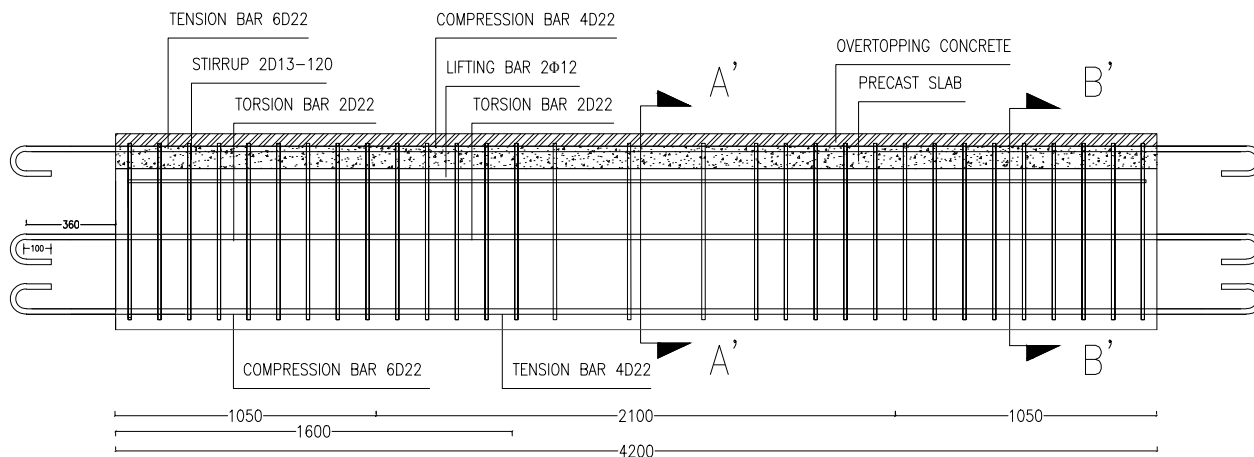
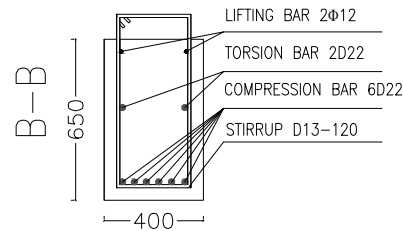
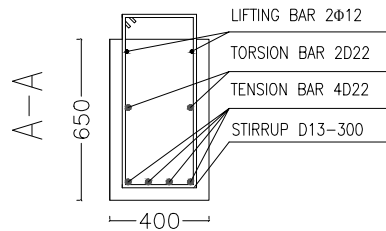
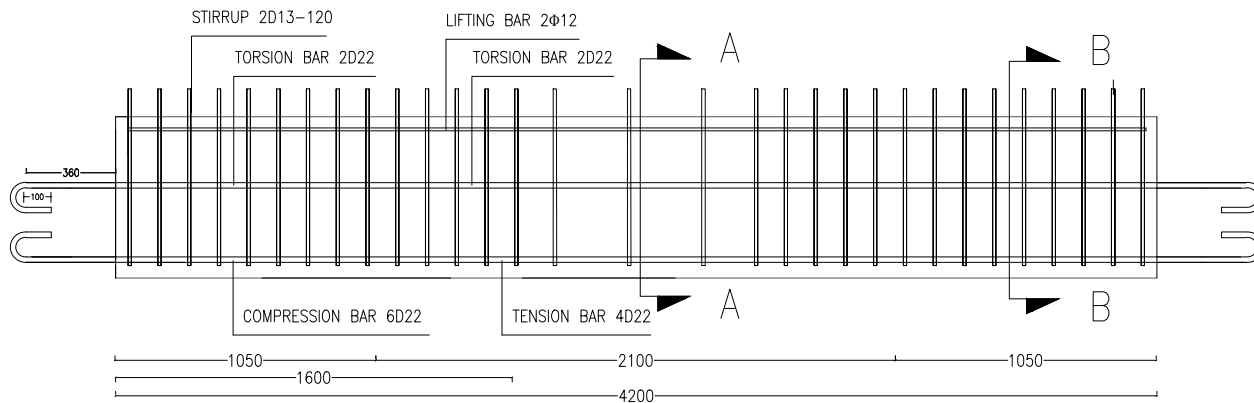
3112100025

NUMBER

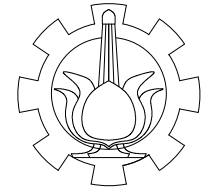
51

TOTAL

61



PRECAST INTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA3 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

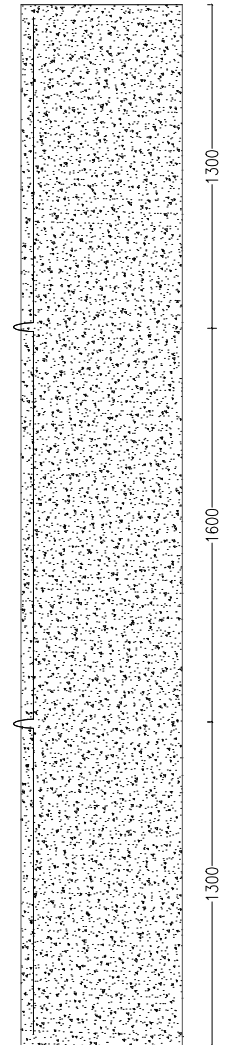
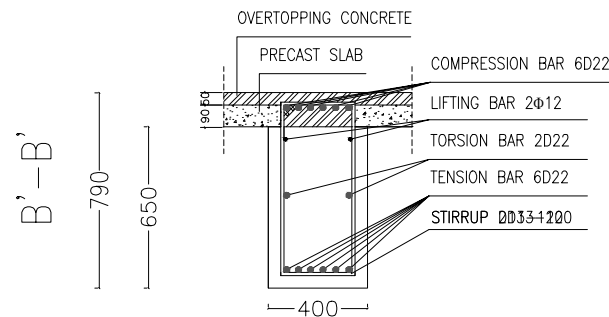
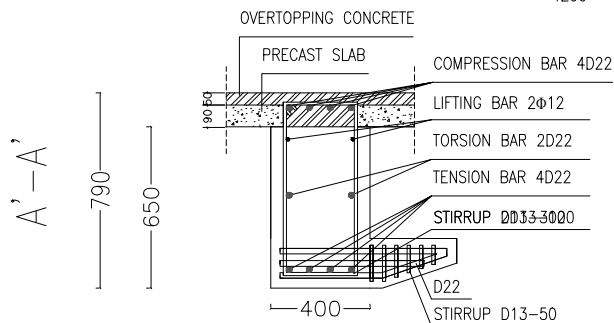
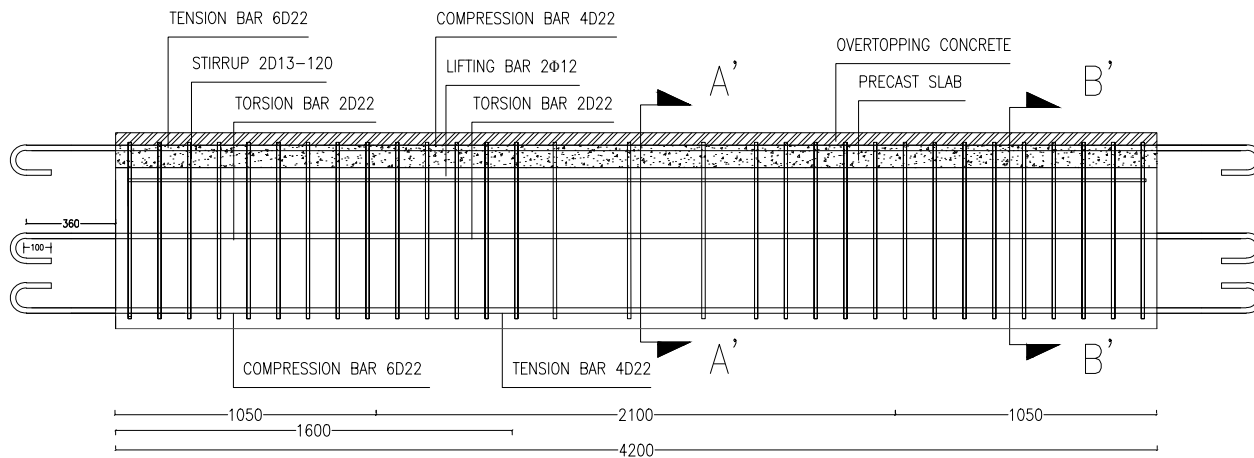
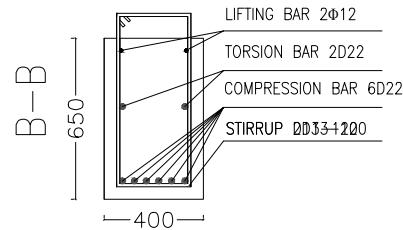
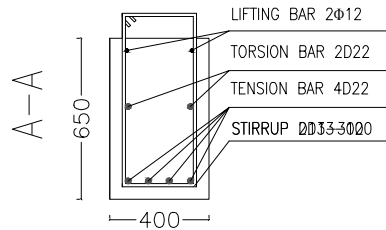
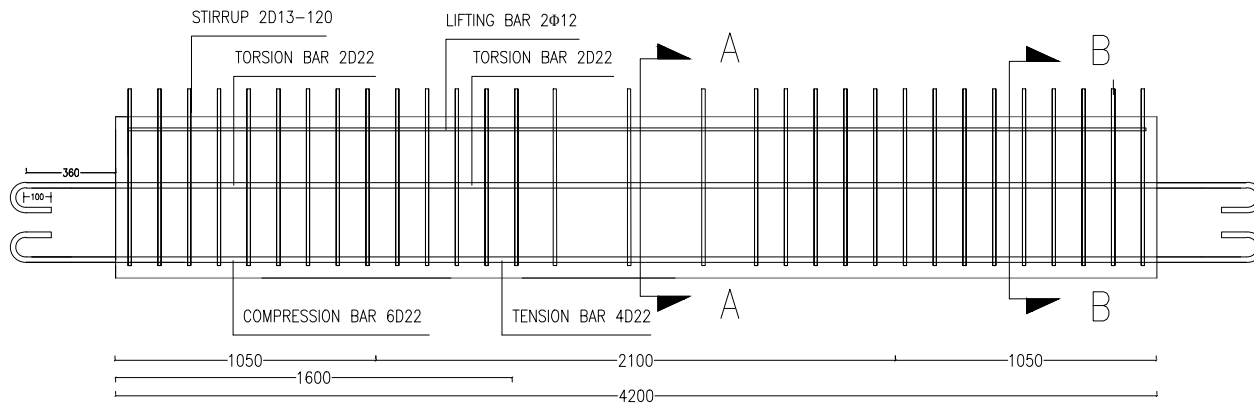
3112100025

NUMBER

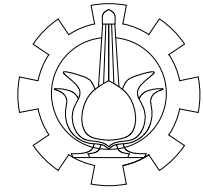
52

TOTAL

61



PRECAST EXTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA1 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

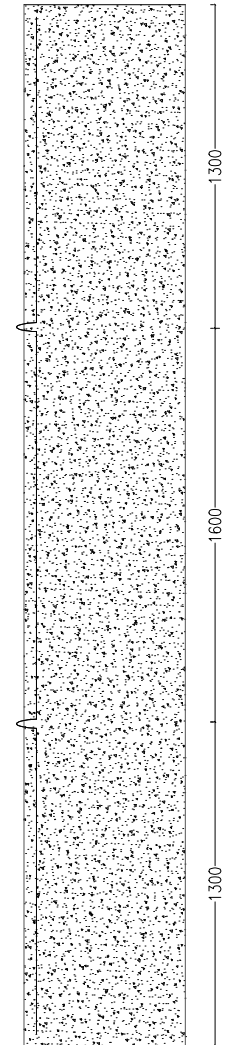
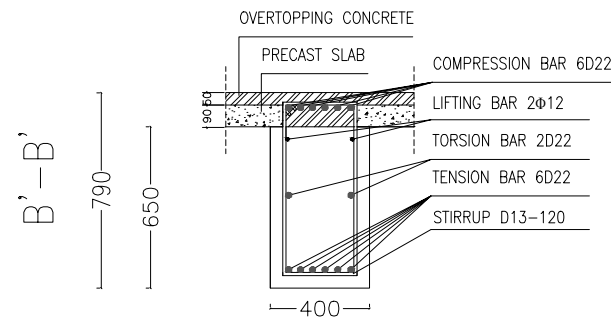
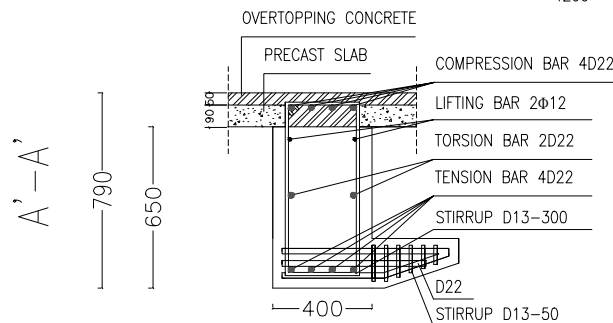
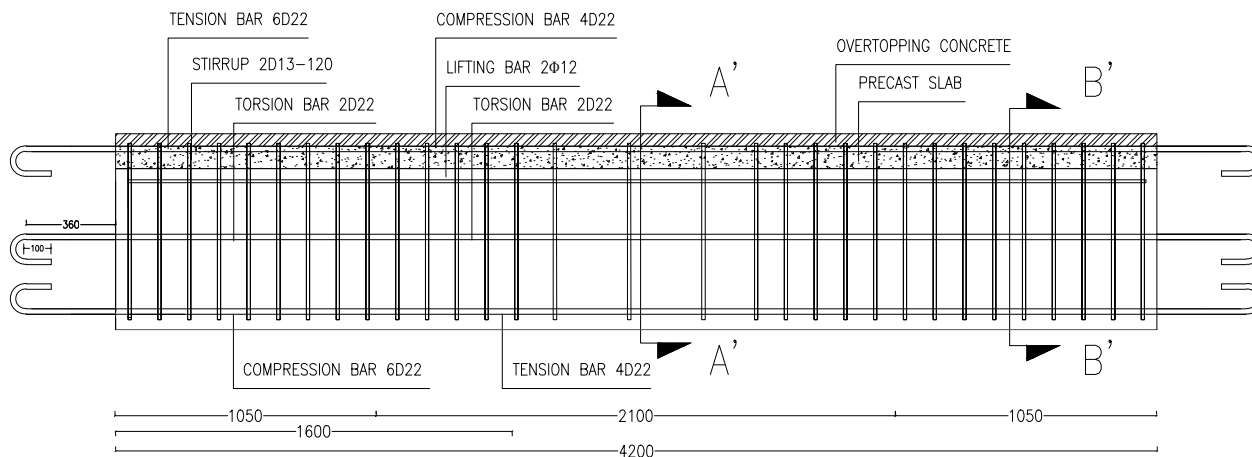
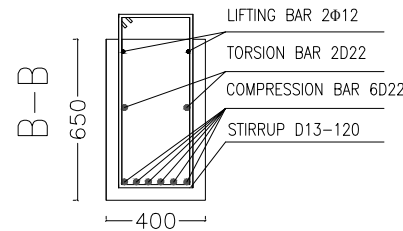
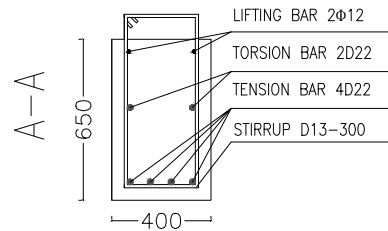
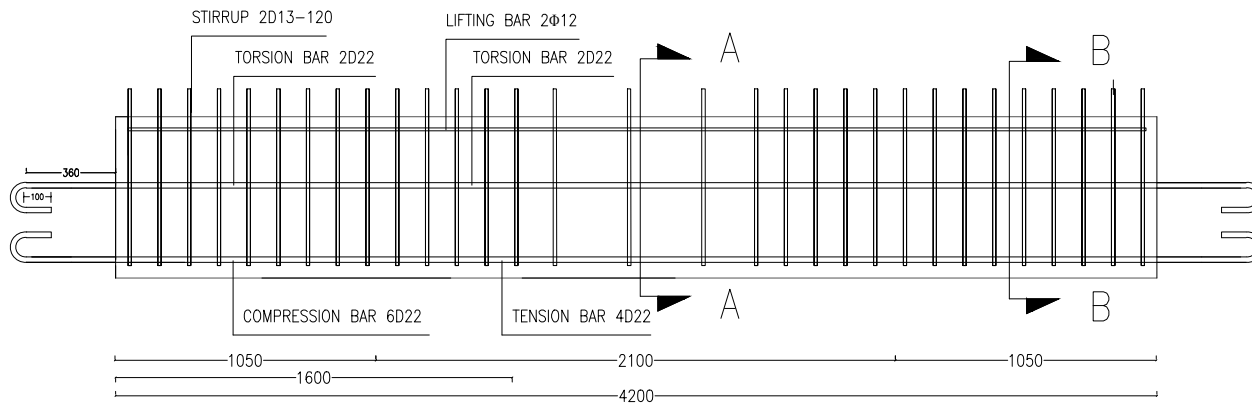
3112100025

NUMBER

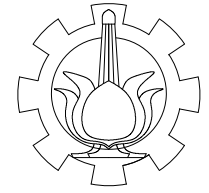
53

TOTAL

61



PRECAST EXTERIOR LONGITUDINAL PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT FOR BIA3 (ROOF)
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

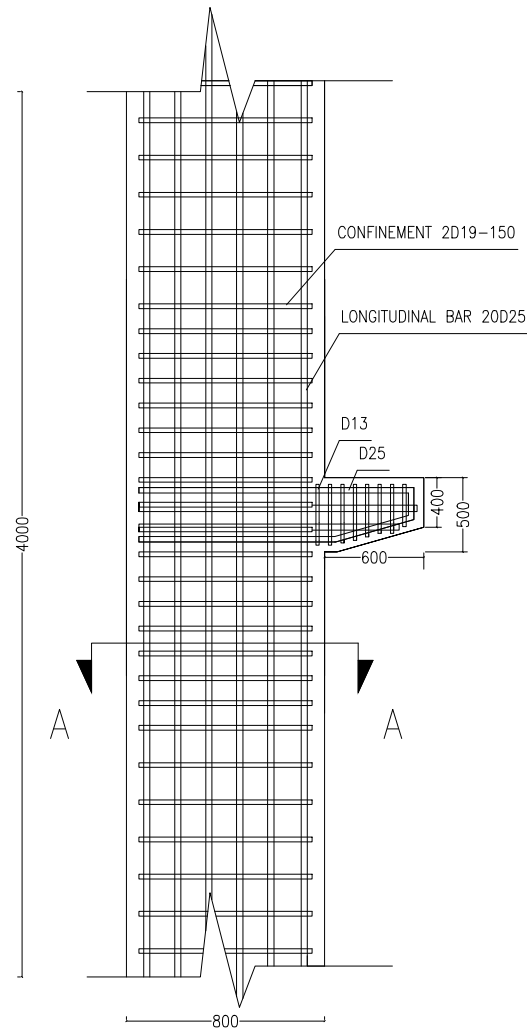
3112100025

NUMBER

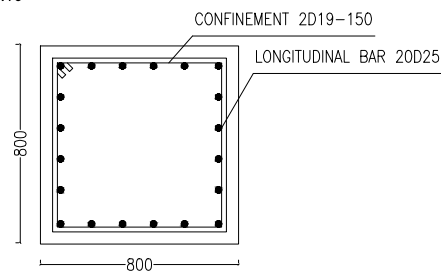
54

TOTAL

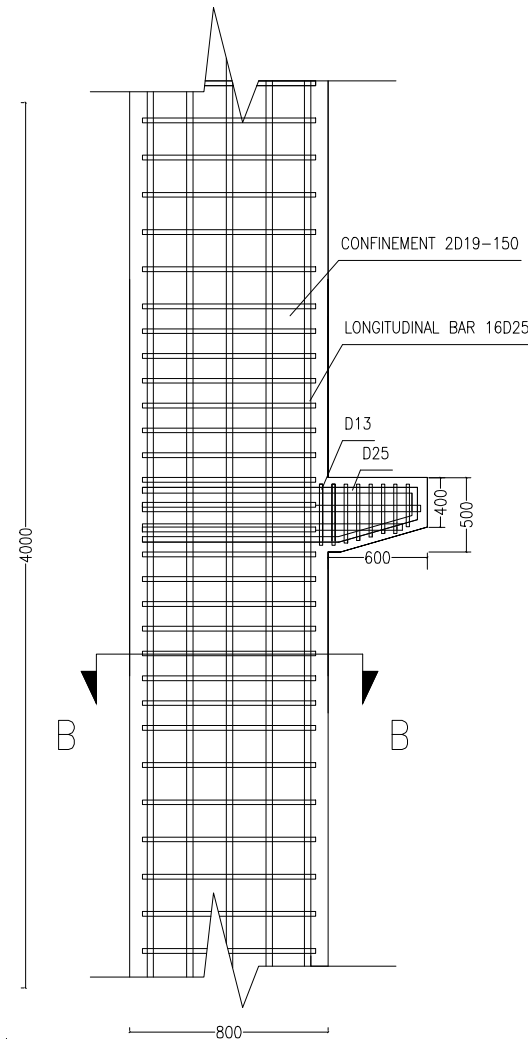
61



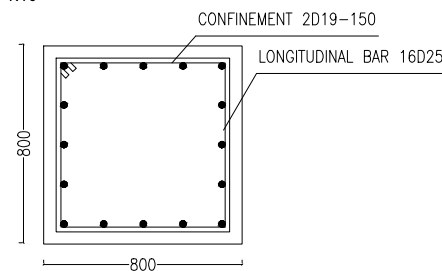
DETAILING OF REINFORCEMENT OF CAST IN PLACE PILLAR TYPE K1
SCALE 1:10



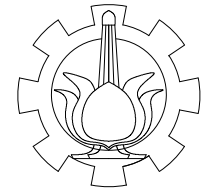
SECTION CUT A-A
SCALE 1:10



DETAILING OF REINFORCEMENT OF CAST IN PLACE PILLAR TYPE K2
SCALE 1:10



SECTION CUT B-B
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

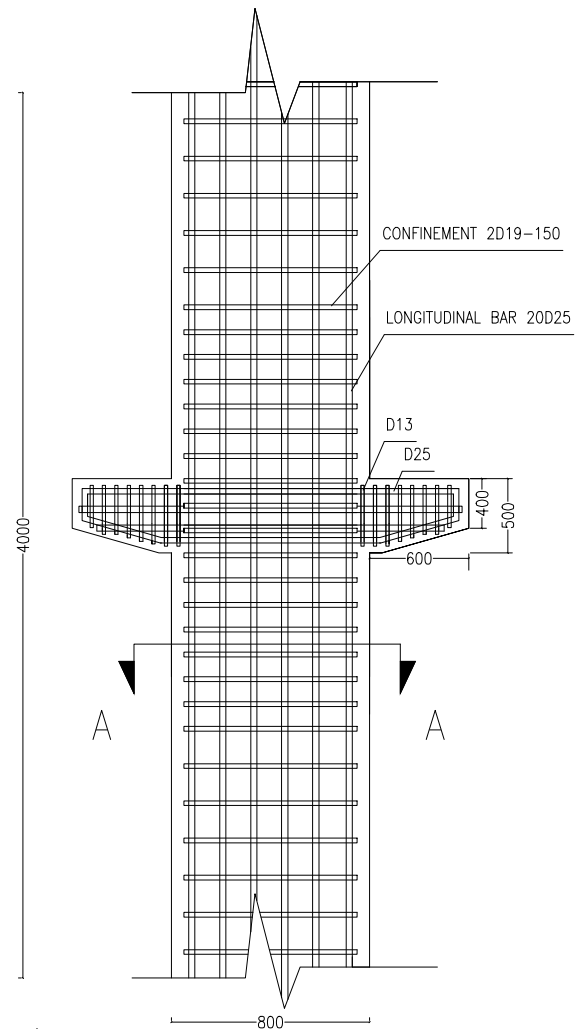
3112100025

NUMBER

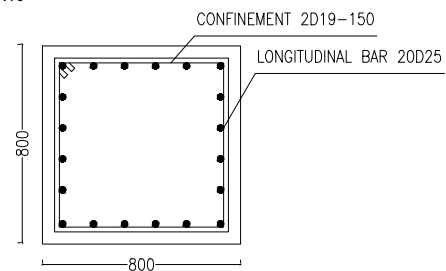
TOTAL

55

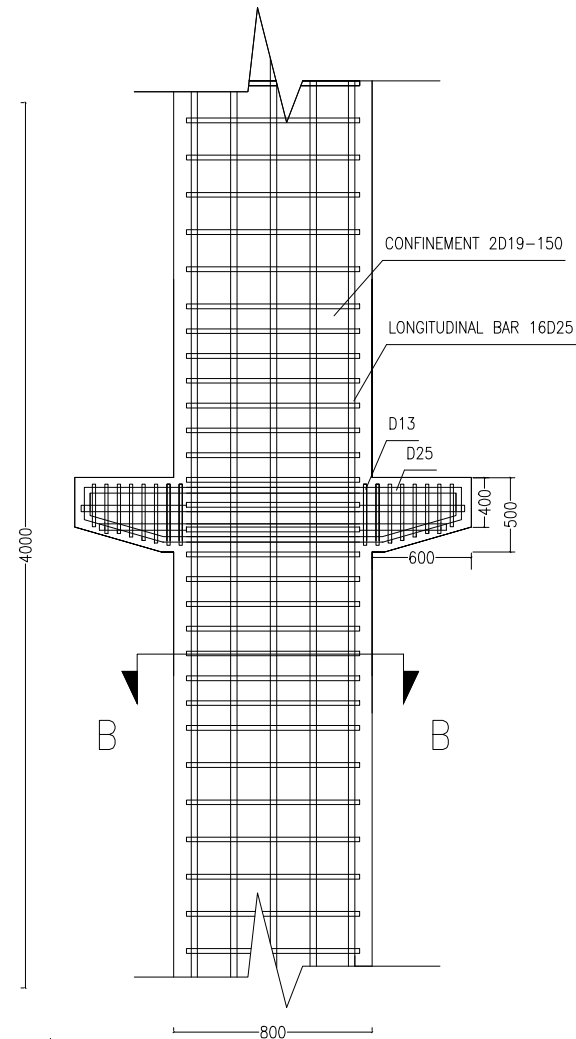
61



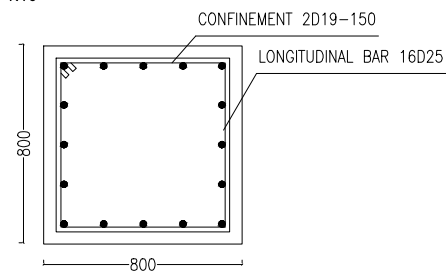
DETAILING OF REINFORCEMENT OF CAST IN PLACE PILLAR TYPE K1
SCALE 1:10



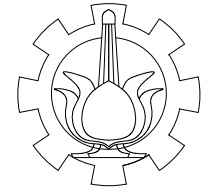
SECTION CUT A-A
SCALE 1:10



DETAILING OF REINFORCEMENT OF CAST IN PLACE PILLAR TYPE K2
SCALE 1:10



SECTION CUT B-B
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

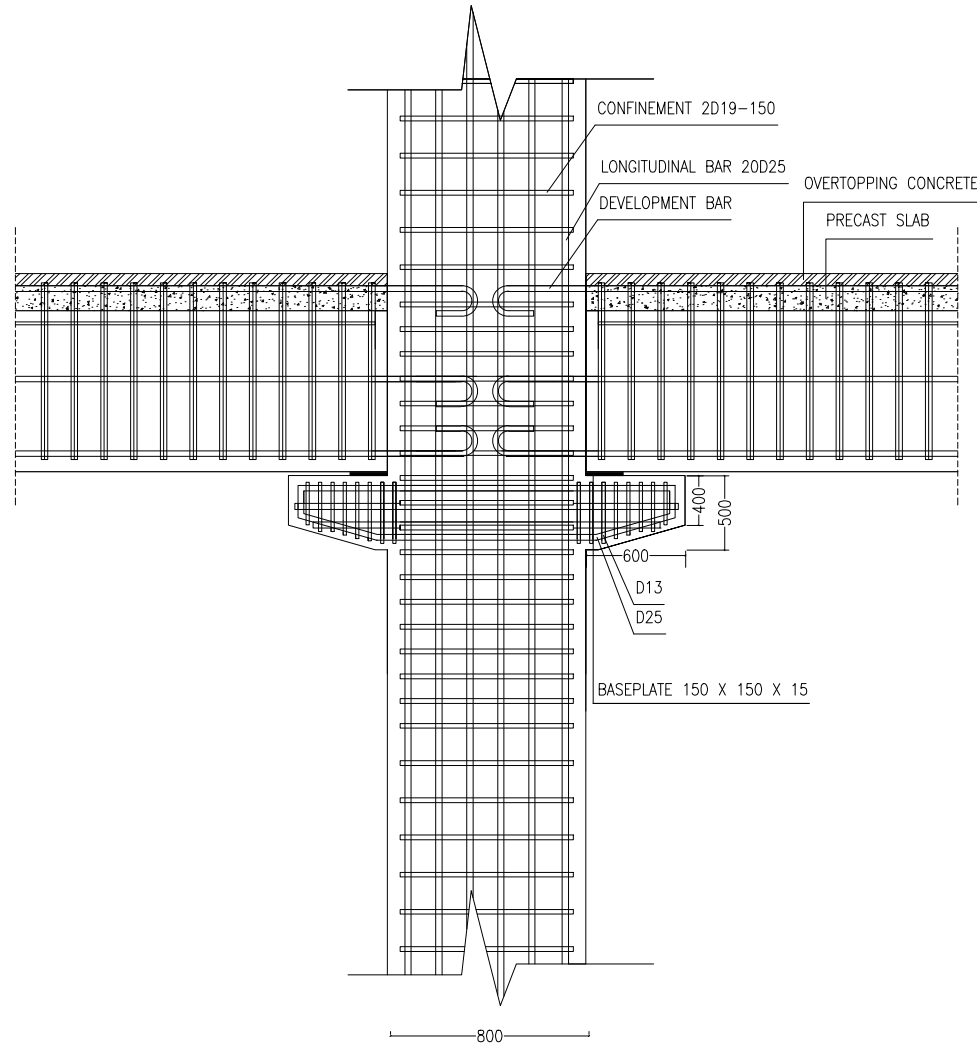
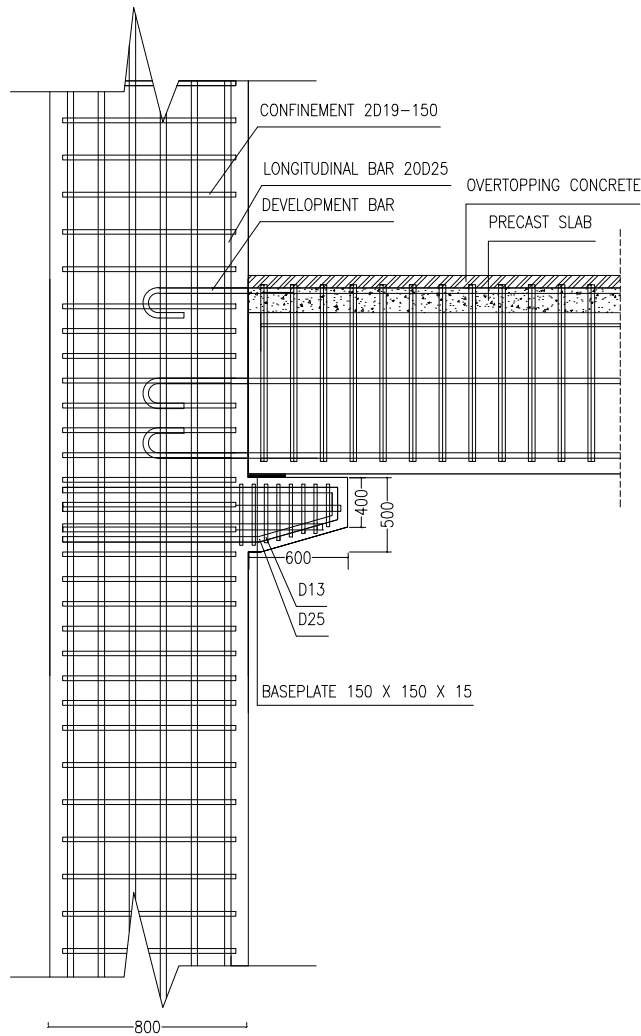
3112100025

NUMBER

TOTAL

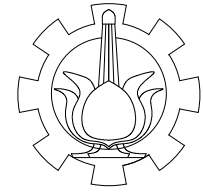
56

61



DETAILING OF CONNECTION OF EXTERIOR PILLAR AND PRIMARY BEAM
SCALE 1:10

DETAILING OF CONNECTION OF INTERIOR PILLAR AND PRIMARY BEAM
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

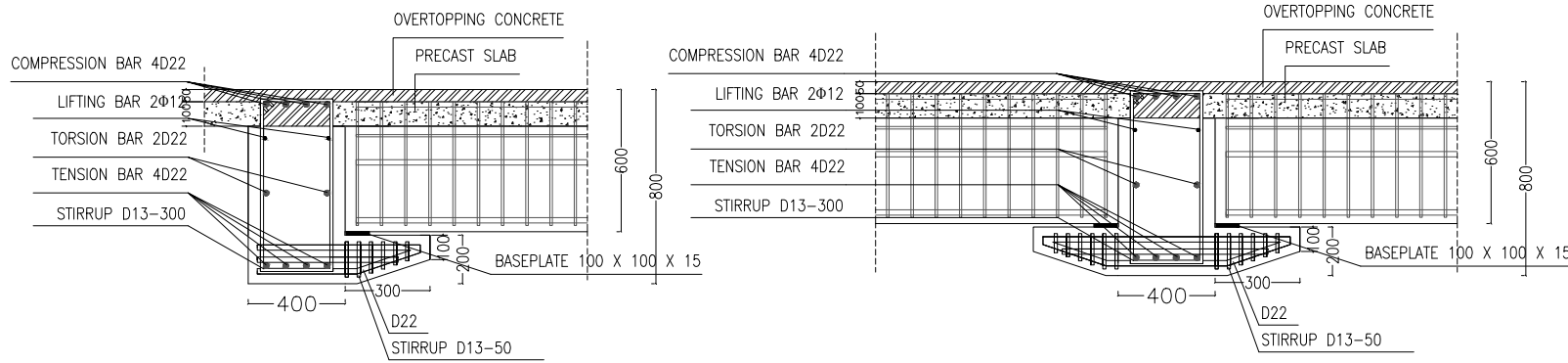
3112100025

NUMBER


57

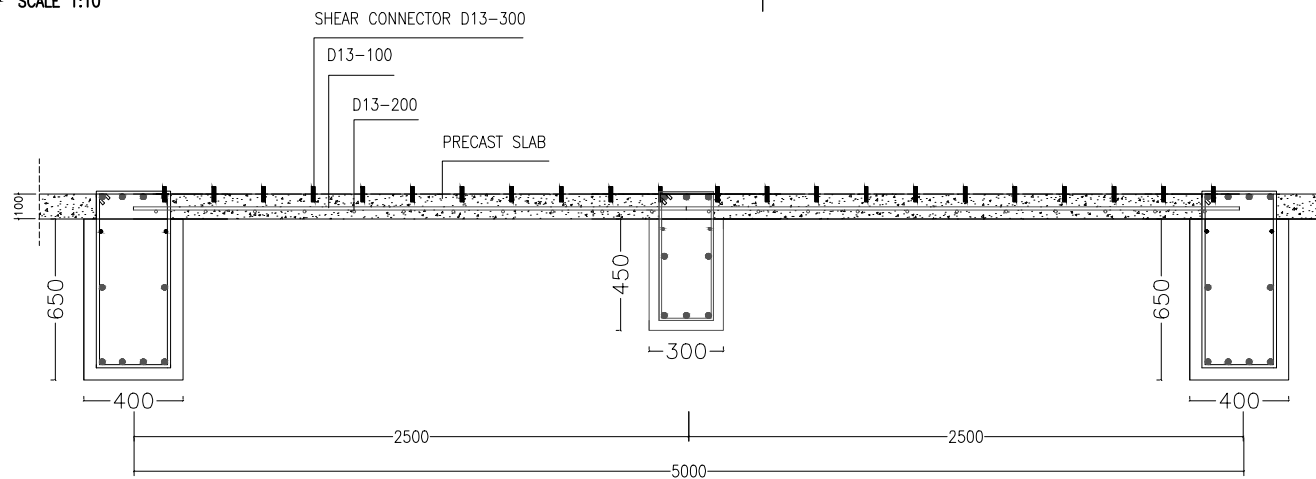
TOTAL

61

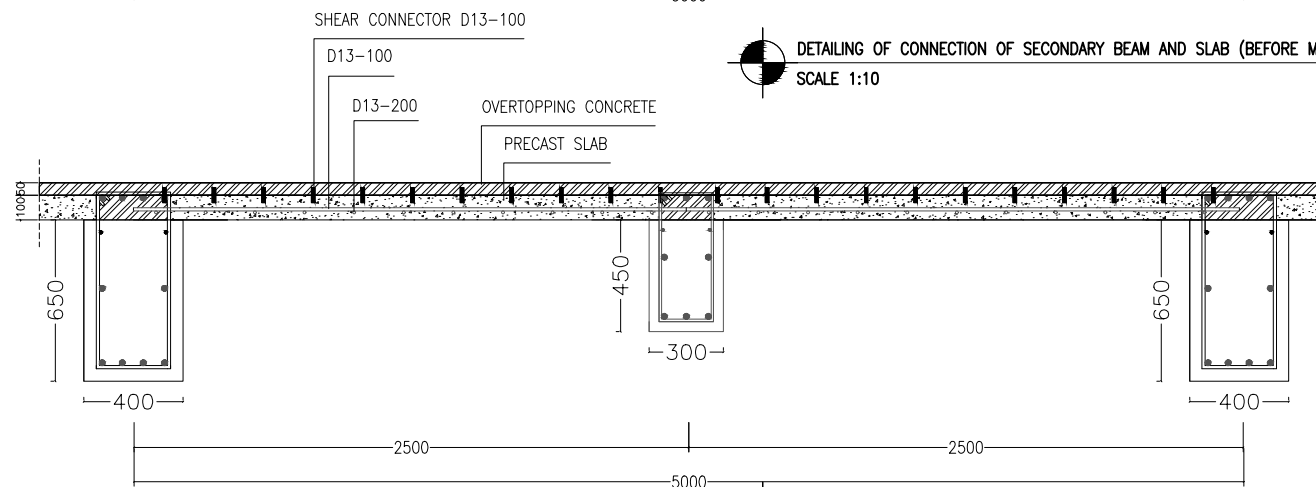



 **DETAILING OF CONNECTION OF EXTERIOR PRIMARY BEAM AND SECONDARY BEAM**
SCALE 1:10

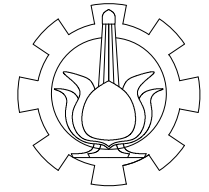
 **DETAILING OF CONNECTION OF INTERIOR PRIMARY BEAM AND SECONDARY BEAM**
SCALE 1:10



 **DETAILING OF CONNECTION OF SECONDARY BEAM AND SLAB (BEFORE MONOLITH)**
SCALE 1:10



 **DETAILING OF CONNECTION OF SECONDARY BEAM AND SLAB (AFTER MONOLITH)**
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

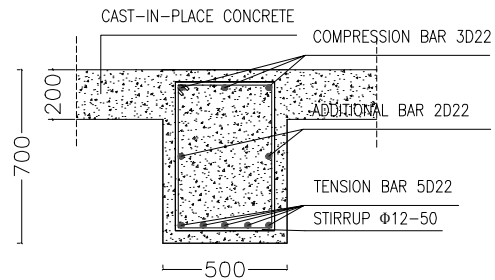
3112100025

NUMBER

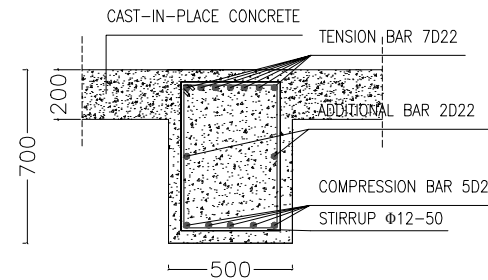
TOTAL

58

61



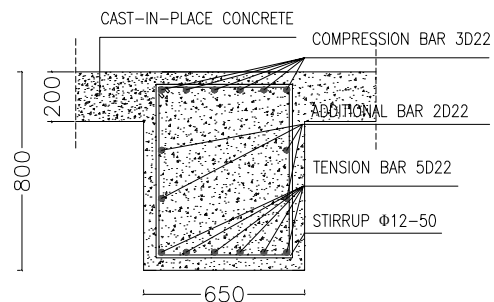
FIELD



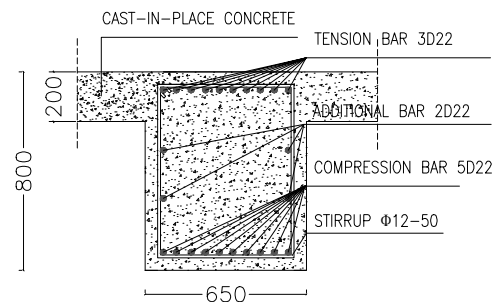
SUPPORT



BASEMENT SECONDARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT
SCALE 1:10



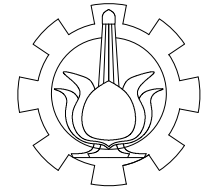
FIELD



SUPPORT



BASEMENT PRIMARY BEAM'S REINFORCEMENT DETAIL BLUEPRINT
SCALE 1:10



DEPARTEMENT OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

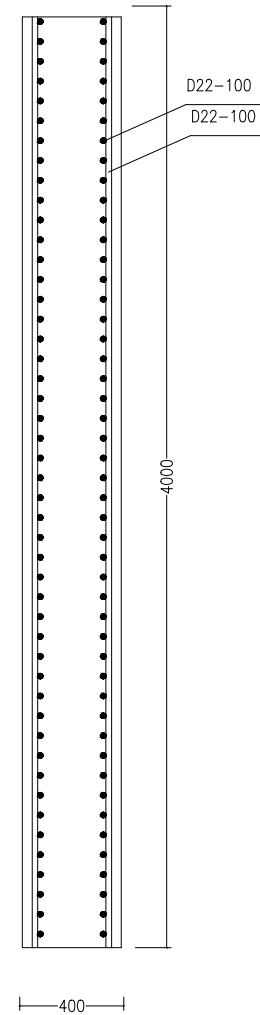
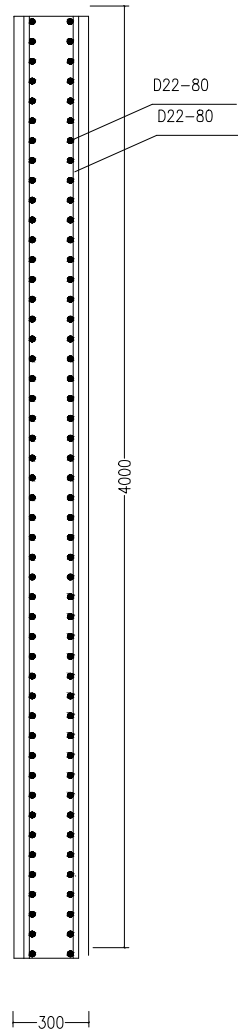
3112100025

NUMBER

TOTAL

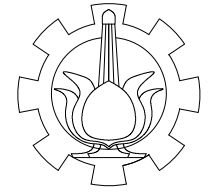
59

61



 **DETAILING OF REINFORCEMENT OF BASEMENT RETAINING WALL**
SCALE 1:10

 **DETAILING OF REINFORCEMENT OF SHEAR WALL**
SCALE 1:10



DEPARTEMEN OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT's NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT's NAME

SOCA FAHREZA I.

STUDENT's ID NUMBER

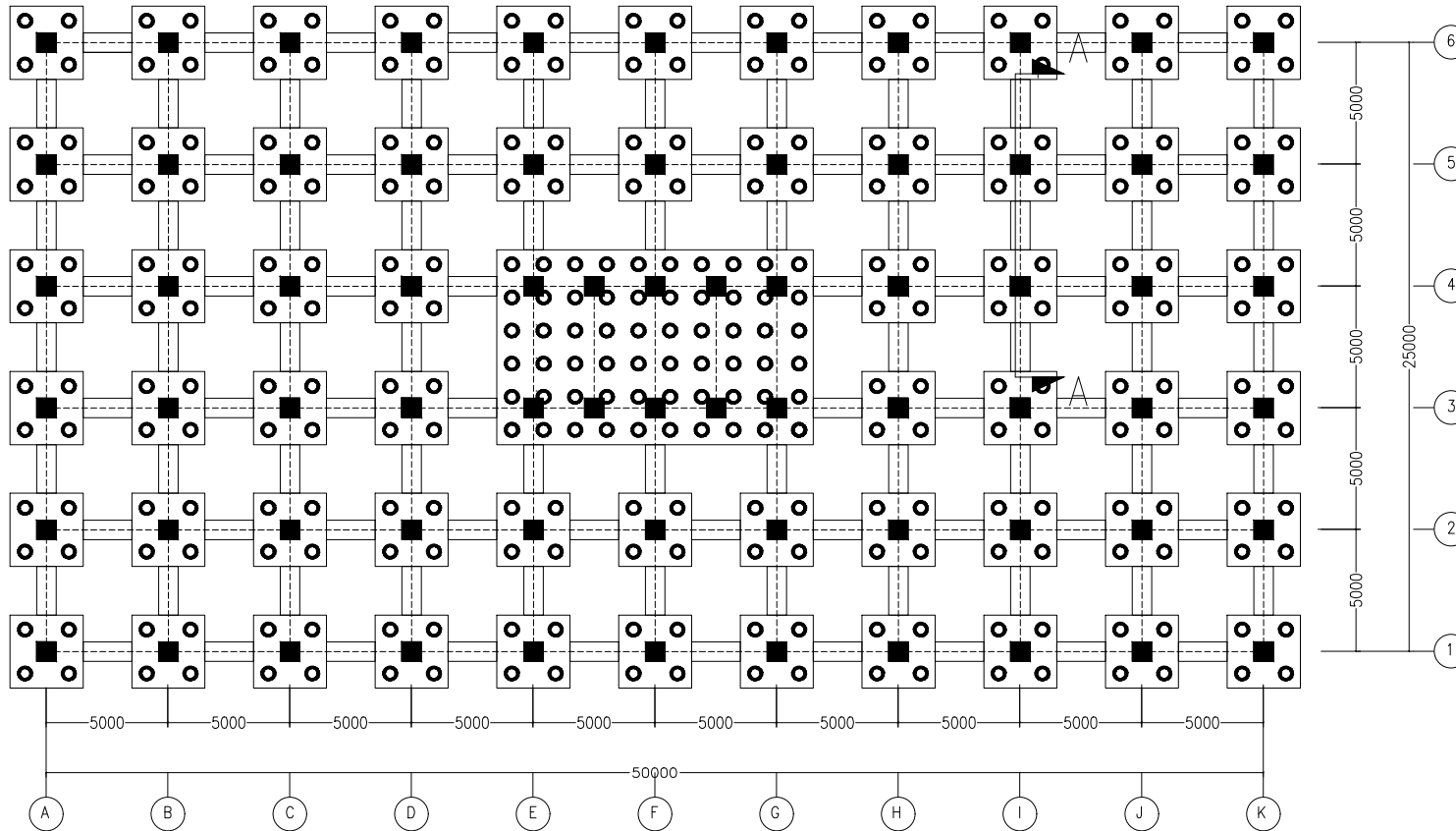
3112100025

NUMBER

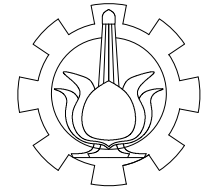
TOTAL

60

61



PILECAP BLUEPRINT
SCALE 1:100



DEPARTEMENT OF CIVIL
ENGINEERING
FACULTY OF CIVIL ENGINEERING
AND PLANNING
TENTH OF NOVEMBER INSTITUTE
OF TECHNOLOGY SURABAYA
2016

PROJECT'S NAME

FINAL PROJECT

TECHNICAL DRAWING

STRUCTURAL

SCALE

1:100

ADVISOR LECTURER

DATA IRANATA, ST, MT, PhD.

Dr. Ir. DJOKO IRAWAN, MS.

STUDENT'S NAME

SOCA FAHREZA I.

STUDENT'S ID NUMBER

3112100025

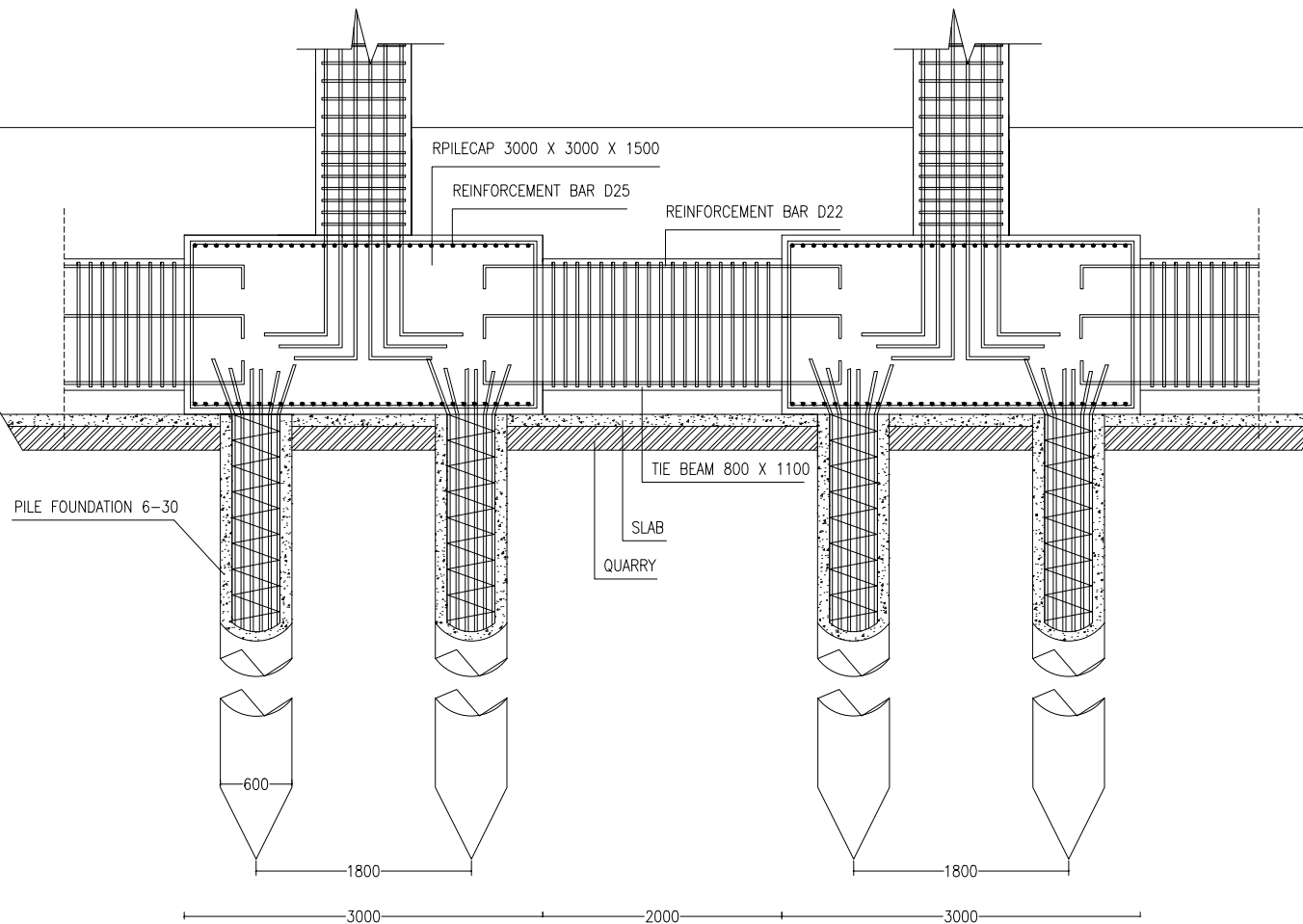
NUMBER

TOTAL

61

61

-4.00 m



SECTION CUT A-A
SCALE 1:20



LABORATORIUM MEKANIKA TANAH & BATUAN

JURUSAN TEKNIK SIPIL

FAKULTAS TEKNIK SIPIL DAN PERENCANAAN - ITS

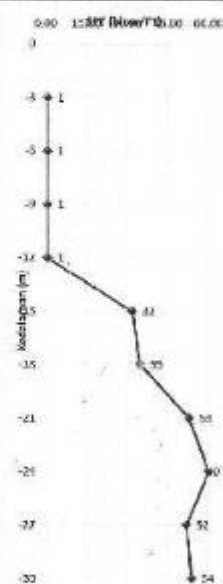
Kampus ITS, Keputih Dukuho Surabaya 60111, Telp. 031 5994251-55 Fax 1140 Telp/fax 031 592 8801, e-mail : tanah.its@gesit.com

LEGEND	PASIR	LEMPUNG	LANAU	KERIKIL	BATU BATA	UNDISTURBED SAMPLE	MAT

KLIEN : PT. KOPPELLAND
 PROYEK : Perencanaan Pembangunan Apartemen
 LOKASI : Jl. Kenjeran No.504, Hotel Puspa Asri, Surabaya
 TITIK BOR No. : BH - 5 (Lima)

TANGGAL : 22 - 23 Agustus 2016
 MASTER BOR : Ropli Cs
 ELEVASI : ±0.00 m - MT
 MAT : -1,0 m

KEDALAMAN (meter)	BOR LOG	DESKRIPSI TANAH	SAMPLE	SPT (blow/feet)			SPT (blow/feet)
				SP1 (15cm)	Jumlah (blow/ft)		
0				15	15	15	0
2		PASIR KERIKIL BERLANAU (COKLAT)					1
4		LEMPUNG BERLANAU (ABU-ABU)		145			1
6		PASIR BERLANAU (ABU-ABU)		145			1
8				145			1
10		LEMPUNG BERLANAU (ABU-ABU)		145			1
12				145			1
14				6	14	16	32
16		LEMPUNG BERPASIR BERLANAU (COKLAT)		9	16	19	36
18		LEMPUNG BERPASIR BERKERIKIL (COKLAT)		21	25	28	53
20				>60			50
22		LEMPUNG PASIR BERKERIKIL (COKLAT)		19	22	30	52
24							
26		PASIR BERLEMPUNG BERKERIKIL (COKLAT)		21	24	30	54
28							
30		LEMPUNG BERPASIR (ABU-ABU)					

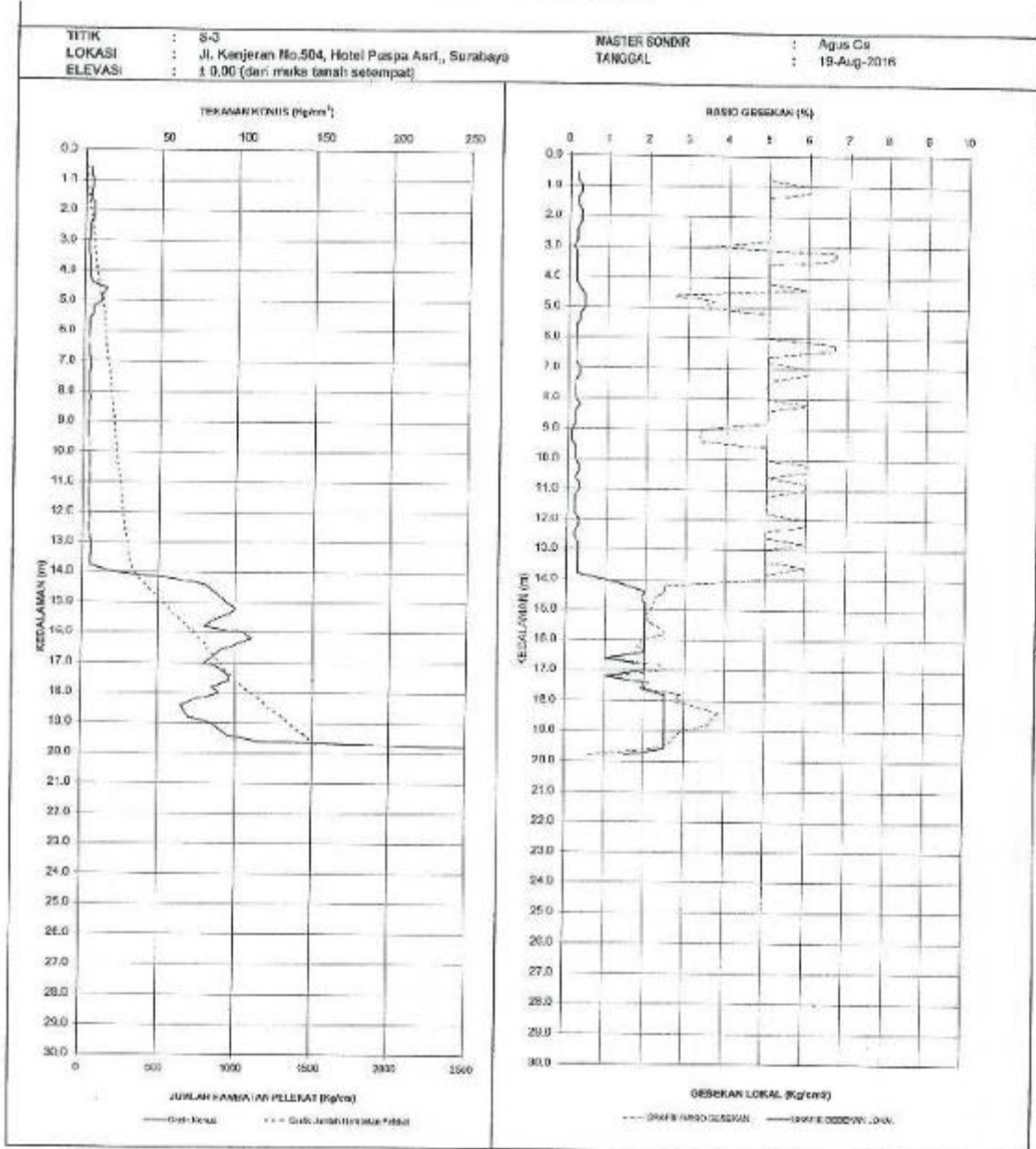




LABORATORIUM MEKANIKA TANAH & BATUAN

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN - ITS
Kampus ITS, Keputih Sukolilo Surabaya 60111,
Telp. 031 5994251 – 55, Psw. 1140.

GRAFIK SONDIR

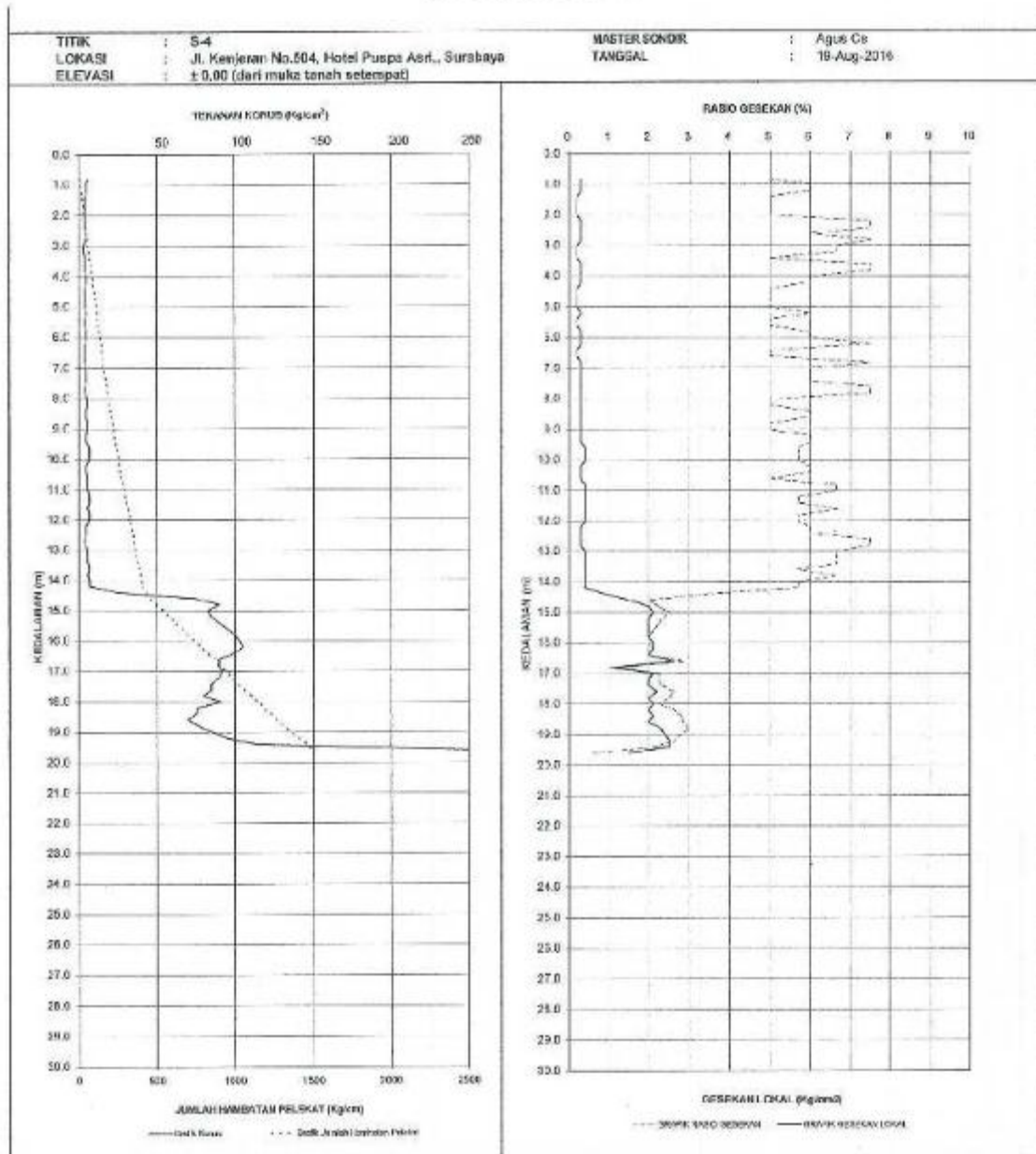




LABORATORIUM MEKANIKA TANAH & BATUAN

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN - ITS
Kampus ITS, Keputih Sukolilo Surabaya 60111,
Telp. 031 5994251 – 55, Psw. 1140.

GRAFIK SONDIR

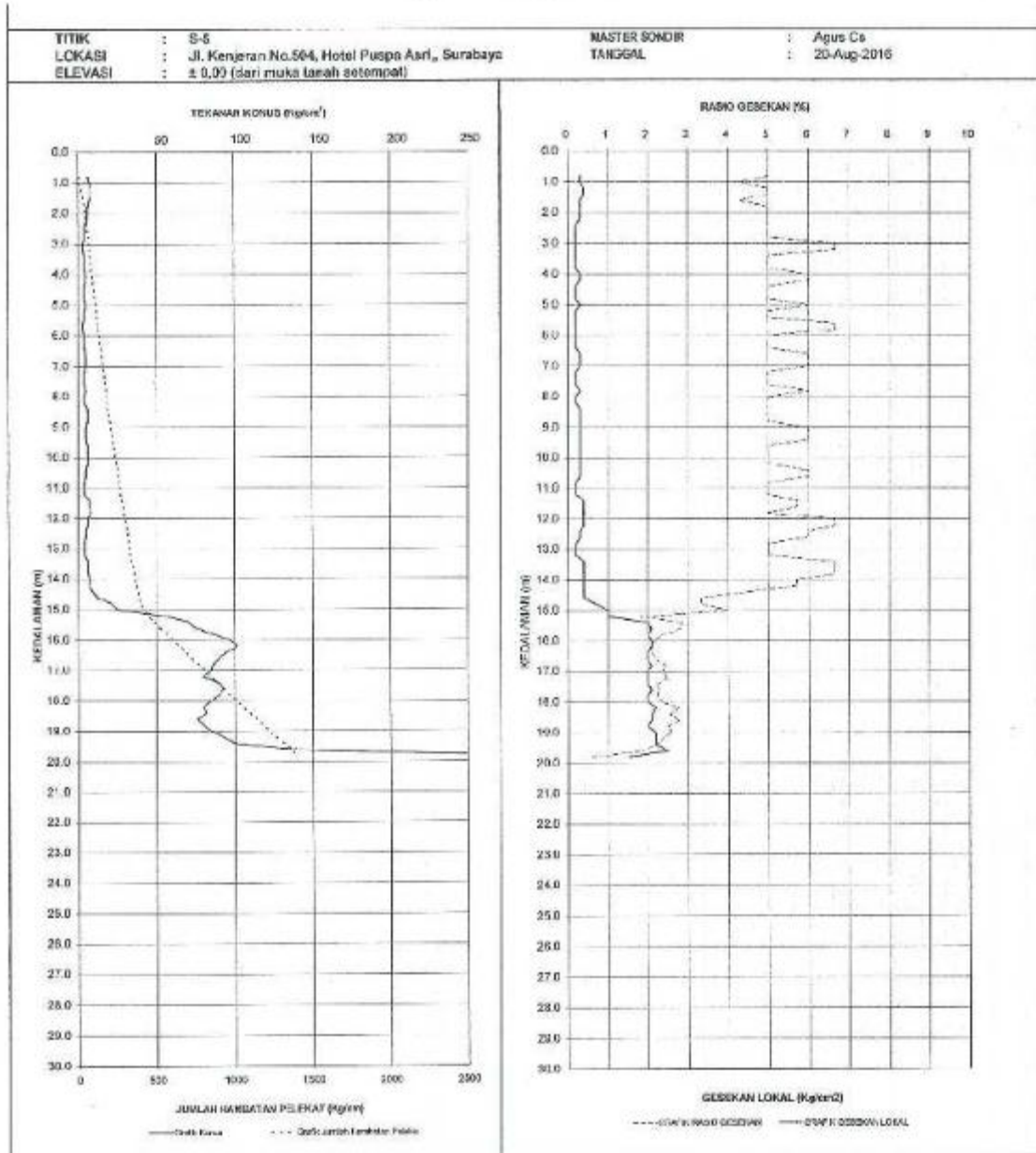




LABORATORIUM MEKANIKA TANAH & BATUAN

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN - ITS
Kampus ITS, Kepuli Sukoilo Surabaya 60111,
Telp. 031 5994251 – 55, Psw. 1140,

GRAFIK SONDIR





LABORATORIUM MEKANIKA TANAH & BATUAN
JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN - ITS

Kampus ITS, Kopiah Sukolilo Surabaya
 Telp. 031 5984251 - 55 Psw. 1140,
 Telefax: 031 5928801, e-mail: tanah@geotek.com

REKAP HASIL TEST LABORATORIUM

KLIEN : PT. KOPEL LAHAN ANDALAM
 PROYEK : PEMBANGUNAN APARTEMEN
 LOKASI : JL. KENJERAN 504 SURABAYA

TIK BOR : BH - 5
 MASTER BOR : Ropli C5

DEPTH (Meter)	VOLUMETRIC GRAVIMETRIC						CONSOLIDATION				
	Gs	Sr	Wg	w	e	vd	σ _{at}	σ _{at}	pp	cp	cv
-7.50	2.657	1.567	100.00	59.42	61.14	1.038	1.027	1.636	1.07	0.841	5.20E-03
-16.00	2.697	1.597	100.00	46.09	64.48	1.727	1.182	1.727	*	*	*
-21.50	2.615	0.879	100.00	33.61	48.78	1.860	1.392	1.859	*	*	*
-30.00	2.729	0.772	100.00	28.20	43.67	1.976	1.540	1.976	*	*	*

DEPTH (Meter)	SIEVE ANALYSIS			ATTERBERG LIMITS			DIRECT TEST			UNCONSOLIDATED TEST			TRIAxIAL CD			VANE TEST		k (cm/sec)
	G	S	S+Cl	LL	PL	IP	c	φ	C _u	w _L	C _c	w _p	φ _v	Su	σ _v			
-7.50	0.00	11.30	86.91	63.45	28.65	34.30	*	*	*	*	*	*	*	*	0.75	*		
-16.00	0.00	32.77	67.23	63.26	30.75	23.53	*	*	*	*	*	*	*	*	*	*		
-21.50	12.26	30.87	56.78	42.67	20.68	13.19	*	*	*	*	*	*	*	*	*	*		
-30.00	0.00	28.49	70.93	59.37	31.26	26.12	*	*	*	*	*	*	*	*	*	*		

REMARK

G = Gravel (%)
 S = Sand (%)
 S + Cl = Silt + Clay (%)

LL = Liquid Limit (%)
 PL = Plastic Limit (%)
 IP = Plastic Index (%)

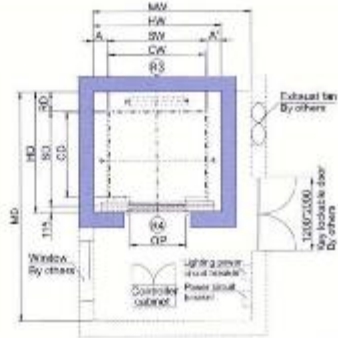
C_u = Coefficient of Uniformity
 C_c = Coefficient of Curvature
 w_L = Liquid Limit (%)
 w_p = Plastic Limit (%)
 φ = Friction Angle (degrees)
 φ_v = Vane Friction Angle (degrees)
 Su = Undrained Shear Strength (kg/cm²)
 σ_v = Angle of Internal Friction (degrees)
 k = Coefficient of permeability (cm/sec)

* = Not test

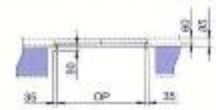


LAYOUT - CENTER OPENING (capacity 450-1000kg)

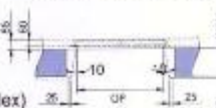
HOISTWAY & MACHINE ROOM PLAN (Simplex)



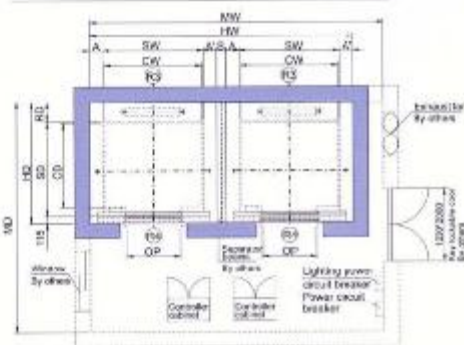
NARROW JAMB DETAIL



WIDE JAMB DETAIL



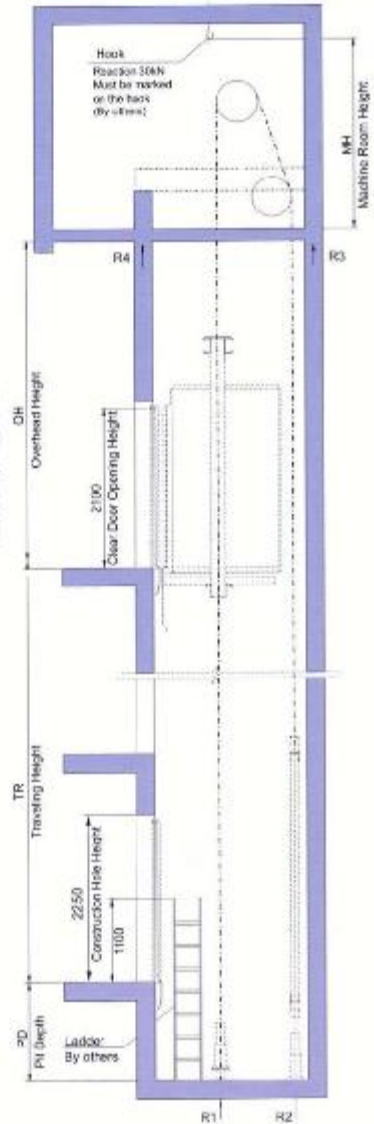
HOISTWAY & MACHINE ROOM PLAN (Duplex)



OVERHEAD, PIT DEPTH & MACHINE ROOM HEIGHT

Speed (mm/s)	Overhead OH (mm)	Pit Depth PD (mm)	Machine Room Height MH (mm)
50	4400	1300	2500
90	4500	1400	2500
105	4600	1500	2500

HOISTWAY ELEVATION





DATA SHEET-CENTER OPENING (capacity 450-1000kg)

PLANNING GUIDE FOR DIMENSIONS

Unit:mm

Speed (mm/s)	Capacity (Person)	Entrance		Car Size		Dimensions			Highway Size			Machine Room Size		Machine Room		PI Position				
		Low Rail	Center Opening (mm)	Inside	Outside	Inside	AAA	BB	CC	Simplex	Duplex	Simplex	Duplex	Reaction Loading	Load (kg)	R1	R2			
60	6	450	800	1400×850	1450×1015	200	320	150	1850	1850	3850	1450	2350	3450	4300	3450	3600	2300	5300	4400
	7	550	800	1400×1000	1450×1185	200	320	150	1850	1850	3850	1600	2350	3800	4300	3600	4000	2600	6200	5100
	8	630	800	1400×1100	1450×1285	200	320	150	1850	1700	3850	1700	2350	3700	4300	3700	4200	2800	6700	5500
	9	680	800	1400×1200	1450×1385	200	320	150	1850	1800	3850	1800	2350	3800	4300	3800	4600	3100	7200	5800
	10	750	800	1400×1300	1450×1485	200	320	150	1850	1900	3850	1900	2350	3900	4300	3900	5200	3300	7800	6300
	10	800	800	1400×1350	1450×1515	200	320	150	1850	1950	3850	1950	2350	3950	4300	3950	5600	3500	8300	6700
	12	900	900	1600×1300	1650×1485	225	320	150	2100	1900	4350	1900	2600	3900	4800	3900	6100	3800	9200	7400
13	1000	900	1800×1400	1850×1585	225	320	150	2100	2000	4350	2000	2600	4000	4850	4000	6700	4100	10100	8100	

Unit:mm

Speed (mm/s)	Capacity (Person)	Entrance		Car Size		Dimensions			Highway Size			Machine Room Size		Machine Room		PI Position				
		Low Rail	Center Opening (mm)	Inside	Outside	Inside	AAA	BB	CC	Simplex	Duplex	Simplex	Duplex	Reaction Loading	Load (kg)	R1	R2			
90	7	500	800	1400×1010	1450×1135	200	320	150	1850	1850	3850	1500	2350	3500	4350	3600	4400	2500	6200	5100
	8	600	800	1400×1100	1450×1285	200	320	150	1850	1700	3850	1700	2350	3700	4350	3700	4700	3000	6700	5600
	9	680	800	1400×1200	1450×1385	200	320	150	1850	1800	3850	1800	2350	3800	4350	3800	4900	3100	7200	5800
	10	750	800	1400×1300	1450×1485	200	320	150	1850	1900	3850	1900	2350	3900	4350	3900	5300	3300	7800	6300
	10	800	800	1400×1350	1450×1515	200	320	150	1850	1950	3850	1950	2350	3950	4350	3950	5600	3500	8300	6700
	12	900	900	1600×1300	1650×1485	225	320	150	2100	1900	4350	1900	2600	3900	4850	3900	6100	3800	9200	7400
	13	1000	900	1800×1400	1850×1585	225	320	150	2100	2000	4350	2000	2600	4100	4850	4200	6700	4100	10100	8100

ELECTRICAL DESIGN GUIDE

380V

Speed (mm/s)	Capacity (Person)	Motor Case (kW)	MCCB Capacity at Starting (A)		Power Supply Capacity (kVA)		Load in Wire Size (mm ²)		Earth Wire (Steelmm)	Heat Output (CJHR)
			Simplex	Duplex	Simplex	Duplex	Simplex	Duplex		
60	6	450	0.9	20	35	5.9	13.8	4	6	2870
	7	550	0.4	30	46	7.9	15.8	6	10	3456
	8	630	7.5	25	45	8.7	17.4	6	10	4050
	9	680	7.5	25	45	8.7	17.4	6	10	4050
	10	750	5	30	55	10.6	21.2	6	10	4860
	11	800	5	30	55	10.6	21.2	6	10	4860
	12	900	11	35	63	13.2	26.4	6	10	5940
90	7	450	7.5	25	45	8.7	17.4	6	10	4050
	8	630	5	30	63	10.6	21.2	6	10	4860
	9	680	11	35	63	13.2	26.4	6	10	5940
	10	750	13	45	90	17.4	34.8	10	16	8100
	11	800	13	45	90	17.4	34.8	10	16	8100
	12	900	13	45	90	17.4	34.8	10	16	8100
	13	1000	18.5	60	110	21.7	43.4	16	25	9990
105	6	450	11	35	63	13.2	26.4	6	10	5940
	7	550	11	35	63	13.2	26.4	6	10	5940
	8	630	11	35	63	13.2	26.4	6	10	5940
	9	680	13	45	90	17.4	34.8	10	16	8100
	10	750	13	45	90	17.4	34.8	10	16	8100
	11	800	13	45	90	17.4	34.8	10	16	8100
	13	1000	18.5	60	110	21.7	43.4	16	25	9990



ICP PILES

HIGH PERFORMANCE
PRETENSIONED SPUN HIGH STRENGTH
CONCRETE PILES



ISO 9001:2015
CERT. NO. 440122



NO. 024741-0001
ISSUE 0100-03-02-0200



ISO 9001:2015
CERT. NO. 11-02-0011
ISS. CT 10-2011
Cert. No. 001-0000

INTRODUCTION

INDUSTRIAL CONCRETE PRODUCTS SDN BHD (ICP) is the first commercial manufacturer of PRESTRESSMED SPUN CONCRETE PILES (ICP PC PILES) in Malaysia. Presently, ICP is the largest manufacturer in South East Asia.

The Company was incorporated in Malaysia on 6 April 1977 and commenced business in September 1977.

In September 1993 ICP started manufacturing HIGH PERFORMANCE Prestressed Spun High Strength Concrete Piles (ICP PHC PILES) which offers an economical foundation system with consistent and superior quality compared to the ordinary concrete piles. With the vast experience in the manufacturing of prestressed spun concrete piles and utilising the latest concrete technology, ICP is the market leader in concrete piles. ICP has recently introduced higher grade piles of Grade 90 into the market in 2011.

ICP Piles are circular in cross-section and are manufactured in steel casing from diameter 200mm to 1,200mm with standard lengths varying from 6m to 46m in single pieces. For the large diameter piles, ICP has pile joining facilities which are able to pre-join the pile up to 66m. This shall provide good quality welding and most importantly expedite the piling progress at site.

ICP Piles have been used extensively as foundation piles for power stations, highrise buildings, civil engineering works, bridges, marine structures, harbours, schools and government projects, etc.

ICP Piles are exported to Brunei, Singapore, Bangladesh, Sri Lanka, the Middle East, Indonesia, Pakistan, Philippines, Yemen, Myanmar, USA, Canada, New Zealand, Maldives and Samoa. ICP Piles are also supplied to many projects in Southern China from our plant in Jiangsu, China.



STANDARDS
ICP PHC Piles comply with MS 1314:Part 4:2004 and also generally comply with BS A 5337:1987. ICP PHC Piles are modified to suit BS 8004:1986 – Foundations and BS 8110:1987 – Structural Use of Concrete. Concrete complies with SS EN 206:1:2009 - specification of concrete.

MATERIALS

Aggregates – Coarse aggregates shall be 20mm granite. Fine aggregates shall be clean river sand or washed mining sand.
Cement – Portland cement comply with MS 522:2007.

Prestressing Steel – High frequency induction heat treated bars manufactured to JIS G 3137:1994 or equivalent.
Spiral Wire – Hot-rolled drawn wire.

CONCRETE STRENGTH

Minimum concrete cube strength:
at transfer of prestress 30 N/mm²
at 28 days - Grade 80 pile 80 N/mm²
- Grade 90 pile 90 N/mm²

JOINT

The joint is designed to have the same performance as the main body particularly in respect of bending strength. All ICP PHC Piles have steel extension plates for splicing.

LIFTING POINTS

For piles up to 20m length piles shall be lifted by using steel hooks at both ends. For piles exceeding 20m, piles shall be lifted by winching wire ropes around the piles at the marked lifting points.

PILE SHOE

All ICP PHC Piles will be supplied either open ended with a flat shoe or with an X-pointed shoe.


CURING

After casting the pile is steam cured. When the concrete reaches the specified transfer strength, the pile is demoulded, marked and checked for quality. The pile is normally be transported and driven after three days from the date of casting or when the cube strength reaches 70 N/mm²...



IDENTIFICATION

All ICP PHC Piles have the typical markings as follows:

	Logo as Trademark
ICP	Company's Initial
MS1314 Part 4	Malaysian Standard
608800	Pile Size and Class
130917	Date of Cast (yy/mm/dd)
00113	Serial No. & Factory Code
12E	Pile Length and Type

Other markings if used: S for Starter (flat shoe or X-pointed shoe)

STANDARD LENGTHS

ICP PHC Piles are available in lengths of 6m to 46m subject to certain limitations.

DELIVERY

ICP Standard Piles are normally available ex-stock. Custom made piles usually takes two to three weeks from date of confirmed order.

TECHNICAL DATA

Technical data of our standard piles are given in the tables on the next page. Please note that the axial loads represent the structural capacities of the piles. Actual working load will depend on the soil conditions and the pile slenderness ratio. Appropriate reduction of axial loads should be applied for:
a) marine structures;
b) piles subjected to bending;
c) high vibration;
d) piles driven through very poor top stratum;
e) loading piles, etc.

DEFINITIONS

ICP PHC Piles: High Performance Prestressed Spun High Strength Concrete Piles
MS: Malaysian Standard
JIS: Japanese Industrial Standard
BS: British Standard
SS: EN: Singapore Standard

GENERAL SPECIFICATION

PROPERTIES OF ICP PILES



CLASS A (EFFECTIVE PRESTRESS ≥ 4.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	-	-	-	51232	3.277	21.9	24.8	62	3.9
350	60	6.12	149	-	-	-	61378	3.729	25.9	28.9	86	3.6
400	60	6.12	178	6	-	-	69291	4.154	29.9	32.9	117	3.4
450	60	6.12	217	6	-	-	76204	4.579	33.9	36.9	147	3.2
500	60	6.12	257	6	-	-	82118	4.994	37.9	40.9	177	3.0
550	60	6.12	274	13	-	-	87031	5.409	41.9	44.9	207	2.8
600	60	6.12	273	-	-	-	91944	5.824	45.9	48.9	237	2.6

CLASS B (EFFECTIVE PRESTRESS ≥ 5.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	-	-	-	51232	3.277	21.9	24.8	62	4.3
350	60	6.12	149	-	-	-	61378	3.729	25.9	28.9	86	4.0
400	60	6.12	178	6	-	-	69291	4.154	29.9	32.9	117	3.7
450	60	6.12	217	6	-	-	76204	4.579	33.9	36.9	147	3.5
500	60	6.12	257	6	-	-	82118	4.994	37.9	40.9	177	3.3
550	60	6.12	274	13	-	-	87031	5.409	41.9	44.9	207	3.1
600	60	6.12	273	-	-	-	91944	5.824	45.9	48.9	237	2.9

CLASS C (EFFECTIVE PRESTRESS ≥ 7.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	10	-	-	51232	3.277	21.9	24.8	62	7.6
350	60	6.12	149	10	-	-	61378	3.729	25.9	28.9	86	7.3
400	60	6.12	178	10	-	-	69291	4.154	29.9	32.9	117	7.0
450	60	6.12	217	13	-	-	76204	4.579	33.9	36.9	147	6.7
500	60	6.12	257	13	-	-	82118	4.994	37.9	40.9	177	6.4
550	60	6.12	274	20	-	-	87031	5.409	41.9	44.9	207	6.1
600	60	6.12	273	20	-	-	91944	5.824	45.9	48.9	237	5.8
650	60	6.12	291	24	-	-	96857	6.239	49.9	52.9	267	5.5
700	60	6.12	290	24	-	-	101770	6.654	53.9	56.9	297	5.2
750	60	6.12	308	28	-	-	106683	7.069	57.9	60.9	327	4.9
800	60	6.12	326	28	-	-	111596	7.484	61.9	64.9	357	4.6
850	60	6.12	344	28	-	-	116509	7.899	65.9	68.9	387	4.3
900	60	6.12	362	32	-	-	121422	8.314	69.9	72.9	417	4.0
950	60	6.12	380	32	-	-	126335	8.729	73.9	76.9	447	3.7
1000	60	6.12	398	34	-	-	131248	9.144	77.9	80.9	477	3.4
1050	60	6.12	416	34	-	-	136161	9.559	81.9	84.9	507	3.1
1100	60	6.12	434	38	-	-	141074	9.974	85.9	88.9	537	2.8
1150	60	6.12	452	38	-	-	145987	10.389	89.9	92.9	567	2.5
1200	60	6.12	470	42	-	-	150900	10.804	93.9	96.9	597	2.2

CLASS A (EFFECTIVE PRESTRESS > 4.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	6	-	-	51232	3.277	21.9	24.8	62	4.9
350	60	6.12	149	6	-	-	61378	3.729	25.9	28.9	86	4.6
400	60	6.12	178	6	-	-	69291	4.154	29.9	32.9	117	4.3
450	60	6.12	217	6	-	-	76204	4.579	33.9	36.9	147	4.0
500	60	6.12	257	6	-	-	82118	4.994	37.9	40.9	177	3.7
550	60	6.12	274	13	-	-	87031	5.409	41.9	44.9	207	3.4
600	60	6.12	273	13	-	-	91944	5.824	45.9	48.9	237	3.1

CLASS B (EFFECTIVE PRESTRESS > 5.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	6	-	-	51232	3.277	21.9	24.8	62	5.4
350	60	6.12	149	6	-	-	61378	3.729	25.9	28.9	86	5.1
400	60	6.12	178	6	-	-	69291	4.154	29.9	32.9	117	4.8
450	60	6.12	217	6	-	-	76204	4.579	33.9	36.9	147	4.5
500	60	6.12	257	6	-	-	82118	4.994	37.9	40.9	177	4.2
550	60	6.12	274	13	-	-	87031	5.409	41.9	44.9	207	3.9
600	60	6.12	273	13	-	-	91944	5.824	45.9	48.9	237	3.6

CLASS C (EFFECTIVE PRESTRESS > 7.0 N/mm²)

Nominal Diameter mm	Nominal Thickness mm	Length m	Nominal Weight kg/m	Prestressing Bar			Area of Concrete mm ²	Section Modulus x1000 mm ³	Bending Moment Cracking kNm	Bending Moment Ultimate kNm	Recommended Max Structural Axial Working Load (for a short strand) kN	Effective Prestress N/mm ²
				7.1mm	8.0mm	18.7mm						
300	60	6.12	118	10	-	-	51232	3.277	21.9	24.8	62	8.2
350	60	6.12	149	10	-	-	61378	3.729	25.9	28.9	86	7.9
400	60	6.12	178	10	-	-	69291	4.154	29.9	32.9	117	7.6
450	60	6.12	217	13	-	-	76204	4.579	33.9	36.9	147	7.3
500	60	6.12	257	13	-	-	82118	4.994	37.9	40.9	177	7.0
550	60	6.12	274	20	-	-	87031	5.409	41.9	44.9	207	6.7
600	60	6.12	273	20	-	-	91944	5.824	45.9	48.9	237	6.4
650	60	6.12	291	24	-	-	96857	6.239	49.9	52.9	267	6.1
700	60	6.12	290	24	-	-	101770	6.654	53.9	56.9	297	5.8
750	60	6.12	308	28	-	-	106683	7.069	57.9	60.9	327	5.5
800	60	6.12	326	28	-	-	111596	7.484	61.9	64.9	357	5.2
850	60	6.12	344	28	-	-	116509	7.899	65.9	68.9	387	4.9
900	60	6.12	362	32	-	-	121422	8.314	69.9	72.9	417	4.6
950	60	6.12	380	32	-	-	126335	8.729	73.9	76.9	447	4.3
1000	60	6.12	398	34	-	-	131248	9.144	77.9	80.9	477	4.0
1050	60	6.12	416	34	-	-	136161	9.559	81.9	84.9	507	3.7
1100	60	6.12	434	38	-	-	141074	9.974	85.9	88.9	537	3.4
1150	60	6.12	452	38	-	-	145987	10.389	89.9	92.9	567	3.1
1200	60	6.12	470	42	-	-	150900	10.804	93.9	96.9	597	2.8

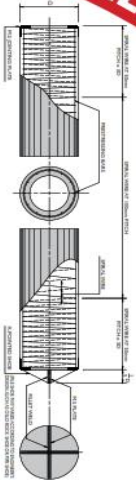
FORMULA FOR AXIAL LOAD
 Based on the above information, the axial load capacity of a pile should be calculated to a pile acting as a short strand should be one quarter of (classified) axial load strength at 28 days (but the prestress after losses).
 $N = f_{pc} \cdot A_c$
 $= [f_{pc} - f_{pe}] \cdot A_c$
 Where: N = maximum allowable axial load
 A_c = permissible compressive strength of concrete
 f_{pc} = ultimate compressive strength of concrete
 f_{pe} = effective prestress in concrete

(Subject to change without prior notice)

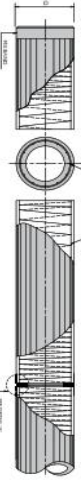
SECTIONAL DETAILS & BONDING INTO PILE CAP

SECTIONAL DETAILS OF ICP PILES

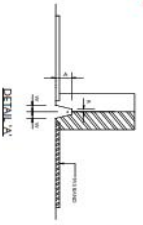
STARTER PILE



EXTENSION PILE



JOINT WELDING DETAILS

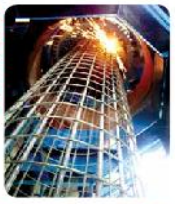
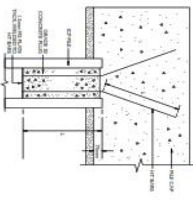


Dia of Pile mm	Throat mm	W mm	Root mm
250	8.5	4.9	2.0
300	8.5	4.9	2.0
350	8.5	4.9	2.0
400	10	4.9	2.0
450	10	4.9	2.0
500	10	4.9	2.0
550	10	4.9	2.0
600	12	5.9	2.0
650	12	5.9	2.0
700	12	5.9	2.0
750	12	5.9	2.0
800	14	6.9	2.0
850	14	6.9	2.0
900	14	6.9	2.0
950	14	6.9	2.0
1000	16	7.9	2.0
1050	16	7.9	2.0
1100	16	7.9	2.0
1150	16	7.9	2.0
1200	18	8.9	2.0
1250	18	8.9	2.0
1300	18	8.9	2.0

BONDING ICP PILES INTO PILE CAP

Dia of Pile mm	Quantity mm	H/T Bars mm	L mm
250	4	12	500
300	4	12	500
350	4	12	500
400	4	12	500
450	4	12	500
500	4	12	500
550	4	12	500
600	6	12	500
650	6	12	500
700	6	12	500
750	6	12	500
800	8	12	500
850	8	12	500
900	8	12	500
950	8	12	500
1000	10	12	500
1050	10	12	500
1100	10	12	500
1150	10	12	500
1200	12	12	500
1250	12	12	500
1300	12	12	500
1350	12	12	500
1400	12	12	500
1450	12	12	500
1500	12	12	500
1550	12	12	500
1600	12	12	500
1650	12	12	500
1700	12	12	500
1750	12	12	500
1800	12	12	500
1850	12	12	500
1900	12	12	500
1950	12	12	500
2000	12	12	500

As the PC bars are bonded with concrete, ICP piles may be cut off at any point. The piles need not be stripped down to expose the bars and can be bonded to the pile cap as shown in the above sketch. If the piles are not subjected to tensile loads, the recommended H/T bars are considered adequate.



**CAGE MAKING/
MOULD SETTING**
PC bars in coil form are unrolled and cut to correct lengths. The ends are welded to form bottom head. The bars are passed through the cage and the top head is formed. The cage is automatically go-squared at the correct spacing. End plates are fixed to the cage. The whole cage is then placed onto the bottom half mould.



CONCRETE FEEDING
Concrete from the compressed batching plant is discharged into a feeding hopper. Concrete is then fed into the bottom half mould. The top half mould is then tilted to the bottom half.



STRESSING
The bars are tensioned around the mould through the ends and stressing plate. The stressing is being carried out in a single operation. This ensures uniformity of stress in all the PC bars and hence straightness of the pile.



PILE SPINNING
The pile is then subjected to air centrifugal force. The pile is spun in a single operation. This ensures uniformity of stress in all the PC bars and hence straightness of the pile.



STEAM CURING
The pile is then subjected to steam curing process in order to achieve the required transfer strength for early demoulding.



DEMouldING
After demoulding final QC inspection is carried out according to the specifications.

MANUFACTURING PROCESS

PROJECT PHOTOS

ICP Piles have been used extensively as foundation piles for power stations, highrise buildings, civil engineering works, bridges, marine structures, harbours, schools and government projects, etc. The piles are widely used in local construction industry and overseas, namely to Brunei, Singapore, Bangladesh, Sri Lanka, the Middle East, Indonesia, Pakistan, Philippines, Vietnam, Myanmar, USA, Canada, New Zealand, Maldives and Samoa.



Asia Strait Port of Asean Terminal, Singapore



Old Meek, Australia



Central Harbour, Ca Mau Terminal, Hong Tin, Vietnam



Condominium at Pioneer, Kembangan, Singapore



Marine Bay at Peterburg, Russia, USA



Marine Bay at Peterburg, Russia, USA



Shore side of Gas Terminal, Japan



Anchor View of Singapore Piles at Tanjong Bridge



Heaven Petrochemical Port, DongGuan, China



Quincy Ferguson, Quincy Dorra, Penang



Tanjong Pagar Port, Singapore



Ocean View Condominium, Butterworth, Penang



North Port, Wharf 8 & Wharf 16, Klang, Selangor



International Trade Centre, Simeida, Kelantan, Penang



CTA Wharf (B1) second stage at Woodport, Pulau Indah, Port Klang, Selangor

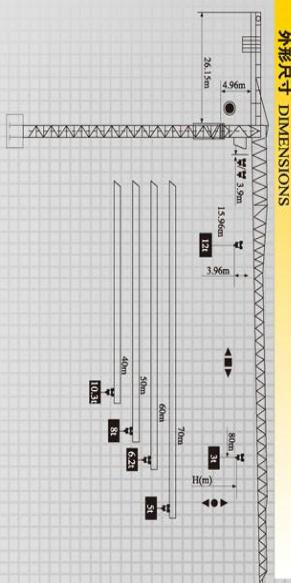
XCP400

起重特性 Load diagrams

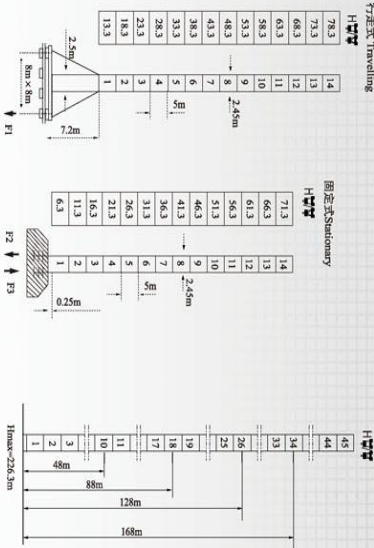
吊重 (t)	吊钩 (m)	起升高度 (m)	25	30	35	40	45	50	55	60	65	70	75	80
80	II	3.3-15.96	20	25	30	35	40	45	50	55	60	65	70	75
		起升高度 (m)	15.28	11.66	8.3	7.64	6.41	5.46	4.71	4.1	3.59	3.16	2.78	2.48
		起重量(t)	9.96	8.33	7.13	6.2	5.46	4.86	4.36	3.94	3.58	3.27	3.0	
70	II	3.3-20.38	25	30	35	40	45	50	55	60	65	70		
		起升高度 (m)	15.74	12.67	10.51	8.91	7.68	6.69	5.9	5.23	4.68	4.2		
		起重量(t)	10	9.65	8.43	7.46	6.67	6.02	5.47	5.0				
60	II	3.3-20.83	25	30	35	40	45	50	55	60				
		起升高度 (m)	16.15	13	10.8	9.16	7.89	6.91	6.08	5.4				
		起重量(t)	10	9.92	8.67	7.68	6.87	6.2						
50	II	3.3-21.51	25	30	35	40	45	50						
		起升高度 (m)	16.77	13.52	11.24	9.54	8.24	7.2						
		起重量(t)	10	9.03	8.0									
40	II	3.3-22.84	25	30	35	40								
		起升高度 (m)	18.01	14.54	12.11	10.3								
		起重量(t)	10											

传动机构 Mechanisms

名称 (Items)	型号代码 (Mechanism)	工作速度 (m/min)	起重量 (t)	起升高度 (m)	电动机 (kw)
起升 Hoisting	1221.VF50	双轴 2 (m)	0-40	10	750
		0-72	5	>750*	
		0-80	2.5	90	
变幅 Travelling	X185K	四轴 4 (m)	0-36	10	185
		0-40	5	185	
		15-30-60	0-60	185	
回转 Slewing	DVF185	0-0.79/rpm			堵转力矩 3 × 185Nm
行走 Travelling	RT443	16-32			堵转力矩 6 × 2.65.2
电源 Power		380V/50HZ 440V/60HZ			



塔身截面 Mast 2.45m × 2.45m



自重 Without load and ballast with longest jib and maximum height

F=固定反力 Reactions
 ● 工作状态 In service
 ■ 非工作状态 Out of service



KEMENTERIAN RISET, TEKNOLOGI, DAN PENDIDIKAN TINGGI
INSTITUT TEKNOLOGI SEPULUH NOPEMBER
JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN
Gedung Teknik Sipil Lt. 2 Kampus ITS Sukolilo, Surabaya 60111
Telp : 031-5946094 / Fax : 031-5947284
E-mail : jurusantsipilits@gmail.com
http://ce.its.ac.id / Twitter : @itsits

SURAT PERJANJIAN MULAI MENERJAKAN TUGAS AKHIR (SP - MMTA)
Nomor : *054267* / IT2.3.I.1/PP.05.02.00/2016

Berdasarkan hasil ujian seminar Proposal Tugas Akhir periode Juni 2016 Semester Genap 2015/2016, dan setelah menyerahkan perbaikan Proposal Tugas Akhirnya, maka mahasiswa yang tercantum di bawah ini :

Nama : Soca Fahreza I.
NRP : 3112100025
Judul Tugas Akhir : Redesigning The Building's Structure Of Hotel Novotel THE SAMATOR Surabaya By Using Precast Concrete
Pembimbing TA : Data Iranata, ST.MT
Ir. Djoko Irawan, MS.
Tanggal Ujian Proposal TA : 15 Juni 2016
Tanggal Penyerahan Proposal : 21 Juli 2016
(yang sudah direvisi)
Nilai Proposal : 75

dinyatakan dapat memulai mengerjakan Tugas Akhirnya di bawah bimbingan Dosen yang telah ditetapkan.

Proses pembimbingan berlaku maksimal selama satu semester, terhitung mulai tanggal **13 Juli 2016** sampai dengan tanggal **16 Januari 2017** (buku Tugas Akhir sudah masuk).

Apabila Tugas Akhir tersebut tidak dapat diselesaikan dalam waktu yang telah ditentukan, maka :

- Bila kemajuan penyusunan Tugas Akhir telah mencapai $\geq 75\%$ akan diberikan perpanjangan waktu satu semester
- Bila kemajuan penyusunan Tugas Akhir $< 75\%$, diharuskan membuat Proposal Tugas Akhir dengan judul yang baru dan dipresentasikan di depan Team Dosen Penguji.

Demikian Surat Perjanjian ini dibuat untuk dipergunakan sebagai syarat proses pengerjaan Tugas Akhir

Menyetujui :
Mahasiswa,


Soca Fahreza I.
NRP. 3112100025

Surabaya, 31 AUG 2016
Menyetujui :
Ketua Program Studi S1 Teknik Sipil,

Dr. Agus Umboro Iasminto, ST, M.Sc.
NIP. 197212021998021001

Menyetujui :
Dosen Pembimbing I,


Data Iranata, ST.MT
NIP. 198004302005011002

Menyetujui :
Pembimbing II,


Ir. Djoko Irawan, MS.
NIP. 195902131987011001





KEMENTERIAN RISET, TEKNOLOGI, DAN PENDIDIKAN TINGGI
INSTITUT TEKNOLOGI SEPULUH NOPEMBER

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN
Gedung Teknik Sipil Lt. 2 Kampus ITS Sukolilo, Surabaya 60111
Telp : 031-5946094 / Fax : 031-5947284
E-mail : jurusantsipilits@gmail.com
http://ce.its.ac.id / Twitter : @itsits

PERSETUJUAN PERPANJANGAN WAKTU MENERJAKAN TUGAS AKHIR

Nomor : 003845 /IT2.VI.4.1/PP.05.02.00/2017

Sehubungan dengan belum selesainya pengerjaan Tugas Akhir selama 1 (satu) semester, dan berdasarkan hasil penilaian progres pengerjaan Tugas Akhir oleh Dosen Pembimbing yang telah mencapai 75%, maka mahasiswa yang tercantum dibawah ini :

Nama : Soca Fahreza I.
N R P : 3112100025
Judul Tugas Akhir : Redesigning The Building's Structure Of Hotel Novotel
THE SAMATOR Surabaya By Using Precast Concrete
Pembimbing Tugas Akhir : Data Iranata, ST. MT. PhD
Ir. Djoko Irawan, MS.
SP-MMTA Nomor : 054267/IT2.3.1.1/PP.05.02.00/2016
Masa berlaku SP-MMTA : 13 Juli 2016 sampai dengan 16 Januari 2017

disetujui untuk menyelesaikan Tugas Akhirnya dengan tambahan waktu 1 (satu) semester atau sampai 17 Juli 2017.

SPMMTA yang dikeluarkan tetap tunduk kepada Peraturan Akademik, terutama tentang batas waktu studi.

Demikian Surat Persetujuan ini dibuat untuk dipergunakan sebagai syarat perpanjangan penyelesaian pengerjaan Tugas Akhir.

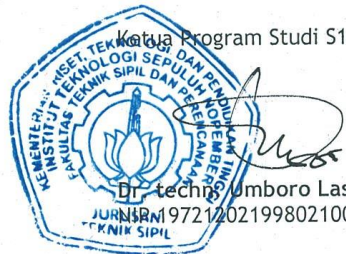
Surabaya,

20 JAN 2017

Menyetujui :
Mahasiswa,

Soca Fahreza I.
NRP 3112100025

Ketua Program Studi S1 Teknik Sipil,



Dr. techn. Umboro Lasminto, ST., MSc
NRP 197212021998021001

Tembusan :

- Yth. Dosen Pembimbing

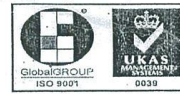




PROGRAM STUDI S-1 JURUSAN TEKNIK SIPIL FTSP - ITS
LEMBAR KEGIATAN ASISTENSI TUGAS AKHIR (WAJIB DIISI)

Jurusan Teknik Sipil Lt.2, Kampus ITS Sukolilo, Surabaya 601111

Telp.031-5946094, Fax.031-5947284



Form AK/TA-04
rev01

NAMA PEMBIMBING	: Duta Rameta, ST, MT, PhD.
NAMA MAHASISWA	: Loka Fahriza I.
NRP	: 311210025
JUDUL TUGAS AKHIR	: Redesigning The building's Structure of Hotel Novotel THE SAMATOR Surabaya By Using Precast concrete
TANGGAL PROPOSAL	: 15 Juni 2016
NO. SP-MMTA	: 054267 / IT2.3.I.1 / PP.05-02.00/2016

NO	TANGGAL	KEGIATAN		PARAF ASISTEN
		REALISASI	RENCANA MINGGU DEPAN	
1.	15/09/2016	Prelim	± Perbaiki Prelim	[Handwritten signatures]
2.	19/09/2016	perbaiki l.d, f.c	± Perbaiki	
3.	14/11/2016	f.c pakuai SWI	± lanjut balok awal	
4.	20/4/2017	struktur primer + sambungan	± Gambar	
5.	2/5/2017	basement + pondasi	± lanjut tangga & lift	
6.	17/5/2017	Pondasi	± Basement	
7.	30/5/2017	Gambar pondasi	± pondasi	
8.	1/6/2017	Gambar	± perbaiki	



KEMENTERIAN RISET, TEKNOLOGI, DAN PENDIDIKAN TINGGI
INSTITUT TEKNOLOGI SEPULUH NOPEMBER

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN
Gedung Teknik Sipil Lt. 2 Kampus ITS Sukolilo, Surabaya 60111
Telp : 031-5946094 / Fax : 031-5947284
E-mail : jurusantsipilits@gmail.com
http://ce.its.ac.id / Twitter : @jtsits

SURAT PERJANJIAN MULAI MENGERJAKAN TUGAS AKHIR (SP - MMTA)

Nomor : *054267* / IT2.3.I.1/PP.05.02.00/2016

Berdasarkan hasil ujian seminar Proposal Tugas Akhir periode Juni 2016 Semester Genap 2015/2016, dan setelah menyerahkan perbaikan Proposal Tugas Akhirnya, maka mahasiswa yang tercantum di bawah ini :

Nama : Soca Fahreza I.
NRP : 3112100025
Judul Tugas Akhir : Redesigning The Building's Structure Of Hotel Novotel THE SAMATOR Surabaya By Using Precast Concrete
Pembimbing TA : Data Iranata, ST.MT
Ir. Djoko Irawan, MS.
Tanggal Ujian Proposal TA : 15 Juni 2016
Tanggal Penyerahan Proposal : 21 Juli 2016
(yang sudah direvisi)
Nilai Proposal : 75

dinyatakan dapat memulai mengerjakan Tugas Akhirnya di bawah bimbingan Dosen yang telah ditetapkan.

Proses pembimbingan berlaku maksimal selama satu semester, terhitung mulai tanggal **13 Juli 2016** sampai dengan tanggal **16 Januari 2017** (buku Tugas Akhir sudah masuk).

Apabila tugas Akhir tersebut tidak dapat diselesaikan dalam waktu yang telah ditentukan, maka :

- Bila kemajuan penyusunan Tugas Akhir telah mencapai $\geq 75\%$ akan diberikan perpanjangan waktu satu semester
- Bila kemajuan penyusunan Tugas Akhir $< 75\%$, diharuskan membuat Proposal Tugas Akhir dengan judul yang baru dan dipresentasikan di depan Team Dosen Penguji.

Demikian Surat Perjanjian ini dibuat untuk dipergunakan sebagai syarat proses pengerjaan Tugas Akhir


Menyetujui :
Mahasiswa,


Soca Fahreza I.
NRP. 3112100025

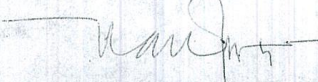
Surabaya, 31 AUG 2016
Menyetujui :
Ketua Program Studi S1 Teknik Sipil,

Dr. Techno Umboro Iasminto, ST, M.Sc.
NIP. 197212021998021001

Menyetujui :
Dosen Pembimbing I,


Data Iranata, ST.MT
NIP. 198004302005011002

Menyetujui :
Pembimbing II,


Ir. Djoko Irawan, MS.
NIP. 195902131987011001



KEMENTERIAN RISET, TEKNOLOGI, DAN PENDIDIKAN TINGGI
INSTITUT TEKNOLOGI SEPULUH NOPEMBER

JURUSAN TEKNIK SIPIL
FAKULTAS TEKNIK SIPIL DAN PERENCANAAN
Gedung Teknik Sipil Lt. 2 Kampus ITS Sukolilo, Surabaya 60111
Telp : 031-5946094 / Fax : 031-5947284
E-mail : jurusantsipilits@gmail.com
http://ce.its.ac.id / Twitter : @jtsits

PERSETUJUAN PERPANJANGAN WAKTU MENERJAKAN TUGAS AKHIR

Nomor : 003845 /IT2.VI.4.1/PP.05.02.00/2017

Sehubungan dengan belum selesainya pengerjaan Tugas Akhir selama 1 (satu) semester, dan berdasarkan hasil penilaian progres pengerjaan Tugas Akhir oleh Dosen Pembimbing yang telah mencapai 75%, maka mahasiswa yang tercantum dibawah ini :

N a m a : *Soca Fahreza I.*
N R P : *3112100025*
Judul Tugas Akhir : *Redesigning The Building's Structure Of Hotel Novotel THE SAMATOR Surabaya By Using Precast Concrete*
Pembimbing Tugas Akhir : *Data Iranata, ST. MT. PhD*
Ir. Djoko Irawan, MS.
SP-MMTA Nomor : *054267/IT2.3.I.1/PP.05.02.00/2016*
Masa berlaku SP-MMTA : *13 Juli 2016 sampai dengan 16 Januari 2017*

disetujui untuk menyelesaikan Tugas Akhirnya dengan tambahan waktu 1 (satu) semester atau sampai 17 Juli 2017.

SPMMTA yang dikeluarkan tetap tunduk kepada Peraturan Akademik, terutama tentang batas waktu studi.

Demikian Surat Persetujuan ini dibuat untuk dipergunakan sebagai syarat perpanjangan penyelesaian pengerjaan Tugas Akhir.

Surabaya, 20 JAN 2017

Menyetujui :
Mahasiswa,

Soca Fahreza I.
NRP 3112100025

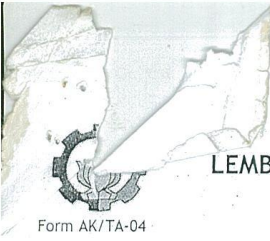


Surabaya, 20 JAN 2017

Dr. techn. Umboro Lasminto, ST.,MSc
NRP 197212021998021001

Tembusan :

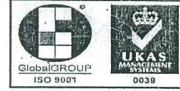
- Yth. Dosen Pembimbing



PROGRAM STUDI S-1 JURUSAN TEKNIK SIPIL FTSP - ITS
LEMBAR KEGIATAN ASISTENSI TUGAS AKHIR (WAJIB DIISI)

Jurusan Teknik Sipil Lt.2, Kampus ITS Sukolilo, Surabaya 60111

Telp.031-5946094, Fax.031-5947284



Form AK/TA-04
rev01

NAMA PEMBIMBING	: Ir. Dicky Arawan, M.S
NAMA MAHASISWA	: SOCA FATHREZA I.
NRP	: 3112100025
JUDUL TUGAS AKHIR	: Redesigning the Building's structure of Hotel Novotel THE SAMATOR Surabaya By Using Precast Concrete
TANGGAL PROPOSAL	: 15 Juni 2016
NO. SP-MMTA	: 054267/IT2.3.I.1/PP.05-02-00/2016

NO	TANGGAL	KEGIATAN		PARAF ASISTEN
		REALISASI	RENCANA MINGGU DEPAN	
1.	15/09/2016	Dicek premi kolom, bentuk awal (sebelum overtopping) → beban & pecat, dsb. Gambar penampang disesuaikan. → kontrol LEMBATAN balok cek pelat, dan kolom, yang berkaitan pelatnya, jembat jembatan (ditentukan), notasi bedakami	• perbaiki premi • pecat	
2	29/09/2016	f'c = 30 hari → f'c = 30 MPa perbaiki kd, f'c, pelat.	• perbaiki • Lembar balok awal	
3	14/10/2016	f'crack → pakai SNI Gambar PBI 1971	• perbaiki • Lembar tangga & lift • Gambar perubahan direvisi konsisten	
4	13/1/17	tangga SAP	• perbaiki tangga	
5	2/02/17	SAP	• SAP struktur Utami	
6	31/03/17		buat sketsa gambar. komponen balok di cetak meliputi tumpuan	
7	26/05/17	Gambar pondasi		
8	16/06/17	Gambar	- perbaiki Rump + DL - tulang pelat - Shear Connector	

BIOGRAPHY



Soca Fahrzea Isma'i was born in Mojokerto, September 1st 1994. He is the son of Drs. Khabib Isma'i and Yuliati. He is the first son of two brothers, currently lives in Surabaya.

He had his elementary school at SDN Beringin 477 Surabaya (2000 - 2006), junior high school at SMPN 26 Surabaya (2006 – 2009), and senior high school at SMAN 11 Surabaya (2009 – 2012). Currently studying at Institut Teknologi Sepuluh Nopember Surabaya in Civil Engineering Departement. The author can be contacted via email socafahreza@yahoo.co.id

